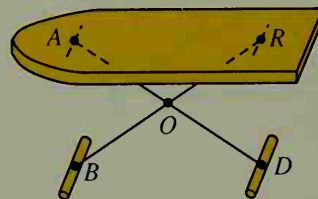
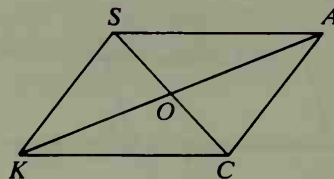


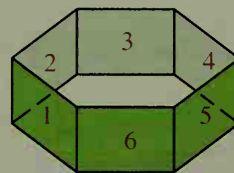
Written Exercises

State the principal definition or theorem that enables you to deduce, from the information given, that quad. $SACK$ is a parallelogram.

- A**
- $\overline{SA} \parallel \overline{KC}$; $\overline{SK} \parallel \overline{AC}$
 - $\overline{SA} \cong \overline{KC}$; $\overline{SK} \cong \overline{AC}$
 - $\overline{SA} \cong \overline{KC}$; $\overline{SA} \parallel \overline{KC}$
 - $SO = \frac{1}{2}SC$; $KO = \frac{1}{2}KA$
 - $\angle SKC \cong \angle CAS$; $\angle KCA \cong \angle ASK$
 - Suppose you know that $\triangle SOK \cong \triangle COA$. Explain how you could prove that quad. $SACK$ is a parallelogram.
 - The legs of this ironing board are built so that $BO = AO = RO = DO$. What theorem guarantees that the board is parallel to the floor ($\overline{AR} \parallel \overline{BD}$)?



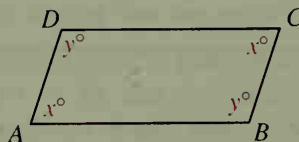
- The quadrilaterals numbered 1, 2, 3, 4, and 5 are parallelograms. If you wanted to show that quadrilateral 6 is also a parallelogram, which of the five methods listed on page 172 would be easiest to use?



- What theorem in this section is the converse of each theorem?
 a. Theorem 5-1 b. Theorem 5-2 c. Theorem 5-3
- Give the reasons for each step in the following proof of Theorem 5-6.

Given: $m\angle A = m\angle C = x$;
 $m\angle B = m\angle D = y$

Prove: $ABCD$ is a \square .



Proof:

Statements

Reasons

1. $m\angle A = m\angle C = x$;
 $m\angle B = m\angle D = y$

2. $2x + 2y = 360$

3. $x + y = 180$

4. $\overline{AB} \parallel \overline{DC}$ and $\overline{AD} \parallel \overline{BC}$

5. $ABCD$ is a \square .

1. ?

2. ?

3. ?

4. ?

5. ?