

W3 – 1.3 – Factored Form Polynomial Functions

MHF4U

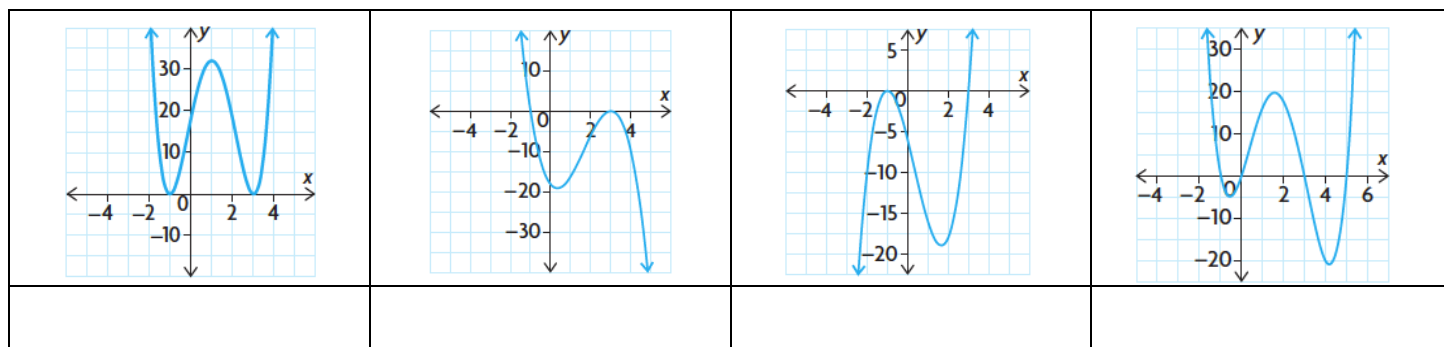
1) Match each equation with the most suitable graph. Write the letter of the equation beneath the matching graph.

A) $f(x) = 2(x + 1)^2(x - 3)$

B) $f(x) = (x + 1)^2(x - 3)^2$

C) $f(x) = -2(x + 1)(x - 3)^2$

D) $f(x) = x(x + 1)(x - 3)(x - 5)$

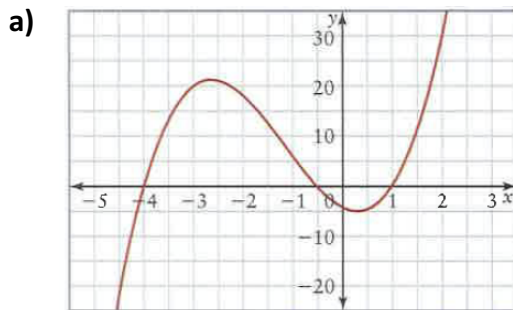


2) Complete the table

Equation	Degree	Leading Coefficient	End Behaviour	x-intercepts
$f(x) = (x - 4)(x + 3)(2x - 1)$				
$g(x) = -2(x + 2)(x - 2)(1 + x)(x - 1)$				
$h(x) = (3x + 2)^2(x - 4)(x + 1)(2x - 3)$				
$p(x) = -(x + 5)^3(x - 5)^3$				

3) For each graph, state...

- i) the least possible degree and the sign of the leading coefficient
- ii) the x -intercepts (specify order of zero) and the factors of the function
- iii) the intervals where the function is positive/negative

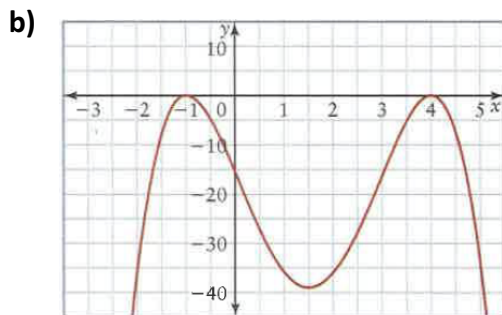


i) degree:
leading coefficient:

ii) x -intercepts:
factors:

iii)

Interval				
Sign				

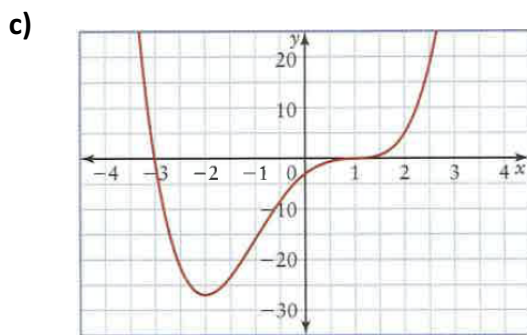


i) degree:
leading coefficient:

ii) x -intercepts:
factors:

iii)

Interval			
Sign			

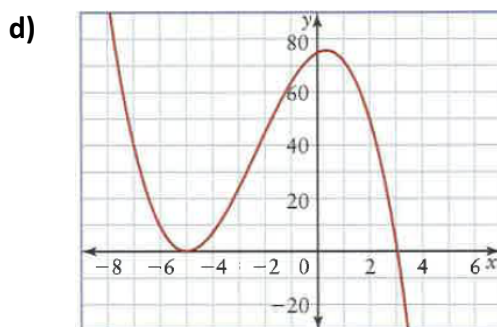


i) degree:
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i) degree:
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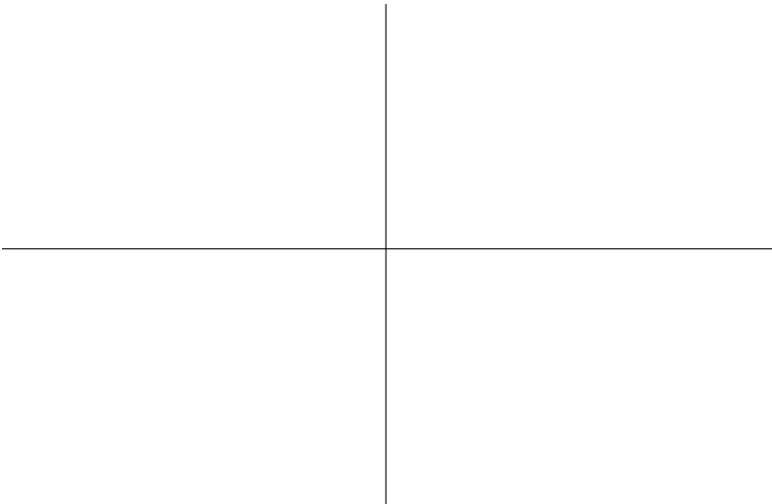
iii)

Interval			
Sign			

4) For each function, complete the chart and sketch a possible graph of the function labelling key points.

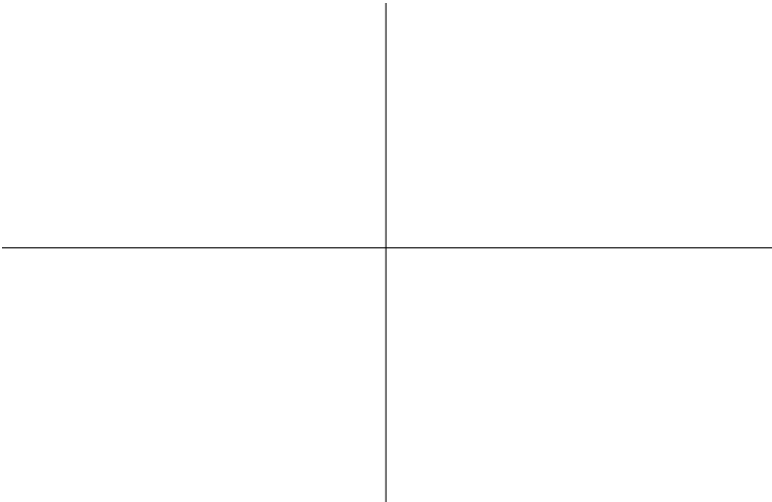
a) $f(x) = -2(x - 3)(x + 2)(4x - 3)$

Degree	Leading Coefficient	End Behaviour	x -intercepts	y -intercept



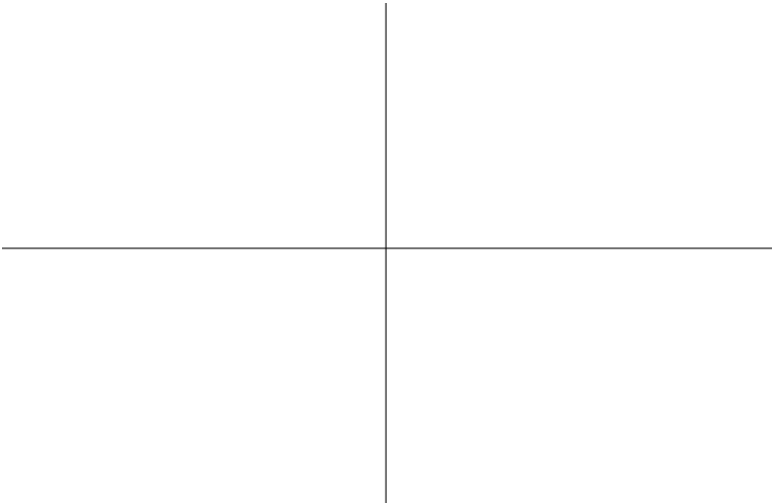
b) $g(x) = (x - 1)(x + 3)(1 + x)(3x - 9)$

Degree	Leading Coefficient	End Behaviour	x -intercepts	y -intercept



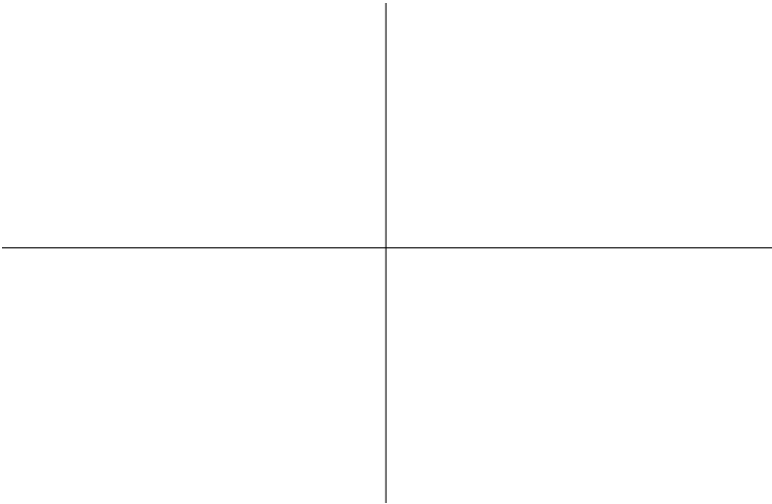
c) $h(x) = -(x + 4)^2(x - 1)^2(x + 2)(2x - 3)$

Degree	Leading Coefficient	End Behaviour	x -intercepts	y -intercept



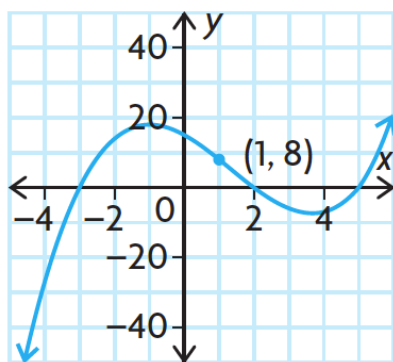
d) $p(x) = 3(x + 6)(x - 5)^2(3x - 2)^3$

Degree	Leading Coefficient	End Behaviour	x -intercepts	y -intercept

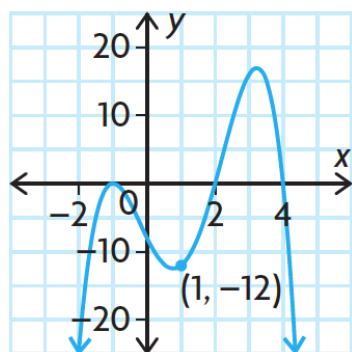


5) Write the equation of each function

a)



b)



6) Determine an equation for a quintic function with zeros -1 (order 3) and 3 (order 2) that passes through the point $(-2, 50)$

7) Determine the zeros of $f(x) = (2x^2 - x - 1)(x^2 - 3x - 4)$