

Self-Test 1

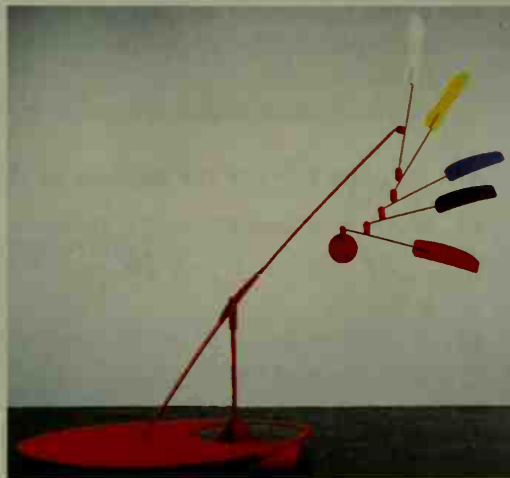
1. Draw any \overline{CD} . Construct the perpendicular bisector of \overline{CD} .
2. Construct a 60° angle, $\angle RST$, and its bisector, \overrightarrow{SQ} .
3. Draw a large acute $\triangle ABC$. Then construct altitude \overline{AD} from vertex A .
4. Draw line t and choose any point P that is not on line t . Construct $\overrightarrow{PQ} \parallel t$.
5. Draw any \overline{AB} . Construct rectangle $JKLM$ so that $JK = 2AB$ and $KL = AB$.
6. Name four types of concurrent lines, rays, or segments that are associated with triangles.
7. The perpendicular bisectors of the sides of a right triangle intersect in a point located at $\underline{\hspace{1cm}}$.
8. The medians of equilateral $\triangle ABC$ intersect at point X . If \overline{AD} is a median and $AB = 12$, then $AX = \underline{\hspace{1cm}}$ and $XD = \underline{\hspace{1cm}}$.

Application

Center of Gravity

The *center of gravity* of an object is the point where the weight of the object is focused. If you lift or support an object, you can do this most easily under its center of gravity.

A mobile is either hung or supported at its center of gravity. In planning a mobile, a sculptor must take into account the centers of gravity of the component parts.



If an object is not supported under its center of gravity, it becomes unstable. Suppose you hold a heavy bar in one hand. If you support it near the center of gravity, it will be easy to hold (Figure 1). To support it at one end requires more effort (Figure 2), since the pole tends to turn until the center of gravity is directly below the point of support (Figure 3).

The center of gravity may be inside an object or outside of it. The center of gravity of an ice cube is in the middle of the ice, but the center of gravity of an automobile tire is not in a part of the tire itself.

