

<u>Unit 2 Nonlinear Classification</u>, <u>Linear regression, Collaborative</u>

<u>Course</u> > <u>Filtering (2 weeks)</u>

8. Regularization

> <u>Lecture 5. Linear Regression</u> >

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8. Regularization Ridge Regression





Video

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Transcripts

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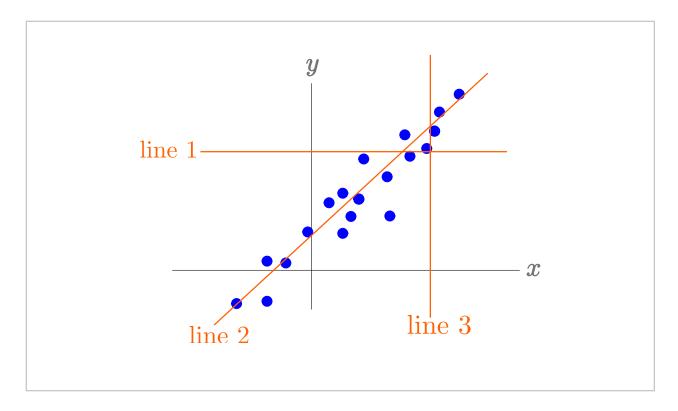
Regularization: extreme case 1

0/1 point (graded)

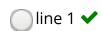
As in the video above, define the loss function

$$J_{n,\lambda}\left(heta, heta_0
ight) = rac{1}{n} \sum_{t=1}^n rac{\left(y^{(t)} - heta \cdot x^{(t)} - heta_0
ight)^2}{2} + rac{\lambda}{2} \lVert heta
Vert^2$$

where λ is the regularization factor.



In the figure above, the blue dots are the training examples. If we increase λ to ∞ , where does $f(x)=\theta\cdot x+\theta_0$ converge to?









Solution:

If we increase λ to ∞ , minimizing J is equivalent to minimizing $||\theta||$. Thus θ will have to be a zero vector. Thus $f(x)=\theta\cdot x+\theta_0$ becomes $f(x)=\theta_0$, a horizontal line. Thus f converges to line 1.

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You have used 2 of 2 attempts

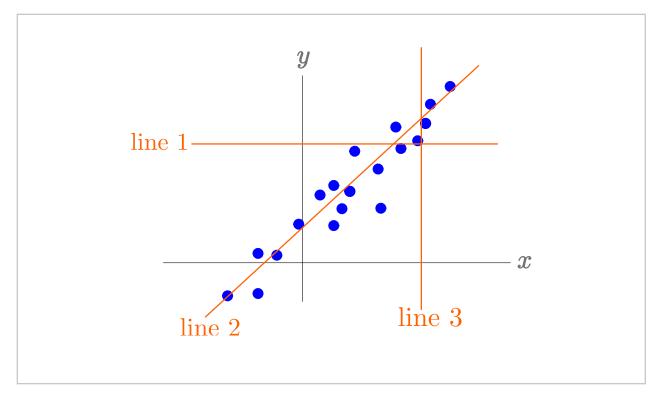
1 Answers are displayed within the problem

Regularization: Extreme case 2

1/1 point (graded)
As in the problem above,

$$J_{n,\lambda}\left(heta, heta_0
ight) = rac{1}{n} \sum_{t=1}^n rac{\left(y^{(t)} - heta \cdot x^{(t)} - heta_0
ight)^2}{2} + rac{\lambda}{2} \| heta\|^2$$

where λ is the regularization factor.



In the figure above, the blue dots are the training examples. If we decrease λ to 0, where does $f(x)= heta\cdot x+ heta_0$ converge to?

- Oline 1
- line 2
- line 3

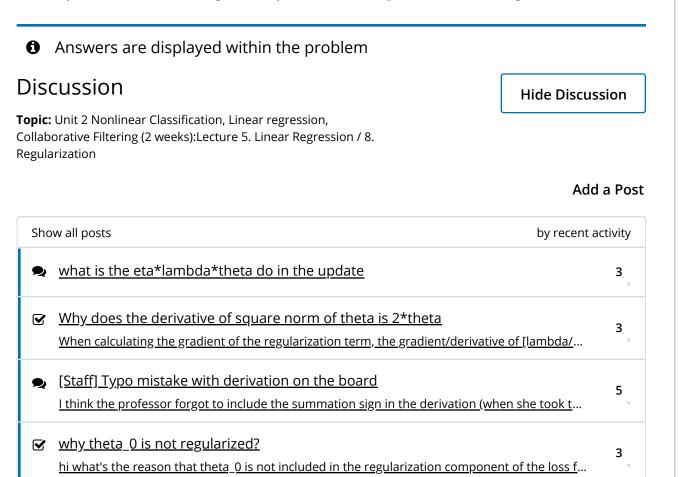


Solution:

If we decrease λ to zero, minimizing J is equivalent to minimizing $\frac{1}{n}\sum_{t=1}^n \frac{\left(y^{(t)}-\theta\cdot x^{(t)}-\theta_0\right)^2}{2}$, which is the "fit." Thus f converges to line 2.

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You have used 1 of 2 attempts



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