

35. Extend \overrightarrow{OF} to int. l' at G and let H be the int. of l and l' . $m\angle F'GO = 90 - x$ so $m\angle GHF = 90 - (90 - x) = x$. 37. a. $\mathcal{R}_{C, 90}$ b. \overline{AD} is the image of \overline{BE} under an isom. c. If a rotation of 90° maps \overline{BE} to \overline{AD} , then one of the \angle s between \overline{BE} and \overline{AD} has meas. 90. (Result from Ex. 35.) 39. Locate X and Z as you did B and C in Ex. 38, using $\mathcal{R}_{A, 90}$ instead of $\mathcal{R}_{A, 60}$. With ctrs. X and Z and radius AX , draw arcs int. at Y .

Mixed Review Exercises, Page 592

1. ODE, OFG 2. 2:3 3. $x = \frac{9}{2}, y = \frac{10}{3}, z = 5, w = \frac{9}{2}$ 4. 3:5 5. 4:9 6. 9:25 7. 4:25

Written Exercises, Pages 596–597

1. $A'(12, 0), B'(8, 4), C'(4, -4)$ 3. $A'(3, 0), B'(2, 1), C'(1, -1)$ 5. $A'(-12, 0), B'(-8, -4), C'(-4, 4)$ 7. $A'(6, 0), B'(7, -1), C'(8, 1)$ 9. 4; expansion 11. $\frac{1}{3}$; contraction 13. 4; expansion 15. b, d 17. a, b, c 19. 3:2, 9:4 21. 2:1, 4:1 23. a. 16:9 b. 64:27 25. a. Slope of $\overline{PQ} = \frac{y_2 - y_1}{x_2 - x_1} = \text{slope of } \overline{P'Q'}$. b. \parallel 27. $(4, 2), k = 3$

Self-Test 1, Page 597

1. An isom. is a one-to-one mapping from the whole plane onto the whole plane that maps every seg. to a \cong seg. 2. -1, 3 3. $(1, -2), (-1, 2)$ 4. a. $(3, -5)$ b. $(-3, 5)$ c. $(5, 3)$ 5. a, b 6. Answers may vary; for example, $\mathcal{R}_{O, 330}$ 7. B 8. C 9. \overline{AB} 10. \overline{OB} 11. M 12. \overline{AO} 13. L 14. NDO 15. C 16. Q 17. C 18. L

Written Exercises, Pages 603–605

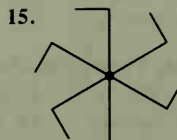
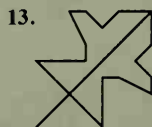
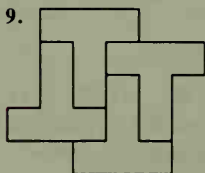
1. a. 1 b. $2x^2 - 7$ c. 9 d. $(2x - 7)^2$ 3. a. 8 b. 27 c. $\left(\frac{x+1}{2}\right)^3$ d. 14 e. 63 f. $\frac{x^3 + 1}{2}$ 11. a. Q b. S c. M d. Q e. Q 13. b 15. a, b, c, d 17. $(-3, -1)$ 19. $(9, 2)$ 21. $(4, -8)$ 23. $(3, -3)$ 25. a. $Q(-2, 5)$ b. 90 c. slope of $\overline{OP} = \frac{2}{5}$, slope of $\overline{OQ} = -\frac{5}{2}$; $\frac{2}{5}\left(-\frac{5}{2}\right) = -1$ d. $(-y, x), (y, -x)$ 27. Construct B' so that k is the \perp bisector of $\overline{BB'}$. Construct line j , the \perp bis. of $\overline{AB'}$. 29. translation

Written Exercises, Pages 607–608

1. $\frac{1}{4}$ 3. $\frac{3}{2}$ 5. C 7. A 9. C 11. A 13. C 15. I 17. H_O 19. $(x + 6, y - 8)$ 21. $S^{-1}: (x, y) \rightarrow (x - 5, y - 2)$ 23. $S^{-1}: (x, y) \rightarrow \left(\frac{1}{3}x, -2y\right)$ 25. $S^{-1}: (x, y) \rightarrow \left(x + 4, \frac{1}{4}y\right)$ 27. $T: (x, y) \rightarrow \left(x + 2, y - \frac{1}{2}\right)$ 29. a. 2 units rt., 2 units left

Written Exercises, Pages 612–614

1. a. 5 b. No c. $\mathcal{R}_{O, 72}, \mathcal{R}_{O, 144}, \mathcal{R}_{O, 216}, \mathcal{R}_{O, 288}$ 3. a. 4 b. Yes c. $\mathcal{R}_{O, 90}, \mathcal{R}_{O, 180}, \mathcal{R}_{O, 270}$ 5. A, B, C, D, E, K, M, T, U, V, W, Y 7. H, I, N, O, S, X, Z



19. a. The ellipse has line symm. about two axes and pt. symm. about the int. of the axes. b. If $a = b$, the ellipse becomes a \odot and the solid formed is a sphere with vol. $\frac{4}{3}\pi a^3$. c. The ellipsoid has plane symm. about the