

# ADVANCED PLACEMENT PHYSICS B EQUATIONS FOR 2002

NEWTONIAN MECHANICS		ELECTRICITY AND MAGNETISM	
$v = v_0 + at$	$a = \text{acceleration}$	$F = \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{r^2}$	$A = \text{area}$
$x = x_0 + v_0 t + \frac{1}{2} at^2$	$F = \text{force}$	$\mathbf{E} = \frac{\mathbf{F}}{q}$	$B = \text{magnetic field}$
$v^2 = v_0^2 + 2a(x - x_0)$	$f = \text{frequency}$	$U_E = qV = \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{r}$	$C = \text{capacitance}$
$\Sigma \mathbf{F} = \mathbf{F}_{\text{net}} = m\mathbf{a}$	$h = \text{height}$	$E_{\text{ind}} = -\frac{d\Phi_B}{dt}$	$d = \text{distance}$
$F_{\text{fric}} \leq \mu N$	$J = \text{impulse}$	$E = \text{electric field}$	$\mathcal{E} = \text{emf}$
$a_c = \frac{v^2}{r}$	$K = \text{kinetic energy}$	$I = \text{current}$	$\ell = \text{length}$
$\tau = rF \sin \theta$	$k = \text{spring constant}$	$Q = \text{charge}$	$P = \text{power}$
$\mathbf{p} = m\mathbf{v}$	$\ell = \text{length}$	$q = \text{point charge}$	$R = \text{resistance}$
$\mathbf{J} = \mathbf{F}\Delta t = \Delta \mathbf{p}$	$m = \text{mass}$	$r = \text{distance}$	$t = \text{time}$
$K = \frac{1}{2} mv^2$	$N = \text{normal force}$	$U = \text{potential (stored) energy}$	$V = \text{electric potential or potential difference}$
$\Delta U_g = mgh$	$P = \text{power}$	$\rho = \text{velocity or speed}$	$\phi_m = \text{magnetic flux}$
$W = \mathbf{F} \cdot \Delta \mathbf{r} = F\Delta r \cos \theta$	$\rho = \text{momentum}$	$I_{\text{avg}} = \frac{\Delta Q}{\Delta t}$	
$P_{\text{avg}} = \frac{W}{\Delta t}$	$r = \text{radius or distance}$	$R = \frac{\rho \ell}{A}$	
$P = \mathbf{F} \cdot \mathbf{v} = Fv \cos \theta$	$\tau = \text{position vector}$	$V = IR$	
$\mathbf{F}_s = -k\mathbf{x}$	$T = \text{period}$	$P = IV$	
$U_s = \frac{1}{2} kx^2$	$t = \text{time}$	$C_p = \sum_i C_i$	
$T_s = 2\pi \sqrt{\frac{m}{k}}$	$U = \text{potential energy}$	$\frac{1}{C_s} = \sum_i \frac{1}{C_i}$	
$T_p = 2\pi \sqrt{\frac{\ell}{g}}$	$v = \text{velocity or speed}$	$R_s = \sum_i R_i$	
$T = \frac{1}{f}$	$x = \text{position}$	$\frac{1}{R_p} = \sum_i \frac{1}{R_i}$	
$F_G = -\frac{Gm_1 m_2}{r^2}$	$\mu = \text{coefficient of friction}$	$F_{ij} = q_i q_j B \sin \theta$	
$U_G = -\frac{Gm_1 m_2}{r}$	$\theta = \text{angle}$	$F_b = B\ell I \sin \theta$	
	$\tau = \text{torque}$	$B = \frac{\mu_0 I}{2\pi r}$	
		$\phi_m = \mathbf{B} \cdot \mathbf{A} = BA \cos \theta$	
		$\mathcal{E}_{\text{avg}} = -\frac{\Delta \phi_m}{\Delta t}$	
		$\mathcal{E} = B\ell v$	

TABLE OF INFORMATION FOR 2002

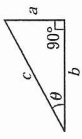
CONSTANTS AND CONVERSION FACTORS		UNITS		PREFIXES	
Name	Symbol	Factor	Prefix	Symbol	Symbol
1 unified atomic mass unit,	$1 \text{ u} = 1.66 \times 10^{-27} \text{ kg}$	m	giga	G	
Proton mass,	$m_p = 1.67 \times 10^{-27} \text{ kg}$	kg	mega	M	
Neutron mass,	$m_n = 1.67 \times 10^{-27} \text{ kg}$	s	kilo	k	
Electron mass,	$m_e = 9.11 \times 10^{-31} \text{ kg}$	A	centi	c	
Magnitude of the electron charge,	$e = 1.60 \times 10^{-19} \text{ C}$	K	milli	m	
Avogadro's number,	$N_A = 6.02 \times 10^{23} \text{ mol}^{-1}$	mol	micro	$\mu$	
Universal gas constant,	$R = 8.31 \text{ J/(mol} \cdot \text{K)}$	Hz	nano	n	
Boltzmann's constant,	$k_B = 1.38 \times 10^{-23} \text{ J/K}$	N	pico	p	
Speed of light,	$c = 3.00 \times 10^8 \text{ m/s}$	Pa			
Planck's constant,	$h = 6.63 \times 10^{-34} \text{ J} \cdot \text{s}$	J			
	$\hbar = 1.05 \times 10^{-35} \text{ J} \cdot \text{s}$	W			
	$hc = 1.24 \times 10^{-6} \text{ eV} \cdot \text{nm}$	C			
Vacuum permittivity,	$\epsilon_0 = 8.85 \times 10^{-12} \text{ C}^2/\text{N} \cdot \text{m}^2$	V			
Coulomb's law constant,	$k = 1/4\pi\epsilon_0 = 9.0 \times 10^9 \text{ N} \cdot \text{m}^2/\text{C}^2$	$\Omega$			
Vacuum permeability,	$\mu_0 = 4\pi \times 10^{-7} \text{ (T} \cdot \text{m)/A}$	H			
Magnetic constant,	$k' = \mu_0/4\pi = 10^{-7} \text{ (T} \cdot \text{m)/A}$	F			
Universal gravitational constant,	$G = 6.67 \times 10^{-11} \text{ m}^3/\text{kg} \cdot \text{s}^2$	T			
Acceleration due to gravity at the Earth's surface,	$g = 9.8 \text{ m/s}^2$	degree			
1 atmosphere pressure,	$1 \text{ atm} = 1.0 \times 10^5 \text{ N/m}^2$	Celsius			
	$= 1.0 \times 10^5 \text{ Pa}$	electron-volt			
1 electron volt,	$1 \text{ eV} = 1.60 \times 10^{-19} \text{ J}$	volt			

The following conventions are used in this examination.

- Unless otherwise stated, the frame of reference is assumed to be inertial.
- The direction of any electric current is the direction of flow of positive charge (conventional current).
- For any isolated electric charge, the electric potential is defined as zero at an infinite distance from the charge.
- For mechanics and thermodynamics equations,  $W$  represents the work done on a system.

\*Not on the Table of Information for Physics C, since Thermodynamics is not a Physics C topic.

# ADVANCED PLACEMENT PHYSICS B EQUATIONS FOR 2002

FLUID MECHANICS AND THERMAL PHYSICS		WAVES AND OPTICS	
$p = p_0 + \rho gh$ $F_{buoy} = \rho Vg$ $A_1v_1 = A_2v_2$ $p + \rho gy + \frac{1}{2}\rho v^2 = \text{const.}$ $\Delta \ell = \alpha \ell_0 \Delta T$ $Q = mL$ $Q = mc\Delta T$ $p = \frac{F}{A}$ $pV = nRT$ $K_{avg} = \frac{3}{2}k_B T$ $v_{rms} = \sqrt{\frac{3RT}{M}} = \sqrt{\frac{3k_B T}{\mu}}$ $W = -p\Delta V$ $Q = nC\Delta T$ $\Delta U = Q + W$ $\Delta U = nC_V \Delta T$ $e = \left  \frac{W}{Q_H} \right $ $e_c = \frac{T_H - T_C}{T_H}$	$A = \text{area}$ $c = \text{specific heat or molar specific heat}$ $e = \text{efficiency}$ $F = \text{force}$ $h = \text{depth}$ $K_{avg} = \text{average molecular kinetic energy}$ $L = \text{heat of transformation}$ $\ell = \text{length}$ $M = \text{molecular mass}$ $m = \text{mass of sample}$ $n = \text{number of moles}$ $p = \text{pressure}$ $Q = \text{heat transferred to a system}$ $T = \text{temperature}$ $U = \text{internal energy}$ $V = \text{volume}$ $v = \text{velocity or speed}$ $v_{rms} = \text{root-mean-square velocity}$ $W = \text{work done on a system}$ $y = \text{height}$ $\alpha = \text{coefficient of linear expansion}$ $\mu = \text{mass of molecule}$ $\rho = \text{density}$	$v = f\lambda$ $n = \frac{c}{v}$ $n_1 \sin \theta_1 = n_2 \sin \theta_2$ $\sin \theta_c = \frac{n_2}{n_1}$ $\frac{1}{s_i} + \frac{1}{s_o} = \frac{1}{f}$ $M = \frac{h_i}{h_o} = -\frac{s_i}{s_o}$ $f = \frac{R}{2}$ $d \sin \theta = m\lambda$ $x_m = \frac{m\lambda L}{d}$	$d = \text{separation}$ $f = \text{frequency or focal length}$ $h = \text{height}$ $L = \text{distance}$ $M = \text{magnification}$ $m = \text{an integer}$ $n = \text{index of refraction}$ $R = \text{radius of curvature}$ $s = \text{distance}$ $v = \text{speed}$ $x = \text{position}$ $\lambda = \text{wavelength}$ $\theta = \text{angle}$
ATOMIC AND NUCLEAR PHYSICS		GEOMETRY AND TRIGONOMETRY	
$E = hf = pc$ $K_{max} = hf - \phi$ $\lambda = \frac{h}{p}$ $\Delta E = (\Delta m)c^2$	$E = \text{energy}$ $f = \text{frequency}$ $K = \text{kinetic energy}$ $m = \text{mass}$ $p = \text{momentum}$ $\lambda = \text{wavelength}$ $\phi = \text{work function}$	<p>Rectangle  <math>A = bh</math></p> <p>Triangle  <math>A = \frac{1}{2}bh</math></p> <p>Circle  <math>A = \pi r^2</math>  <math>C = 2\pi r</math></p> <p>Parallelepiped  <math>V = \ell wh</math></p> <p>Cylinder  <math>V = \pi r^2 \ell</math>  <math>S = 2\pi r\ell + 2\pi r^2</math></p> <p>Sphere  <math>V = \frac{4}{3}\pi r^3</math>  <math>S = 4\pi r^2</math></p> <p>Right Triangle  <math>a^2 + b^2 = c^2</math>  <math>\sin \theta = \frac{a}{c}</math>  <math>\cos \theta = \frac{b}{c}</math>  <math>\tan \theta = \frac{a}{b}</math></p>	<p>Area  <math>C = \text{circumference}</math>  <math>V = \text{volume}</math>  <math>S = \text{surface area}</math>  <math>b = \text{base}</math>  <math>h = \text{height}</math>  <math>\ell = \text{length}</math>  <math>w = \text{width}</math>  <math>r = \text{radius}</math></p> 

# ADVANCED PLACEMENT PHYSICS C EQUATIONS FOR 2002

MECHANICS	ELECTRICITY AND MAGNETISM
$v = v_0 + at$ $x = x_0 + v_0 t + \frac{1}{2}at^2$ $v^2 = v_0^2 + 2a(x - x_0)$ $\Sigma \mathbf{F} = \mathbf{F}_{net} = m\mathbf{a}$ $\mathbf{F} = \frac{d\mathbf{p}}{dt}$ $\mathbf{J} = \int \mathbf{F} d\mathbf{l} = \Delta \mathbf{p}$ $\mathbf{p} = m\mathbf{v}$ $F_{fric} \leq \mu N$ $W = \int \mathbf{F} \cdot d\mathbf{r}$ $K = \frac{1}{2}mv^2$ $P = \frac{dW}{dt}$ $P = \mathbf{F} \cdot \mathbf{v}$ $\Delta U_g = mgh$ $a_c = \frac{v^2}{r} = \omega^2 r$ $\boldsymbol{\tau} = \mathbf{r} \times \mathbf{F}$ $\Sigma \boldsymbol{\tau} = \boldsymbol{\tau}_{net} = I\boldsymbol{\alpha}$ $I = \int r^2 dm = \Sigma mr^2$ $\mathbf{r}_{cm} = \Sigma m\mathbf{r}/\Sigma m$ $\mathbf{L} = \mathbf{r} \times \mathbf{p} = I\boldsymbol{\omega}$ $K = \frac{1}{2}I\omega^2$ $\boldsymbol{\omega} = \boldsymbol{\omega}_0 + \boldsymbol{\alpha}t$ $\theta = \theta_0 + \boldsymbol{\omega}_0 t + \frac{1}{2}\boldsymbol{\alpha}t^2$ $\mathbf{F}_s = -k\mathbf{x}$ $U_s = \frac{1}{2}kx^2$ $T = \frac{2\pi}{\omega} = \frac{1}{f}$ $T_s = 2\pi\sqrt{\frac{m}{k}}$ $T_p = 2\pi\sqrt{\frac{I}{g}}$ $\mathbf{F}_G = -\frac{Gm_1m_2}{r^2}\hat{\mathbf{r}}$ $U_G = -\frac{Gm_1m_2}{r}$	$F = \frac{1}{4\pi\epsilon_0} \frac{q_1q_2}{r^2}$ $\mathbf{E} = \frac{\mathbf{F}}{q}$ $\oint \mathbf{E} \cdot d\mathbf{A} = \frac{Q}{\epsilon_0}$ $E = -\frac{dV}{dr}$ $V = \frac{1}{4\pi\epsilon_0} \sum \frac{q_i}{r_i}$ $U_E = qV = \frac{1}{4\pi\epsilon_0} \frac{q_1q_2}{r}$ $C = \frac{Q}{V}$ $C = \frac{\kappa\epsilon_0 A}{d}$ $C_p = \sum \frac{1}{C_i}$ $\frac{1}{C_s} = \sum \frac{1}{C_i}$ $I = \frac{dQ}{dt}$ $U_C = \frac{1}{2}QV = \frac{1}{2}CV^2$ $R = \frac{\rho \ell}{A}$ $V = IR$ $R_s = \sum R_i$ $\frac{1}{R_p} = \sum \frac{1}{R_i}$ $P = IV$ $\mathbf{F}_M = q\mathbf{v} \times \mathbf{B}$ $\oint \mathbf{B} \cdot d\boldsymbol{\ell} = \mu_0 I$ $\mathbf{F} = \int I d\boldsymbol{\ell} \times \mathbf{B}$ $B_s = \mu_0 nI$ $\phi_m = \int \mathbf{B} \cdot d\mathbf{A}$ $\mathcal{E} = -\frac{d\phi_m}{dt}$ $\mathcal{E} = -L \frac{dI}{dt}$ $U_L = \frac{1}{2}LI^2$
$a = \text{acceleration}$ $F = \text{force}$ $f = \text{frequency}$ $h = \text{height}$ $I = \text{rotational inertia}$ $J = \text{impulse}$ $K = \text{kinetic energy}$ $k = \text{spring constant}$ $\ell = \text{length}$ $L = \text{angular momentum}$ $m = \text{mass}$ $N = \text{normal force}$ $P = \text{power}$ $p = \text{momentum}$ $r = \text{radius or distance}$ $\mathbf{r} = \text{position vector}$ $T = \text{period}$ $t = \text{time}$ $U = \text{potential energy}$ $W = \text{work done on a system}$ $x = \text{position}$ $\mu = \text{coefficient of friction}$ $\theta = \text{angle}$ $\boldsymbol{\tau} = \text{torque}$ $\boldsymbol{\omega} = \text{angular speed}$ $\boldsymbol{\alpha} = \text{angular acceleration}$	$A = \text{area}$ $B = \text{magnetic field}$ $C = \text{capacitance}$ $d = \text{distance}$ $E = \text{electric field}$ $\mathcal{E} = \text{emf}$ $F = \text{force}$ $I = \text{current}$ $L = \text{inductance}$ $\ell = \text{length}$ $n = \text{number of loops of wire per unit length}$ $P = \text{power}$ $Q = \text{charge}$ $q = \text{point charge}$ $R = \text{resistance}$ $r = \text{distance}$ $t = \text{time}$ $U = \text{potential or stored energy}$ $V = \text{electric potential}$ $v = \text{velocity or speed}$ $\rho = \text{resistivity}$ $\phi_m = \text{magnetic flux}$ $\kappa = \text{dielectric constant}$

ADVANCED PLACEMENT PHYSICS C EQUATIONS FOR 2002

GEOMETRY AND TRIGONOMETRY

Rectangle

$$A = bh$$

Triangle

$$A = \frac{1}{2}bh$$

Circle

$$A = \pi r^2$$

$$C = 2\pi r$$

Parallelepiped

$$V = \ell wh$$

Cylinder

$$V = \pi r^2 \ell$$

$$S = 2\pi r\ell + 2\pi r^2$$

Sphere

$$V = \frac{4}{3}\pi r^3$$

$$S = 4\pi r^2$$

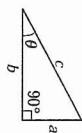
Right Triangle

$$a^2 + b^2 = c^2$$

$$\sin \theta = \frac{a}{c}$$

$$\cos \theta = \frac{b}{c}$$

$$\tan \theta = \frac{a}{b}$$



CALCULUS

$$\frac{df}{dx} = \frac{df}{du} \frac{du}{dx}$$

$$\frac{d}{dx}(x^n) = nx^{n-1}$$

$$\frac{d}{dx}(e^x) = e^x$$

$$\frac{d}{dx}(\ln x) = \frac{1}{x}$$

$$\frac{d}{dx}(\sin x) = \cos x$$

$$\frac{d}{dx}(\cos x) = -\sin x$$

$$\int x^n dx = \frac{1}{n+1} x^{n+1}, \quad n \neq -1$$

$$\int e^x dx = e^x$$

$$\int \frac{dx}{x} = \ln|x|$$

$$\int \cos x dx = \sin x$$

$$\int \sin x dx = -\cos x$$

# Reference Guide & Formula Sheet for Physics

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#3	<b>Components of a Vector</b> if $V = 34 \text{ m/sec}$ $\angle 48^\circ$ then $V_x = 34 \text{ m/sec} \cdot (\cos 48^\circ)$ ; and $V_y = 34 \text{ m/sec} \cdot (\sin 48^\circ)$	#20	<b>Heating a Solid, Liquid or Gas</b> $Q = mc \cdot \Delta T$ $Q =$ the heat added $c =$ specific heat. $\Delta T =$ temperature change, K
#4	<b>Weight = <math>mg</math></b> $g = 9.8 \text{ m/sec}^2$ near the surface of the Earth $= 9.795 \text{ m/sec}^2$ in Fort Worth, TX <b>Density = mass / volume</b> $\rho = \frac{m}{V} \text{ (unit: kg / m}^3\text{)}$	#21	<b>Linear Momentum</b> momentum = $p = mv$ = mass • velocity momentum is conserved in collisions
#7	<b>Ave speed = distance / time = <math>v = d/t</math></b> <b>Ave velocity = displacement / time = <math>v = d/t</math></b> <b>Ave acceleration = change in velocity / time</b>	#23	<b>Center of Mass</b> – point masses on a line $x_{cm} = \sum (mx_i) / M_{total}$
#8	<b>Friction Force</b> $F_f = \mu \cdot F_N$ If the object is not moving, you are dealing with static friction and it can have any value from zero up to $\mu_s F_N$ If the object is sliding, then you are dealing with kinetic friction and it will be constant and equal to $\mu_k F_N$	#25	<b>Angular Speed vs. Linear Speed</b> Linear speed = $v = r\omega$ = $r \cdot$ angular speed
#9	<b>Torque</b> $\tau = F \cdot L \cdot \sin \theta$ Where $\theta$ is the angle between $F$ and $L$ ; unit: Nm	#26	<b>Pressure under Water</b> $P = \rho \cdot g \cdot h$ $h =$ depth of water $\rho =$ density of water
#11	<b>Newton's Second Law</b> $F_{net} = \sum F_{ext} = m \cdot a$	#28	<b>Universal Gravitation</b> $F = G \frac{m_1 m_2}{r^2}$ $G = 6.67 \text{ E-11 N} \cdot \text{m}^2 / \text{kg}^2$
#12	<b>Work = <math>F \cdot D \cdot \cos \theta</math></b> Where $D$ is the distance moved and $\theta$ is the angle between $F$ and the direction of motion; unit: J	#29	<b>Mechanical Energy</b> $PE_{grav} = P = m \cdot g \cdot h$ $KE_{linear} = K = \frac{1}{2} m \cdot v^2$
#16	<b>Power = rate of work done</b> $Power = \frac{Work}{time}$ unit: watt <b>Efficiency = <math>Work_{out} / Work_{in}</math></b> <b>Mechanical Advantage = force out / force in</b> $M.A. = F_{out} / F_{in}$	#30	<b>Impulse = Change in Momentum</b> $F \cdot \Delta t = \Delta(mv)$
#19	<b>Constant-Acceleration Linear Motion</b> $v = v_0 + at$ $(x-x_0) = v_0 t + \frac{1}{2} at^2$ $v^2 = v_0^2 + 2ax$ ( $x - x_0$ ) $(x-x_0) = \frac{1}{2} (v_0 + v) t$ $(x-x_0) = vt - \frac{1}{2} at^2$ $v_0$	#31	<b>Snell's Law</b> $n_1 \sin \theta_1 = n_2 \sin \theta_2$ <b>Index of Refraction</b> $n = c / v$ $c =$ speed of light = $3 \text{ E}+8 \text{ m/s}$
#34	<b>Periodic Waves</b> $v = f \cdot \lambda$ $f = 1 / T$ $T =$ period of wave	#32	<b>Ideal Gas Law</b> $P \cdot V = n \cdot R \cdot T$ $n =$ # of moles of gas $R =$ gas law constant $= 8.31 \text{ J / K mole}$
#35	<b>Constant-Acceleration Circular Motion</b> $\omega = \theta_0 + \alpha t$ $\theta - \theta_0 = \omega_0 t + \frac{1}{2} \alpha t^2$ $\omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0)$ $\theta - \theta_0 = \frac{1}{2} \alpha t^2$ ( $\omega_0 + \omega$ ) $t$ $\theta - \theta_0 = \omega t - \frac{1}{2} \alpha t^2$ $\alpha$ $\omega_0$	#33	<b>Constant-Acceleration Circular Motion</b> $\omega = \omega_0 + \alpha t$ $\theta - \theta_0 = \omega_0 t + \frac{1}{2} \alpha t^2$ $\omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0)$ $\theta - \theta_0 = \frac{1}{2} \alpha t^2$ ( $\omega_0 + \omega$ ) $t$ $\theta - \theta_0 = \omega t - \frac{1}{2} \alpha t^2$ $\alpha$ $\omega_0$

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#36	<b>Buoyant Force - Buoyancy</b> $F_b = \rho \cdot V \cdot g = m_{displaced fluid} \cdot g = \text{weight}_{displaced fluid}$ $\rho =$ density of the fluid $V =$ volume of fluid displaced	#53	<b>Resistor Combinations</b> <b>SERIES</b> $R_{eq} = R_1 + R_2 + R_3 + \dots$ <b>PARALLEL</b> $\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_n} = \sum_{i=1}^n \frac{1}{R_i}$
#37	<b>Ohm's Law</b> $V = I \cdot R$ $V =$ voltage applied $I =$ current $R =$ resistance <b>Resistance of a Wire</b> $R = \rho \cdot L / A_x$ $\rho =$ resistivity of wire material $L =$ length of the wire $A_x =$ cross-sectional area of the wire	#54	<b>Newton's Second Law and Rotational Inertia</b> $\tau = \text{torque} = I \cdot \alpha$ $I =$ moment of inertia = $mr^2$ (for a point mass) (See table in Lesson 58 for I of 3D shapes.)
#55	<b>Circular Unbanked Tracks</b> $\frac{mv^2}{r} = \mu mg$	#55	<b>Circular Unbanked Tracks</b> $\frac{mv^2}{r} = \mu mg$
#56	<b>Continuity of Fluid Flow</b> $A_1 \cdot v_1 = A_2 \cdot v_2$ $A =$ Area $v =$ velocity	#56	<b>Continuity of Fluid Flow</b> $A_1 \cdot v_1 = A_2 \cdot v_2$ $A =$ Area $v =$ velocity
#58	<b>Moment of Inertia</b> cylindrical hoop $\frac{1}{2} m \cdot r^2$ solid cylinder or disk $\frac{1}{2} m \cdot r^2$ solid sphere $\frac{2}{5} m \cdot r^2$ hollow sphere $\frac{2}{3} m \cdot r^2$ thin rod (center) $\frac{1}{12} m \cdot L^2$ thin rod (end) $\frac{1}{3} m \cdot L^2$	#58	<b>Moment of Inertia</b> cylindrical hoop $\frac{1}{2} m \cdot r^2$ solid cylinder or disk $\frac{1}{2} m \cdot r^2$ solid sphere $\frac{2}{5} m \cdot r^2$ hollow sphere $\frac{2}{3} m \cdot r^2$ thin rod (center) $\frac{1}{12} m \cdot L^2$ thin rod (end) $\frac{1}{3} m \cdot L^2$
#59	<b>Capacitors</b> $Q = C \cdot V$ $Q =$ charge on the capacitor $C =$ capacitance of the capacitor $V =$ voltage applied to the capacitor <b>RC Circuits (Discharging)</b> $V_c = V_0 \cdot e^{-t/RC}$ $V_c - I \cdot R = 0$	#59	<b>Capacitors</b> $Q = C \cdot V$ $Q =$ charge on the capacitor $C =$ capacitance of the capacitor $V =$ voltage applied to the capacitor <b>RC Circuits (Discharging)</b> $V_c = V_0 \cdot e^{-t/RC}$ $V_c - I \cdot R = 0$
#60	<b>Thermal Expansion</b> <b>Linear:</b> $\Delta L = L_0 \cdot \alpha \cdot \Delta T$ <b>Volume:</b> $\Delta V = V_0 \cdot \beta \cdot \Delta T$	#60	<b>Thermal Expansion</b> <b>Linear:</b> $\Delta L = L_0 \cdot \alpha \cdot \Delta T$ <b>Volume:</b> $\Delta V = V_0 \cdot \beta \cdot \Delta T$
#61	<b>Bernoulli's Equation</b> $P + \rho \cdot g \cdot h + \frac{1}{2} \rho \cdot v^2 = \text{constant}$ $Q_{Volume Flow Rate} = A_1 \cdot v_1 = A_2 \cdot v_2 = \text{constant}$	#61	<b>Bernoulli's Equation</b> $P + \rho \cdot g \cdot h + \frac{1}{2} \rho \cdot v^2 = \text{constant}$ $Q_{Volume Flow Rate} = A_1 \cdot v_1 = A_2 \cdot v_2 = \text{constant}$
#62	<b>Rotational Kinetic Energy</b> (See LEM, pg 8) $KE_{rotational} = \frac{1}{2} I \omega^2 = \frac{1}{2} I \cdot (v / r)^2$ $KE_{rotational} = \frac{1}{2} I \omega^2 = \frac{1}{2} I \cdot (v / r)^2$ $KE_{rotational} = \frac{1}{2} I \omega^2 = \frac{1}{2} I \cdot (v / r)^2$	#62	<b>Rotational Kinetic Energy</b> (See LEM, pg 8) $KE_{rotational} = \frac{1}{2} I \omega^2 = \frac{1}{2} I \cdot (v / r)^2$ $KE_{rotational} = \frac{1}{2} I \omega^2 = \frac{1}{2} I \cdot (v / r)^2$ $KE_{rotational} = \frac{1}{2} I \omega^2 = \frac{1}{2} I \cdot (v / r)^2$
#51	<b>Minimum Speed at the top of a Vertical Circular Loop</b> $v = \sqrt{rg}$	#51	<b>Angular Momentum</b> $L = I \cdot \omega = m \cdot v \cdot r \cdot \sin \theta$ <b>Angular Impulse equals CHANGE IN Angular Momentum</b> $\Delta L = \text{Torque} \cdot \Delta t = \Delta (I \cdot \omega)$

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#63	<b>Period of Simple Harmonic Motion</b> $T = 2\pi\sqrt{\frac{m}{k}}$ where $k$ = spring constant	#75	<b>Thin Lens Equation</b> $\frac{1}{f} = \frac{1}{D_o} + \frac{1}{D_i}$ $\frac{1}{o} + \frac{1}{i} = \frac{1}{f}$ $f$ = focal length $i$ = image distance $o$ = object distance
#64	<b>Banked Circular Tracks</b> $v^2 = rg \tan \theta$		<b>Magnification</b> $M = -D_i / D_o = -i / o = H_i / H_o$
#66	<b>First Law of Thermodynamics</b> $\Delta U = Q_{\text{net}} + W_{\text{net}}$ Change in Internal Energy of a system = +Net Heat added to the system +Net Work done on the system		Helpful reminders for mirrors and lenses Focal Length of: mirror lens Object distance = $D_o$ all objects Image distance = $D_i$ all objects Image height = $H_i$ real Image height = $H_i$ virtual, upright Magnification virtual, upright real, inverted
	<b>Flow of Heat through a Solid</b> $\Delta Q / \Delta t = kA \Delta T / L$ $k$ = thermal conductivity $A$ = area of solid $L$ = thickness of solid	#76	<b>Coulomb's Law</b> $F = k \frac{q_1 q_2}{r^2}$ $k = \frac{1}{4\pi\epsilon_0} = 9E9 \frac{N \cdot m^2}{C^2}$
#68	<b>Potential Energy stored in a Capacitor</b> $P = \frac{1}{2} C V^2$	#77	<b>Capacitor Combinations</b> <b>PARALLEL</b> $C_{\text{eq}} = C_1 + C_2 + C_3 + \dots$ <b>SERIES</b> $\frac{1}{C_{\text{eq}}} = \frac{1}{C_1} + \frac{1}{C_2} + \dots + \frac{1}{C_n}$
#71	<b>Simple Pendulum</b> $T = 2\pi\sqrt{\frac{L}{g}}$ and $f = 1/T$	#78	<b>Work done on a gas or by a gas</b> $W = P \Delta V$
#72	<b>Sinusoidal motion</b> $x = A \cos(\omega t) = A \cos(2\pi f t)$ $\omega$ = angular frequency $f$ = frequency	#80	<b>Electric Field around a point charge</b> $E = k \frac{q}{r^2}$
#73	<b>Doppler Effect</b> $f' = f \frac{343 \pm v_{\text{observer}}}{343 \pm v_{\text{source}}}$ $v_o$ = velocity of observer; $v_s$ = velocity of source	#82	<b>Magnetic Field around a wire</b> $B = \frac{\mu_0 I}{2\pi r}$ <b>Magnetic Flux</b> $\Phi = B A \cos \theta$
#74	<b>2nd Law of Thermodynamics</b> The change in internal energy of a system is $\Delta U = Q_{\text{added}} + W_{\text{done on}} - Q_{\text{lost}} - W_{\text{done by}}$ <b>Maximum Efficiency of a Heat Engine (Carnot Cycle)</b> (Temperatures in Kelvin) $\% \text{Eff} = \left(1 - \frac{T_c}{T_h}\right) \cdot 100\%$		<b>Force caused by a magnetic field on a moving charge</b> $F = qvB \sin \theta$
		#83	<b>Entropy change at constant T</b> $\Delta S = Q / T$ (Phase changes only: melting, boiling, freezing, etc)

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#95	<b>Relativistic Time Dilation</b> $\Delta t = \Delta t_0 / \beta$	#95	<b>Relativistic Time Dilation</b> $\Delta t = \Delta t_0 / \beta$
#96	<b>Relativistic Length Contraction</b> $\Delta x = \beta \Delta x_0$	#96	<b>Relativistic Length Contraction</b> $\Delta x = \beta \Delta x_0$
	<b>Relativistic Mass Increase</b> $m = m_0 / \beta$		<b>Relativistic Mass Increase</b> $m = m_0 / \beta$
#97	<b>Energy of a Photon or a Particle</b> $E = hf = mc^2$ $h$ = Planck's constant = $6.63 \times 10^{-34}$ J sec $f$ = frequency of the photon	#97	<b>Energy of a Photon or a Particle</b> $E = hf = mc^2$ $h$ = Planck's constant = $6.63 \times 10^{-34}$ J sec $f$ = frequency of the photon
#98	<b>Radioactive Decay Rate Law</b> $A = A_0 e^{-kt} = (1/2)^n A_0$ (after $n$ half-lives) Where $k = (\ln 2) / \text{half-life}$	#98	<b>Radioactive Decay Rate Law</b> $A = A_0 e^{-kt} = (1/2)^n A_0$ (after $n$ half-lives) Where $k = (\ln 2) / \text{half-life}$
#99	<b>Blackbody Radiation and the Photoelectric Effect</b> $E = hf$ where $h$ = Planck's constant	#99	<b>Blackbody Radiation and the Photoelectric Effect</b> $E = hf$ where $h$ = Planck's constant
#100	<b>Early Quantum Physics</b> Rutherford-Bohr Hydrogen-like Atoms $\frac{1}{\lambda} = R \cdot \left( \frac{1}{n_f^2} - \frac{1}{n_i^2} \right)$ meters <sup>-1</sup> or $f = \frac{c}{\lambda} = cR \left( \frac{1}{n_f^2} - \frac{1}{n_i^2} \right)$ Hz $R$ = Rydberg's Constant $= 1.097373143 \times 10^7 \text{ m}^{-1}$ $n_i$ = series integer (2 = Balmer) $n$ = an integer $> n_i$	#100	<b>Early Quantum Physics</b> Rutherford-Bohr Hydrogen-like Atoms $\frac{1}{\lambda} = R \cdot \left( \frac{1}{n_f^2} - \frac{1}{n_i^2} \right)$ meters <sup>-1</sup> or $f = \frac{c}{\lambda} = cR \left( \frac{1}{n_f^2} - \frac{1}{n_i^2} \right)$ Hz $R$ = Rydberg's Constant $= 1.097373143 \times 10^7 \text{ m}^{-1}$ $n_i$ = series integer (2 = Balmer) $n$ = an integer $> n_i$
	<b>Mass-Energy Equivalence</b> $m_0 = m_0 / \beta$ Total Energy = $KE + m_0 c^2 = m_0 c^2 / \beta$ Usually written simply as $E = mc^2$		<b>Mass-Energy Equivalence</b> $m_0 = m_0 / \beta$ Total Energy = $KE + m_0 c^2 = m_0 c^2 / \beta$ Usually written simply as $E = mc^2$
	<b>de Broglie Matter Waves</b> For light: $E_p = hf = hc / \lambda = p \cdot c$ Therefore, momentum: $p = h / \lambda$ Similarly for particles, $p = mv = h / \lambda$ , so the matter wave's wavelength must be $\lambda = h / mv$		<b>de Broglie Matter Waves</b> For light: $E_p = hf = hc / \lambda = p \cdot c$ Therefore, momentum: $p = h / \lambda$ Similarly for particles, $p = mv = h / \lambda$ , so the matter wave's wavelength must be $\lambda = h / mv$
	<b>Energy Released by Nuclear Fission or Fusion Reaction</b> $E = \Delta m \cdot c^2$		<b>Energy Released by Nuclear Fission or Fusion Reaction</b> $E = \Delta m \cdot c^2$

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## MISCELLANEOUS FORMULAS

**Quadratic Formula**  
if  $ax^2 + bx + c = 0$   
then

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

**Trigonometric Definitions**  
 $\sin \theta = \text{opposite} / \text{hypotenuse}$   
 $\cos \theta = \text{adjacent} / \text{hypotenuse}$   
 $\tan \theta = \text{opposite} / \text{adjacent}$

$$\sec \theta = 1 / \cos \theta = \text{hyp} / \text{adj}$$

$$\csc \theta = 1 / \sin \theta = \text{hyp} / \text{opp}$$

$$\cot \theta = 1 / \tan \theta = \text{adj} / \text{opp}$$

**Inverse Trigonometric Definitions**  
 $\theta = \sin^{-1}(\text{opp} / \text{hyp})$   
 $\theta = \cos^{-1}(\text{adj} / \text{hyp})$   
 $\theta = \tan^{-1}(\text{opp} / \text{adj})$

**Law of Sines**  
 $a / \sin A = b / \sin B = c / \sin C$   
or  
 $\sin A / a = \sin B / b = \sin C / c$

**Law of Cosines**  
 $a^2 = b^2 + c^2 - 2bc \cos A$   
 $b^2 = a^2 + c^2 - 2ac \cos B$   
 $c^2 = a^2 + b^2 - 2ab \cos C$

**T-Pots**  
For the functional form  
 $\frac{1}{A} = \frac{1}{B} + \frac{1}{C}$

You may use "The Product over the Sum" rule.  
 $A = \frac{B \cdot C}{B + C}$

For the Alternate Functional form  
 $\frac{1}{A} = \frac{1}{B} - \frac{1}{C}$

You may substitute T-Pot-d  
 $A = \frac{B \cdot C}{C - B} = -\frac{B \cdot C}{B - C}$

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<b>Aa</b> acceleration, Area, $A_s$ =Cross-sectional Area, Amperes, Amplitude of a Wave, Angle, Angle, Degrees, candela,	<b>Aa</b> Alpha angular acceleration, coefficient of linear expansion,
<b>Bb</b> Magnetic Field, Decibel Level of Sound, Angle, Degrees, candela,	<b>Bb</b> Beta coefficient of volume expansion, Lorentz transformation factor,
<b>Cc</b> specific heat, speed of light, Capacitance, Angle, Coulombs, °Celsius, Celsius	<b>Xz</b> Chi
<b>Dd</b> displacement, differential change in a variable, Distance, Distance Moved, distance electron, Energy,	<b>Δδ</b> Delta Δ=change in a variable,
<b>Ee</b> base of the natural logarithms, charge on the electron, Energy,	<b>εε</b> Epsilon $\epsilon_s$ = permittivity of free space,
<b>Ff</b> Force, <i>frequency of a wave or periodic motion</i> , Farads,	<b>Φφ</b> Phi Magnetic Flux, angle,
<b>Gg</b> Universal Gravitational Constant, acceleration due to gravity, Gauss, grams, Giga-,	<b>Γγ</b> Gamma surface tension = F / L,
<b>Hh</b> depth of a fluid, height, vertical distance, Henrys, Hz=Hertz,	<b>Ηη</b> Eta $1/\gamma$ = Lorentz transformation factor,
<b>Ii</b> Current, Moment of Inertia, image distance, Intensity of Sound,	<b>Ιι</b> Iota
<b>Jj</b> Joules,	<b>Θθ</b> Theta and Phi lower case alternates,
<b>Kk</b> K or KE = Kinetic Energy, force constant of a spring, thermal conductivity, coulomb's law constant, kg=kilograms, Kelvins, kilo-, rate constant for radioactive decay = $1/\tau = \ln 2 / \text{half-life}$ ,	<b>Κκ</b> Kappa dielectric constant,
<b>Ll</b> Length, Length of a wire, Latent Heat of Fusion or Vaporization, Angular Momentum, Thickness, Inductance,	<b>Λλ</b> Lambda wavelength of a wave, rate constant for Radioactive decay = $1/\tau = \ln 2 / \text{half-life}$ ,
<b>Mm</b> mass, Total Mass, meters, milli-, Mega-, $m_s$ =rest mass, mol=moles,	<b>Μμ</b> Mu friction, $\mu_s$ = permeability of free space, micro-,
<b>Nn</b> index of refraction, moles of a gas, Newtons, Number of Loops, nano-,	<b>Nv</b> Nu alternate symbol for frequency,
<b>Oo</b> Power, Pressure of a Gas or Fluid, Potential Energy, momentum, Power, Pa=Pascal, Qq Heat gained or lost, Maximum Charge on a Capacitor, object distance, Flow Rate, magnitude or length of a vector, rad=radians	<b>Oo</b> Omicron
<b>Pp</b> Power, Pressure of a Gas or Fluid, Potential Energy, momentum, Power, Pa=Pascal, Qq Heat gained or lost, Maximum Charge on a Capacitor, object distance, Flow Rate, magnitude or length of a vector, rad=radians	<b>Ππ</b> Pi 3.1425926536...
<b>Qq</b> Heat gained or lost, Maximum Charge on a Capacitor, object distance, Flow Rate, magnitude or length of a vector, rad=radians	<b>Θθ</b> Theta angle between two vectors,
<b>Rr</b> radius, Ideal Gas Law Constant, Resistance, rad=radians	<b>Ρρ</b> Rho density of a solid or liquid, resistivity,
<b>Ss</b> speed, seconds, Entropy, length along an arc, Tt time, Temperature, Period of a Wave, Tension, Teslas, $t_{1/2}$ =half-life,	<b>Σσ</b> Sigma Summation, standard deviation,
<b>Uu</b> Potential Energy, Internal Energy, Vv velocity, Velocity, Volume of a Gas, velocity of wave, Volume of Fluid Displaced, Voltage, Volts, Ww weight, Work, Watts, Wb=Weber, Xx distance, horizontal distance, x-coordinate east-and-west coordinate, Yy vertical distance, y-coordinate, north-and-south coordinate, Zz z-coordinate, up-and-down coordinate,	<b>Ττ</b> Tau torque, time constant for an exponential processes: eg $\tau = RC$ or $\tau = L/R$ or $\tau = 1/k = 1/\lambda$ ,
	<b>Υο</b> Upsilon
	<b>ζω</b> Zeta and Omega lower case alternates
	<b>Ωω</b> Omega angular speed or angular velocity, Ohms
	<b>Ξξ</b> Xi
	<b>Ψψ</b> Psi
	<b>Ζζ</b> Zeta

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## Values of Trigonometric Functions for 1<sup>st</sup> Quadrant Angles

(simple mostly-rational approximations)

$\theta$	$\sin \theta$	$\cos \theta$	$\tan \theta$
$0^\circ$	0	1	0
$10^\circ$	$1/6$	$5/6$	$1/5$
$15^\circ$	$1/4$	$3/4$	$1/3$
$20^\circ$	$1/3$	$2/3$	$1/2$
$25^\circ$	$1/2$	$3/4$	$1/3$
$30^\circ$	$1/2$	$3/4$	$1/3$
$35^\circ$	$2/3$	$3/4$	$1/2$
$40^\circ$	$2/3$	$3/4$	$1/2$
$45^\circ$	$2/3$	$3/4$	$1/2$
$50^\circ$	$2/3$	$3/4$	$1/2$
$55^\circ$	$2/3$	$3/4$	$1/2$
$60^\circ$	$2/3$	$3/4$	$1/2$
$65^\circ$	$2/3$	$3/4$	$1/2$
$70^\circ$	$2/3$	$3/4$	$1/2$
$75^\circ$	$2/3$	$3/4$	$1/2$
$80^\circ$	$2/3$	$3/4$	$1/2$
$90^\circ$	1	0	$\infty$

(Memorize the Bold rows for future reference.)

## Derivatives of Polynomials

For polynomials, with individual terms of the form  $Ax^n$ , we define the derivative of each term as

$$\frac{d}{dx}(Ax^n) = nAx^{n-1}$$

To find the derivative of the polynomial, simply add the derivatives for the individual terms:

$$\frac{d}{dx}(3x^2 + 6x - 3) = 6x + 6$$

## Integrals of Polynomials

For polynomials, with individual terms of the form  $Ax^n$ , we define the indefinite integral of each term as

$$\int Ax^n dx = \frac{1}{n+1} Ax^{n+1}$$

To find the indefinite integral of the polynomial, simply add the integrals for the individual terms and the constant of integration, C.

$$\int (6x + 6) dx = [3x^2 + 6x + C]$$

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## Prefixed

Factor	Prefix	Symbol	Example
$10^{18}$	exa-	E	38 Es (Age of the Universe in Seconds)
$10^{15}$	peta-	P	
$10^{12}$	tera-	T	0.3 TW (Peak power of a 1 ps pulse from a typical Nd-glass laser)
$10^9$	giga-	G	22 GS (Size of Bill & Melissa Gates' Trust)
$10^6$	mega-	M	6.37 Mm (The radius of the Earth)
$10^3$	kilo-	k	1 kg (SI unit of mass)
$10^1$	deci-	d	10 cm
$10^{-2}$	centi-	c	2.54 cm (=1 in)
$10^{-3}$	milli-	m	1 mm (The smallest division on a meter stick)
$10^{-6}$	micro-	$\mu$	
$10^{-9}$	nano-	n	510 nm (Wavelength of green light)
$10^{-12}$	pico-	p	1 pg (Typical mass of a DNA sample used in genome studies)
$10^{-15}$	femto-	f	
$10^{-18}$	atto-	a	600 as (Time duration of the shortest laser pulses)

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## Linear Equivalent Mass

Rotating systems can be handled using the linear forms of the equations of motion. To do so, however, you must use a mass equivalent to the mass of a non-rotating object. We call this the Linear Equivalent Mass (LEM). (See Example I)

For objects that are both rotating and moving linearly, you must include them twice; once as a linearly moving object (using  $m$ ) and once more as a rotating object (using LEM). (See Example II)

The LEM of a rotating mass is easily defined in terms of its moment of inertia,  $I$ .

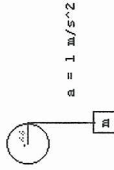
$$LEM = I/r^2$$

For example, using a standard table of Moments of Inertia, we can calculate the LEM of simple objects rotating on axes through their centers of mass:

	$I$	LEM
Cylindrical hoop	$mr^2$	$m$
Solid disk	$\frac{1}{2}mr^2$	$\frac{1}{2}m$
Hollow sphere	$\frac{2}{3}mr^2$	$\frac{2}{3}m$
Solid sphere	$\frac{2}{5}mr^2$	$\frac{2}{5}m$

## Example I

A flywheel,  $M = 4.80$  kg and  $r = 0.44$  m, is wrapped with a string. A hanging mass,  $m$ , is attached to the end of the string.



When the hanging mass is released, it accelerates downward at  $1.00$  m/s<sup>2</sup>. Find the hanging mass.

To handle this problem using the linear form of Newton's Second Law of Motion, all we have to do is use the LEM of the flywheel. We will assume, here, that it can be treated as a uniform solid disk.

The only external force on this system is the weight of the hanging mass. The mass of the system consists of the hanging mass plus the linear equivalent mass of the fly-wheel. From Newton's 2<sup>nd</sup> Law we have

$$F = ma, \text{ therefore, } mg = [m + (LEM)]a$$

$$mg = [m + \frac{1}{2}M]a$$

$$(mg - ma) = \frac{1}{2}Ma$$

$$m(g - a) = \frac{1}{2}Ma$$

$$m = \frac{1}{2}Ma / (g - a)$$

$$m = \frac{1}{2} \cdot 4.8 \cdot 1.00 / (9.81 - 1)$$

$$m = 0.27 \text{ kg}$$

$$\text{If } a = g/2 = 4.905 \text{ m/s}^2, \quad m = 2.4 \text{ kg}$$

$$\text{If } a = \frac{1}{2}g = 7.3575 \text{ m/s}^2, \quad m = 7.2 \text{ kg}$$

Note, too, that we do not need to know the radius unless the angular acceleration of the fly-wheel is requested. If you need  $\alpha$ , and you have  $r$ , then  $\alpha = ar$ .

## Example II

Find the kinetic energy of a disk,  $m = 6.7$  kg, that is moving at  $3.2$  m/s while rolling without slipping along a flat, horizontal surface. ( $I_{\text{disk}} = \frac{1}{2}mr^2$ ;  $LEM = \frac{1}{2}m$ )

The total kinetic energy consists of the linear kinetic energy,  $K_L = \frac{1}{2}mv^2$ , plus the rotational kinetic energy,  $K_R = \frac{1}{2}I(\omega)^2 = \frac{1}{2}I(v/r)^2 = \frac{1}{2}(LEM)v^2$ .

$$KE = \frac{1}{2}mv^2 + \frac{1}{2}(LEM)v^2$$

$$KE = \frac{1}{2} \cdot 6.7 \cdot 3.2^2 + \frac{1}{2} \cdot (\frac{1}{2} \cdot 6.7) \cdot 3.2^2$$

$$KE = 34.304 + 17.152 = 51.456$$

## Final Note:

This method of incorporating rotating objects into the linear equations of motion works in every situation I've tried, even very complex problems. Work your problem the classic way and this way to compare the two. Once you've verified that the LEM method works for a particular type of problem, you can confidently use it for solving any other problem of the same type.

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