

Leetcode problem no. 2289

Link- (<https://leetcode.com/problems/steps-to-make-array-non-decreasing/description/>)

Problem Description:

Given an integer array `arr` and an integer `k`, modify the array by repeating it `k` times.

For example, if `arr = [1, 2]` and `k = 3` then the modified array will be `[1, 2, 1, 2, 1, 2]`.

Return the maximum sub-array sum in the modified array. Note that the length of the sub-array can be 0 and its sum in that case is 0.

As the answer can be very large, return the answer **modulo** $10^9 + 7$.

Example 1:

Input: `arr = [1,2]`, `k = 3`

Output: 9

Intuition:

The intuition here is to find the maximum subarray sum in an array repeated `k` times: if `k = 1`, it's just the normal Kadane's algorithm on the array; if `k > 1`, the maximum subarray could either lie fully within one copy, or span across the boundary between two copies, so we duplicate the array twice and run Kadane's to capture boundary-spanning subarrays; finally, if the total sum of the array is positive,

then repeating it many times contributes extra, so we add $(k-2)*sum$ to cover the middle repetitions, and take the maximum among all cases, returning the result modulo $1e9+7$.

Code:

```
class Solution {
public int mod = (int)(1e9)+7;
public int kConcatenationMaxSum(int[] arr, int k) {
    long ans = 0;
    int sum = 0;
    for(int i : arr){
        sum += i;
        ans = Math.max(ans,i);
    }
    ans = Math.max(ans,(long)(sum*k)%mod);
    if(k>1){
        int[] narr = new int[arr.length*2];
        for(int i=0;i<arr.length;i++){
            narr[i] = arr[i];
            narr[i+arr.length] = arr[i];
        }
        int csum = 0;
        int max = 0;
        for(int i=0;i<arr.length*2;i++){
            csum += narr[i];
            if(csum < 0) csum = 0;
            max = Math.max(max,csum);
        }
        ans = Math.max(ans,(max+Math.max(0l,(long)sum*(k-2)))%mod);
    }
    return (int)ans;
}
}
```

Time Complexity:

$$O(2n) = O(n)$$

Space Complexity:

$$O(2n) = O(n)$$

Best Time Complexity:

$O(n)$

Best space complexity:

$O(n)$