```
Out[3]//BaseForm=
       15_{16}
 ln[7]:= N[1/(8+2/6)*60]
Out[7] = 7.2
       ď
        Solve [x = axx + byy + c, y = dxx + eyy + f]
y2 = dxx2 + eyy2 + f, x3 = axx3 + byy3 + c, y3 = dxx3 + eyy3 + f, {a, b, c, d, e, f}]]
Out[15]= \{ \{ a \rightarrow (x2 yy1 - x3 yy1 - x1 yy2 + x3 yy2 + x1 yy3 - x2 yy3) / (x2 yy1 - x3 yy1 - x1 yy2 + x3 yy2 + x1 yy3 - x2 yy3) \}
             (xx2 yy1 - xx3 yy1 - xx1 yy2 + xx3 yy2 + xx1 yy3 - xx2 yy3),
           c \rightarrow (x3 xx2 yy1 - x2 xx3 yy1 - x3 xx1 yy2 + x1 xx3 yy2 + x2 xx1 yy3 - x1 xx2 yy3) /
             (xx2 yy1 - xx3 yy1 - xx1 yy2 + xx3 yy2 + xx1 yy3 - xx2 yy3),
           b \rightarrow (x3 (-xx1 + xx2) + x2 (xx1 - xx3) + x1 (-xx2 + xx3)) /
             (xx3 (yy1 - yy2) + xx1 (yy2 - yy3) + xx2 (-yy1 + yy3)),
          d \rightarrow (y2 yy1 - y3 yy1 - y1 yy2 + y3 yy2 + y1 yy3 - y2 yy3) /
             (xx2 yy1 - xx3 yy1 - xx1 yy2 + xx3 yy2 + xx1 yy3 - xx2 yy3),
           e \rightarrow (xx2 y1 - xx3 y1 - xx1 y2 + xx3 y2 + xx1 y3 - xx2 y3) /
             (xx2 yy1 - xx3 yy1 - xx1 yy2 + xx3 yy2 + xx1 yy3 - xx2 yy3),
           f \, \rightarrow \, \left(\, xx3\; y2\; yy1 \, - \, xx2\; y3\; yy1 \, - \, xx3\; y1\; yy2 \, + \, xx1\; y3\; yy2 \, + \, xx2\; y1\; yy3 \, - \, xx1\; y2\; yy3\, \right) \, \, / \, \, \\
              (xx3 (yy1 - yy2) + xx1 (yy2 - yy3) + xx2 (-yy1 + yy3)))
\ln[24]:= reseni1 = FullSimplify [Solve [ {x1 == a xx1 + b yy1 + c, y1 == d xx1 + e yy1 + f,
             x2 = a xx2 + b yy2 + c, y2 = d xx2 + e yy2 + f, x3 = a xx3 + b yy3 + c, y3 = d xx3 + e yy3 + f,
             (x1 - x2) * (x3 - x2) + (y1 - y2) * (y3 - y2) = 0, (x2 - x3) * (x4 - x3) + (y2 - y3) * (y4 - y3) = 0,
             (x1-x4)*(x3-x4)+(y1-y4)*(y3-y4)=0, {a, b, c, d, e, f}]]
Out[24]= $Aborted
In[20]:= FullSimplify[(a xx4 + b yy4 + c) /. reseni /.
           \{x1 \rightarrow -1, y1 \rightarrow -1, x2 \rightarrow -1, y2 \rightarrow 1, x3 \rightarrow 1, y3 \rightarrow -1, x4 \rightarrow 1, y4 \rightarrow 1\}
 \text{Out}[20] = \left\{ \left( -(xx3 - 2xx4)(yy1 - yy2) - xx2(yy1 + yy3 - 2yy4) + xx1(yy2 + yy3 - 2yy4) \right) \right. \right\} 
           (xx3 (yy1 - yy2) + xx1 (yy2 - yy3) + xx2 (-yy1 + yy3))
ln[64]:= xx1 = 2; yy1 = 3; xx2 = -2; yy2 = 3; xx3 = 26; yy3 = 4; xx4 = 7; yy4 = -3;
ln[65] := \Delta x1 = xx2 - xx3; \Delta x2 = xx4 - xx3; \Delta x3 = xx1 - xx2 + xx3 - xx4;
       \Delta y1 = yy2 - yy3; \Delta y2 = yy4 - yy3; \Delta y3 = yy1 - yy2 + yy3 - yy4;
ln[117]:= a6 = (\Delta x2 \Delta y3 - \Delta x2 \Delta y3) / (\Delta x1 \Delta y2 - \Delta y1 \Delta x2);
        a7 = (\Delta x1 \Delta y3 - \Delta y1 \Delta x3) / (\Delta x1 \Delta y2 - \Delta y1 \Delta x2);
        a0 = xx2 - xx1 + a6 xx2;
        a1 = xx4 - xx1 + a7 xx4;
        a2 = xx1;
        a3 = yy2 - yy1 + a6 yy2;
        a4 = yy4 - yy1 + a7 yy4;
        a5 = yy1;
\ln[125] = \text{vec} = \text{Transpose}[\{\{a0, a3, a6\}, \{a1, a4, a7\}, \{a2, a5, 1\}\}].\{1, 1, 1\}
        vec = vec / vec[[3]]
Out[126]= \{-170, -3, 1\}
```

In[3]:= BaseForm [21, 16]

```
In[167]:= vec = Inverse [Transpose [ {{aa0, aa3, aa6}, {aa1, aa4, aa7}, {aa2, aa5, 1}}]].{7, -3, 1} /.
                                                     reseni1 /. \{xxx1 \rightarrow xx1, xxx2 \rightarrow xx2, xxx3 \rightarrow xx3, xxx4 \rightarrow xx4,
                                                     yyy1 \rightarrow yy1, yyy2 \rightarrow yy2, yyy3 \rightarrow yy3, yyy4 \rightarrow yy4
                                    vec =
                                         vec /
                                             vec[[3]]
Out[167]= \left\{-\frac{177}{4}, -\frac{177}{4}, -\frac{177}{4}\right\}
Out[168]= \{1, 1, 1\}
\ln[149] = \text{Transpose}[\{\{aa0, aa3, aa6\}, \{aa1, aa4, aa7\}, \{aa2, aa5, 1\}\}].\{0, 0, 1\} - \{xxx1, yyy1, 1\}\}
                                    \label{transpose} \verb| [{{aa0, aa3, aa6}, {aa1, aa4, aa7}, {aa2, aa5, 1}}].{1, 0, 1}/\\
                                                 (Transpose \ [\{\{aa0, aa3, aa6\}, \{aa1, aa4, aa7\}, \{aa2, aa5, 1\}\}]. \{1, 0, 1\}) \ [[3]] - \{xxx2, aa5, aa6\}, \{aa1, aa4, aa7\}, \{aa2, aa5, aa6\}, \{aa1, aa7\}, \{aa2, aa5, aa6\}, \{aa1, aa7\}, \{aa2, aa5, aa7\}, \{aa2, aa7\}, \{aa7, aa7\},
                                    Transpose [{{aa0, aa3, aa6}, {aa1, aa4, aa7}, {aa2, aa5, 1}}].{0, 1, 1}/
                                                 (Transpose[{{aa0, aa3, aa6}, {aa1, aa4, aa7}, {aa2, aa5, 1}}].{0, 1, 1})[[3]] - {xxx3,
                                    Transpose [\{\{aa0, aa3, aa6\}, \{aa1, aa4, aa7\}, \{aa2, aa5, 1\}\}].\{1, 1, 1\}
                                                 (Transpose [{{aa0, aa3, aa6}, {aa1, aa4, aa7}, {aa2, aa5, 1}}].{1, 1, 1})[[3]] - {xxx4,
                                               yyy4, 1}
Out[149]= \{aa2 - xxx1, aa5 - yyy1, 0\}
Out[150]= \left\{ \frac{aa0 + aa2}{1 + aa6} - xxx2, \frac{aa3 + aa5}{1 + aa6} - yyy2, 0 \right\}
\text{Out}[151] = \left\{ \frac{\text{aa1} + \text{aa2}}{1 + \text{aa7}} - \text{xxx3}, \ \frac{\text{aa4} + \text{aa5}}{1 + \text{aa7}} - \text{yyy3}, \ 0 \right\}
 \text{Out[152]= } \left\{ \frac{\text{aa0} + \text{aa1} + \text{aa2}}{1 + \text{aa6} + \text{aa7}} - \text{xxx4} \,, \,\, \frac{\text{aa3} + \text{aa4} + \text{aa5}}{1 + \text{aa6} + \text{aa7}} - \text{yyy4} \,, \,\, 0 \right\} 
In[158]:= reseni1 =
                                        FullSimplify \left[ \text{Solve} \left[ \left\{ \text{aa2 - xxx1 = 0, aa5 - yyy1 = 0,} \right. \right. \right. \right. \left. \frac{\text{aa0 + aa2}}{1 + \text{aa6}} - \text{xxx2 = 0,} \right. \left. \frac{\text{aa3 + aa5}}{1 + \text{aa6}} - \text{yyy2 = 0,} \right. \right]
                                                                   \frac{aa1 + aa2}{1 + aa7} - xxx3 = 0, \quad \frac{aa4 + aa5}{1 + aa7} - yyy3 = 0, \quad \frac{aa0 + aa1 + aa2}{1 + aa6 + aa7} - xxx4 = 0,
                                                                        1 + aa6 + aa7 - yyy4 == 0, {aa2, aa3, aa4, aa5, aa6, aa0, aa1, aa7}
Out[158] = \begin{cases} aa1 \rightarrow (xxx4 (xxx3 (-yyy1 + yyy2) + xxx1 (-yyy2 + yyy3)) + xxx1 (-yyy2 + yyy3) \end{cases}
                                                                     xxx2 (xxx3 (yyy1 - yyy4) + xxx1 (-yyy3 + yyy4))) /
                                                           (xxx4\ (yyy2-yyy3)+xxx2\ (yyy3-yyy4)+xxx3\ (-yyy2+yyy4)),
                                             \mathtt{aa3} \rightarrow (\mathtt{xxx4} \ (\mathtt{yyy1} - \mathtt{yyy2}) \ \mathtt{yyy3} + \mathtt{xxx1} \ \mathtt{yyy2} \ (\mathtt{yyy3} - \mathtt{yyy4}) + \mathtt{xxx3} \ (-\mathtt{yyy1} + \mathtt{yyy2}) \ \mathtt{yyy4} + \mathtt{xxx4} \ \mathtt{yyy2} + \mathtt{yyy4} + \mathtt{yyy2} + \mathtt{yyy4} + \mathtt{yyy2} + \mathtt{yyy4} + \mathtt{yyy2} + \mathtt{yyy4} + \mathtt{yy4} + \mathtt{yy4
                                                                    xxx2 yyy1 (-yyy3 + yyy4)) / (xxx4 (yyy2 - yyy3) + xxx2 (yyy3 - yyy4) + xxx3 (-yyy2 + yyy4)),
                                             \mathtt{aa4} \rightarrow (\mathtt{xxx4}\,\mathtt{yyy2}\,\,(\mathtt{-yyy1}\,+\,\mathtt{yyy3}\,)\,\,+\,\mathtt{xxx3}\,\mathtt{yyy1}\,\,(\mathtt{yyy2}\,-\,\mathtt{yyy4}\,)\,\,+\,\mathtt{xxx2}\,\,(\mathtt{yyy1}\,-\,\mathtt{yyy3})\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx2}\,\,(\mathtt{yyy1}\,-\,\mathtt{yyy3})\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy1}\,\,(\mathtt{yyy2}\,-\,\mathtt{yyy4})\,\,+\,\,\mathtt{xxx2}\,\,(\mathtt{yyy1}\,-\,\mathtt{yyy3})\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy1}\,\,(\mathtt{yyy2}\,-\,\mathtt{yyy4})\,\,+\,\,\mathtt{xxx2}\,\,(\mathtt{yyy1}\,-\,\mathtt{yyy3})\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy1}\,\,(\mathtt{yyy2}\,-\,\mathtt{yyy4})\,\,+\,\,\mathtt{xxx2}\,\,(\mathtt{yyy1}\,-\,\mathtt{yyy3})\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy1}\,\,(\mathtt{yyy2}\,-\,\mathtt{yyy4})\,\,+\,\,\mathtt{xxx2}\,\,(\mathtt{yyy1}\,-\,\mathtt{yyy3})\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{yyy4}\,\,+\,\,\mathtt{xxxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,\,\mathtt{xxx3}\,
                                                                    aa0 \rightarrow (xxx1 (xxx4 (-yyy2 + yyy3) + xxx3 (yyy2 - yyy4)) +
                                                                     xxx2 (xxx4 (yyy1 - yyy3) + xxx3 (-yyy1 + yyy4))) /
                                                           (xxx4 (yyy2 - yyy3) + xxx2 (yyy3 - yyy4) + xxx3 (-yyy2 + yyy4)),
                                             aa6 \rightarrow \frac{-(xxx3 - xxx4) (yyy1 - yyy2) + (xxx1 - xxx2) (yyy3 - yyy4)}{-(xxx1 - xxx2) (yyy3 - yyy4)}
                                                                               xxx4 (yyy2 - yyy3) + xxx2 (yyy3 - yyy4) + xxx3 (-yyy2 + yyy4)
                                                                                        (xxx2 - xxx4) (yyy1 - yyy3) - (xxx1 - xxx3) (yyy2 - yyy4)
                                                                              xxx4 (yyy2 - yyy3) + xxx2 (yyy3 - yyy4) + xxx3 (-yyy2 + yyy4)
                                              aa2 \rightarrow xxx1, aa5 \rightarrow yyy1
```

```
ln[179]:= For[i = 1, i \le 3, i++,
       For [j = 1, j \le 3, j++, Print[CForm[FullSimplify[Inverse[
               Transpose [{{aa0, aa3, aa6}, {aa1, aa4, aa7}, {aa2, aa5, 1}}]]][[i]]][[j]]], ";"]
       ]
      1
(aa4 - aa5 * aa7) /
  (-(aa1*aa3) + aa0*aa4 - aa2*aa4*aa6 + aa1*aa5*aa6 + aa2*aa3*aa7 - aa0*aa5*aa7);
  (aa1 * aa3 - aa0 * aa4 + aa2 * aa4 * aa6 - aa1 * aa5 * aa6 - aa2 * aa3 * aa7 + aa0 * aa5 * aa7);
(aa2 * aa4 - aa1 * aa5) /
  (aa1*aa3 - aa0*aa4 + aa2*aa4*aa6 - aa1*aa5*aa6 - aa2*aa3*aa7 + aa0*aa5*aa7);
(aa3 - aa5 * aa6) /
  (aa1 * aa3 - aa0 * aa4 + aa2 * aa4 * aa6 - aa1 * aa5 * aa6 - aa2 * aa3 * aa7 + aa0 * aa5 * aa7);
(aa0 - aa2 * aa6) /
  (-\,(aa1*aa3)\ +\ aa0*aa4\ -\ aa2*aa4*aa6\ +\ aa1*aa5*aa6\ +\ aa2*aa3*aa7\ -\ aa0*aa5*aa7);
(aa2 * aa3 - aa0 * aa5) /
  (-(aa1*aa3) + aa0*aa4 - aa2*aa4*aa6 + aa1*aa5*aa6 + aa2*aa3*aa7 - aa0*aa5*aa7);
(aa4 * aa6 - aa3 * aa7) /
  (aa1*aa3 - aa0*aa4 + aa2*aa4*aa6 - aa1*aa5*aa6 - aa2*aa3*aa7 + aa0*aa5*aa7);
(aa1 * aa6 - aa0 * aa7) /
  (-(aa1*aa3) + aa0*aa4 - aa2*aa4*aa6 + aa1*aa5*aa6 + aa2*aa3*aa7 - aa0*aa5*aa7);
(aa1 * aa3 - aa0 * aa4) /
  (aa1*aa3 - aa0*aa4 + aa2*aa4*aa6 - aa1*aa5*aa6 - aa2*aa3*aa7 + aa0*aa5*aa7);
```