

22.5

Strongly-connected-components-modified (G)

- 1 call DFS(G) to compute finishing times z_i for each vertex v_i
- 2 compute G^T
- 3 call DFS(G^T), in main loop of DFS, consider the vertices in order of decreasing z_i .

Output the vertices of each tree in the depth-first forest formed in line 3 as separate strongly connected components.

for all vertex in V:

vertex = 1 to k

for each vertex in V.

If ~~vertex.adj[i]~~ have no edge with vertex.
add edge.

If ~~Adj[vertex]~~ have no edges.

add edge to Adj[vertex] and vertex.

23.1-11

Given E = newly-added ^{decreased-weight} edge

$V = E.V.$

for $V.adj$:

If No edge in $V.adj$.

add edge.

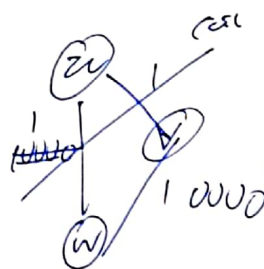
And we get a graph here (minimum spanning tree with a new edge and a cycle.)
MSTC(graph).



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23.2-8

Suppose there are only three vertices. And the edges weight differs very big.



And we do the cut in the picture

We can easily do the MST between u, v, w is uv, vw , but when we connect u with this MST, the total weight is $1 + 10000$. But the actually MST simply can be 2 .

