



## Homework-4

- For the aircraft assigned to you and use the corresponding aircraft data, provided drawings. Extract the relevant geometric parameters and provide estimates for all the longitudinal coefficients. **Make sure to have all the necessary parameters required to compute the following parameters. Submit the homework as a MATLAB CODE. Display only the required parameters.**

### Vertical Parameters

- $c_{TV} =$
- $c_{RV} =$
- $b_V =$
- $b_{2V} = 2 \times b_V$
- $\Lambda_{LEV} =$
- $\lambda_V = \frac{c_{TV}}{c_{RV}} =$
- $S_V = \frac{b_V}{2} c_R (1 + \lambda_V) =$
- $S_{2V} = \frac{b_{2V}}{2} c_R (1 + \lambda_V) =$
- $AR_V = \frac{b_{2V}^2}{S_{2V}} =$
- $\bar{c}_V = \frac{2}{3} c_{RV} \frac{1 + \lambda_V + \lambda_V^2}{1 + \lambda_V} =$
- $x_{MAC_V} = \frac{b_{2V}}{6} \frac{(1 + 2\lambda_V)}{(1 + \lambda_V)} \tan(\Lambda_{LEV}) =$
- $y_{MAC_V} = \frac{b_{2V}}{6} \frac{(1 + 2\lambda_V)}{(1 + \lambda_V)} =$
- $\tan(\Lambda_x) = \tan(\Lambda_{LEV}) - \frac{4x(1 - \lambda_V)}{AR_V(1 + \lambda_V)}$ 
  - $\Lambda_{0.5V} =$
  - $\Lambda_{0.25V} =$
- Using  $\lambda, AR, \Lambda_{\frac{\epsilon}{2}}$  From Fig 4.39  $\Rightarrow \left( \frac{c_{l\beta}}{c_{L1}} \right)_{\Lambda_{\epsilon/2}} =$
- Using  $\lambda, AR$  From Fig 4.42  $\Rightarrow \left( \frac{c_{l\beta}}{c_{L1}} \right)_{AR} =$
- $\Gamma_W =$

### Horizontal Tail Parameters

- $r_1 =$
- $Z_H =$
- $\frac{b_V}{2 * r_1} =$
- From Fig. 4.15  $\Rightarrow c_1 =$
- $\frac{-Z_H}{b_V} =$
- $x_{ACH \rightarrow V} = x_{MAC} + (0.25 \times \bar{c}_H)$
- $\frac{x_{ACH \rightarrow V}}{\bar{c}_V} =$
- From Fig. 4.16  $\Rightarrow c_2 =$
- $\frac{S_H}{.5 * S_{2V}} =$
- From Fig. 4.18  $\Rightarrow K_{HV} =$
- $A_{RV_{eff}} = c_1 \times AR_V \times (1 + K_{HV} * (c_2 - 1)) =$
- $k_V =$
- $c_{L_{\alpha_V | Mach}} =$
- $mach \times \cos(\Lambda_{0.5}) =$
- $\frac{AR}{\cos(\Lambda_{0.5})} =$
- From Fig. 4.40  $\Rightarrow K_{M\Lambda} =$
- $A =$
- $\frac{A}{b} =$
- From Fig. 4.41  $\Rightarrow K_f =$



- Using  $\lambda, \Lambda_{0.5}$  From Fig 4.43  $\Rightarrow \left( \frac{c_{l\beta}}{\Gamma_W} \right) =$
- $mach \times \cos(\Lambda_{0.5}) =$
- $\frac{AR}{\cos(\Lambda_{0.5})} =$
- From Fig. 4.44  $\Rightarrow K_{M_\Gamma} =$
- Fuselage Average Height =
- Fuselage Average Width =
- $S_{f_{AVG}} = \pi \times \frac{FuselageAverageHeight}{2} \times \frac{FuselageAverageWidth}{2} =$
- $d = \sqrt{\frac{S_{f_{AVG}}}{0.7854}} =$
- $\left( \frac{\Delta c_{l\beta}}{\Gamma_W} \right) = -0.005 \times AR \times \frac{d^2}{b^2} =$
- $Z_W =$
- $\left( \Delta c_{l\beta} \right)_{Z_W} = \frac{1.2 \times \sqrt{AR}}{57.3} \times \frac{Z_w}{b} \times \frac{2d}{b} =$
- $\varepsilon_W = 2^\circ \text{ deg}$
- Using  $\Lambda, AR$  From Fig 4.46  $\Rightarrow \left( \frac{\Delta c_{l\beta}}{\varepsilon_W \tan \Lambda_{c/4}} \right) =$
- Using  $\frac{b_V}{2r_1}$ , From Fig 13  $\Rightarrow k_{Y_V} =$
- $\eta_V \cdot \left( 1 + \frac{d\sigma}{d\beta} \right) = 0.724 + 3.06 \frac{S_V/S}{1 + \cos(\Lambda_{c/4})} + 0.4 \frac{Z_W}{d} + 0.009 \cdot AR =$
- $X_V =$
- $Z_V =$
- $\alpha_1 =$
- $d =$
- $S_{P \rightarrow V} =$
- Using  $\frac{Z_W}{d/2}$  and Fig. 4.8 to get  $K_{int} =$
- $\eta_V =$
- $y_{R_I} = \quad \Rightarrow \eta_I = \quad \Rightarrow K_{R_I} =$
- $y_{R_F} = \quad \Rightarrow \eta_F = \quad \Rightarrow K_{R_F} =$
- $\Delta K_R =$
- $\frac{\bar{c}_{Rudder}}{\bar{c}_{Vert.Tail}} = \quad$ , using Fig. 4.26  $\tau_R =$
- $X_R =$
- $Z_R =$



- $y_{A_I} = \quad \Rightarrow \eta_I = \quad \Rightarrow RME_I =$
- $y_{A_O} = \quad \Rightarrow \eta_O = \quad \Rightarrow RME_O =$
- $\Delta RME =$
- $\beta = \beta_H = \sqrt{1 - mach^2} =$
- $\Lambda_\beta =$
- $k_A = \frac{(c_{l_\alpha})_{WingSection}|_{Mach} \cdot \beta}{2\pi} =$
- $\frac{\beta \cdot AR}{k} =$  , Using  $\Lambda_\beta, \frac{\beta \cdot AR}{k}, \lambda$  and Fig. 4.51
- $\frac{\bar{c}_{Aileron}}{\bar{c}_{Wingaileron}} =$  , using Fig. 4.55  $\tau_A =$
- $l_{CG} =$
- $l_B =$
- $S_{B_S} =$
- $Z_1 =$
- $Z_2 =$
- $Z_{max} =$
- $W_{max} =$
- $Re_{Fuselage} = \frac{V \times l_B}{v} =$
- Using Fig. 4.68  $K_N =$
- $K_{Re_l} =$
- Using Fig. 4.73,  $\Delta K_{n_A} = K_{n_0} - K_{n_I} =$
- $\frac{\beta \cdot AR}{k}, \Lambda_\beta, \lambda$  using Fig's. 4.80 & 4.81  $RDP =$
- $k_{A_H} = \frac{(c_{l_{\alpha_H}})_{WingSection}|_{Mach} \cdot \beta_H}{2\pi} =$
- $\Lambda_{\beta_H} =$
- $\frac{\beta_H \cdot AR_H}{k_{A_H}}, \Lambda_{\beta_H}, \lambda_H$  using Fig's. 4.80 & 4.81  $RDP_H =$
- $B = \sqrt{1 - Mach^2 \cos(\Lambda_{\frac{c}{4}})^2} =$
- $C = \frac{[AR + 4 \cos(\Lambda_{c/4})]}{[AR \cdot B + 4 \cos(\Lambda_{c/4})]} \cdot \left\{ \frac{AR \cdot B + \frac{1}{2} [AR \cdot B + 4 \cos(\Lambda_{c/4})] \cdot \tan^2(\Lambda_{c/4})}{AR + \frac{1}{2} [AR + 4 \cos(\Lambda_{c/4})] \cdot \tan^2(\Lambda_{c/4})} \right\} =$
- $\left( \frac{c_{np}}{c_{L1}} \right) \Big|_{\substack{Mach=0 \\ C_L=0}} = -\frac{1}{6} \cdot \frac{AR + 6(AR + \cos(\Lambda_{c/4})) \cdot \left[ (\bar{x}_{CG} - \bar{x}_{AC}) \frac{\tan(\Lambda_{c/4})}{AR} + \frac{\tan^2(\Lambda_{c/4})}{12} \right]}{(AR + \cos(\Lambda_{c/4}))} =$
- $\lambda, AR$  and using Fig. 4.83  $\frac{\Delta c_{np}}{\varepsilon_W} =$



$$\bullet D = \frac{1 + \frac{AR(1-B^2)}{2B[AR \cdot B + 2 \cos(\Lambda_c/4)]} + \frac{[AR \cdot B + 2 \cos(\Lambda_c/4)]}{[AR \cdot B + 4 \cos(\Lambda_c/4)]} \cdot \frac{\tan^2(\Lambda_c/4)}{8}}{1 + \frac{[AR + 2 \cos(\Lambda_c/4)]}{[AR + 4 \cos(\Lambda_c/4)]} \cdot \frac{\tan^2(\Lambda_c/4)}{8}} =$$

$$\bullet \lambda, AR, \Lambda_{\frac{c}{4}}, \text{ using Fig. 4.85, } \left( \frac{c_{lr}}{c_{L1}} \right) \Big|_{\substack{Mach=0 \\ C_L=0}} =$$

$$\bullet \lambda, AR \text{ and using Fig. 4.87, } \frac{\Delta c_{lr}}{\varepsilon_W} =$$

### Aerodynamic Parameters

$$\bullet C_{Y_\beta} =$$

$$\bullet C_{Y_{\delta_A}} =$$

$$\bullet C_{Y_{\delta_R}} =$$

$$\bullet C_{n_\beta} =$$

$$\bullet C_{n_{\delta_A}} =$$

$$\bullet C_{n_{\delta_R}} =$$

$$\bullet C_{l_\beta} =$$

$$\bullet C_{l_{\delta_A}} =$$

$$\bullet C_{l_{\delta_R}} =$$

$$\bullet C_{l_p} =$$

$$\bullet C_{Y_p} =$$

$$\bullet C_{n_p} =$$

$$\bullet C_{l_r} =$$

$$\bullet C_{Y_r} =$$

$$\bullet C_{n_r} =$$