₩ 2020年5月4日 10:57

Set
$$A_{n\times n} = (a_i)$$
 $B_{n\times n} = (b_i)$ $C_{n\times n} \neq C_{ij}$
 $AB = (a_{ij})$ $BC = (e_{ij})$
 $ABC = (f_{ij})$ $ABC) = (g_{ij})$

$$SPT A = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 2 & 0 \\ 0 & 0 & 3 \end{bmatrix} \qquad B = \begin{bmatrix} 1 & 2 & 3 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}$$

$$AB = \begin{bmatrix} 1 & 2 & 3 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad BA = \begin{bmatrix} 1 & 4 & 9 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}$$

ABT BA

commtative is incomed.

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 1 & 4 & 6 \end{bmatrix}$$

$$[AE] = \begin{bmatrix} 1 & 2 & 3 & 1 & 0 & 0 \\ 1 & 4 & 6 & 0 & 0 & 0 \end{bmatrix}$$

i. A has only kight-Beudo Inverse

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i. A has only kight-Beudo Inverse Id) Set matrix W and vectors in

(f W* \$ = \$ \$ (\lambda to)

those vectors are called eigenvectors and is called eigenvalues. As quared symmetric matrix A=QDQT, where the columns of Q are the eigenvectors of A and D is a diagonal matrix. Where the entries are the corresponding eignvalues. These matrices are important in machine learning.