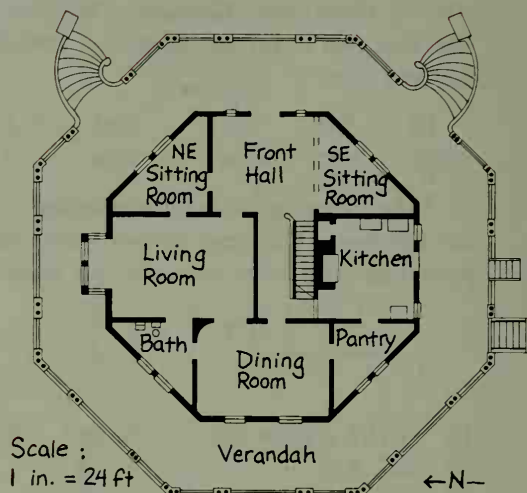


**Application***Scale Drawings*

This “octagon house” was built in Irvington, New York, in 1860. The plan shows the rooms on the first floor. The scale on this *scale drawing* tells you that a length of 1 in. on the plan represents a true length of 24 ft.

$$\frac{\text{Plan length in inches}}{\text{True length in feet}} = \frac{1}{24}$$

The following examples show how you can use this formula to find actual dimensions of the house from the plan or to convert dimensions of full-sized objects to plan size.

The verandah measures  $\frac{3}{8}$  in. wide on the plan. Find its true width,  $T$ .

$$\frac{\frac{3}{8}}{T} = \frac{1}{24}, \text{ so } 1 \cdot T = \frac{3}{8} \cdot 24$$

$T = 9$       The real verandah is 9 ft wide.

A sofa is 6 ft long. Find its plan length,  $P$ .

$$\frac{P}{6} = \frac{1}{24}, \text{ so } 24 \cdot P = 6 \cdot 1$$

$P = \frac{1}{4}$       The plan length is  $\frac{1}{4}$  in.

**Exercises**

1. Find the true length and width of the dining room.
2. A rug measures 9 ft by  $7\frac{1}{2}$  ft. What would its dimensions be on the floor plan? Would it fit in the northeast sitting room?
3. If a new floor plan is drawn with a scale of 1 in. = 10 ft, how many times longer is each line segment on the new plan than the corresponding segment on the plan shown?
4. Suppose that on the architect's drawings each side of the verandah (the outer octagon) measured 12 in. What was the scale of these drawings?