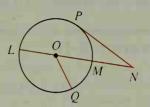
## **Mixed Review Exercises**

- 1. Name a diameter of  $\bigcirc O$ .
- 2. Name a secant of  $\bigcirc O$ .
- 3. Name a tangent segment.
- **4.** If OQ = 7, then  $LM = \frac{?}{}$ .
- 5. If  $\widehat{mMQ} = x$ , express  $\widehat{mQLM}$  in terms of x.
- 6. Find the geometric mean between 4 and 9.



# 9-6 Other Angles

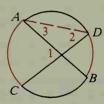
The preceding section dealt with angles that have their vertices on a circle. Theorem 9-9 deals with the angle formed by two chords that intersect inside a circle. Such an angle and its vertical angle intercept two arcs.

## Theorem 9-9

The measure of an angle formed by two chords that intersect inside a circle is equal to half the sum of the measures of the intercepted arcs.

Given: Chords  $\overline{AB}$  and  $\overline{CD}$  intersect inside a circle.

Prove:  $m \angle 1 = \frac{1}{2}(m\widehat{AC} + m\widehat{BD})$ 



#### Proof:

### Statements

- 1. Draw chord  $\overline{AD}$ .
- $2. \ m \angle 1 = m \angle 2 + m \angle 3$
- 3.  $m \angle 2 = \frac{1}{2} m\widehat{AC};$  $m \angle 3 = \frac{1}{2} m\widehat{BD}$
- 4.  $m \angle 1 = \frac{1}{2}m\widehat{AC} + \frac{1}{2}m\widehat{BD}$ or  $m \angle 1 = \frac{1}{2}(m\widehat{AC} + m\widehat{BD})$

#### Reasons

- 1. Through any two points there is exactly one line.
- 2. The measure of an exterior  $\angle$  of a  $\triangle$  = the sum of the measures of the two remote interior  $\triangle$ .
- 3. The measure of an inscribed angle is equal to half the measure of its intercepted arc.
- 4. Substitution (Step 3 in Step 2)