3 Specific Charge Charge

0

(ii)

a Atomic Number = Z = No. of protons

(5) Mars Number = A = No. of protons

No. of protons = S(Z value d) atm

(in molecule = ≤ [(Z value of atom) (Total no. of atoms)]

(7) No. of elections = ≤[(Z value of atom)(Total no. of atoms)] in molecule

(8) No. of neutrons = $\leq [(A - Z) \text{ value of atom}) (\text{Total no. of atoms})]$ in molecule

(a) No. of protons = ≤ [(Z value of atom) (Total no. of atoms)]

(1) No. of elections = [No. of protons - (Total positive) + (Total Negative)]

No. g neutrons = $\xi[(A - Z)value of atom)$ (Total no. g atoms)]

(No. of x-particles) of (Thickness of Foil)

13 (No. 0) α -particles $\propto \frac{1}{(\text{Kinectic Energy})^2}$

(i) $\left(No.9\right) \propto -particles \propto \left(Atomic No(Z)\right)^2$ deflected

(15) (No. of x-particles) $\propto \frac{1}{\left[\sin(0)\right]^4}$

$$F_{c} = \frac{mv^{2}}{r}$$

(1)

 $\overline{23}$

(18)
$$KE = \frac{Ze^2K}{2\pi}$$

(19) $PE = -\frac{Ze^2K}{\hbar}$

(20) $TE = -\frac{Ze^2K}{2\pi}$

Distance of closest Approach
$$\Rightarrow R = \frac{4 Ze^2 K}{m_{\alpha} V_{\alpha}^2}$$

Radius of nucleus =
$$\left[1.33 \times A^{k_3}\right] \times 10^{-13} \text{ cm}$$

1ev= 1.6 x 10-19J

31

32)

(34)
$$L = mvr = \frac{nh}{2\pi} = nh$$

(34)
$$L = mvr = \frac{nh}{2\pi} = n\pi$$

(35) $r = n^2 h^2$

$$L = N^2 h^2$$

$$2\pi$$

$$L = \frac{n^2 h^2}{n^2 h^2}$$

40 Separation Energy
$$SE_{nm} = -E_{(n+1)^m}$$

40 Excitation Energy $EE_{nm} = E_{(n+1)^m} - E_{n+1}$

(42) Rydbugh Equation $\Rightarrow \frac{1}{\Lambda} = R_H Z^2 \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$

(38)
$$n^{th}$$
 Excited State = $(n+1)^{th}$ Orbit Number
(39) Ionization Energy $TE=13.6.7^2$ eV

$$\frac{37}{n^2 h^2} TE = -\frac{2m\pi^2 Z^2 e^4 K^2}{n^2 h^2} TE = -13.6 \times \frac{Z^2}{N^2} eV TE = E_{H(1^{4+})} \frac{Z^2}{n^2}$$

RH= 109677 cm-1

M1= Chota Orbit

nz= Bada Orbit

= 10967700m-1

$$\frac{36}{nh} V = \frac{2\pi Ze^2 K}{nh} V = 2.18 \times 10^6 \times \frac{Z}{n} m/s V = V_{H(10^4)} \times \frac{Z}{n}$$

$$(32) T = 2m\pi^2 Z^2 a^4 K^2$$