

# Impact of Simulated $1/f$ Noise for HI Intensity Mapping Experiments

arXiv:1711.07843





# Topics

01 Introduction

02 Single-Dish Intensity  
Mapping and  $1/f$   
noise

03 Pipeline and Simulations

04 Results

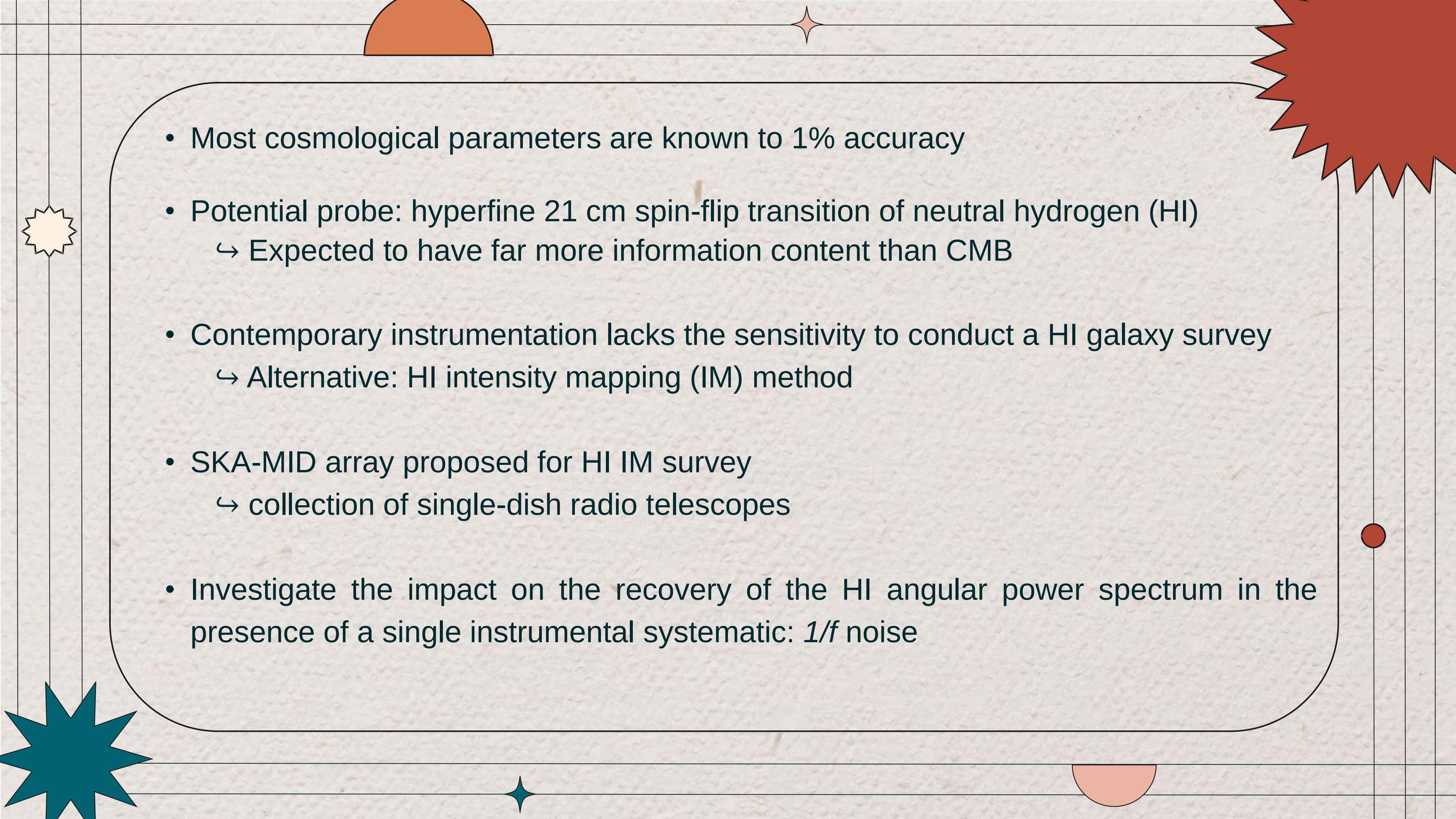
05 Discussion

06 Conclusion



# Introduction



- 
- Most cosmological parameters are known to 1% accuracy
  - Potential probe: hyperfine 21 cm spin-flip transition of neutral hydrogen (HI)
    - ↳ Expected to have far more information content than CMB
  - Contemporary instrumentation lacks the sensitivity to conduct a HI galaxy survey
    - ↳ Alternative: HI intensity mapping (IM) method
  - SKA-MID array proposed for HI IM survey
    - ↳ collection of single-dish radio telescopes
  - Investigate the impact on the recovery of the HI angular power spectrum in the presence of a single instrumental systematic:  $1/f$  noise






# Single-Dish Intensity Mapping and $1/f$ noise





# SKA as an array of single-dish instruments



Pros	Cons
<ul style="list-style-type: none"><li>• increased surface brightness</li><li>• increased sensitivity on large angular scales</li></ul>	<ul style="list-style-type: none"><li>• poor resolution of observations</li><li>• separating contaminants from the signal</li></ul>



# 1/f noise:

- Form of correlated noise present in radio receiver systems
- Manifests as small gain fluctuations
  - ↪ how it manifests in sky maps depends on the noise properties and the details of the observing strategy
- Phenomenon separate to thermal noise
  - ↪ can be accurately modelled as a Gaussian white noise distribution
- Can be modelled and phenomenologically described by a few statistical properties
  - ↪  $\alpha$ : spectral index of the noise
  - ↪  $\begin{cases} \beta = 0: \text{identical } 1/f \text{ in every channel} \\ \beta = 1: \text{independent } 1/f \text{ in every channel} \end{cases}$



# Pipeline and Simulations



# Instrument Design

- Modelling the telescope array and scanning strategy:

Description	Parameter	Value
Dish Diameter	$D_{dish}$	$15\text{ m}^a$
N° Dishes	$N_{dish}$	200
Receiver + CMB	$T_{CMB} + T_{rx}$	$20\text{ K}^b$
N° Polarimeters	$N_{pol}$	2
N° Channels	$N_v$	23
Bandwidth	$\Delta\nu$	$950 < \nu < 1410\text{ MHz}$
Channel width	$\delta\nu$	$20\text{ MHz}$
Sample Rate	$f_{sr}$	$4\text{ Hz}$
Integration Time	$T_{obs}$	$30\text{ days}$
Elevation	$E$	$55\text{ deg}$
Slew Speed	$v_t$	$0.5 < v_t < 2.0\text{ deg s}^{-1}$

- Observing strategy: continuously slew the SKA dishes  $360^\circ$  at a constant elevation of  $55^\circ$  to control systematics (local horizon or ground pick-up)

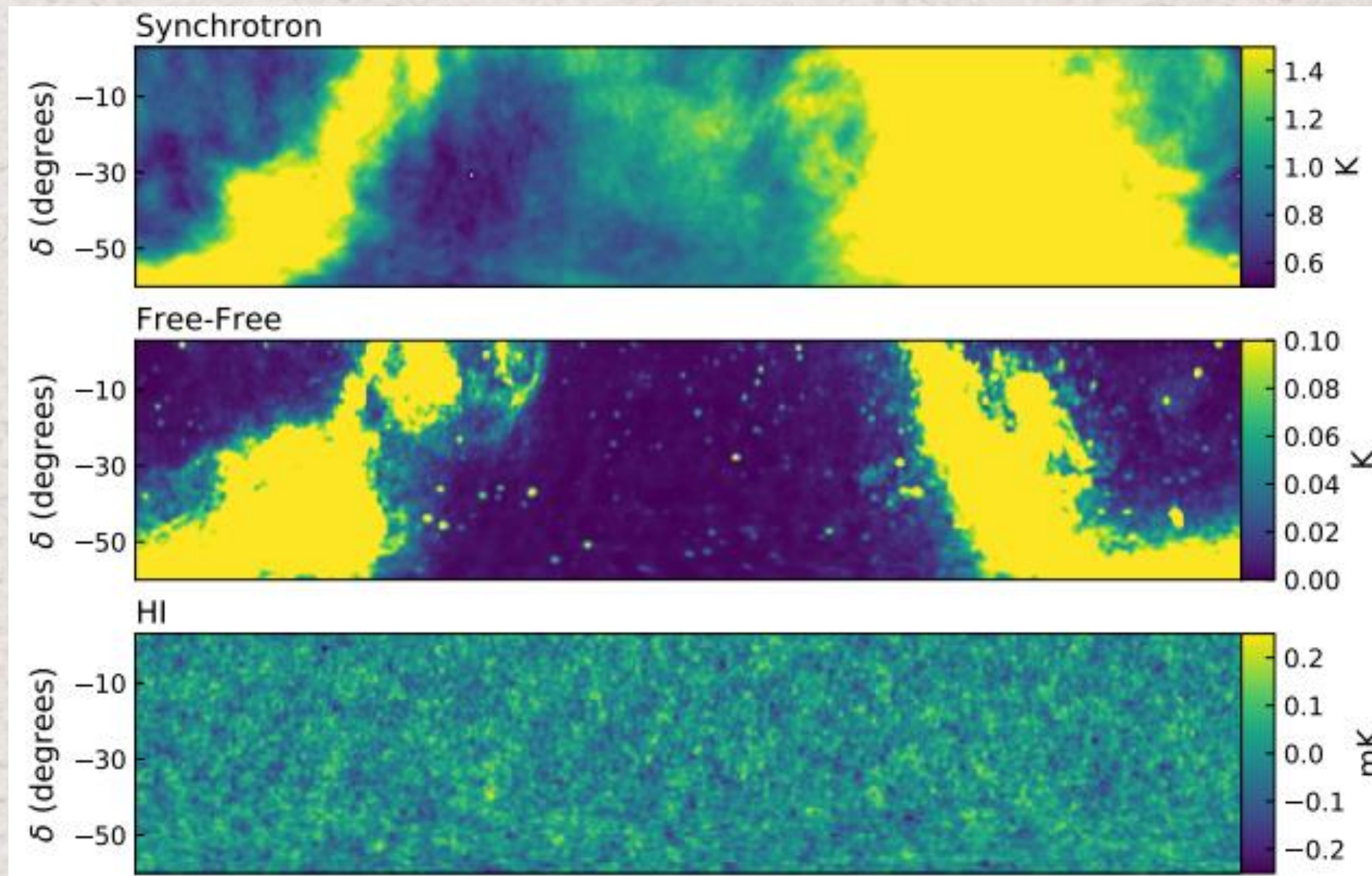


# Sky Model

- *Synchrotron*:
  - ↪ Relativistic cosmic ray electrons interacting within the galactic magnetic field
  - ↪ Tracer for relatively recent star formation
  - ↪ Vastly brighter than any other emission from the sky at low radio frequencies
- *Free-Free*:
  - ↪ Unbound interactions within ionized interstellar regions
  - ↪ It will flatten the foreground spectrum at higher frequencies
  - ↪ Adds spectral curvature to the foreground components, making it more challenging to characterize and remove
- *H I*:

$$T_{obs} = 44\mu K \left( \frac{\Omega_{HI}(z)h}{2.45 \cdot 10^{-4}} \right) \frac{(1+z)^2}{E(z)} \rightarrow C_l = \frac{H_0 b^2}{c} \int dz E(z) \left[ \frac{T_{obs}(z) D(z)}{r(z)} \right]^2 P_{cdm} \left( \frac{l + \frac{1}{2}}{r} \right)$$



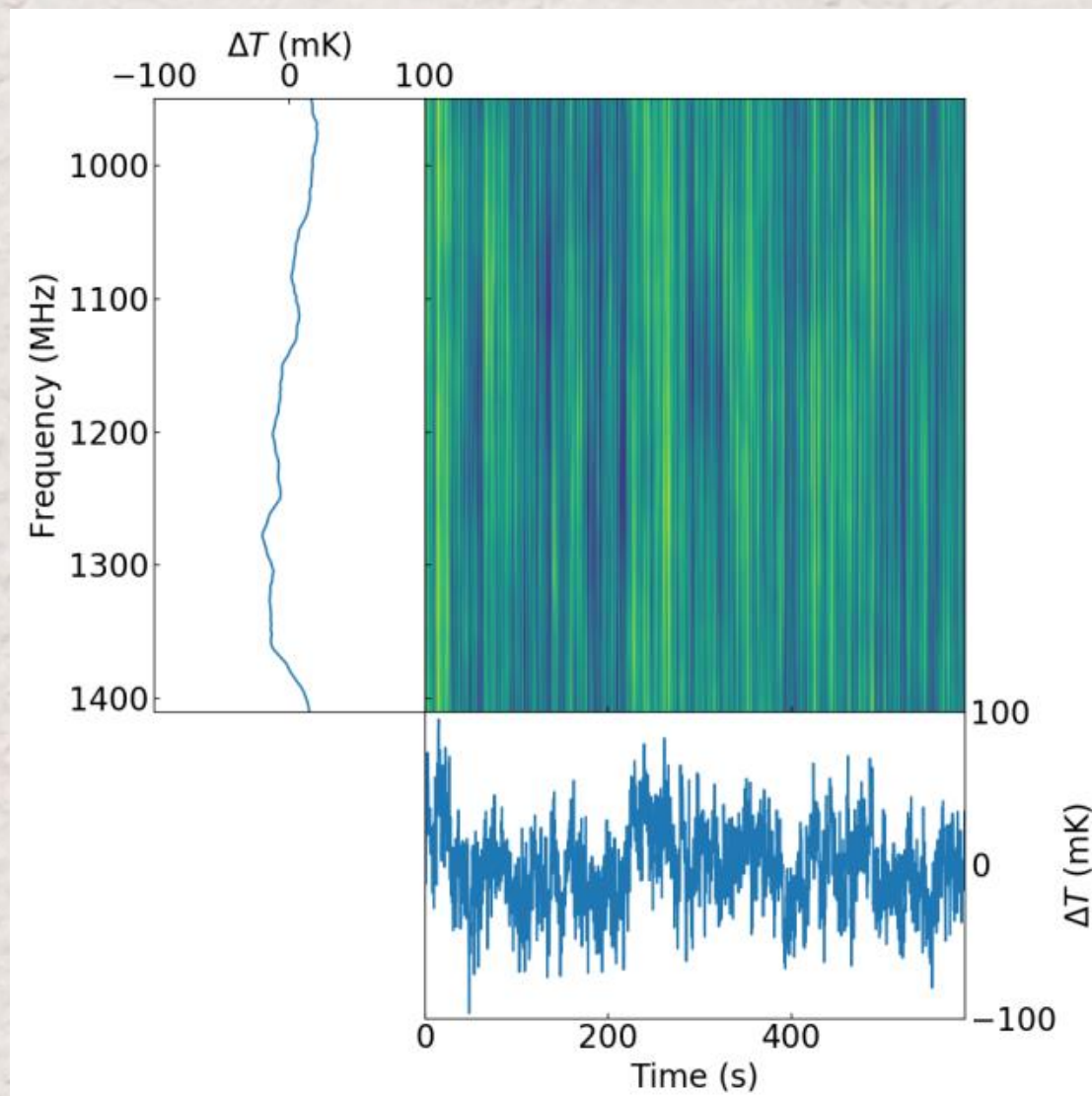


Cartesian projections in celestial coordinates of the simulated SKA HI IM survey strip



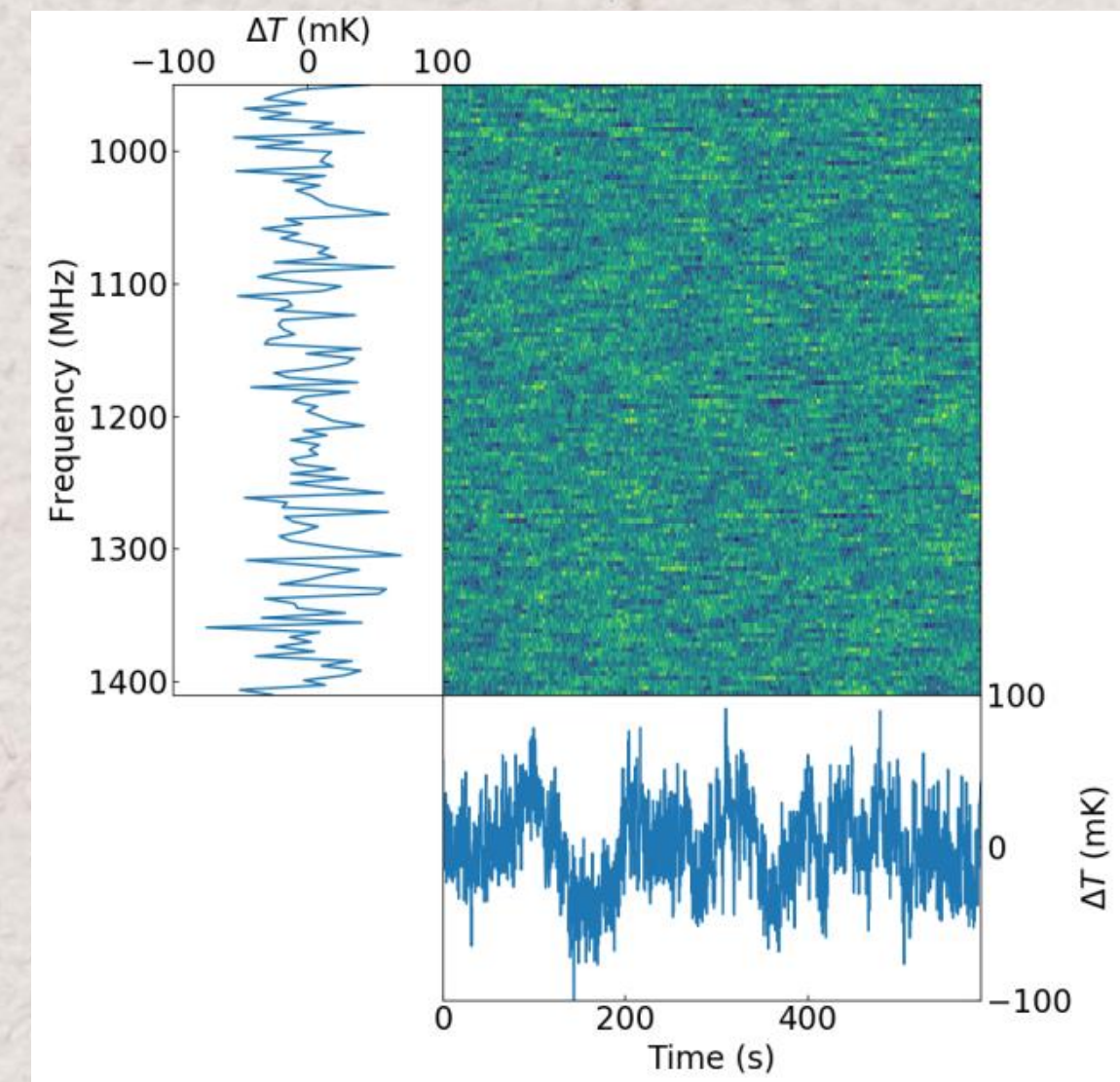
# Modelling 1/f Noise

- 1/f in TOD originates as correlated fluctuations in the gain of the receiver amplifiers



Highly correlated

Time-frequency plots  
generated using the  
simulation pipeline

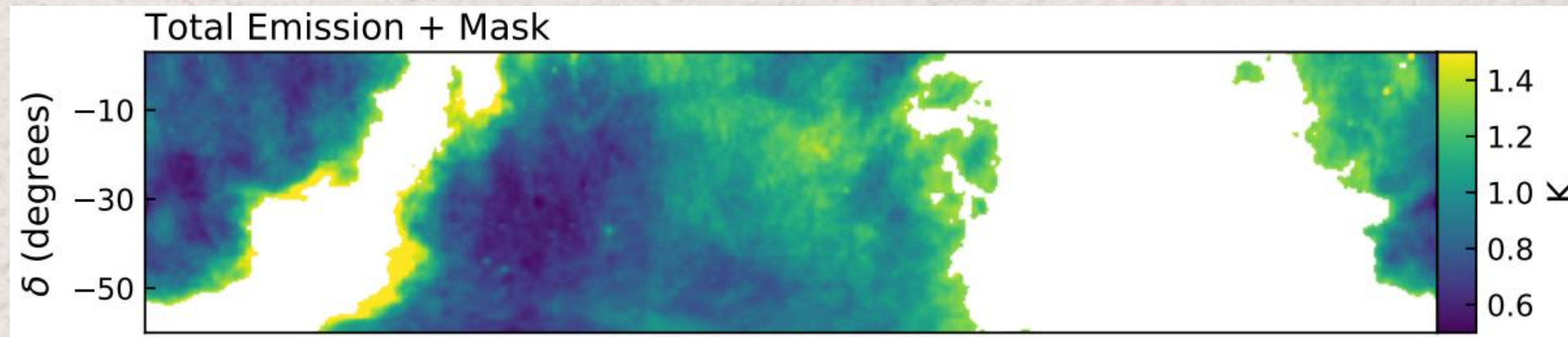


Completely uncorrelated



# Sky Mask

- The sky maps from the simulation pipeline were multiplied with a mask that removes just the brightest regions of the Galactic plane


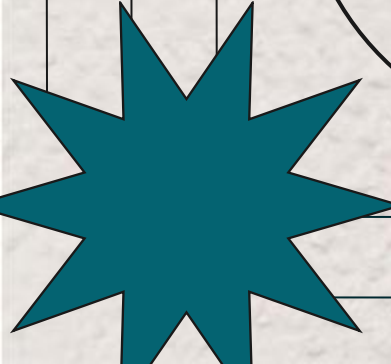




- The resulting total observed sky fraction after masking is  $f_{sky} = 0.3$





# Component Separation and Power Spectrum Estimation

- 
- Principle Component Analysis (PCA):
    - ↳ not robust at removing foregrounds
    - ↳ computationally fast: highly suited to Monte-Carlo simulations
    - ↳ always remove components that are completely correlated in frequency
  - For each realization and frequency, the angular power spectrum was calculated
  - Each map was decomposed into spherical harmonic coefficients
  - Before PSE, each map is smoothed to a full width at half maximum (FWHM)
- 
- 
- 



# Summary

- Complete summary of each step taken in the process of the simulations:
  1. Generate sky foreground and signal maps
  2. Simulate TODs for the observing strategy
  3. Produce a correlated  $1/f$  noise signal for each block of TOD
  4. Produce a noise-free data stream and add  $1/f$  noise and white noise.
    - i. Combine the TOD into a realization map of the sky.
  5. Separate each sky map realization into eigenmode components using PCA
  6. Calculate the  $C_l$  of every map for each frequency and eigenmode.

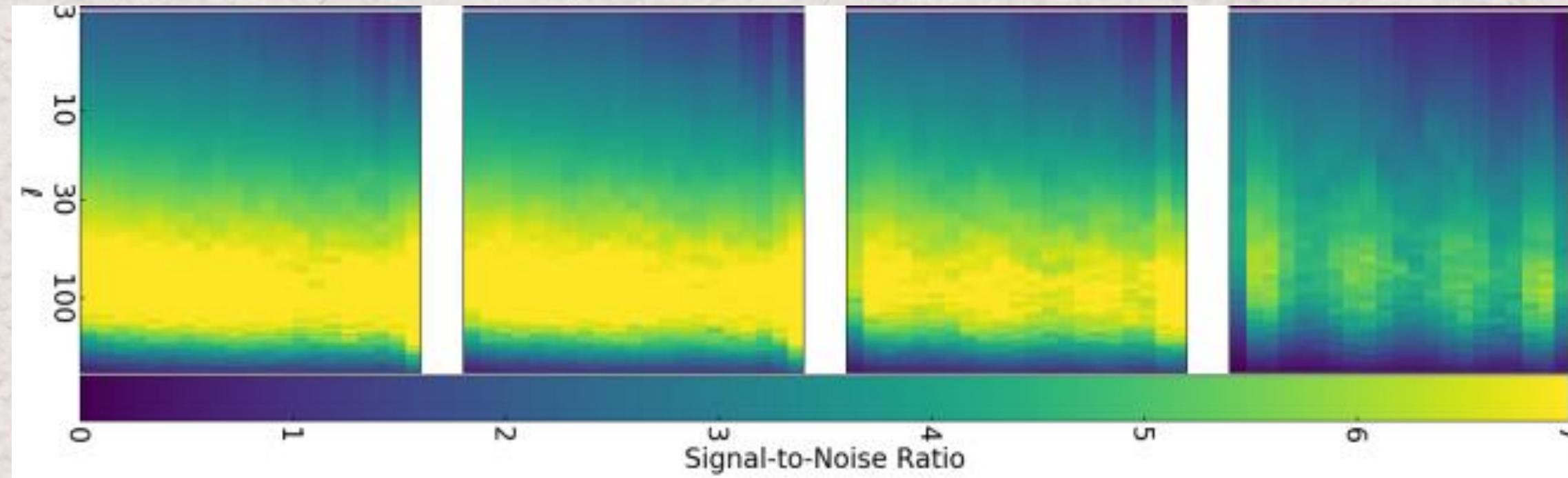


# Results



# Power Spectra Uncertainty and Bias

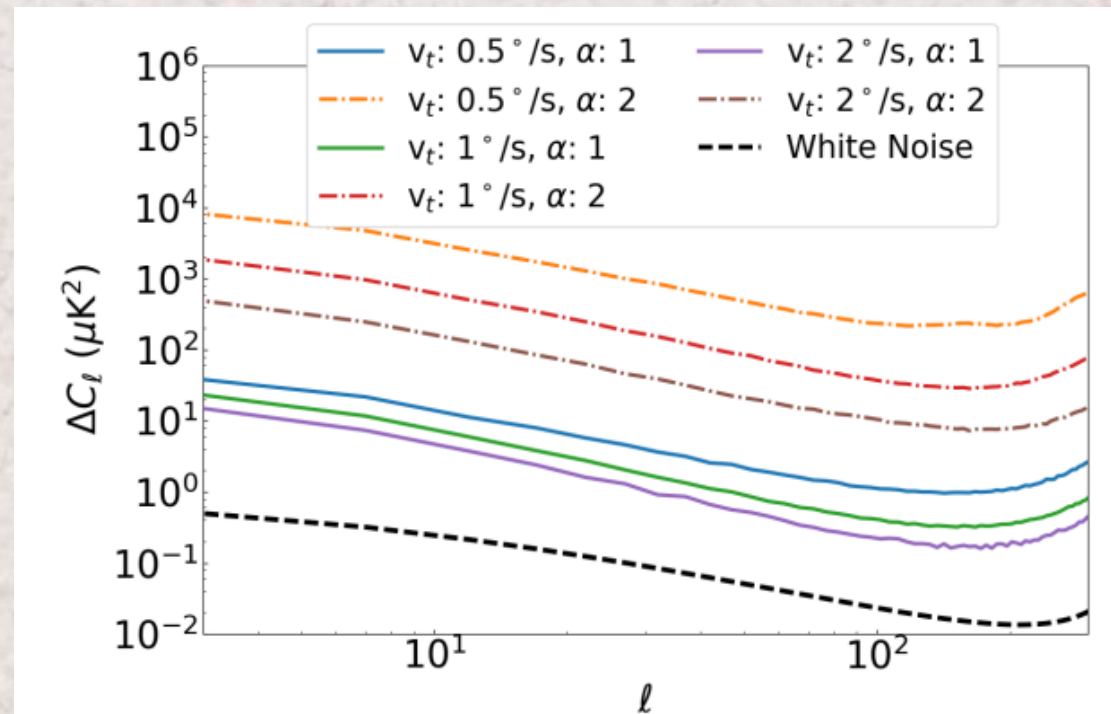
- How much statistical uncertainty does  $1/f$  contribute to the recovered HI  $C_l$ ?



↪ Highly correlated  $1/f$  noise in frequency = very small contribution to the final HI statistical uncertainty

- Survey will be more sensitive to low redshift HI emission





- stable receivers are an order-of-magnitude more important than choice of scan speed
- scan speed is coupled with the spectral index of the  $1/f$  noise as it has greater impact for steep spectrum
- $1/f$  noise can contribute additional uncertainty on all scales
- The bias is significant when the  $1/f$  noise power exceeds the HI angular power
- Is it possible to model the  $1/f$  noise bias and remove it?
  - ↪ in these simulations that would be trivial as the input  $1/f$  noise is known
  - ↪ in real data where it might be non-Gaussian and coupled with other systematics, accurate modelling may be challenging



# Discussion



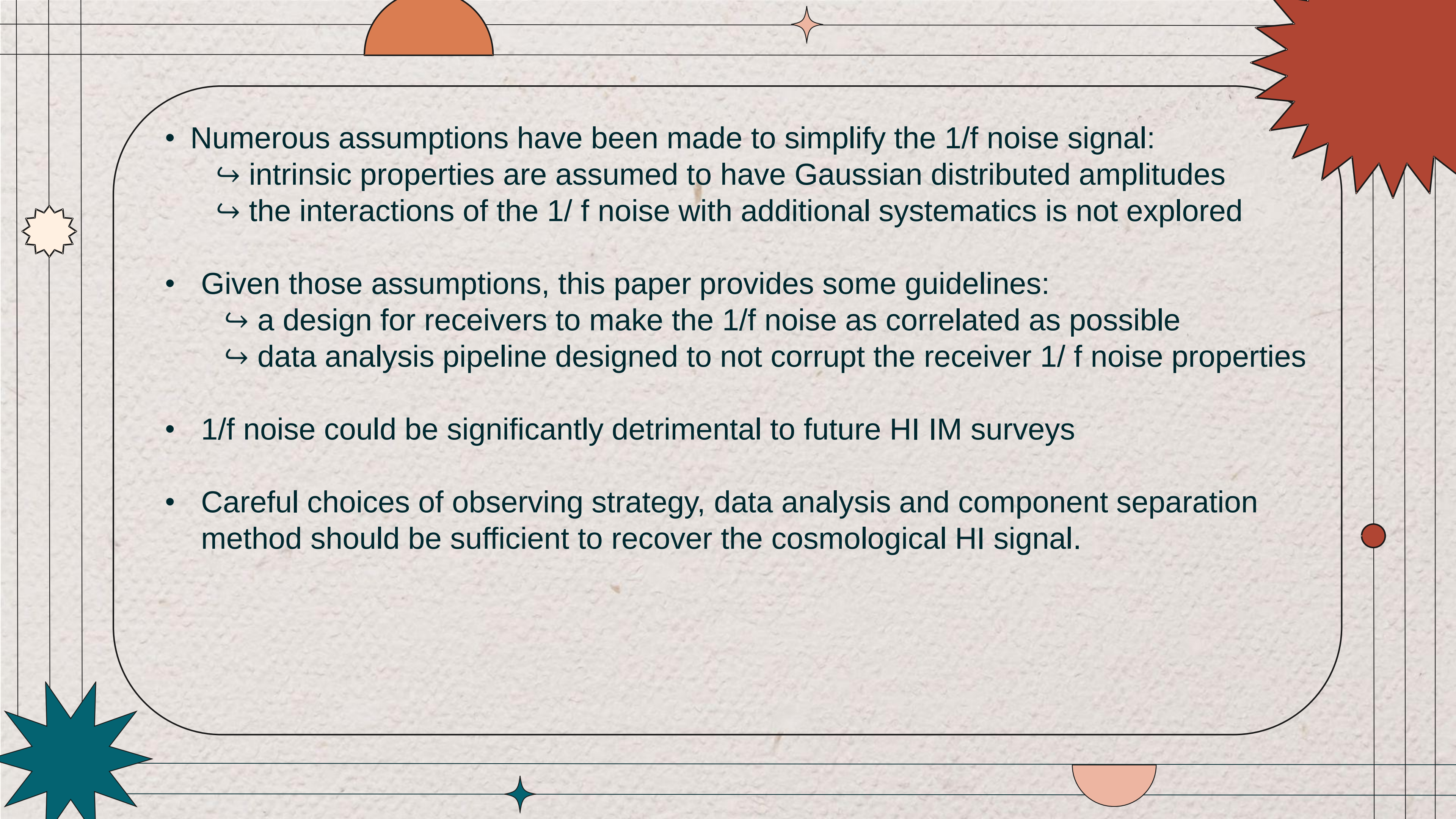
# Impact of Specific Data Analysis Methods and Systematics

- Could the impact of the  $1/f$  noise be reduced in a real HI IM survey?
  - ↳ use a more sophisticated component separation technique
  - ↳ use a more advanced mapmaking method
  - ↳ use a more carefully considered observing strategy
  - ↳  $1/f$  noise be suppressed during the calibration process
- Real observations suppression of  $1/f$  noise will be more challenging due to the presence of other systematics in the data
  - ↳ intrinsic to the  $1/f$
  - ↳ intrinsic to the instrument or the observations
  - ↳ how the data is processed, calibrated and binned into maps



# Conclusion



- 
- Numerous assumptions have been made to simplify the  $1/f$  noise signal:
    - ↳ intrinsic properties are assumed to have Gaussian distributed amplitudes
    - ↳ the interactions of the  $1/f$  noise with additional systematics is not explored
  - Given those assumptions, this paper provides some guidelines:
    - ↳ a design for receivers to make the  $1/f$  noise as correlated as possible
    - ↳ data analysis pipeline designed to not corrupt the receiver  $1/f$  noise properties
  - $1/f$  noise could be significantly detrimental to future HI IM surveys
  - Careful choices of observing strategy, data analysis and component separation method should be sufficient to recover the cosmological HI signal.





Thank you!