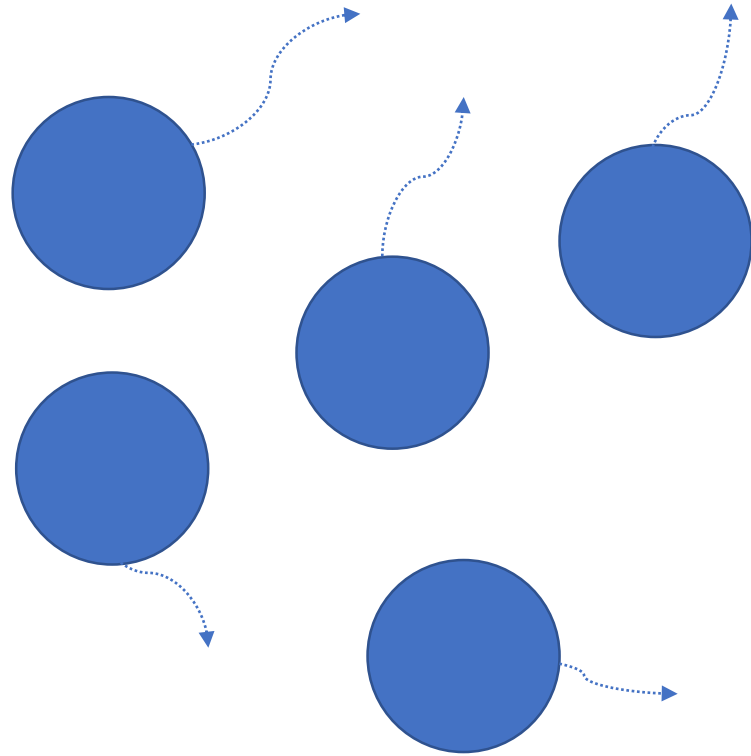


# **Basics of Molecular Dynamics Simulation**

P. SATPATI

# Objective (Molecular Dynamics)



Given a collection of “N” particles

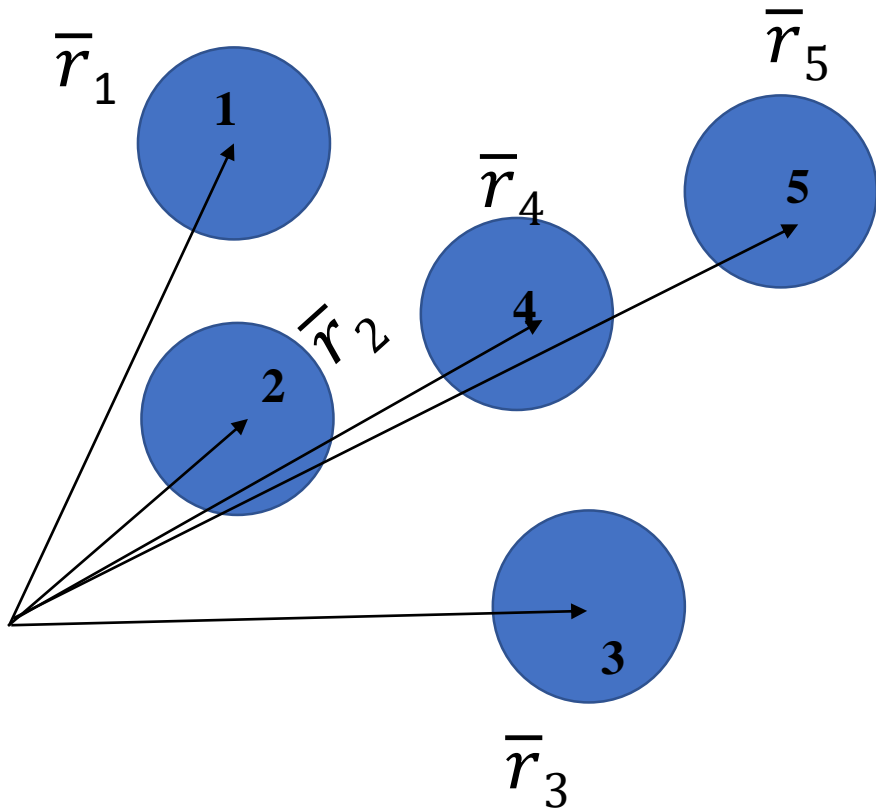


How the particle will move with Time

Trajectory

# Objective (Molecular Dynamics)

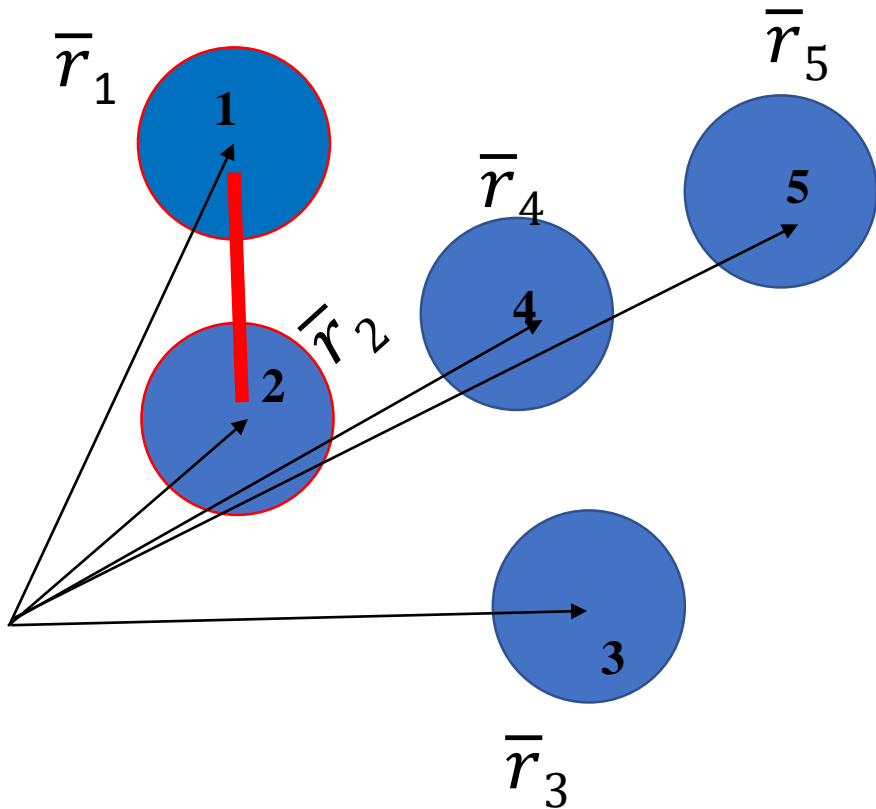
## What I need ?



1. Where the “N” particles are (initial position)  
Velocities of “N” particles (initial velocities)

# Objective (Molecular Dynamics)

## What I need ?



1. Where the “N” particles are (initial position)  
Velocities of “N” particles (initial velocities)
2. What is the interatomic energy (U) ?

Given ‘N’ position corresponds to a Energy (U)

Every pair of particles apply forces to each other (e.g, 1 &2 )

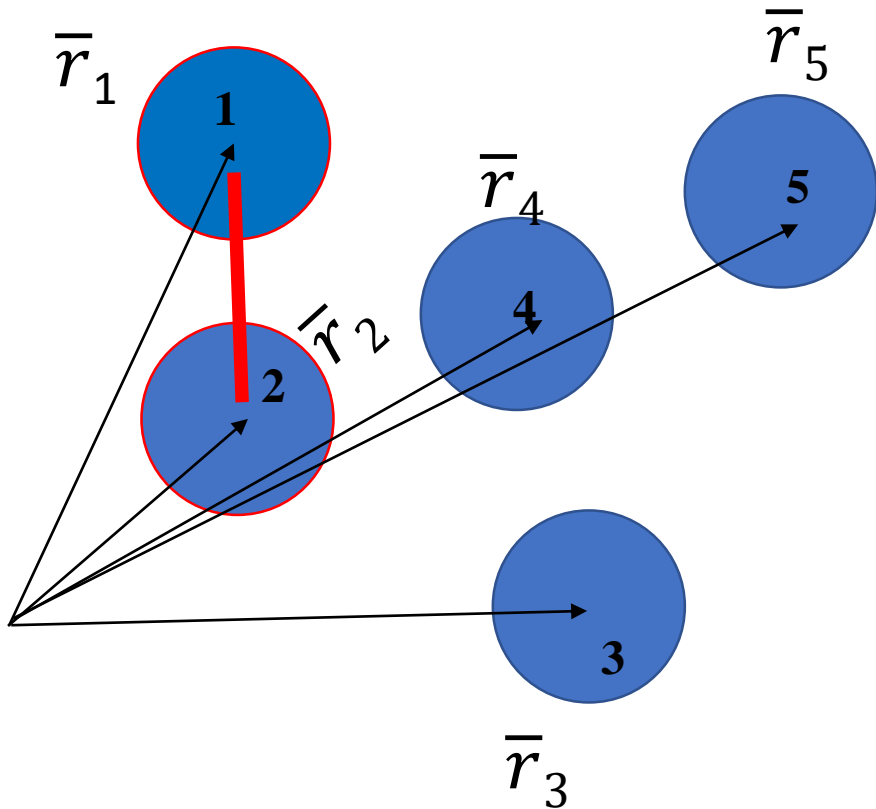
$$\vec{F}_{2 \rightarrow 1} = - \vec{F}_{1 \rightarrow 2}$$

$$\vec{F}_{3 \rightarrow 1} = - \vec{F}_{1 \rightarrow 3}$$

$$\vec{F}_{4 \rightarrow 1} = - \vec{F}_{1 \rightarrow 4}$$

# Objective (Molecular Dynamics)

## What I need ?



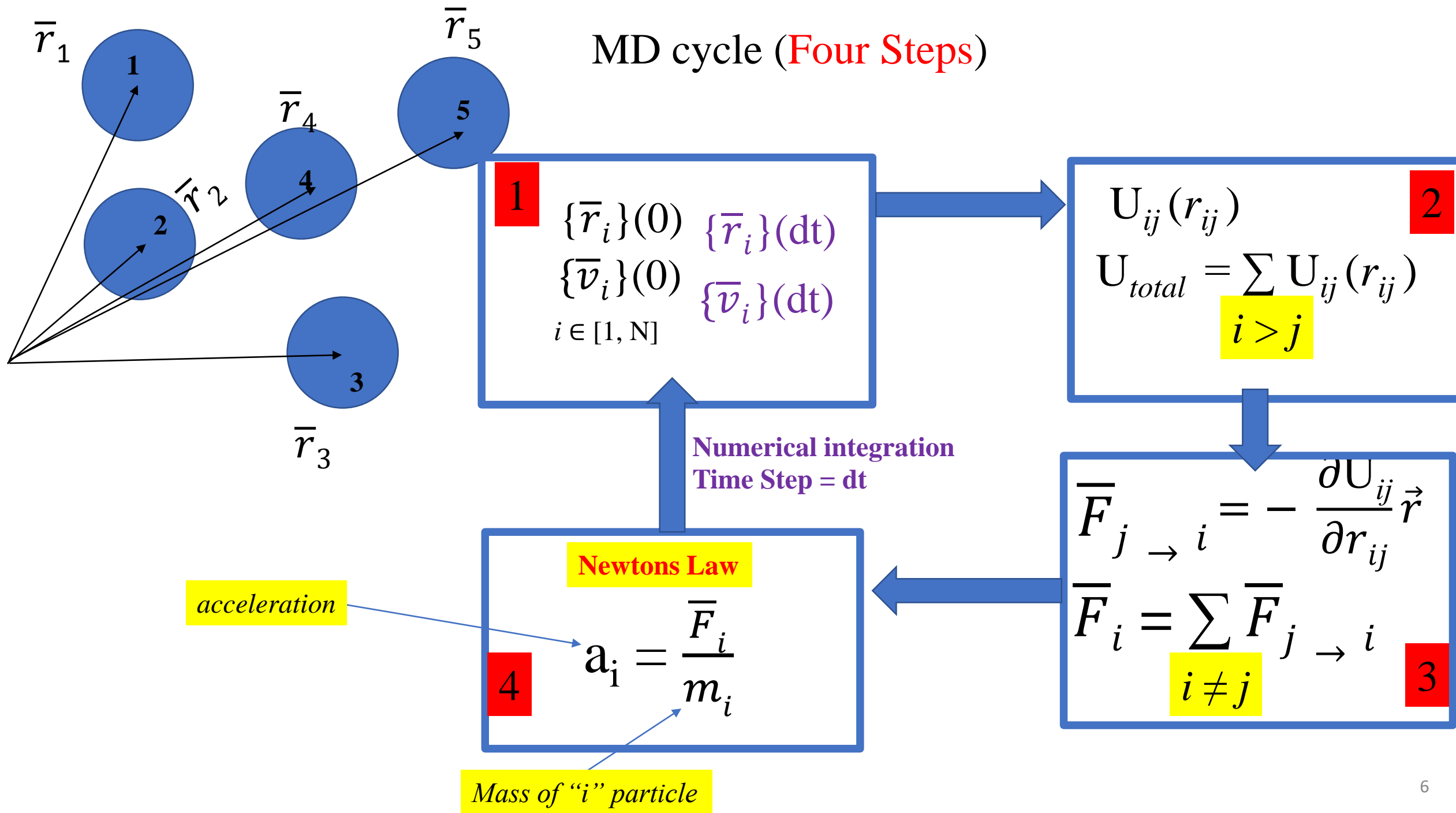
1. Where the “N” particles are (initial position)  
Velocities of “N” particles (initial velocities)
2. What is the interatomic energy (U) ?

Given ‘N’ position corresponds to a Energy (U)

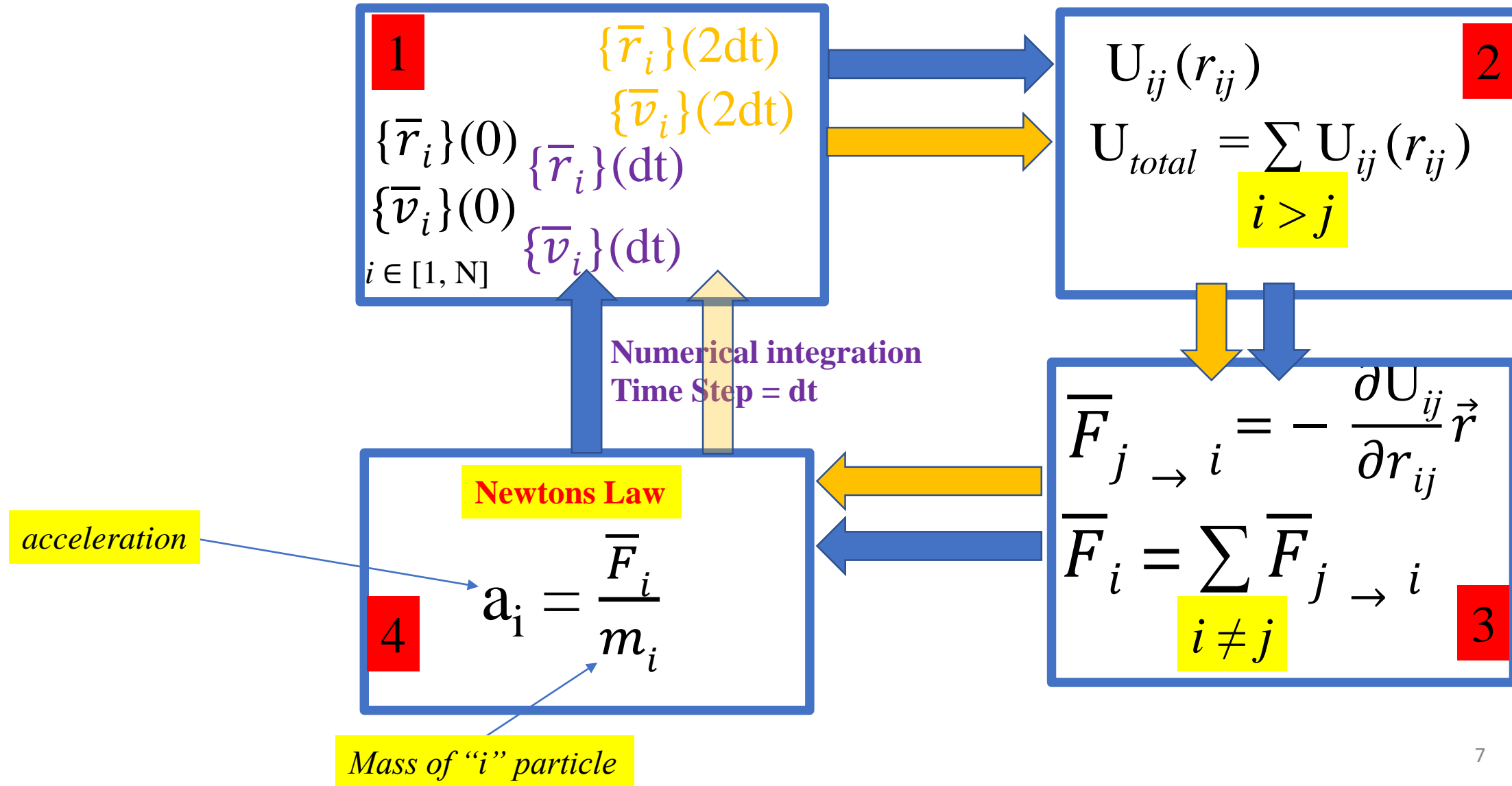
Every pair of particles apply forces to each other (e.g, 1 &2 )

$$\vec{F}_{2 \rightarrow 1} \quad ?$$

If you want to know the forces you need to know Energy  $U_{12}$  (Depends on distance,  $\vec{r}_{12}$ )

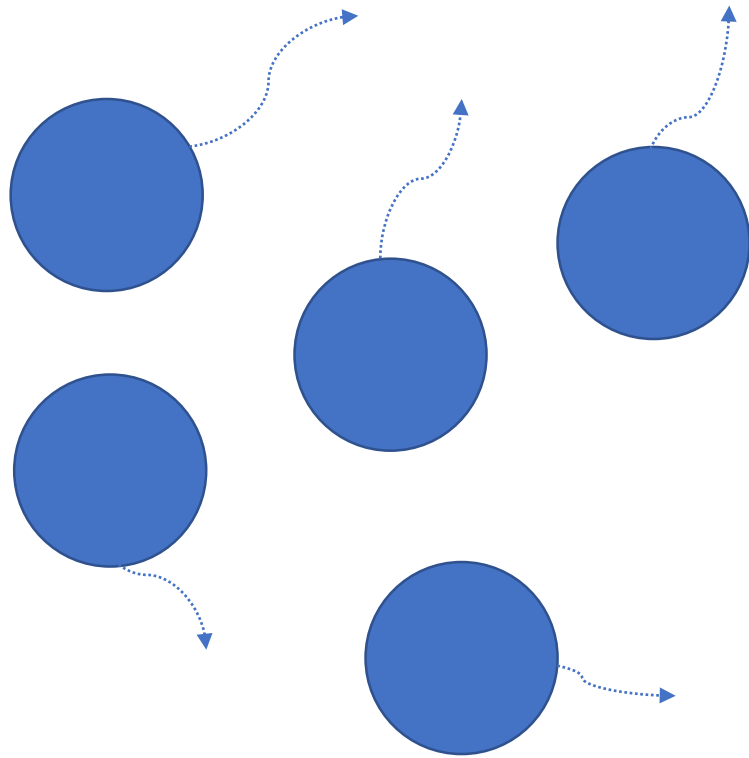


# MD cycle (Four Steps)



## MD cycle (**Four Steps**)

$0 \rightarrow dt \rightarrow 2 dt \rightarrow 3dt \dots$



Outcome = Trajectory



# MD cycle (Four Steps)

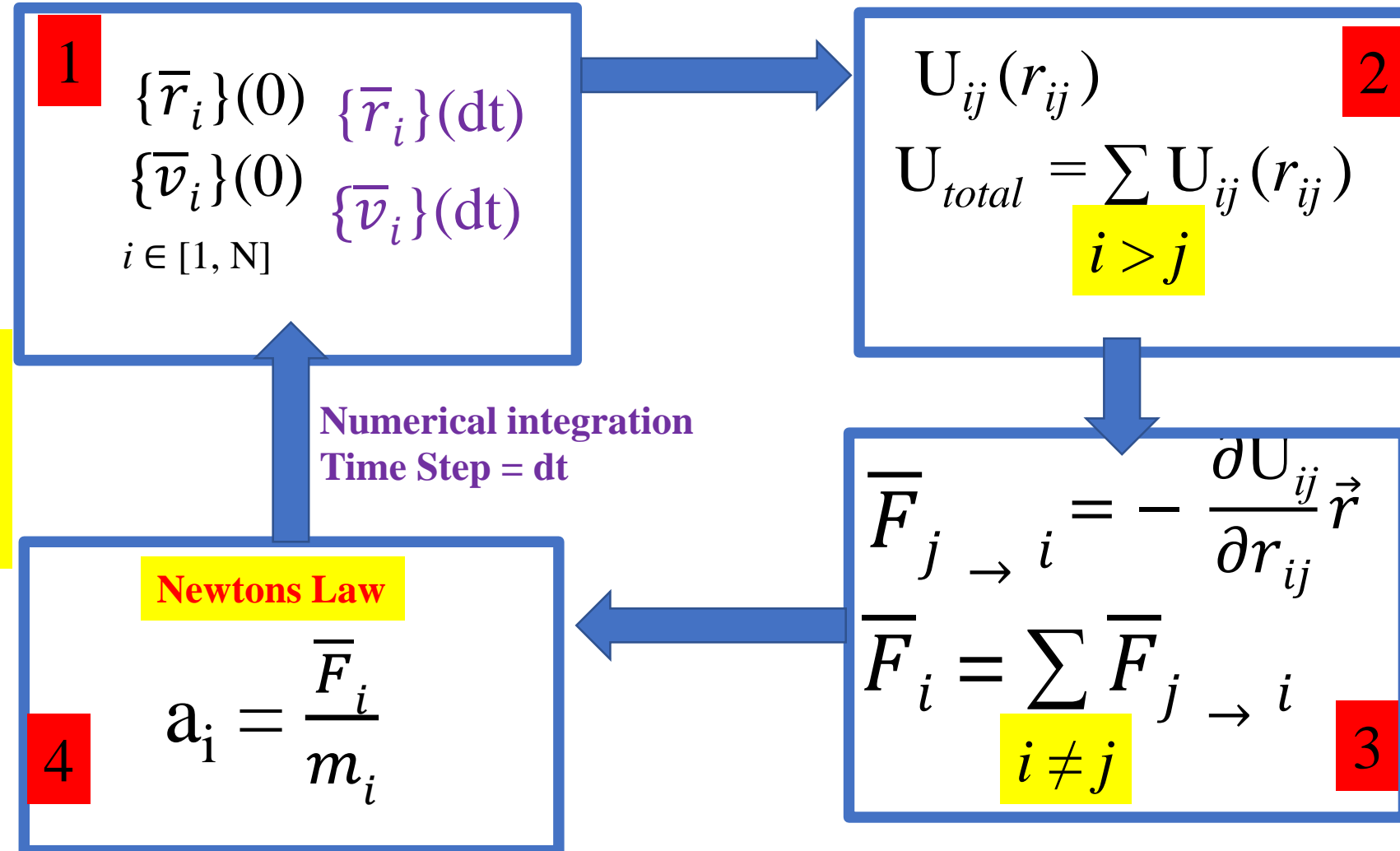
Needs to Know ?

$\mathbf{r}(0), \mathbf{v}(0), U(\mathbf{r})$

Key for accuracy ?

- Force field  $U$
- Numerical integration (Choice of “ $dt$ ”)

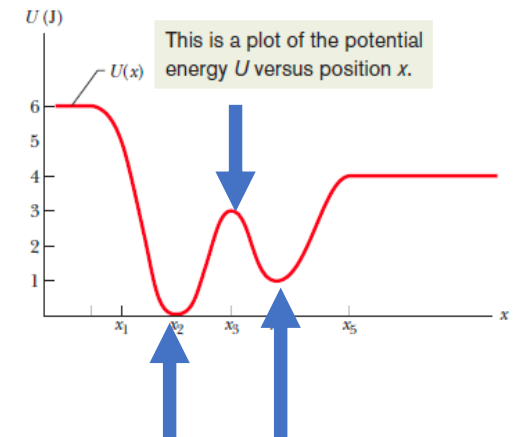
Usually  
 $t = 1-2 \text{ fs}$



# Why it is called **Classical Molecular Dynamics** ?

Use of Classical equation of motion ( $F = m a$ , Time evolution)

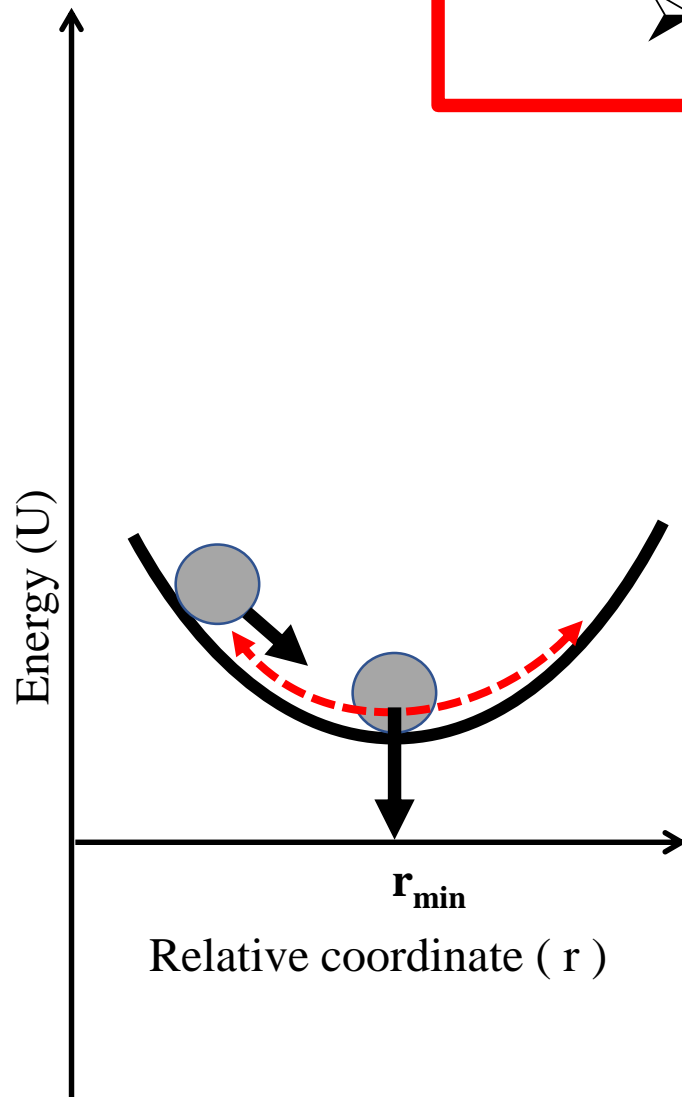
**Energy Minimization** do not have Time (NOT DYNAMICS)



**Molecular Dynamics  $\neq$  Energy Minimization**

$$\triangleright \mathbf{F} = m \mathbf{a}$$

(Classical Mechanics)



$$\mathbf{F}_{r=r_{\min}} = - (dU/dr)_{r=r_{\min}} = 0$$

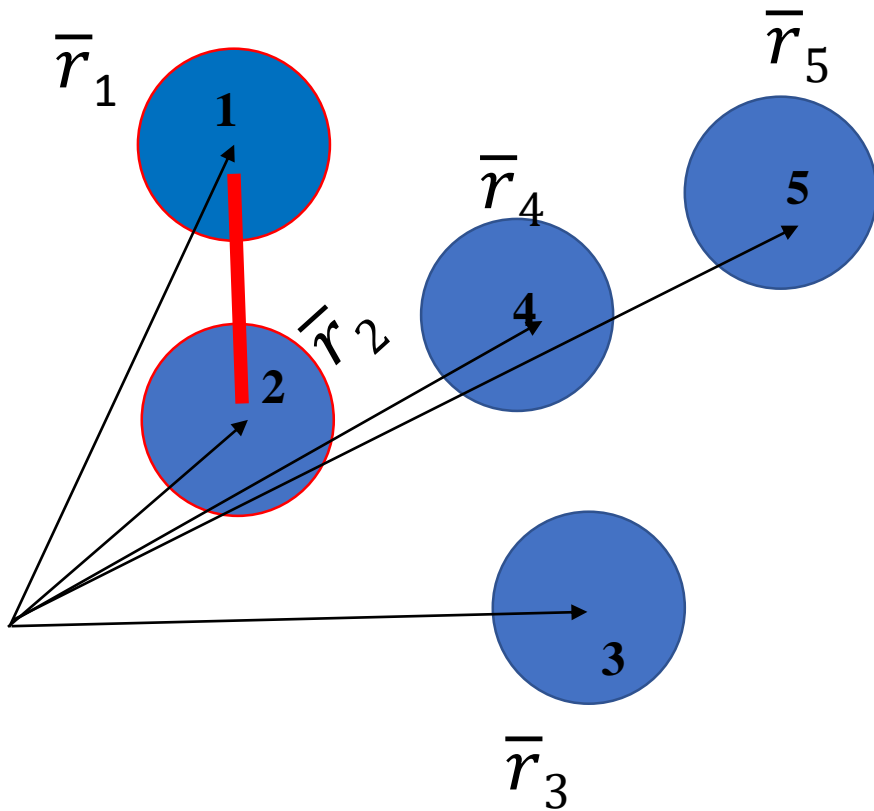


**NO MORE MOVEMENT**

**Thank GOD:  
Nothing is at zero kelvin  
KEEP MOVING AROUND  
THE MINIMA**

We already know  $U_{12}$  (Force-Field)

## CHARMM Potential Function



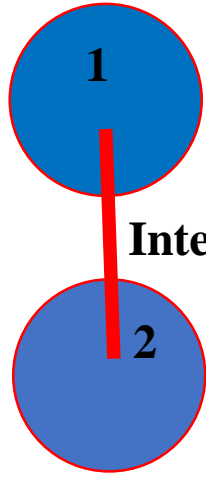
$$U(\vec{R}) = \underbrace{\sum_{\text{bonds}} k_i^{\text{bond}} (r_i - r_0)^2}_{U_{\text{bond}}} + \underbrace{\sum_{\text{angles}} k_i^{\text{angle}} (\theta_i - \theta_0)^2}_{U_{\text{angle}}} + \underbrace{\sum_{\text{dihedrals}} k_i^{\text{dihe}} [1 + \cos(n_i \phi_i + \delta_i)]}_{U_{\text{dihedral}}} + \underbrace{\sum_i \sum_{j \neq i} 4\epsilon_{ij} \left[ \left( \frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left( \frac{\sigma_{ij}}{r_{ij}} \right)^6 \right] + \sum_i \sum_{j \neq i} \frac{q_i q_j}{\epsilon r_{ij}}}_{U_{\text{nonbond}}}$$

Diagram illustrating the CHARMM Potential Function components and their sources:

- bonds**:  $\sum k_i^{\text{bond}} (r_i - r_0)^2$  (Source: **PDB file** → **geometry**)
- angles**:  $\sum k_i^{\text{angle}} (\theta_i - \theta_0)^2$  (Source: **Topology** → **PSF file**)
- dihedrals**:  $\sum k_i^{\text{dihe}} [1 + \cos(n_i \phi_i + \delta_i)]$  (Source: **Topology** → **PSF file**)
- nonbond**:  $\sum_i \sum_{j \neq i} 4\epsilon_{ij} \left[ \left( \frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left( \frac{\sigma_{ij}}{r_{ij}} \right)^6 \right] + \sum_i \sum_{j \neq i} \frac{q_i q_j}{\epsilon r_{ij}}$  (Source: **parameters** → **Parameter file**)

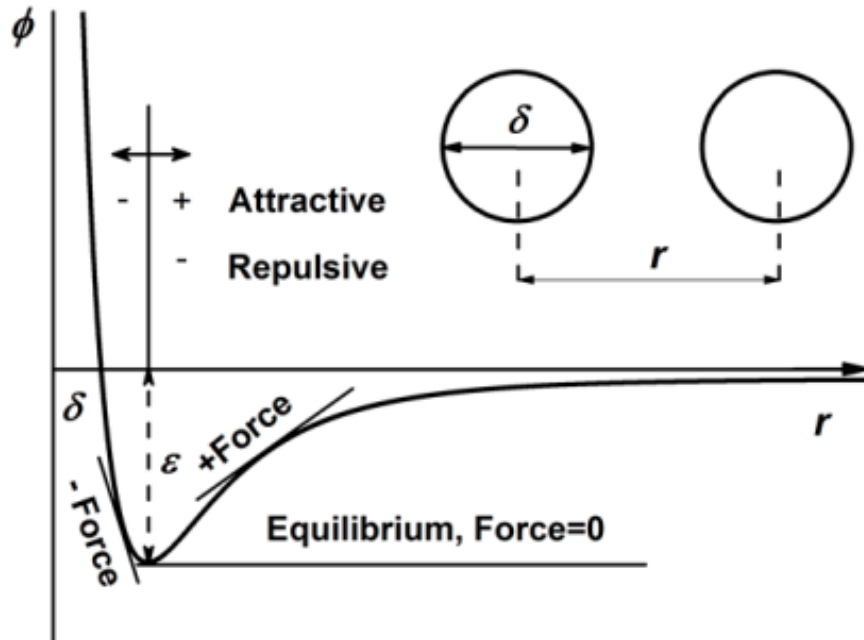
*If my particles do not have internal structure*

$$U_{12} \text{ (Force-Field)} \rightarrow \vec{F}_{2 \rightarrow 1} \quad ?$$



Interatomic distance =  $r$

$$\vec{F}_{2 \rightarrow 1} = - \frac{\partial U}{\partial r} \vec{r}$$



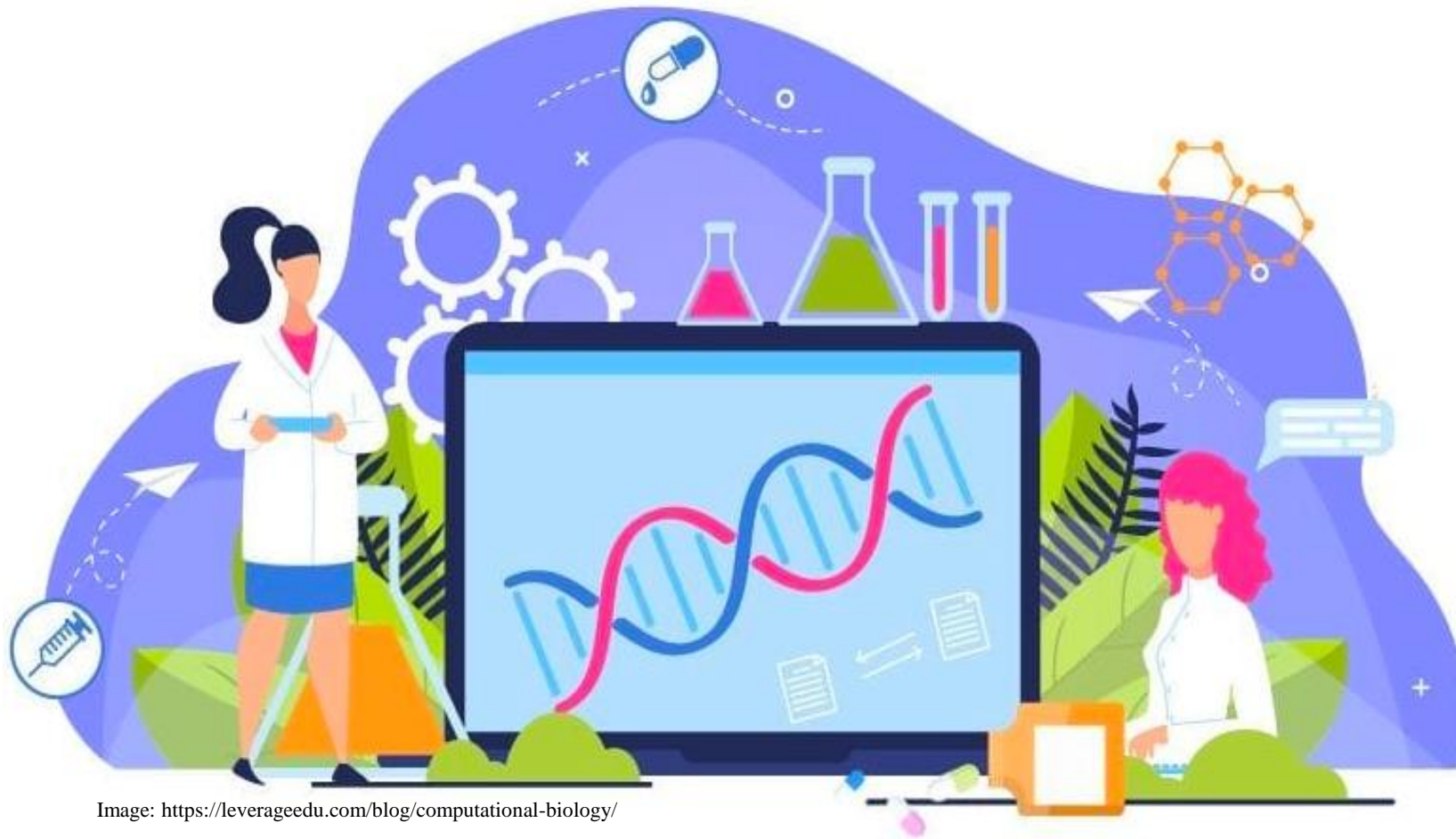


Image: <https://leverageedu.com/blog/computational-biology/>

**Next : Numerical Integration and Position/Velocity update**