

20. a. Complete this statement of Theorem 8-4:

If the square of the longest side of a triangle ?.

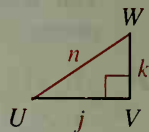
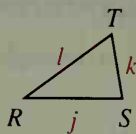
- b. Prove Theorem 8-4.

Given: $\triangle RST$; \overline{RT} is the longest side; $l^2 < j^2 + k^2$

Prove: $\triangle RST$ is an acute triangle.

(Hint: Start by drawing right $\triangle UVW$ with legs j and k .

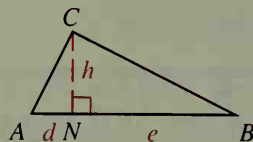
Compare lengths l and n .)



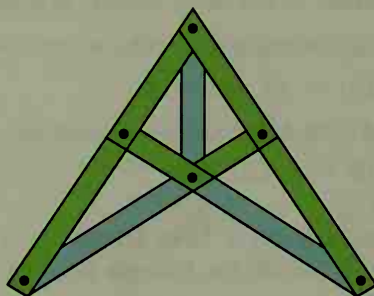
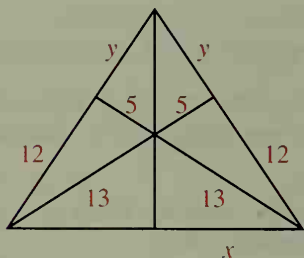
- C 21. Given: $\overline{CN} \perp \overline{AB}$;

h is the geometric mean between d and e .

Prove: $\triangle ABC$ is a right triangle.



22. A frame in the shape of the simple *scissors truss* shown at the right below can be used to support a peaked roof. The weight of the roof compresses some parts of the frame (green), while other parts are in tension (blue). A frame made with s segments joined at j points is stable if $s \geq 2j - 3$. In the truss shown, 9 segments connect 6 points. Verify that the truss is stable. Then find the values of x and y .



Explorations

These exploratory exercises can be done using a computer with a program that draws and measures geometric figures.

The sides of a quadrilateral have lengths a , b , c , and d . The diagonals have lengths e and f . For what kinds of quadrilaterals does

$$a^2 + b^2 + c^2 + d^2 = e^2 + f^2?$$

Draw various quadrilaterals including a parallelogram, rectangle, rhombus, trapezoid, and a random quadrilateral.