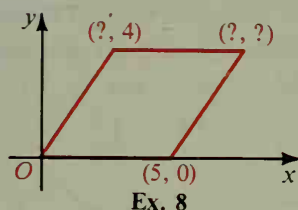
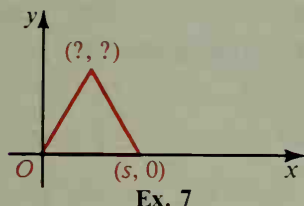
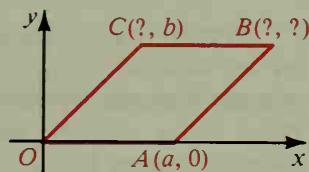


- B** 7. An equilateral triangle is shown below. Express the missing coordinates in terms of  $s$ .



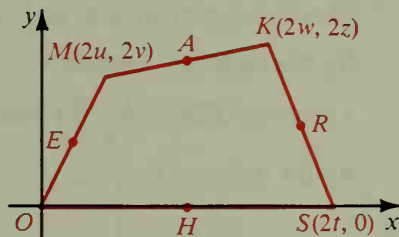
8. A rhombus is shown above. Find the missing coordinates.

9. Rhombus  $OABC$  is shown at the right. Express the missing coordinates in terms of  $a$  and  $b$ . (Hint: See Exercise 8.)



10. Supply the missing coordinates to prove: The segments that join the midpoints of opposite sides of any quadrilateral bisect each other. Let  $H$ ,  $E$ ,  $A$ , and  $R$  be the midpoints of the sides of quadrilateral  $SOMK$ . Choose axes and coordinates as shown.

- $R$  has coordinates  $(\underline{\quad}, \underline{\quad})$ .
- $E$  has coordinates  $(\underline{\quad}, \underline{\quad})$ .
- The midpoint of  $\overline{RE}$  has coordinates  $(\underline{\quad}, \underline{\quad})$ .
- $A$  has coordinates  $(\underline{\quad}, \underline{\quad})$ .
- $H$  has coordinates  $(\underline{\quad}, \underline{\quad})$ .
- The midpoint of  $\overline{AH}$  has coordinates  $(\underline{\quad}, \underline{\quad})$ .
- Because  $(\underline{\quad}, \underline{\quad})$  is the midpoint of both  $\overline{RE}$  and  $\overline{AH}$ ,  $\overline{RE}$  and  $\overline{AH}$  bisect each other.



Draw the figure named. Select axes and label the coordinates of the vertices in terms of a single letter.

- C** 11. a regular hexagon                      12. a regular octagon
13. Given isosceles trapezoid  $HOJK$  and the axes and coordinates shown, use the definition of an isosceles trapezoid to prove that  $e = c$  and  $d = a - b$ .

