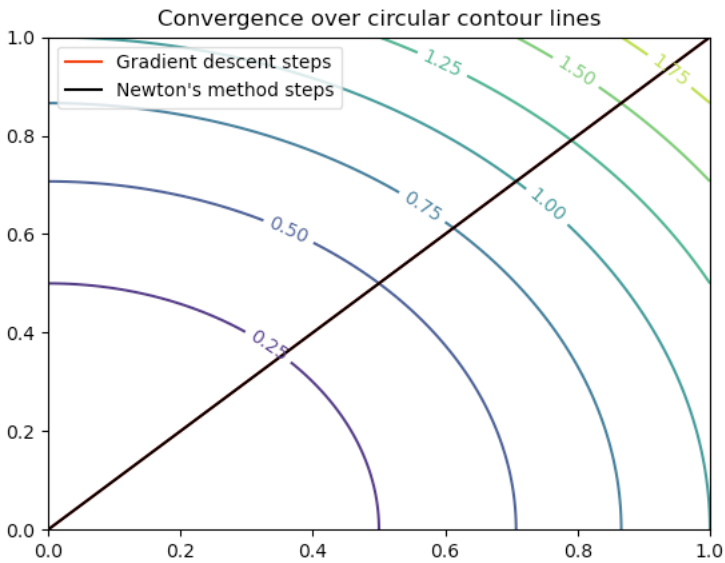


Numerical optimization with Python – programming assignment 1  
Roni Ben Dom 207576463

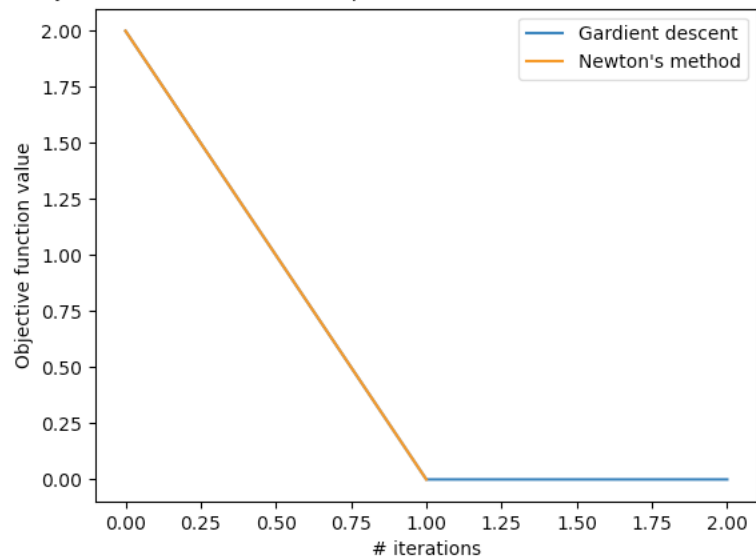
Quadratic function 1 - Circle contour lines:

point of convergence - newton: [0. 0.], value: 0.0, success: True

point of convergence - GD: [0. 0.], value: 0.0, success: True



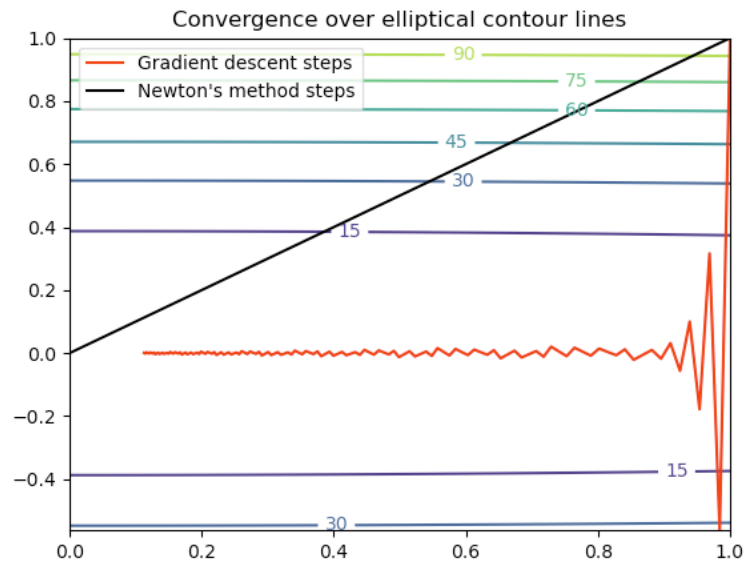
Objective function values of quadratic function 1 - Circular contour lines



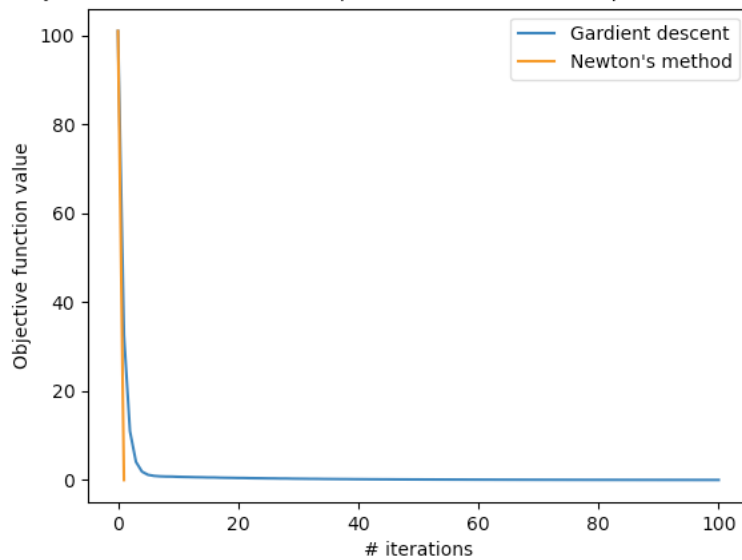
## Quadratic function 2 – Elliptical contour lines:

point of convergence - newton: [0. 0.], value: 0.0, success: True

point of convergence - GD: [0.11271997 0.0008856 ], value: 0.012784220095399295, success: False



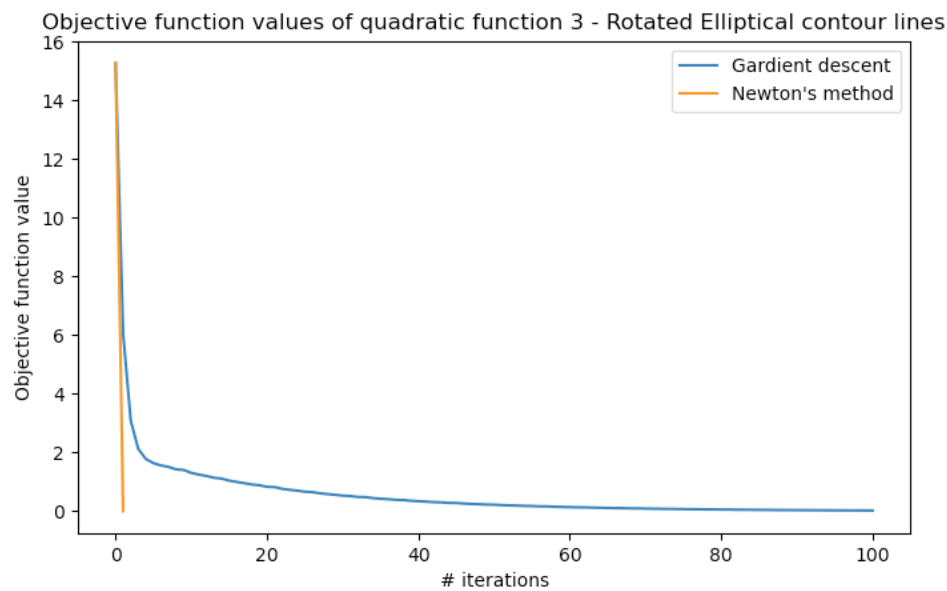
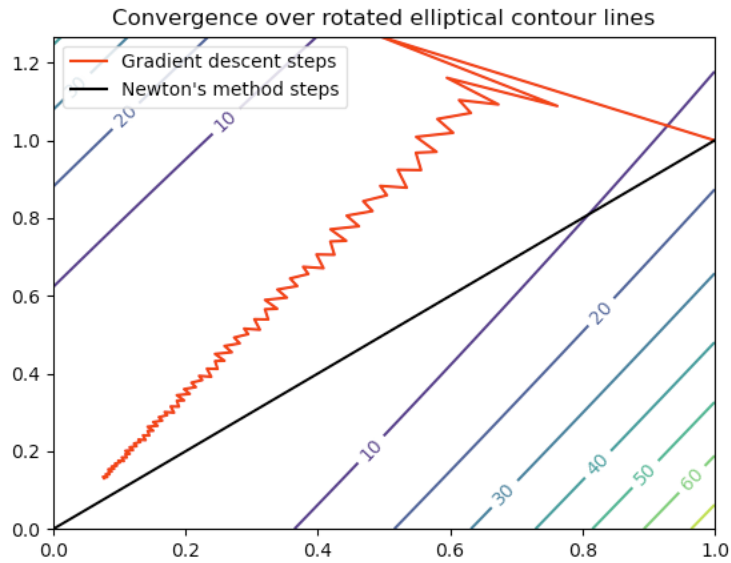
Objective function values of quadratic function 2 - Elliptical contour lines



### Quadratic function 3 – Rotated elliptical contours:

point of convergence - newton:  $[-6.66133815e-16 \ -8.88178420e-16]$ , value:  
 $2.9785327031956913e-30$ , success: True

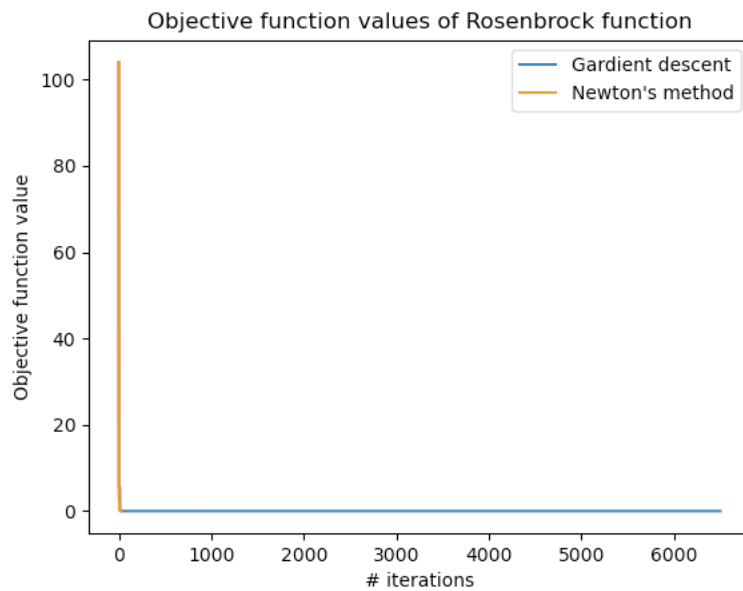
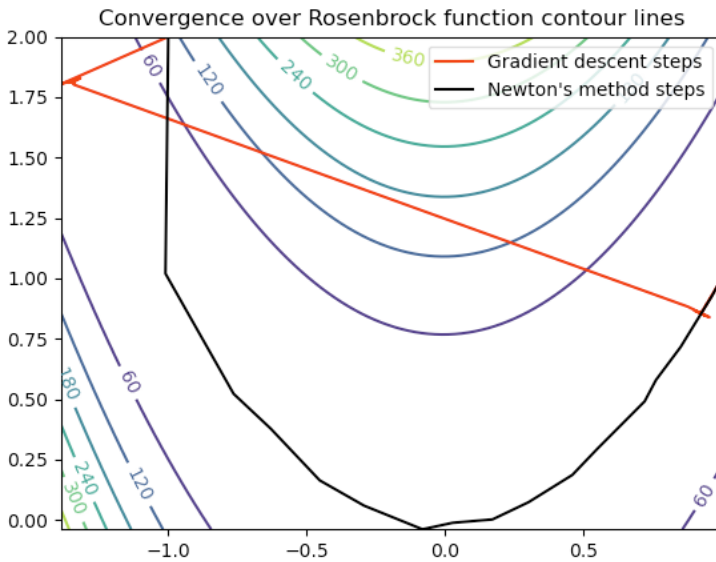
point of convergence - GD:  $[0.07682763 \ 0.13062022]$ , value: 0.02311258419270041, success:  
False



Rosenbrock function:

point of convergence - newton: [0.99999999 0.99999998], value: 2.7300933598972337e-16,  
success: True

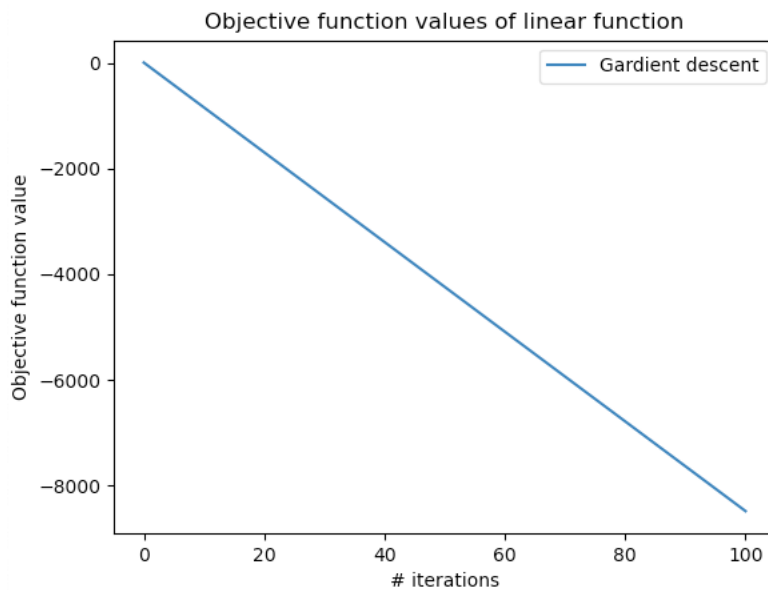
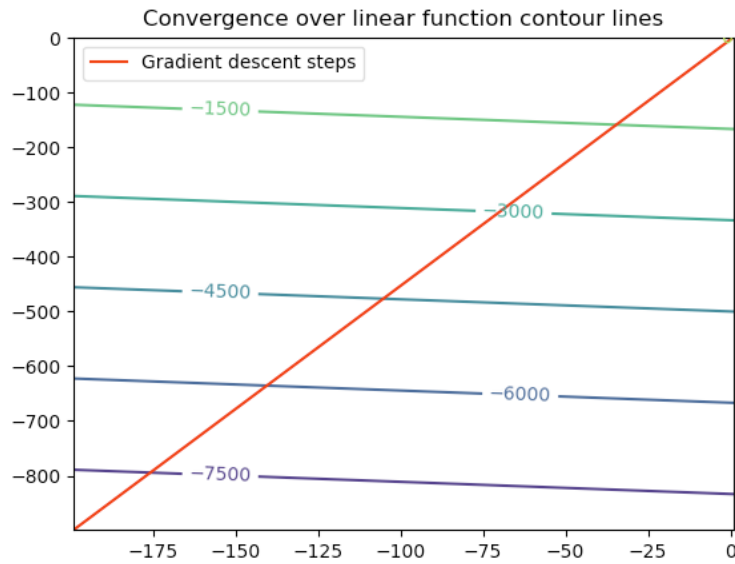
point of convergence - GD: [0.99970701 0.99941465], value: 8.587653457911118e-08, success:  
True



Linear function:

point of convergence - GD: [-199 -899], value: -8489, success: False

This function cannot converge since its strictly monotonic,  
Moreover, Newton's method is invalid here since the Hessian is 0.



Smoothed corner triangles function:

point of convergence - newton:  $[-3.46573016e-01 \ -3.46939879e-18]$ , value: 2.5592666966586375, success: True

point of convergence - GD:  $[-3.46571692e-01 \ -2.84037017e-06]$ , value: 2.559266696709286, success: True

