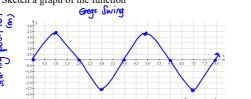
Unit 5, Lesson 5: Solving Problems with Sinusoidal Functions

Many periodic situations can be modeled by a sinusoidal function. If this is the case, then developing an equation for that function can help make predictions.

Ex 1) Greg is swinging on a swing at a steady rate. He swings forward a distance of 2.5 meters and back a distance of 2.5 meters from the original resting position during each swing. At t = 0, he is at resting position and then swings forward. He is able to complete 15 swings forward and back in 1 minute.

a) Sketch a graph of the function



b) Determine the equation of the sinusoidal function which describes Greg's distance (in meters) to the resting position at each time, t (in seconds).

$$a=2.5$$
 $k=90$ $k=90$ $y=2.5 \sin 90 \times 0 = 0$ $y=2.5 \sin 90 \times 0 = 0$

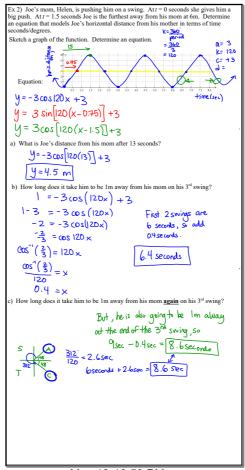
c) What is Greg's distance from the starting point at 12.5s?

$$y = 2.5 \sin[90(12.5)]$$

 $y = 1.77 m$

d) At what time(s) will Greg be the farthest away from his resting position?

May 11-2:13 PM



May 13-10:53 PM

HW U4L5:

1. p.398 #1, 3, 4, 6, 8, $9_{\text{hard!}}$

1d) d=0.5sin(180t) + 1.5, 9a) -30cos(1.43x) + 40