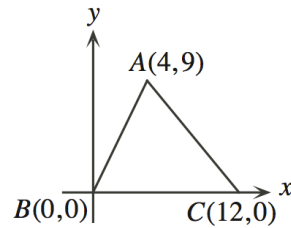


## Section 3.4 – Communicate with Algebra

MPM1D

### Brain Teaser:

In the diagram, what is the area of the triangle?



### Part 1: Do It Now

A hockey team gets 2 points for a win, 1 point for a tie, and 0 points for a loss.

a) Write an equation for determining the amount of points a team has.

b) If the Penguins win 54 games, tie 8, and lose 20; how many points will they get?

### Part 2: Terms

**Term:** an expression formed by the **product** of \_\_\_\_\_ and or \_\_\_\_\_.

**Example of a term:**

$$4x^2$$

The number in front of the variable is called the \_\_\_\_\_.

Identify the coefficient and the variable for the expression  $4x^2$ :

Coefficient: \_\_\_\_\_

Variable: \_\_\_\_\_

## Practice with Terms

Identify the coefficient and the variable of each term:

- a) Jim earns \$7 per hour at his part-time job. If he works for  $x$  hours, his earnings, in dollars, are  $7x$ .  
b) The depth, in meters, of a falling stone in a well after  $t$  seconds is  $-4.9t^2$   
c) The area of a triangle with base  $b$  and height  $h$  is  $\frac{1}{2}bh$   
d) The area of a square with side length  $k$  is  $k^2$

Expression	Coefficient	Variable	Comments
			The negative sign is included with the coefficient
			The variable can consist of more than one letter or symbol
			When the coefficient is not shown, it is 1.

## Part 3: Polynomials

**Polynomial:** an algebraic expression consisting of one or more terms connected by \_\_\_\_\_ or \_\_\_\_\_ operators.

**Example of a polynomial:**

$$3x^2 + 2x$$

**A polynomial can be classified by the number of terms it has:**

A \_\_\_\_\_ is a polynomial with only **one term**.

A \_\_\_\_\_ is a polynomial with **two terms**.

A \_\_\_\_\_ is a polynomial with **three terms**.

A \_\_\_\_\_ is a polynomial with **four terms**.

Classify each polynomial by the number of terms it has:

Polynomial	Number of Terms	Type of Polynomial
$3x^2 + 2x$		
$-2m$		
$4x^2 - 3xy + y^2$		
$a - 2b + c - 3$		

**Hint:** You can find the number of terms by looking for the addition and subtraction operators that separate the terms.

#### **Part 4: Degree of a Term**

**Degree of a term:** the sum of the \_\_\_\_\_ on the variables in a term.

**Example of determining the degree of a term:**

**Term:**  $5x^2y^3$

**Sum of exponents on variables:**

**Degree of term:**

Find the degree of each term by adding the exponents of the variables:

Term	Sum of Exponents	Degree of Term
$x^2$		
$3y^4$		
$0.7uv$		
$-2a^2b$		
$-5$		

**Note:**

- a variable that appears to have no exponent actually has an exponent of \_\_\_\_
- a constant has a degree of \_\_\_\_

### **Part 5: Degree of a Polynomial**

The ***degree of a polynomial*** is equal to the degree of the \_\_\_\_\_ in the polynomial.

**Example:**

**Polynomial:**  $3x^2y^4 + 11x^2y^2 + y^5$

**Highest degree term:**

**Degree of highest-degree term:**

**Degree of polynomial:**

Find the degree of each polynomial:

Polynomial	Term with Highest Degree	Degree of Term with Highest Degree	Degree of Polynomial
$x + 3$			
$5x^2 - 2x$			
$3y^3 + 0.2y - 1$			
$7x^2y^4 + x^6y$			

### **Part 6: Apply Our Knowledge**

Mr. Jensen works part time as a golf instructor. He earns \$125 for the season, plus \$20 for each children's lesson and \$30 for each adult lesson that he gives.

**a)** Write an expression that describes Mr. Jensen's total earnings for the season. Identify the variables and what they stand for.

**b)** If Mr. Jensen gave **8 children's** lessons and **6 adult lessons**, what were his total earnings?

## Review of Terms

\_\_\_\_\_ : an expression formed by the product of numbers and/or variables

\_\_\_\_\_ : an algebraic expression consisting of one or more terms connected by addition or subtraction signs.

\_\_\_\_\_ : the sum of the exponents on the variables in a term

\_\_\_\_\_ : equal to the degree of the highest-degree term in a polynomial