## CODE:

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# Subject EE5600
# Assignment 01
# Problem "in lines and planes - 103"
# Roll number EE20RESCH14006
# Name B.Sridhar
import math
p1 = [1,1,'p'] # point represented in single row array
p2 = [-3,0,1] # point represented in single row array
plane = [3,4,-12,13] # plane equation ax+by+cz+d=0 represented in (a,b,c,d) single row array
def distance_point_from_plane(p,pl):
           numerator = abs (pl[0]*p[0] + pl[1]*p[1] + pl[2]*p[2] + pl[3])
           denominator = math.sqrt (pl[0]**2 + pl[1]**2 + pl[2]**2)
           distance = numerator / denominator
           return distance
# distance of point (x1,y1,z1) from plane ax+by+cz+d=0 is given by
\# d = abs (ax1 + by1 + cz1 + d) / (sqrt(a**2 + b**2 + c**2))
# Given point p1 and p2 are equidistant from plane d1 and d2 are equal
# then unknown z-coordinate of p1 = [abs(ax2+by2+cz2+d)] - [abs(ax1+by1+d)]/c
Numerator Of distance of P2 from plane = abs ( ( plane[0]*p2[0] + plane[1]*p2[1] + plane[2]*p2[2] + plane[
plane[3] ) )
p1[2] = int ((NumeratorOfdistanceofP2fromplane - (plane[0]*p1[0] + plane[1]*p1[1] + plane[3])) / 
plane[2])
p1distancefromplane = distance point from plane(p1,plane)
p2distancefromplane = distance_point_from_plane(p2,plane)
print ("Thus point p1 =", p1)
print ("distance of p1 from plane =", round(p1distancefromplane,4), "distance of p2 from plane =",
round(p2distancefromplane,4), )
```

## **Output:**

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Thus point p1 = [1, 1, 1] distance of p1 from plane = 0.6154 distance of p2 from plane = 0.6154
```