

Example 3 An isosceles triangle has sides 8, 8, and 6. Find the lengths of its three altitudes.

Solution The altitude to the base can be found using the Pythagorean Theorem.

$$x^2 = 8^2 - 3^2 = 55$$

$$x = \sqrt{55} \approx 7.4$$

Notice that $\cos B = \frac{3}{8}$ (so

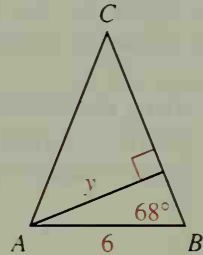
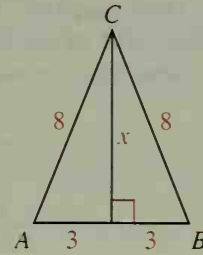
$m\angle B \approx 68^\circ$), and that the altitudes from A and B are congruent. (Why?)

To find the length of the altitudes from A and B, use

$$\sin B \approx \sin 68^\circ \approx \frac{y}{6}$$

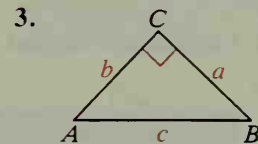
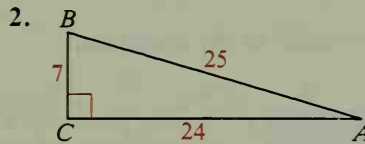
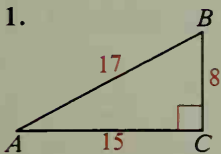
$$y \approx 6 \cdot \sin 68^\circ$$

$$y \approx 5.6$$



Classroom Exercises

In Exercises 1–3 express $\sin A$, $\cos A$, and $\tan A$ as fractions.



4–6. Using the triangles in Exercises 1–3, express $\sin B$, $\cos B$, and $\tan B$ as fractions.

7. Use the table on page 311 or a scientific calculator to complete the statements.

a. $\sin 24^\circ \approx \underline{\quad ? \quad}$

b. $\cos 57^\circ \approx \underline{\quad ? \quad}$

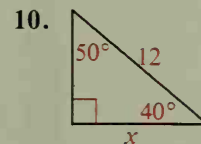
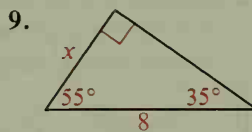
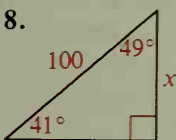
c. $\sin 87^\circ \approx \underline{\quad ? \quad}$

d. $\cos \underline{\quad ? \quad} \approx 0.9659$

e. $\sin \underline{\quad ? \quad} \approx 0.1045$

f. $\cos \underline{\quad ? \quad} \approx 0.1500$

State two different equations you could use to find the value of x .



11. The word *cosine* is related to the phrase “complement’s sine.” Explain the relationship by using the diagram to express the cosine of $\angle A$ and the sine of its complement, $\angle B$.

