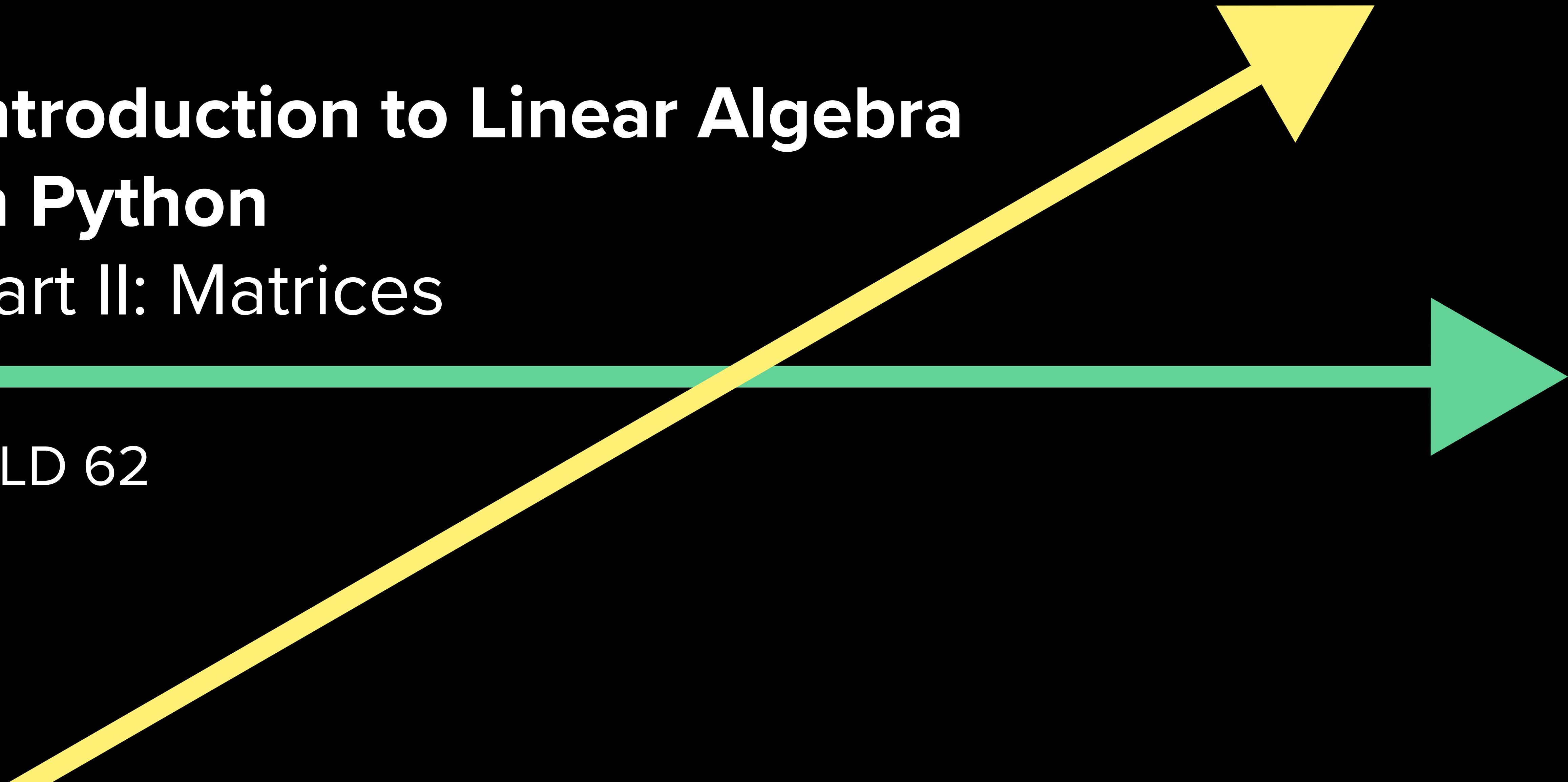


Introduction to Linear Algebra in Python

Part II: Matrices

BILD 62

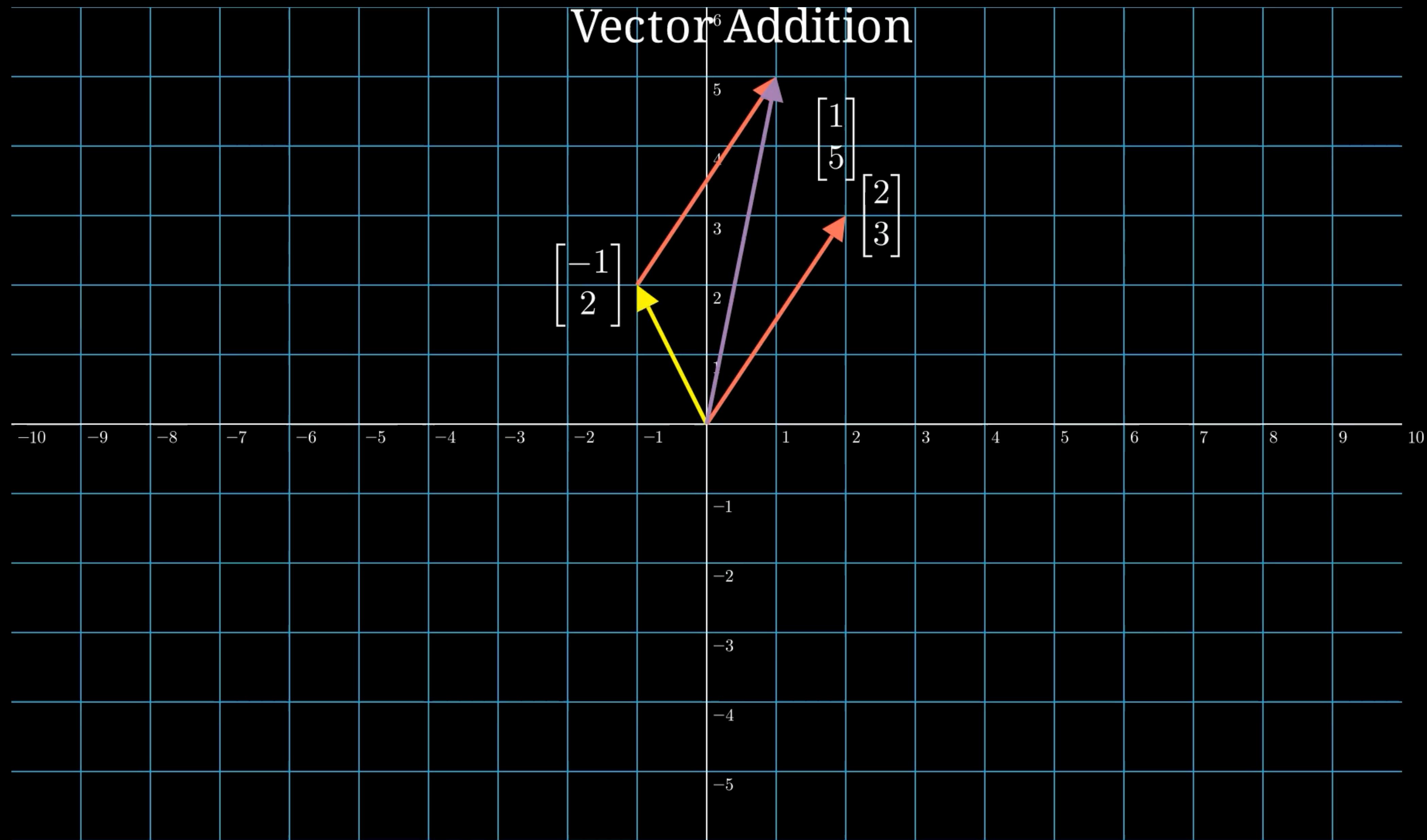


Reminders

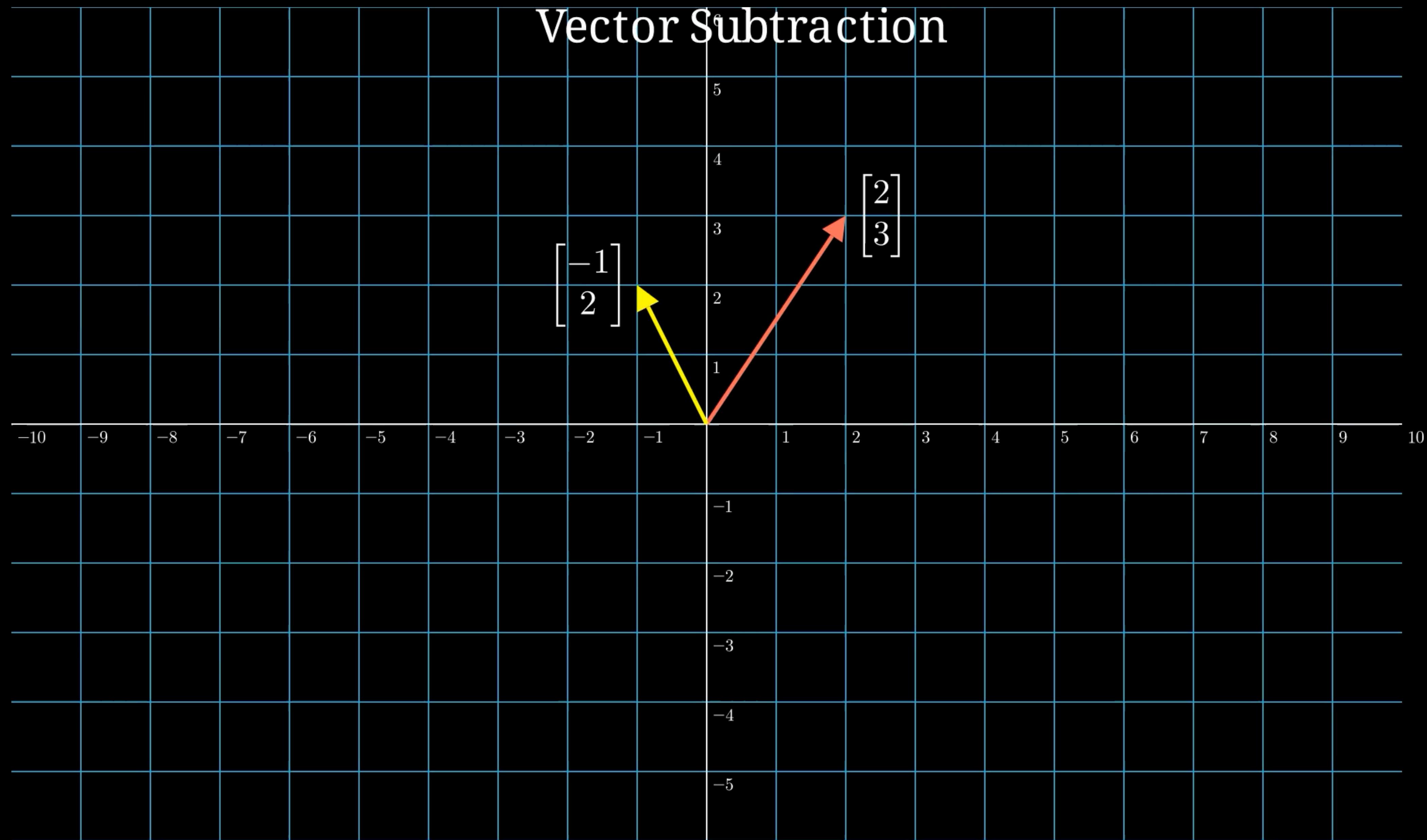
Last time we talked about:

- Different ways to conceptualize a vector, either as a list of numbers or as an arrow in space
- Different operations you can do with vectors (addition, subtraction, scalar multiplication, dot products)

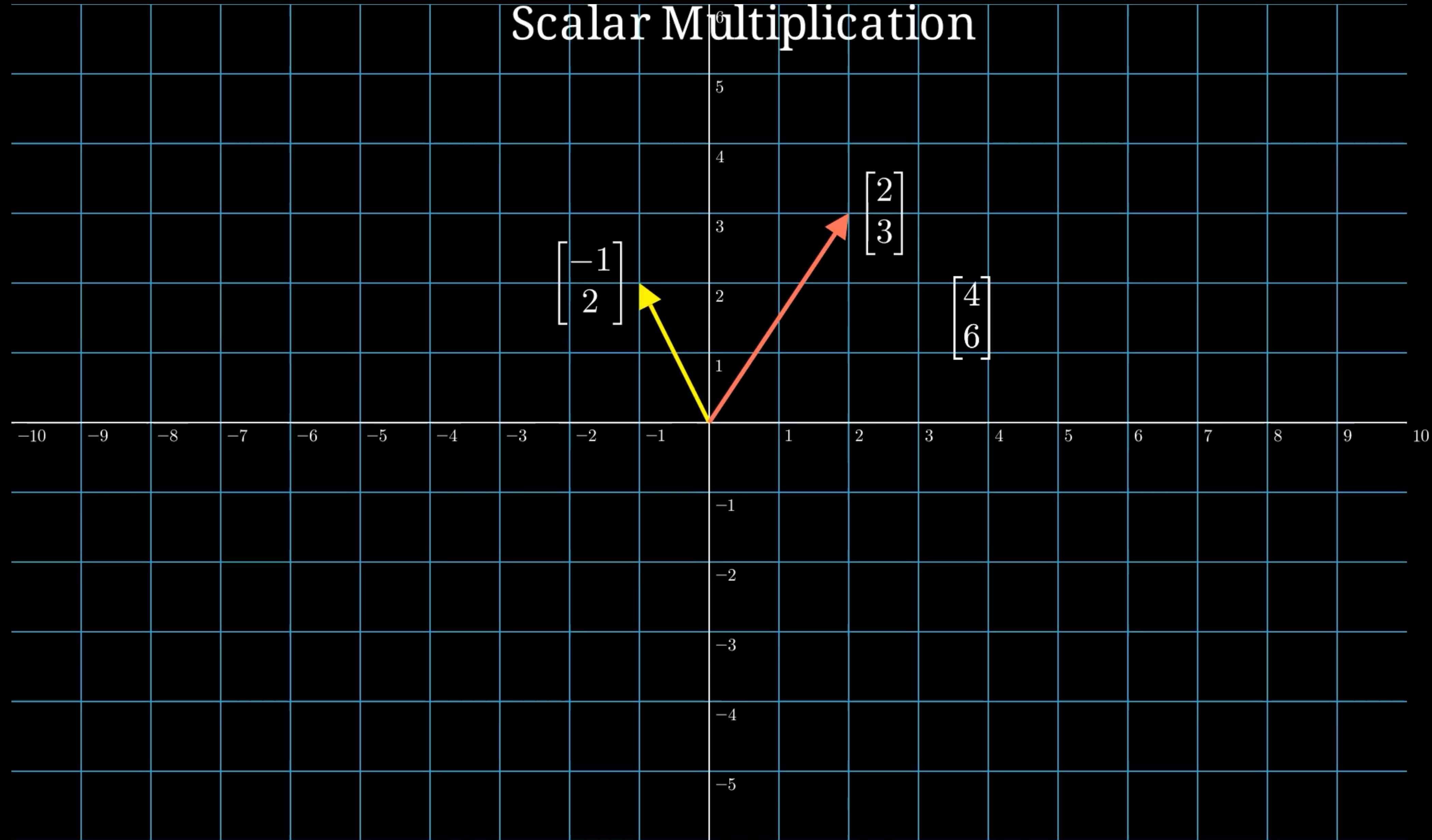
Vector⁶ Addition



Vector Subtraction



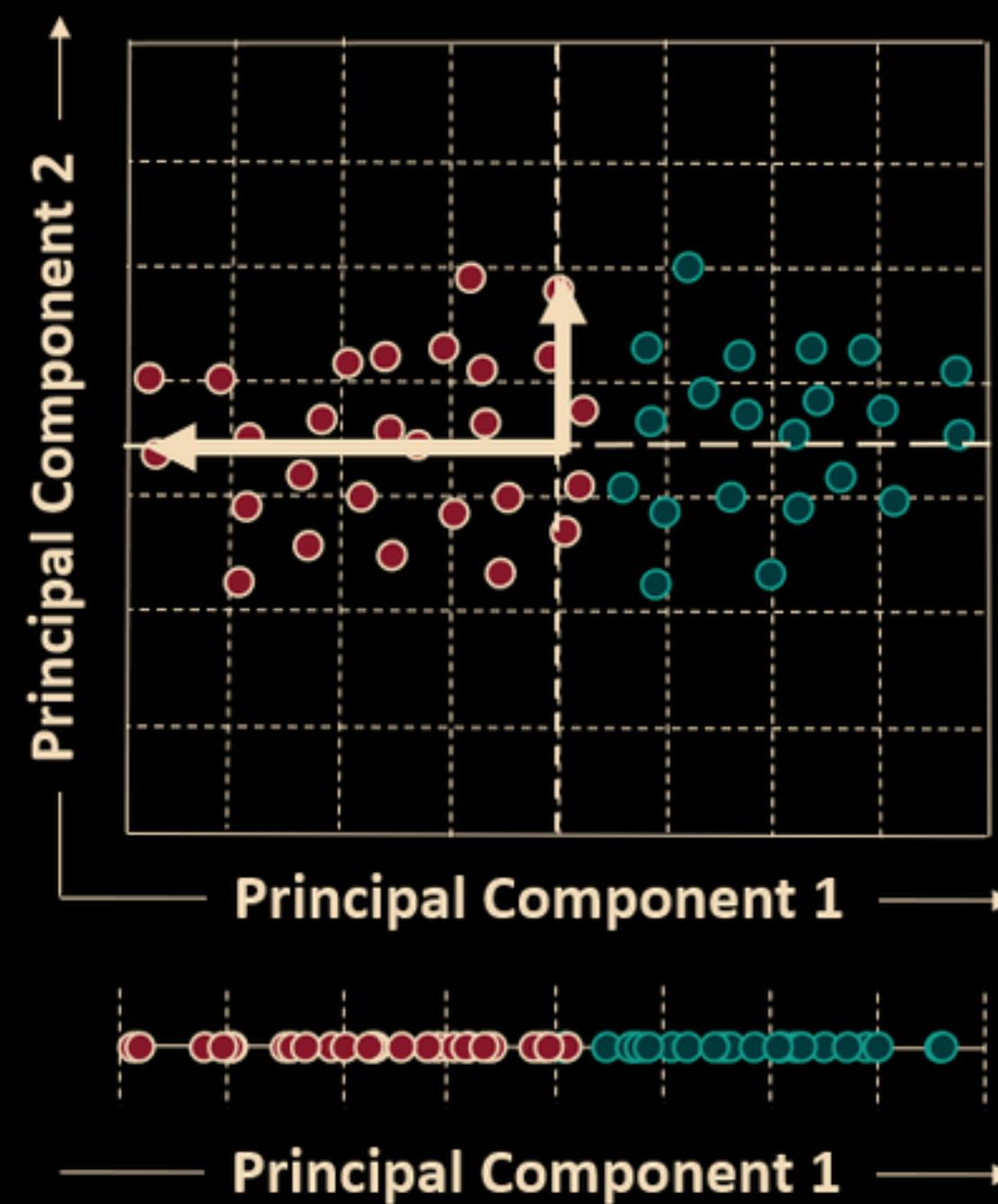
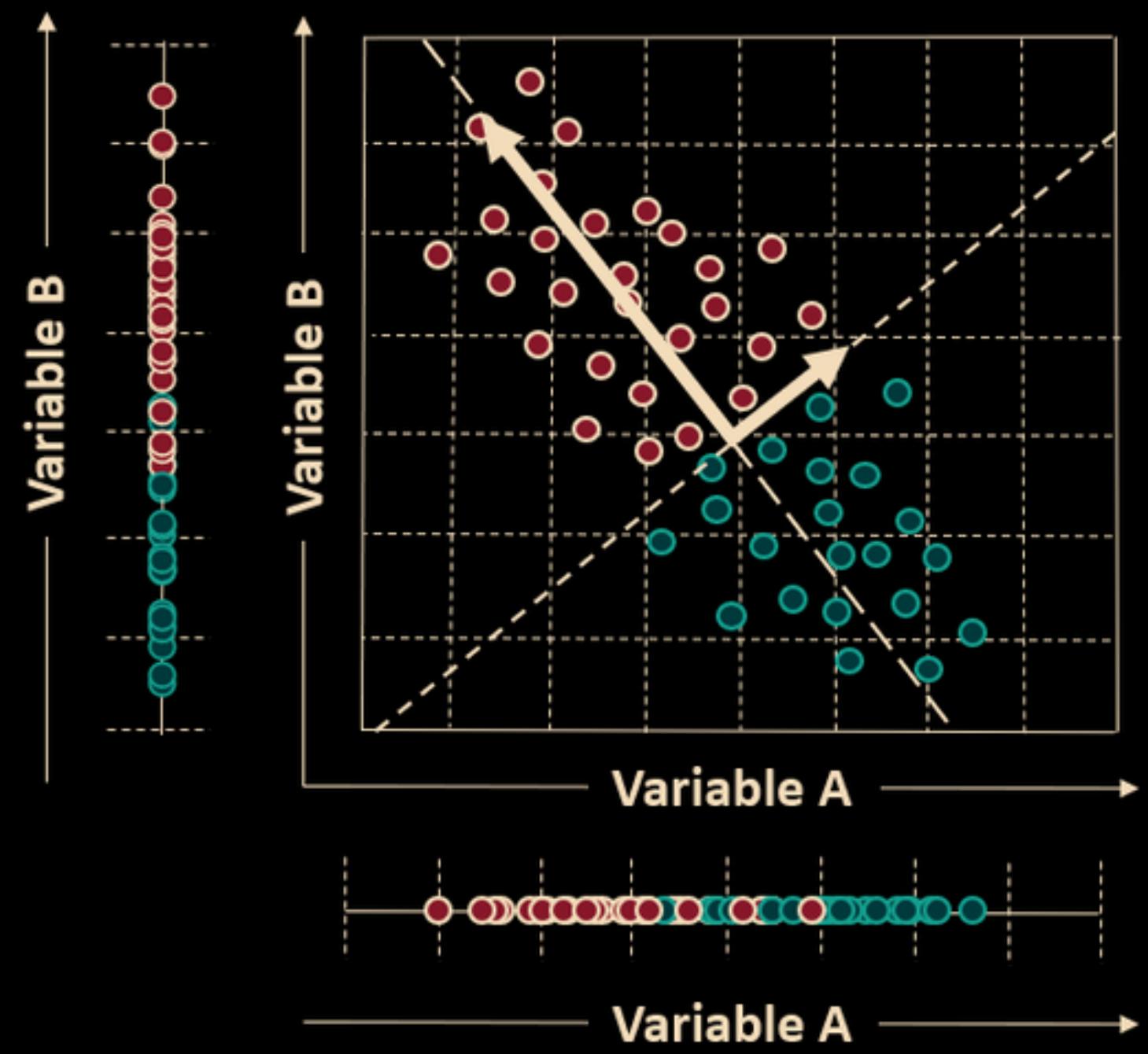
Scalar Multiplication



By the end of
this lecture, you
will be able to:

- Construct and multiply matrices in Python (and by hand)
- Create and manipulate special cases of matrices
- Explain matrices as a linear transformation and relate matrix properties to properties of that linear transformation
- Define what eigenvalues/eigenvectors are and determine them using Python

What's the fuss about eigenvectors?



Great video on PCA ([video](#))

Eigenfaces

The example for today's notebook will focus on the visual system — specifically connections from the **retina** to the **LGN**, a visual nucleus in the **thalamus**

The retina *projects* to the LGN

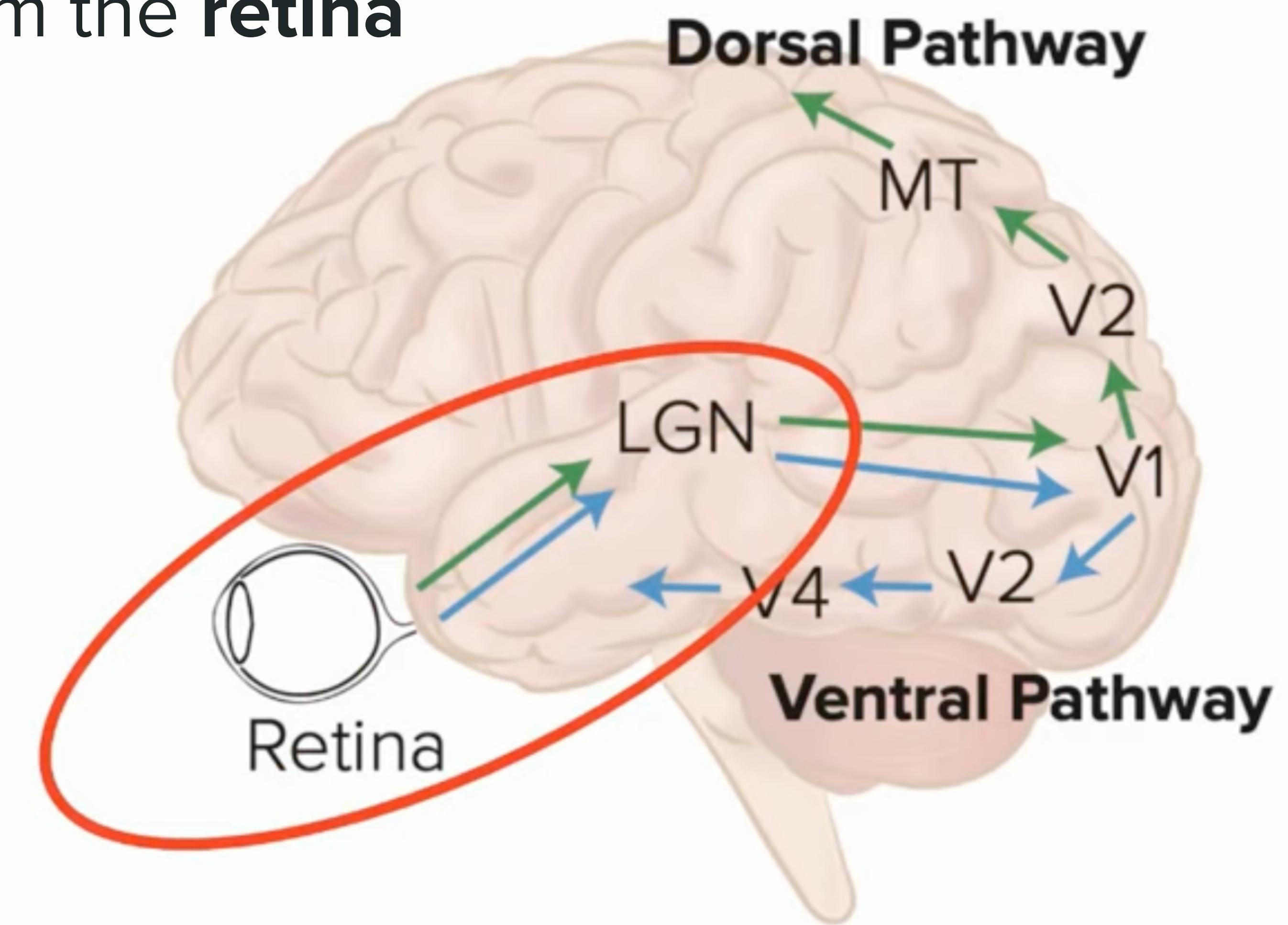
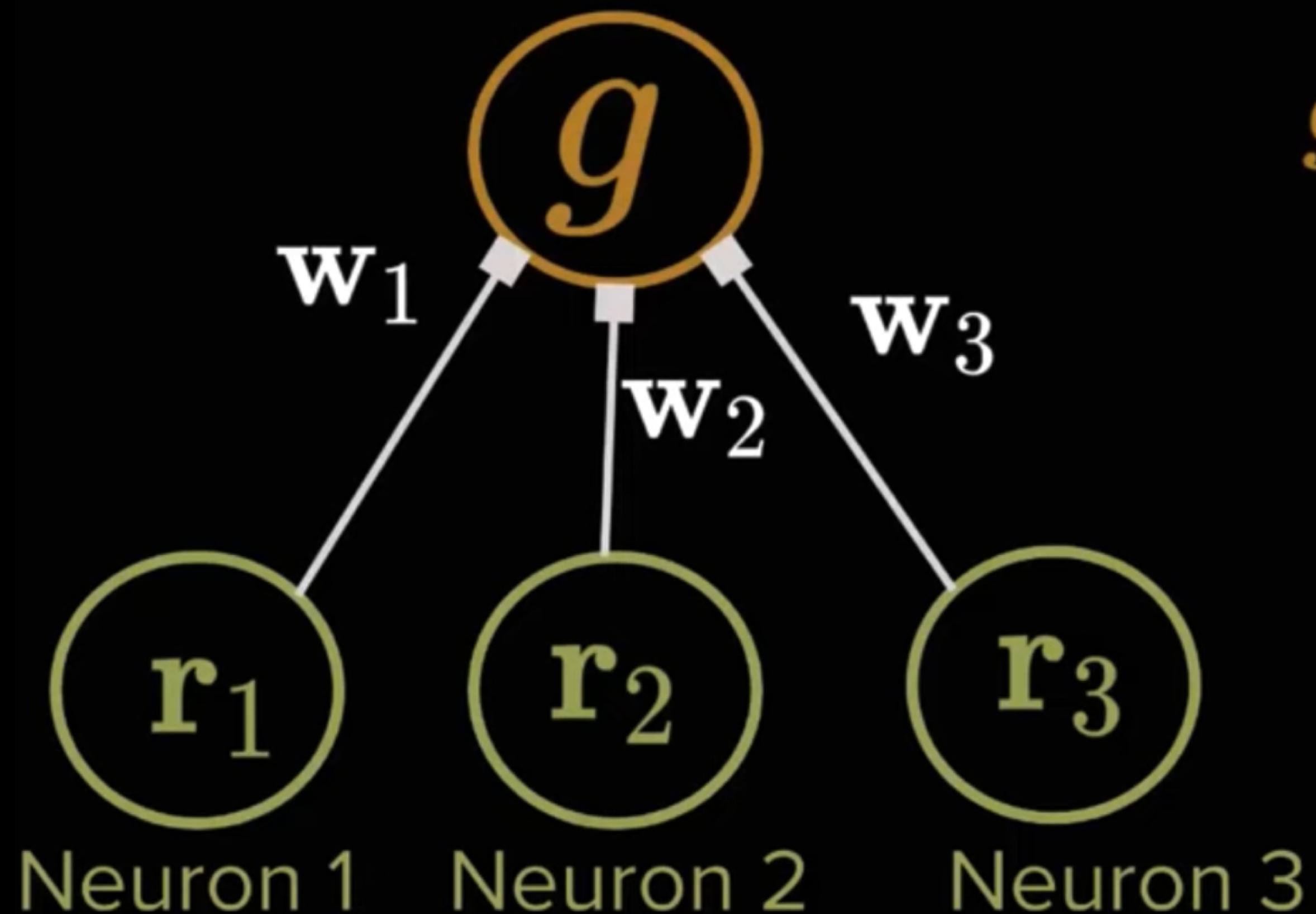


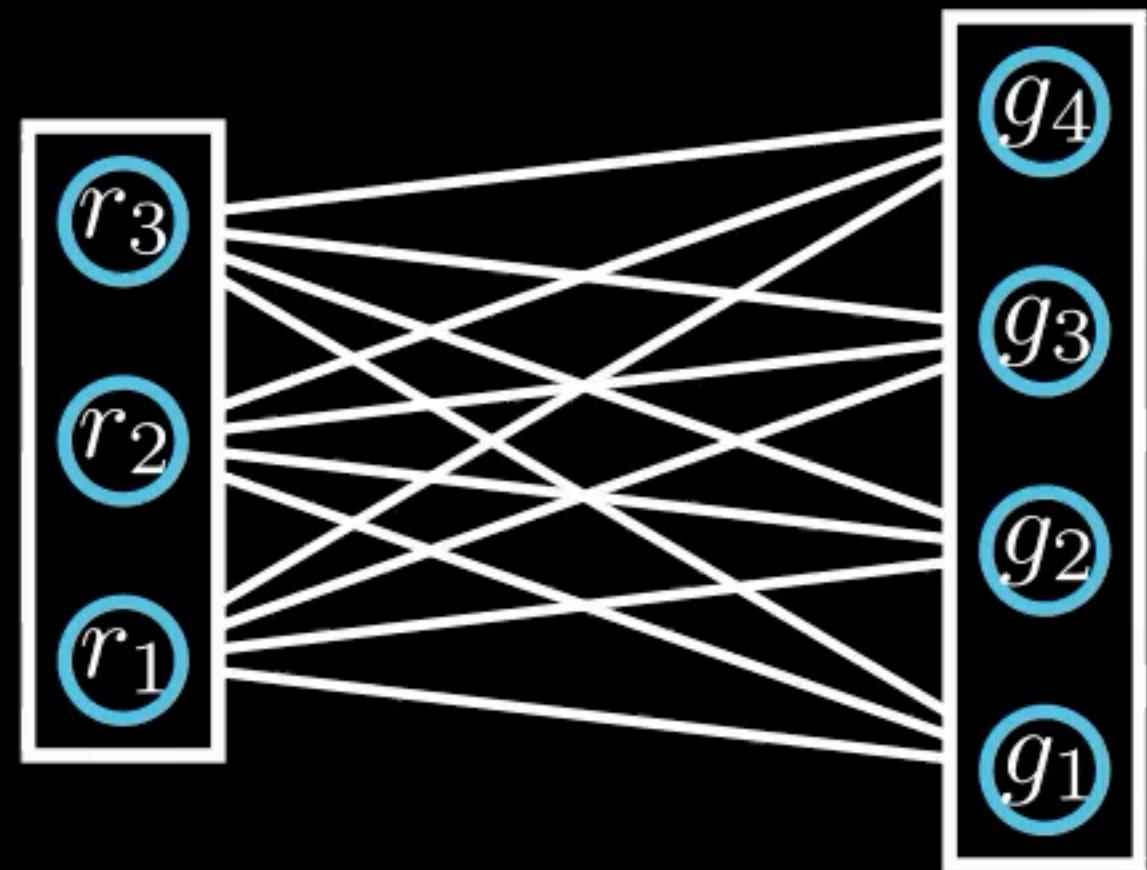
Image: Neuromatch Academy

We can describe **LGN** activity as an equation, summing the weights (w) * activities (r) of each retina neuron.

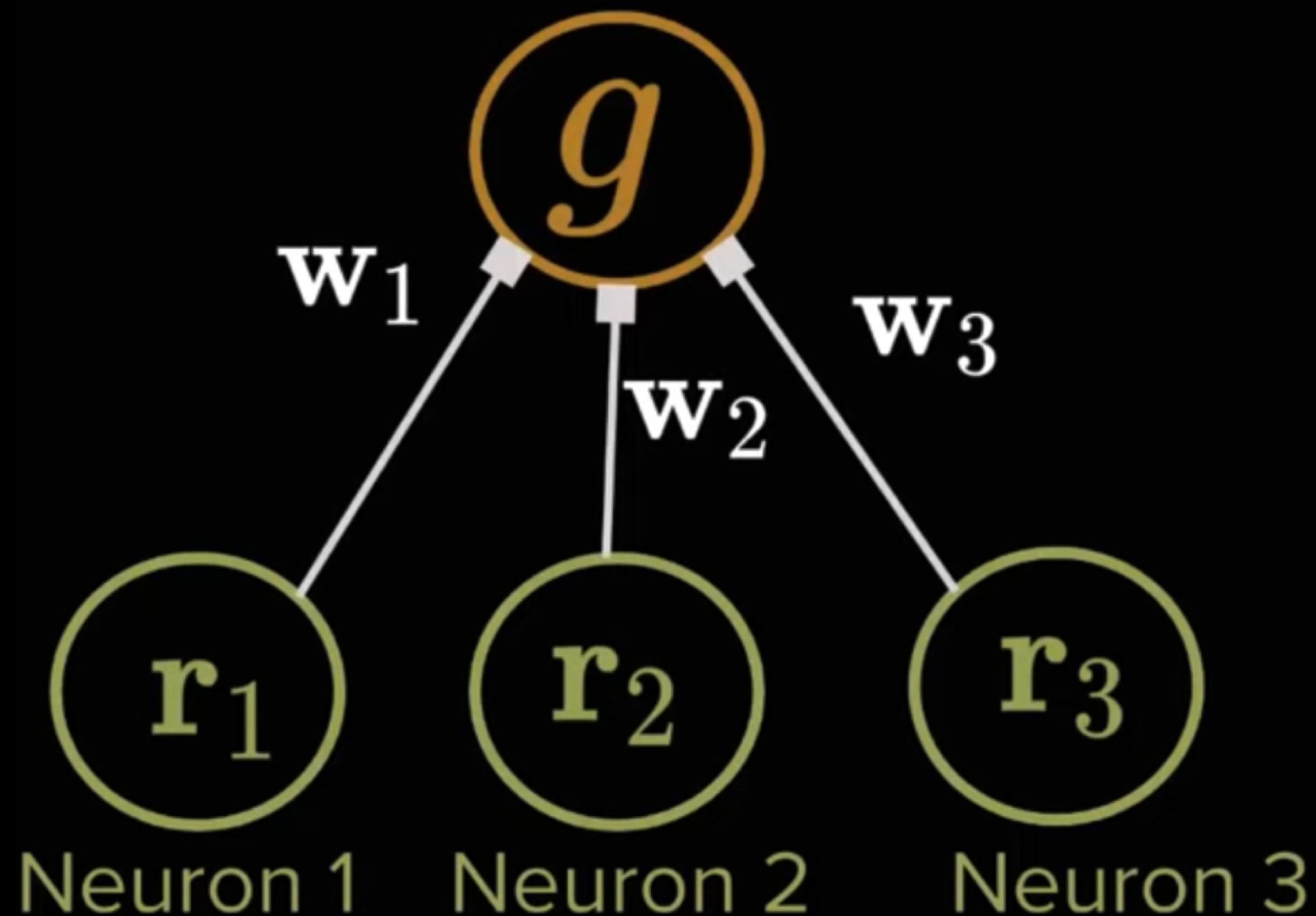


$$g = w_1 r_1 + w_2 r_2 + w_3 r_3$$

...
We can call
this a
weighted sum



We can simplify this by using vectors, and computing the dot product.



$$\begin{aligned}\mathbf{w} &= \begin{bmatrix} \mathbf{w}_1 \\ \mathbf{w}_2 \\ \mathbf{w}_3 \end{bmatrix} & \mathbf{r} &= \begin{bmatrix} \mathbf{r}_1 \\ \mathbf{r}_2 \\ \mathbf{r}_3 \end{bmatrix} \\ g &= \mathbf{w} \cdot \mathbf{r} & & \\ &= \mathbf{w}_1 \mathbf{r}_1 + \mathbf{w}_2 \mathbf{r}_2 + \mathbf{w}_3 \mathbf{r}_3\end{aligned}$$

Linear Algebra

Ella Batty



neuromatch
academy



Building a model of neural connections using linear equations

Let's try this in the
notebook.

Linear Algebra

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Thinking about the computations as linear transformations of matrices

Additional resources

https://www.youtube.com/watch?v=Ene_TYyTdNM – modeling neural connections as vectors and dot product review

<http://matrixmultiplication.xyz/> – awesome visualization of matrix multiplication!

[Essence of linear algebra - YouTube](https://www.youtube.com/watch?v=HvDwQWzXGJU)