

# EMBS Autumn Assessment

Y6385133

500 words counted with texcount

Autumn 2012

## 1 Modelling

I modelled my solution using Mote Runner SDK. The reasons against using another solution were:

### Differences in implementation details

No guarantee that applications such as ptollemys would exhibit the same characteristics as motes

### Time constraints

I expected the majority of my time would be taken up with debugging the mote SDK

## 2 Implementation

My original implementation observed a sink until it had determined the period, and then analysed the next sink. This worked, but in the worst case situation where the  $Sink_A$  has  $n = 1500$  and  $t = 10$  the source could block for 35s – over half the time of the entire simulation – before it analyses other sinks. See figure 1 for rough illustration.

To fix this I added a timeout that restricts the time the source can spend trying to analyse a sink when there are other periods that need estimating.

The general case for determining a sink's period  $t$  involves observing two sequence numbers  $(n_1, n_2)$  emitted by a sink, recording the times they were observed  $(r_1, r_2)$ :

$$t = \frac{r_2 - r_1}{n_1 - n_2}$$

This allows the period to be calculated without observing consecutive sequence numbers, however the two sequence numbers must be observed within the same synchronisation phase. In the case where  $n = 1$  this is impossible, so I added a special case that calculates

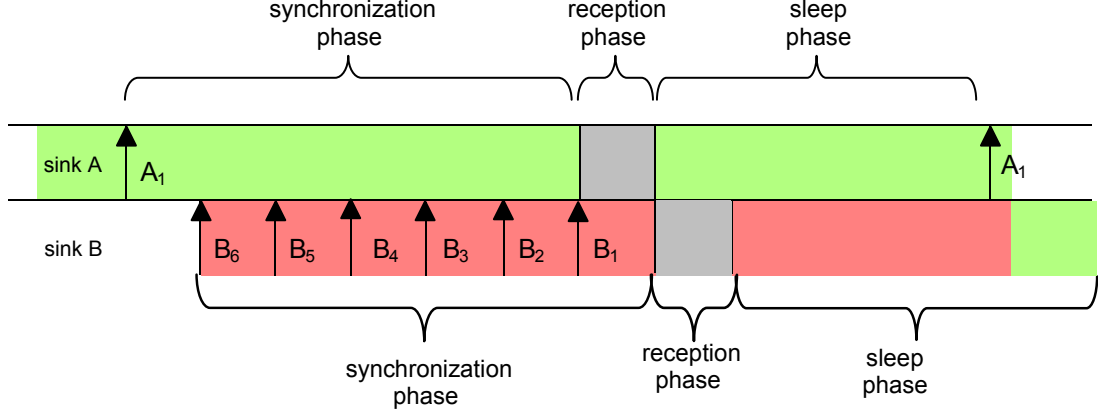


Figure 1: Without a timeout the source can block for too long and miss other phases

$$t = \frac{r_2 - r_1}{12}$$

However, this can be problematic if the  $n_2$  is not in the cycle after  $n_1$ 's. One countermeasure is to ignore periods  $t > 1600$  (+100ms to allow for clock drift)

When  $n_2 > n_1$  we cannot reliably calculate the period as the second sequence number may not be the sink's  $n_{max}$ , thus giving a larger  $t$ , which could cause us to transmit outside of the reception period. In this instance  $n_1$  is replaced with  $n_2$ 's values and  $n_2$  is reset.

There is a hard limit of 1600ms to prevent obviously erroneous periods.

### 3 Clock Drift

Inevitable in systems without a centralised clock, especially when wireless communication is involved. To prevent, the source always performs calculations using times events were triggered at, rather than 'current' time. After each broadcast the source schedules a new broadcast in  $t * (11 + n)$  ticks and a verification in  $(t * (10 + n)) - x$  ticks. The verification is used to check the estimated reception period is accurate. Unfortunately, this is occasionally missed due to competing overlapping times.

### 4 Power Saving

My implementation saves power by scaling down the transmission power based on the signal strength of received packets and turning off LEDs (when not debugging). Received power strength is between 0 – 255 and transmission power 0 – 63. Calculating min power needed to send to  $sink_X$ :

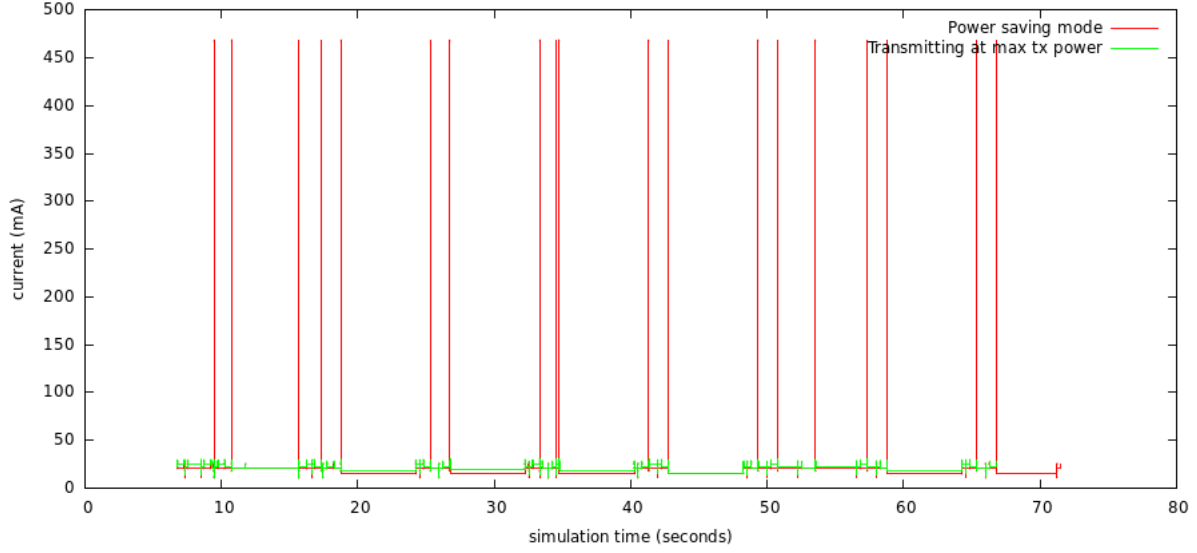


Figure 2:

$$tx\_power_x = \frac{rx\_power_x}{255} \times 63$$

However using this value will mean a different min power is required as noise/distance from sink changes. Instead I transmit at double the minimum required power.

$$tx\_power_x = \max(63, \frac{rx\_power_x}{255} \times 63)$$

The above operation can be approximated using multiplications of powers of 2, aka bit shifts.

$$\begin{aligned} tx\_power_x &= rx\_power_x \times 2^{-8} \times 2^6 \\ &= rx\_power_x \times 2^{-2} \end{aligned}$$

## 5 Verification

The SDK's netview tool was used to confirm reduction in TX power, however it appears there's a bug that reports an extreme increase in current when signal strengths other than max are used (figure 3)

Ignoring erroneous values yields figure ??.

I also used a script by another student (not included) to generate sinks with different parameters, and automated it to test for multiple scenarios:

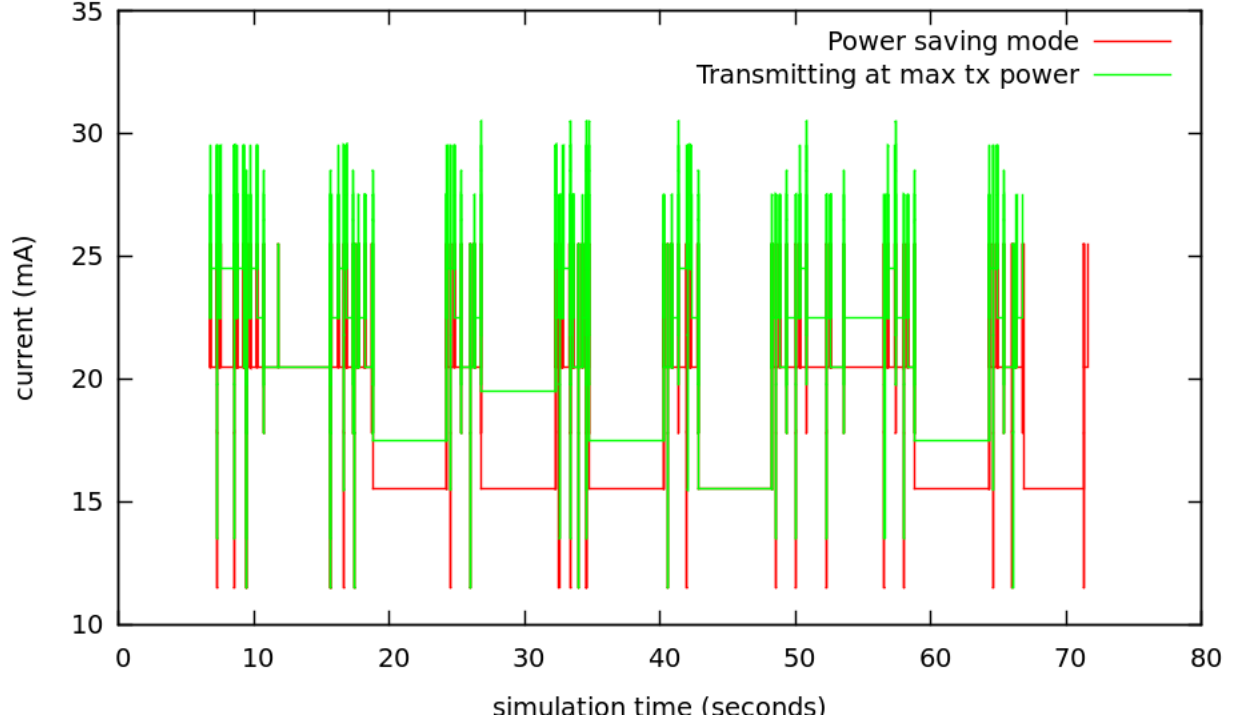


Figure 3: Consumption sans bugged values. Note that PSM uses on average less power than max power

$Sink_A$				$Sink_B$				$Sink_C$			
$n$	$t(ms)$	$A$	$R$	$n$	$t(ms)$	$A$	$R$	$n$	$t(ms)$	$A$	$R$
10	500	6	0	4	700	6	0	5	1500	3	0
2	541	9	0	3	912	5	0	6	1101	3	0
6	1407	3	0	5	567	7	0	2	1207	3	0
2	725	7	0	8	868	4	0	4	1043	4	0
10	683	4	0	7	1308	3	0	2	685	6	0
1	683	7	0	7	1308	3	0	2	685	6	0
2	500	9	0	2	500	9	0	2	500	9	0
7	1308	3	0	1	1500	1	0	2	685	5	0
8	1500	2	0	1	1000	0	0	7	1000	3	0

Figure 4:  $A$ : packets sent in RX period,  $R$ : packets sent outside RX period

These values were observed in the simulator so performance on hardware may be different.

```
1 #!/bin/bash
2
3 for i in {0..9}
4 do
5     # Use one of the 10 predefined sink setups
6     ruby generate_sinks.rb $i
7
8     mrsh -i reset | grep "In_Reception" &
9
10    process=$!
11
12    # The extra 5 seconds allows leeway for setup etc.
13    sleep 65
14
15    killall mrsh
16    killall _mrsh
17 done
```