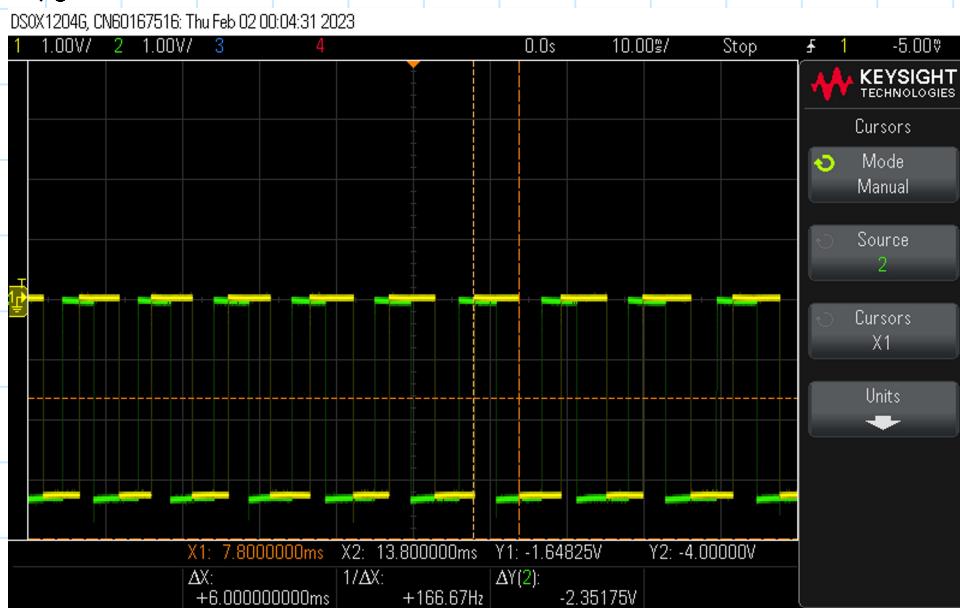


Encoder

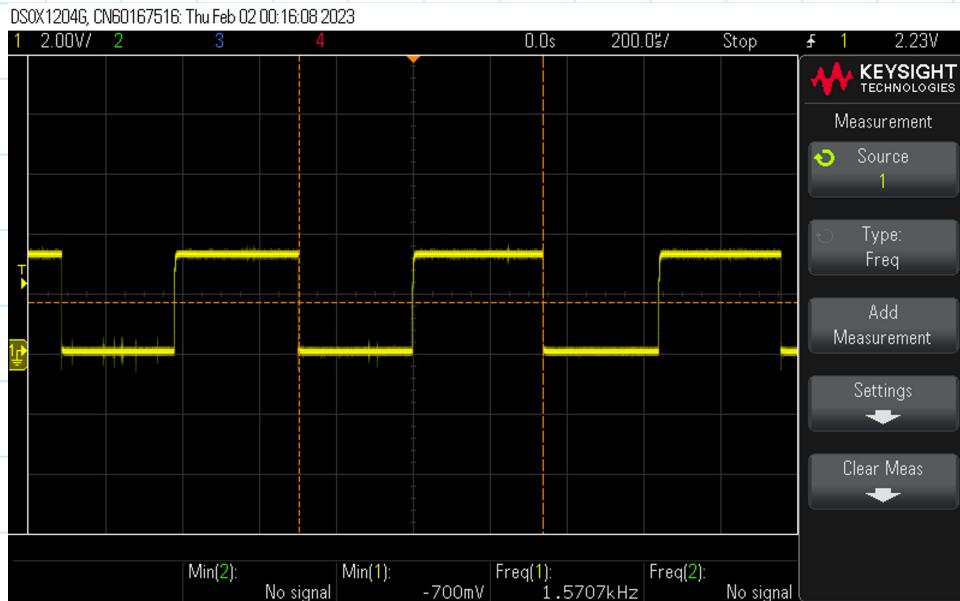
Wednesday, February 1, 2023 9:00 AM

AO



The signals has similar frequency - just one signal
just has a delay

AI



A2

I used my phone camera's slow-mo camera to measure the rpm , I got 240 rpm for my motors

A3

Given the rpm of 240 and wheel radius of 4.1cm we can calculate how fast the robot runs

$$240(4.1\text{cm})(2\pi) = 6182 \text{ cm per minute}$$

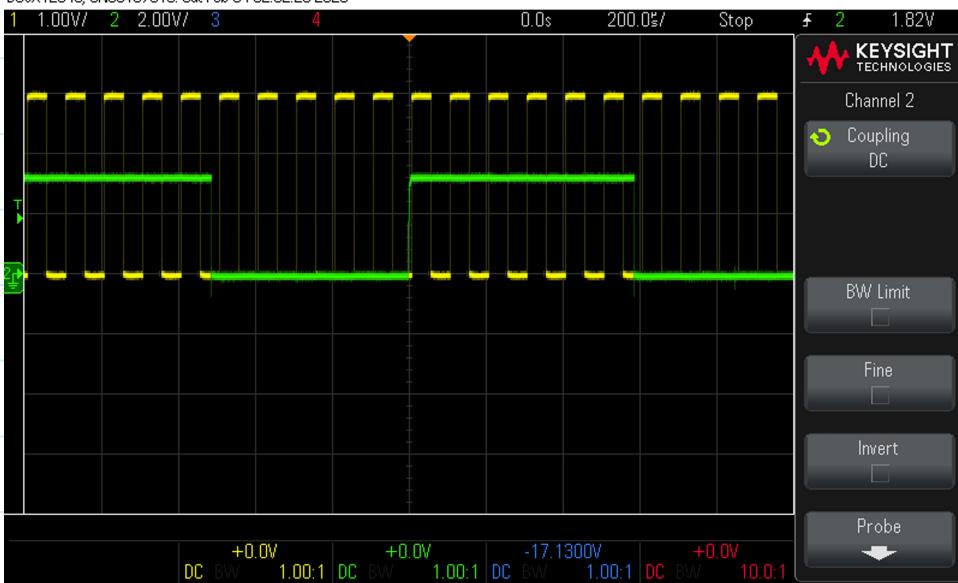
A4

$$1570.7\text{rpm} * 2 * 60 / 6 = 31414\text{rpm}$$

$$31414\text{rpm} / 240\text{rpm} = 131$$

A5

DSOX1204G, CN60167516; Sat Feb 04 02:52:29 2023



A8

Duty	Frequency
0%	0Hz
5% <u>(minimum to start)</u>	57Hz
10%	158Hz
15%	257Hz
20%	362Hz
25%	457Hz
30%	561Hz
35%	658Hz
40%	757Hz
45%	852Hz
50%	939Hz
55%	1.060kHz
60%	1.108kHz
65%	1.173kHz
70%	1.295kHz
75%	1.448kHz
80%	1.460kHz
85%	1.510kHz
90%	1.611kHz

80%	1.460kHz
85%	1.510kHz
90%	1.611kHz
95%	1.642kHz
99%	1.712kHz

B2

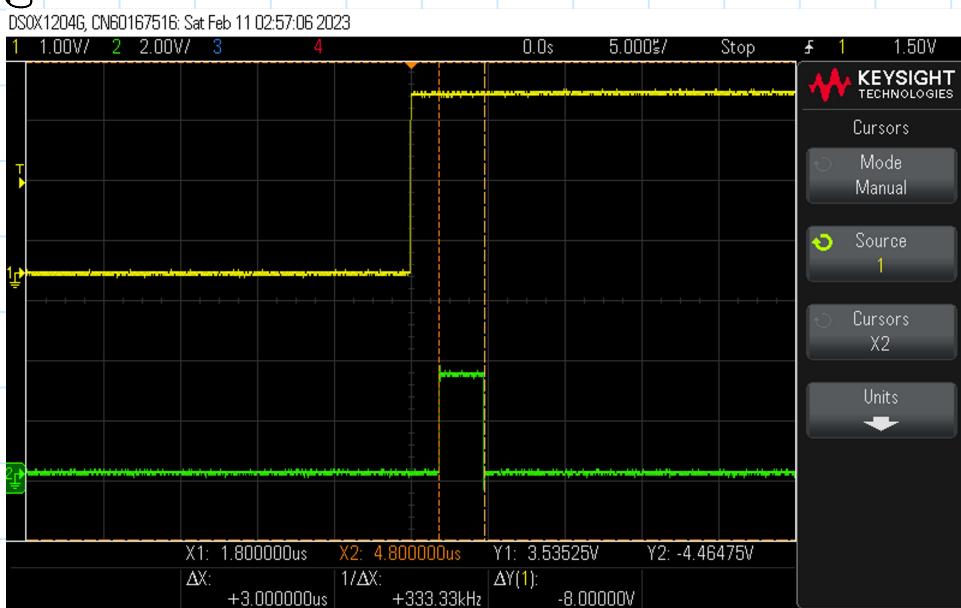
The four columns means the n numbers of times the column
and the second and fourth is period

B4

Frequency	Period1	Period2
10Hz	10994	20303
20Hz	10994	10151
50Hz	10994	43382
100Hz	10994	54459
200Hz	10994	59998
500Hz	10994	23999
1000Hz	10994	12000
2000Hz	10994	6000
5000Hz	10994	2400
10kHz	10994	1200
20kHz	10994	600

The pattern is that the period1 stays
the same while after 200Hz the period
cuts in half before the period changes

B5



Part B5

Takes 3us

Takes 1us after the rise

c2

It slightly runs to the right. When it runs 10 ft it is off by 1 ft to the right

$$1 \text{ fpm} = 1828.2 \text{ cm per minute}$$

$$6182 \text{ cm per minute} = 3.38 \text{ ft per second}$$

$$\frac{1828.2 (180)}{6182 \text{ cm}} = x$$

$$x = 53.23$$

$$53.23$$

$$54 (131) = 7074 \text{ rpm}$$

$$7074 \text{ rpm} \left(\frac{1 \text{ min}}{60 \text{ sec}} \right) (3)$$

$$353.7 \text{ Hz}$$

$$\frac{362 \text{ Hz}}{20.1} = \frac{353.7 \text{ Hz}}{x}$$

$$x = 19.54 \text{ Hz}$$