

Collision Detection and Resolution



Collision Resolution: Examples

- Two billiard balls strike
 - Calculate ball positions at time of impact
 - Impart new velocities on balls
 - Play “clinking” sound effect
- Rocket slams into wall
 - Rocket disappears
 - Explosion spawned and explosion sound effect
 - Wall charred and area damage inflicted on nearby characters
- Character walks through wall
 - Magical sound effect triggered
 - No trajectories or velocities affected



Collision Resolution: Parts

- Resolution has three parts
 1. Prologue
 2. Collision
 3. Epilogue



Collision Resolution: Prologue

- Collision known to have occurred
- Check if collision should be ignored
- Other events might be triggered
 - Sound effects
 - Send collision notification messages



Collision Resolution: Collision

- Place objects at point of impact
- Assign new velocities
 - Using physics or
 - Using some other decision logic



Collision Resolution: Epilogue

- Propagate post-collision effects
- Possible effects
 - Destroy one or both objects
 - Play sound effect
 - Inflict damage
- Many effects can be done either in the prologue or epilogue



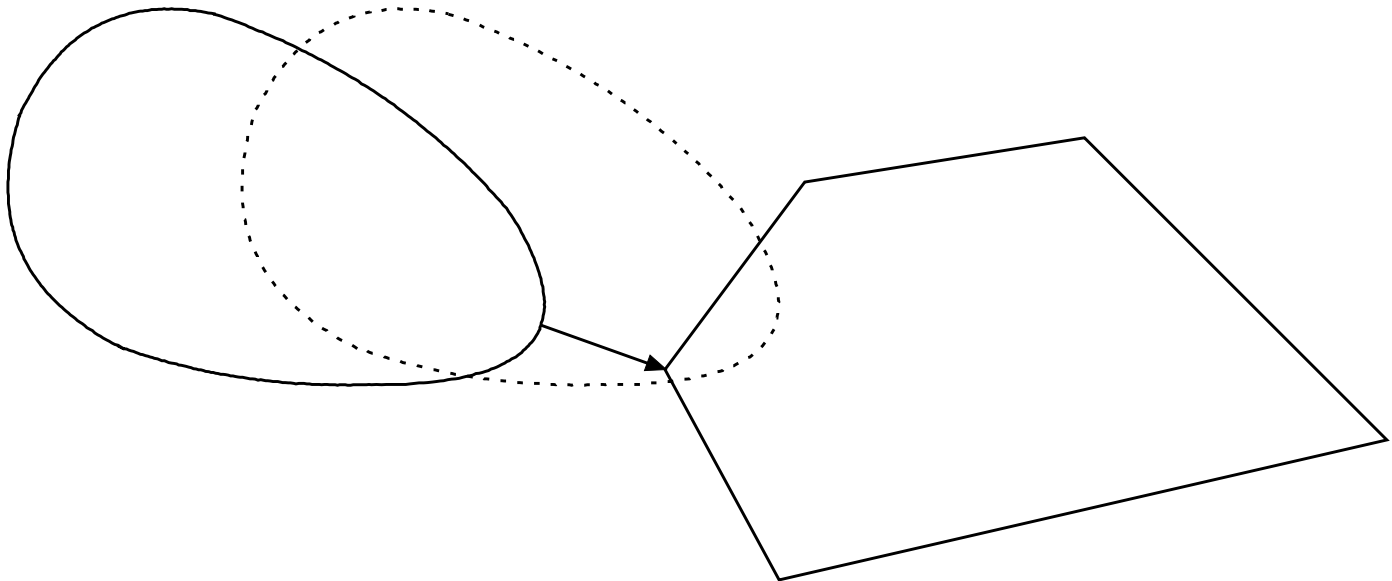
Collision Resolution: Resolving Overlap Testing

1. Extract collision normal
2. Extract penetration depth
3. Move the two objects apart
4. Compute new velocities



Collision Resolution: Extract Collision Normal

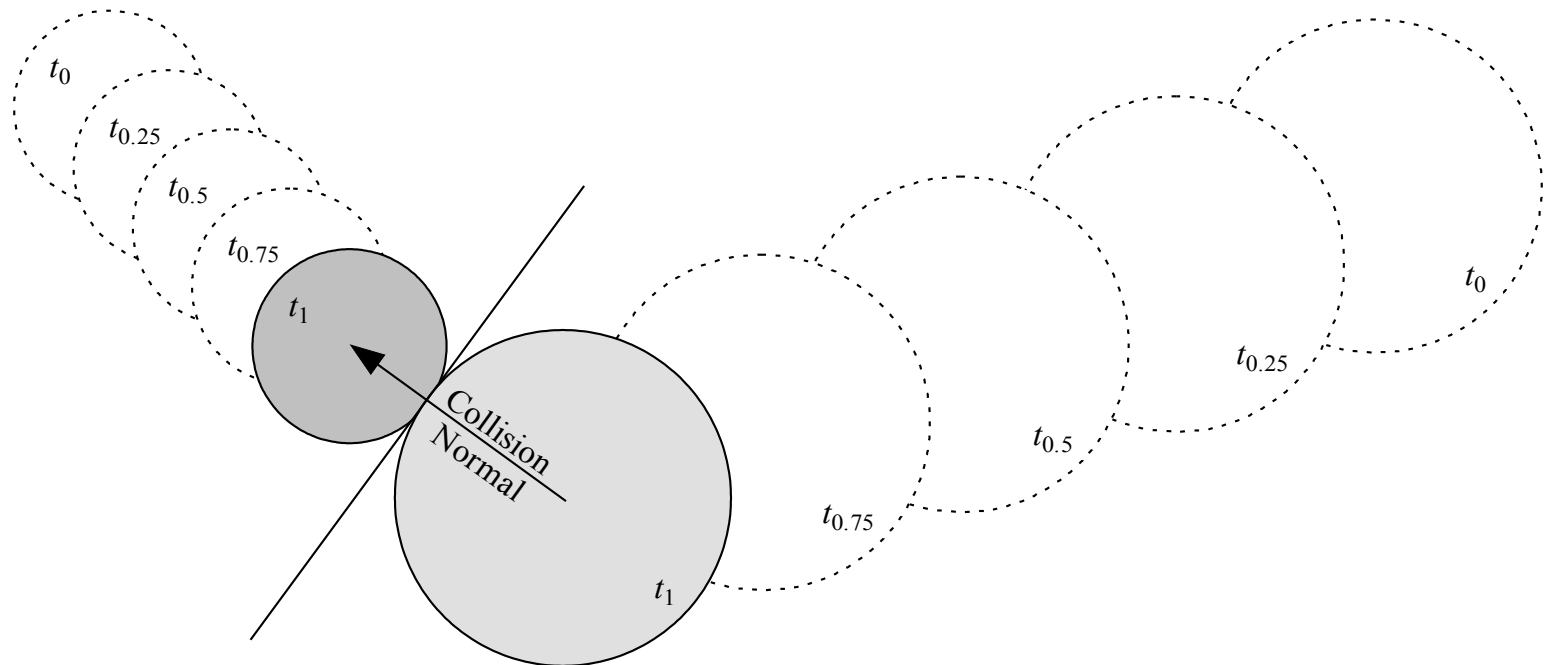
- Find position of objects before impact
- Use two closest points to construct the collision normal vector





Collision Resolution: Extract Collision Normal

- Sphere collision normal vector
 - Difference between centers at point of collision





Collision Resolution: Resolving Intersection Testing

- Simpler than resolving overlap testing
 - No need to find penetration depth or move objects apart
- Simply
 1. Extract collision normal
 2. Compute new velocities



Collision Response

- Newtonian Equation of Motion

$$F(t) = m \frac{d}{dt} V(t)$$

- Linear Impulse-momentum Equation

$$m_1 V_{1\text{after}} = m_1 V_{1\text{before}} + \lambda$$

- Newton's Third Law of Motion

- "for every action there is an equal but opposite reaction"

$$m_2 V_{2\text{after}} = m_2 V_{2\text{before}} - \lambda$$



Frictionless Collision Response

- No friction $\vec{\lambda} = \lambda \vec{n}$
- Coefficient of restitution: c

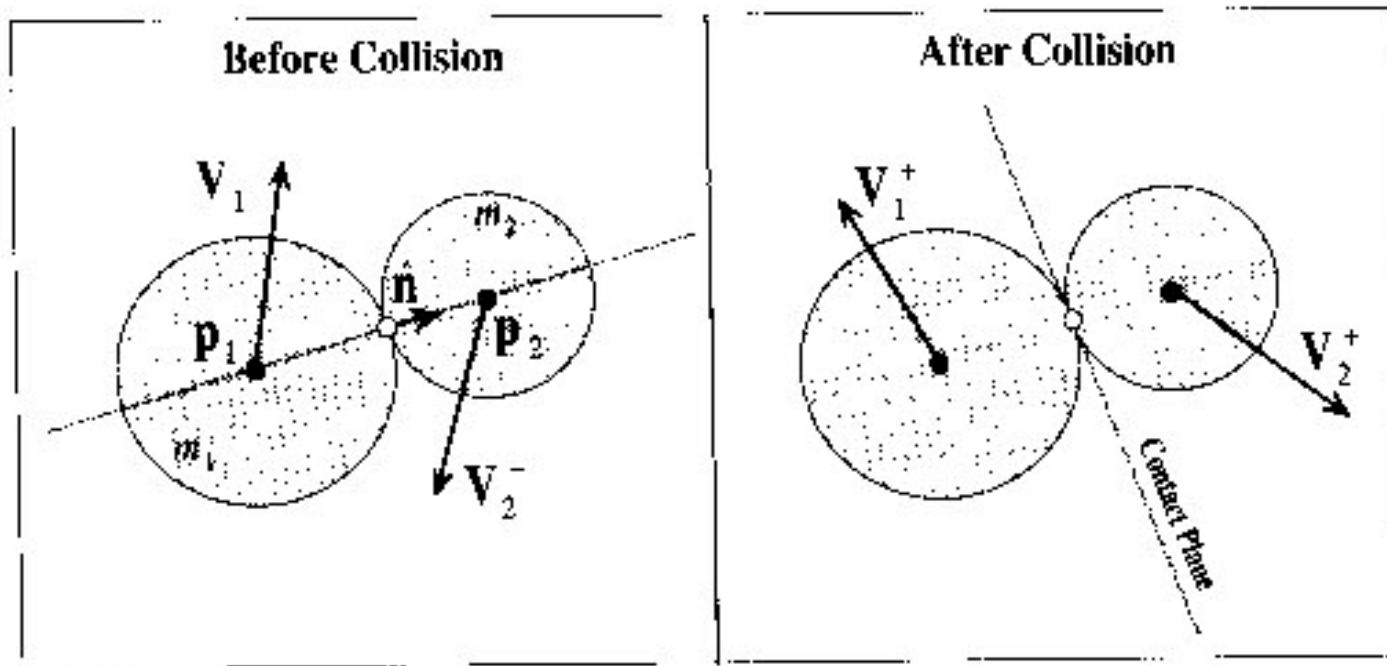
$$(V_{1after} - V_{2after}) \cdot \vec{n} = -c(V_{1before} - V_{2before}) \cdot \vec{n}$$

- Linear impulse resolution:

$$\vec{\lambda} = \frac{[m_1 m_2 (1 + c)(V_{1before} - V_{2before}) \cdot \vec{n}]}{(m_1 + m_2)} \vec{n}$$



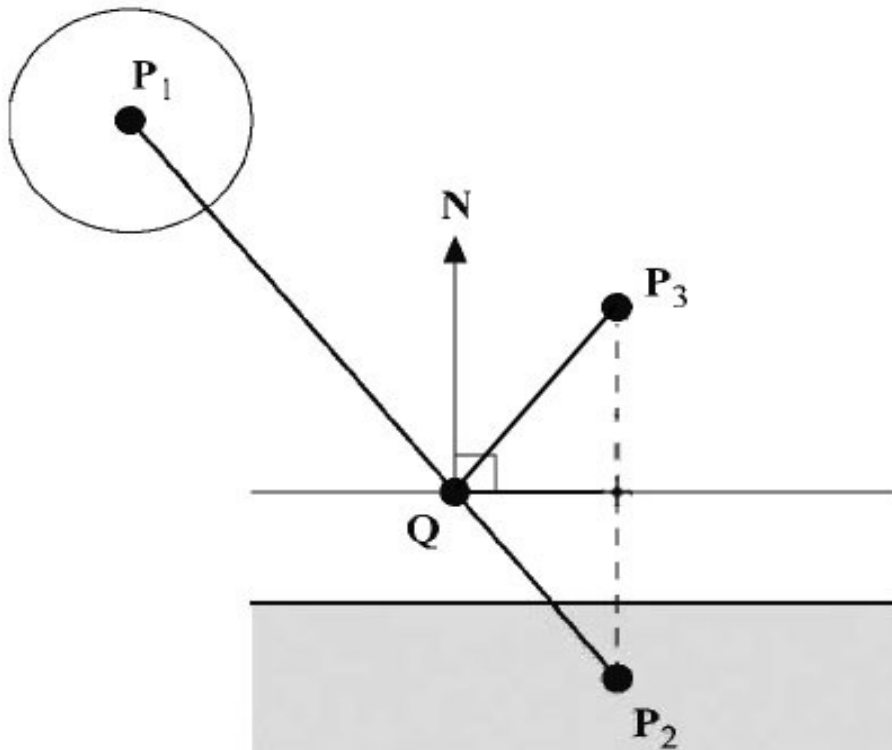
Frictionless Collision Response for sphere-sphere collision





Rebound

- In case of collision with environment (camera, hero, etc.) with rebound



$$P_3 = P_2 - 2 * (\overrightarrow{QP_2} \cdot \vec{N}) * \vec{N}$$

$$P_{init} = P_3$$

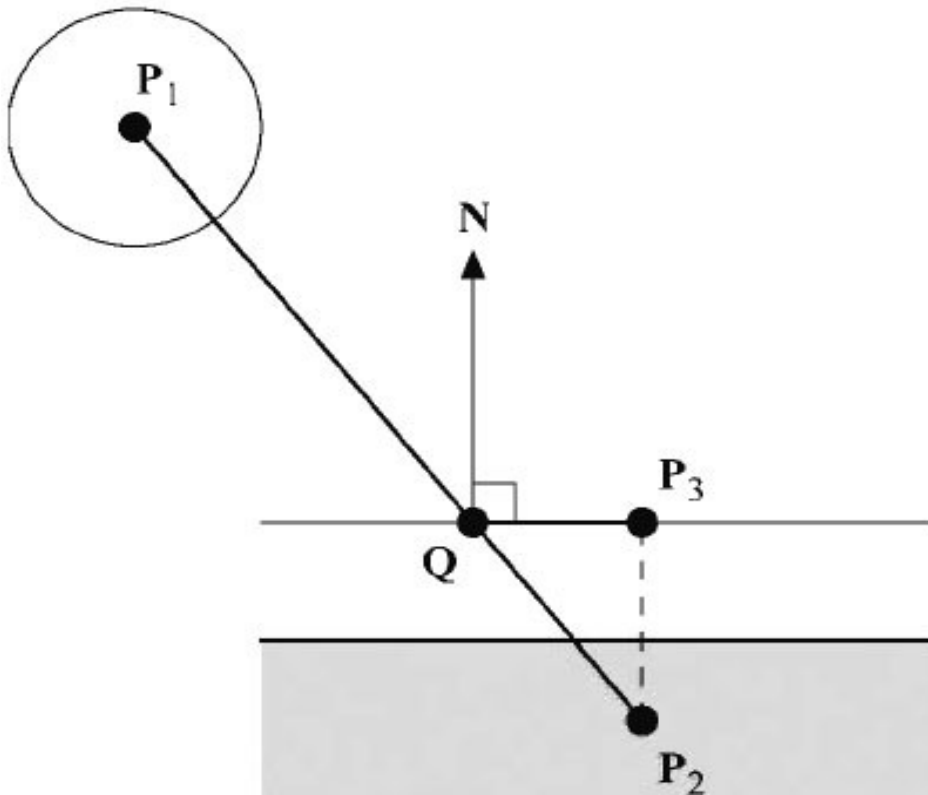
- $\vec{V}_{init} = c * |V_q| * \text{norm}(\overrightarrow{QP_3})$

c: rebound coef.



Sliding

- In case of collision with environment (camera, hero, etc.) without rebound



$$P_3 = P_2 - (\overrightarrow{QP_2} \cdot \vec{N}) * \vec{N}$$

$$P_{init} = P_3$$

$$\vec{V}_{init} = c * |V_q| * norm(\overrightarrow{QP_3})$$