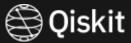
Qiskit Dev Certificate Sample Questions

Inho Choi

Qiskit Advocate





1. Which statement will create a quantum circuit with four quantum bits and four classical bits?

```
A. QuantumCircuit(4, 4)
B. QuantumCircuit(4)
C. QuantumCircuit(QuantumRegister(4, 'qr0'), QuantumRegister(4, 'cr1'))
D. QuantumCircuit([4, 4])
```



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```
A. q_0 \longrightarrow q_1 \longrightarrow q_2 \longrightarrow q_3 \longrightarrow c \stackrel{4}{=}
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В.

$$q_0$$
 —

$$q_1$$
 —

$$q_2$$
 —

$$q_3$$
 —

A. $q_0 \longrightarrow q_1 \longrightarrow q_2 \longrightarrow q_3 \longrightarrow c \stackrel{4}{\not=}$



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В

 q_0 —

 q_1 —

 q_2 —

 q_3 —

C

gros ---

 $po_1 =$

voz -

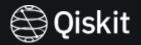
ro₃ —

crlo --

cr11 -

cr12 ---

cr13 -



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B.

 q_0 —

*a*₁ —

a2 —

 q_3 —

 C

groo —

gro1 -

102 -

ro3 -

crlo --

cr11 -

r12 -

cr13 ---

D.

Error: 'Expected an instance of Qubit, Clbit, or AncillaQubit, but was passed 4'



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В

 $q_0 - \!\!\!\!--$

*a*₁ ____

a2 —

 q_3 —

 C

groo —

qro1 -

102 -

ros -

crlo --

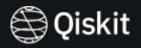
cr11 -

r12 -

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D.

Error: 'Expected an instance of Qubit, Clbit, or AncillaQubit, but was passed 4'



2. Given this code fragment, what is the probability that a measurement would result in |0>?

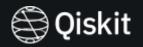
```
qc = QuantumCircuit(1)
qc.ry(3 * math.pi/4, 0)
```

A. 0.8536

B. 0.5

C. 0.1464

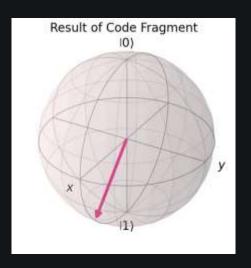
D. 1.0



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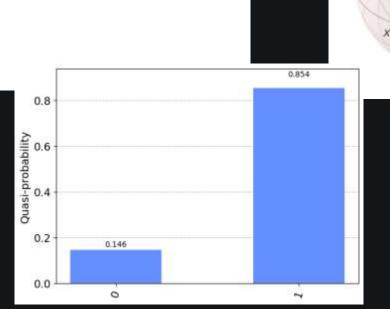


Result of Code Fragment

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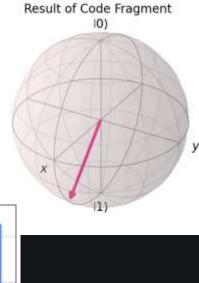
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qc = QuantumCircuit(1)
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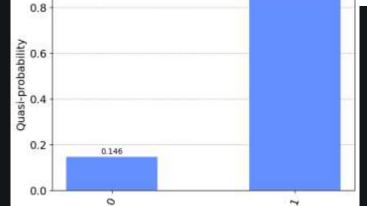
A. 0.8536

B. 0.5

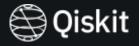
C. 0.1464

D. 1.0





0.854



3. Assuming the fragment below, which three code fragments would produce the circuit illustrated?

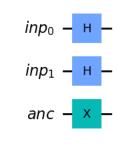
```
inp reg - QuantumRegister(2, name-'inp')
ancilla - QuantumRegister(1, name='anc')
qc = QuantumCircuit(inp reg, ancilla)
# Insert code here
A qc.h(inp req)
qc.x(ancilla)
qc.draw()
B. qc.h(inp reg[0:2])
qc.x(ancilla[0])
qc.draw()
C. qc.h(inp reg[0:1])
qc.x(ancilla[0])
qc.draw()
D. qc,h(inp reg[0])
qc.h(inp reg[1])
qc,x(ancilla[0])
qc.draw()
E. qc,h(inp reg[1])
qc.h(inp reg[2])
qc.x(ancilla[1])
qc.draw()
F. qc.h (inp req)
qc.h(inp reg)
qc.x(ancilla)
qc.draw()
```

3. Assuming the fragment below, which three code fragments would produce the circuit illustrated?

inp_reg = QuantumRegister(2, name='inp')
ancilla = QuantumRegister(1, name='anc')
qc = QuantumCircuit(inp reg, ancilla)

```
# Insert code here
A qc.h(inp req)
qc.x(ancilla)
qc.draw()
B. qc.h(inp reg[0:2])
qc.x(ancilla[0])
gc.draw()
C. qc.h(inp reg[0:1])
qc.x(ancilla[0])
qc.draw()
D. qc,h(inp reg[0])
qc.h(inp reg[1])
qc,x(ancilla[0])
gc.draw()
E. qc.h(inp reg[1])
qc.h(inp req[2])
qc.x(ancilla[1])
qc.draw()
F. qc.h (inp req)
qc.h (inp reg)
qc.x(ancilla)
qc.draw()
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inp_reg = QuantumRegister(2, name='inp')
ancilla = QuantumRegister(1, name='anc')
qc = QuantumCircuit(inp reg, ancilla)

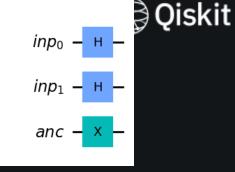
```
# Insert code here
A qc.h(inp req)
qc.x(ancilla)
qc.draw()
B. qc.h(inp reg[0:2])
qc.x(ancilla[0])
gc.draw()
C. qc.h(inp reg[0:1])
gc.x(ancilla[0])
qc.draw()
D. qc,h(inp reg[0])
qc.h(inp reg[1])
qc,x(ancilla[0])
gc.draw()
E. qc.h(inp reg[1])
qc.h(inp req[2])
gc.x(ancilla[1])
qc.draw()
F. qc.h (inp req)
qc.h (inp reg)
qc.x(ancilla)
```

qc.draw()

A.

$$inp_0 - H inp_1 - H anc - X -$$

B.



3. Assuming the fragment below, which three code fragments would produce the circuit illustrated?

```
inp_reg - QuantumRegister(2, name='inp')
ancilla - QuantumRegister(1, name='anc')
qc - QuantumCircuit(inp_reg, ancilla)
```

Insert code here



```
A qc.h(inp req)
qc.x(ancilla)
qc.draw()
B. qc.h(inp reg[0:2])
qc.x(ancilla[0])
gc.draw()
C. qc.h(inp reg[0:1])
gc.x(ancilla[0])
qc.draw()
D. qc,h(inp reg[0])
qc.h(inp reg[1])
qc,x(ancilla[0])
gc.draw()
E. gc,h(inp reg[1])
qc.h(inp req[2])
gc.x(ancilla[1])
qc.draw()
F. qc.h (inp req)
```

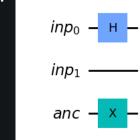
qc.h(inp_reg) qc.x(ancilla)

qc.draw()

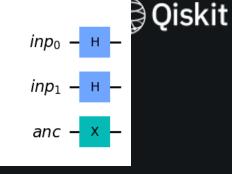
A.

$$inp_0 - H inp_1 - H anc - X -$$

C..



B.



3. Assuming the fragment below, which three code fragments would produce the circuit illustrated?

```
inp_reg = QuantumRegister(2, name='inp')
ancilla = QuantumRegister(1, name='anc')
qc = QuantumCircuit(inp_reg, ancilla)
```

Insert code here

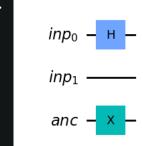


```
A qc.h(inp req)
qc.x(ancilla)
qc.draw()
B. qc.h(inp reg[0:2])
qc.x(ancilla[0])
gc.draw()
C. qc.h(inp reg[0:1])
gc.x(ancilla[0])
qc.draw()
D. gc.h(inp reg[0])
qc.h(inp reg[1])
qc,x(ancilla[0])
gc.draw()
E. gc,h(inp reg[1])
qc.h(inp req[2])
gc.x(ancilla[1])
qc.draw()
```

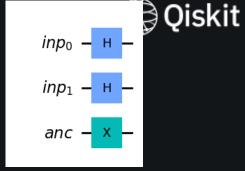
F. qc.h(inp_reg) qc.h(inp_reg) qc.x(ancilla) qc.draw() A.

$$inp_0 - H inp_1 - H anc - X -$$

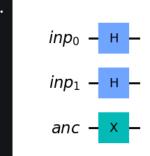
 \boldsymbol{c}



B.



D



3. Assuming the fragment below, which three code fragments would produce the circuit illustrated?

```
inp_reg - QuantumRegister(2, name-'inp')
ancilla - QuantumRegister(1, name-'anc')
qc - QuantumCircuit(inp_reg, ancilla)
```

Insert code here



```
A qc.h(inp req)
qc.x(ancilla)
qc.draw()
B. qc.h(inp reg[0:2])
qc.x(ancilla[0])
gc.draw()
C. gc.h(inp reg[0:1])
gc.x(ancilla[0])
gc.draw()
D. gc.h(inp reg[0])
qc.h(inp reg[1])
qc,x(ancilla[0])
qc.draw()
E. gc,h(inp reg[1])
qc.h(inp req[2])
gc.x(ancilla[1])
```

qc.draw()

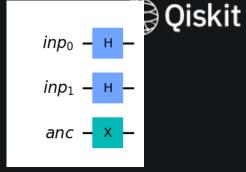
F. qc.h(inp_reg)
qc.h(inp_reg)
qc.x(ancilla)

qc.draw()

A.

$$inp_0 - H inp_1 - H anc - X -$$

B.



 C

$$inp_0 - H inp_1 anc - X -$$

D

inp
$$_0$$
 - $_H$ - $_H$

E.

Error: list index out of range

3. Assuming the fragment below, which three code fragments would produce the circuit illustrated?

```
inp_reg - QuantumRegister(2, name='inp')
ancilla - QuantumRegister(1, name='anc')
qc - QuantumCircuit(inp_reg, ancilla)
```

Insert code here



A qc.h(inp_reg) qc.x(ancilla) qc.draw() B qc.h(inp_reg[0]

B. qc.h(inp_reg[0:2]) qc.x(ancilla[0]) qc.draw()

C. qc.h(inp_reg[0:1])
qc.x(encilla[0])

qc.draw()
D. qc.h(inp_reg[0])

qc,h(inp_reg[1]) qc,x(ancilla[0])

qc.draw()

E. qc.h(inp_reg[1])

qc.h(inp_reg[2]) qc.x(ancilla[1])

qc.draw()

F. qc.h (inp_reg)

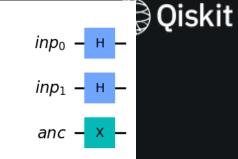
qc.h(inp_reg) qc.x(ancilla)

qc.draw()

A.

$$inp_0 - H inp_1 - H anc - X -$$

E. Error: list index out of range B.



 $inp_0 - H inp_1 - H -$ anc - X -

inp₀ — н — н inp₁ — н — н anc — х

3. Assuming the fragment below, which three code fragments would produce the circuit illustrated?

```
inp_reg - QuantumRegister(2, name='inp')
ancilla - QuantumRegister(1, name='anc')
qc - QuantumCircuit(inp_reg, ancilla)
```

Insert code here



- A qc.h(inp_reg) qc.x(ancilla)
- qc.draw()
- B. qc.h(inp_reg[0:2])
 qc.x(ancilla[0])
- qc.draw()
- C. qc.h(inp_reg[0:1]) qc.x(ancilla[0])
- qc.draw()
- D. qc.h(inp_reg[0])
- qc.h(inp_reg[1])
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- E. qc,h(inp reg[1])
- qc.h(inp_reg[2])
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- qc.draw()
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- qc.h(inp_reg)
- qc.x(ancilla)
- qc.draw()

A.

$$inp_0 - H inp_1 - H anc - X -$$

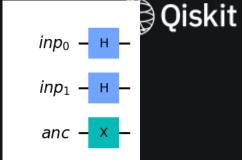
C.

$$inp_0 - H inp_1 - anc - X -$$

E.

Error: list index out of range

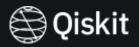
B.



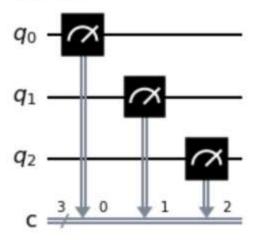
D

inp
$$_0$$
 H $-$ inp $_1$ H $-$ anc \times $-$

E



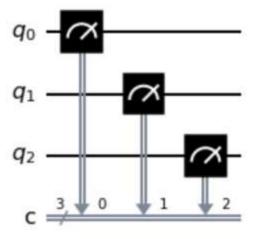
4. Given an empty QuantumCircuit object, qc, with three qubits and three classical bits, which one of these code fragments would create this circuit?



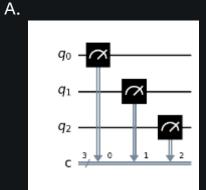
- A. qc.measure([0,1,2], [0,1,2])
- B. qc.measure([0,0], [1,1], [2,2])
- C. qc.measure all()
- D. qc.measure (0,1,2)

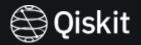


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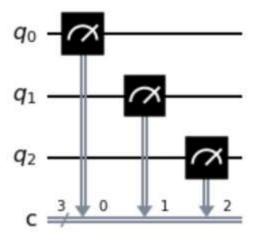


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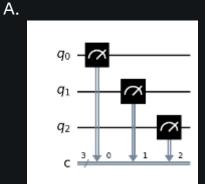




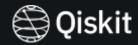
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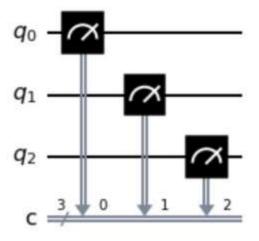
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- D. qc.measure(0,1,2)



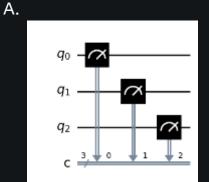
B. Error: QuantumCircuit.measure() takes 3 positional arguments but 4 were given



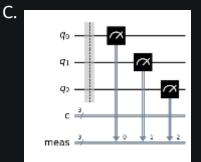
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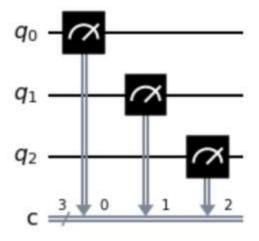


B. Error: QuantumCircuit.measure() takes 3 positional arguments but 4 were given

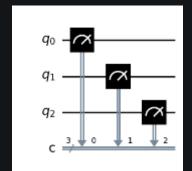




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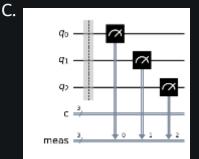


- A. qc.measure([0,1,2], [0,1,2])
- B. qc.measure([0,0], [1,1], [2,2])
- C. qc.measure all()
- D. qc.measure(0,1,2)



Α.

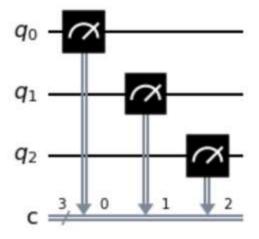
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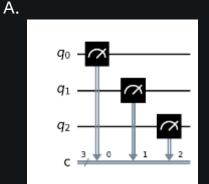
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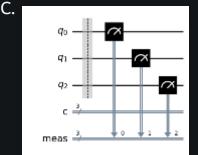
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- B. qc,measure([0,0], [1,1], [2,2])
- C. qc.measure all()
- D. qc.measure(0,1,2)



B. Error: QuantumCircuit.measure() takes 3 positional arguments but 4 were given



D. Error: QuantumCircuit.measure() takes 3 positional arguments but 4 were given 5



5. Which code fragment will produce a maximally entangled, or Bell, state?

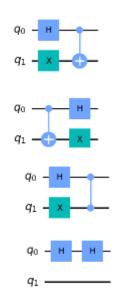
```
A. bell = QuantumCircuit(2)
bell.h(0)
bell.x(1)
bell.cx(0, 1)
B. bell = QuantumCircuit(2)
bell.cx(0, 1)
bell.h(0)
bell.x(1)
C. bell = QuantumCircuit(2)
bell.h(0)
bell.x(1)
bell.cz(0, 1)
D. bell = QuantumCircuit(2)
bell.h(0)
bell.h(0)
```

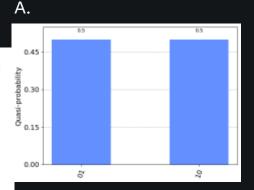
IBM Quantum / © 2021 IBM Corporation

$$\begin{split} \bullet & |\Phi^+\rangle = \frac{1}{\sqrt{2}} (|00\rangle + |11\rangle) \\ \bullet & |\Phi^-\rangle = \frac{1}{\sqrt{2}} (|00\rangle - |11\rangle) \\ \bullet & |\Psi^+\rangle = \frac{1}{\sqrt{2}} (|01\rangle + |10\rangle) \\ \bullet & |\Psi^-\rangle = \frac{1}{\sqrt{2}} (|01\rangle - |10\rangle) \end{split}$$



5. Which code fragment will produce a maximally entangled, or Bell, state?

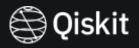




$$\begin{array}{l} \bullet \ |\Phi^{+}\rangle = \frac{1}{\sqrt{2}}(|00\rangle + |11\rangle) \\ \bullet \ |\Phi^{-}\rangle = \frac{1}{\sqrt{2}}(|00\rangle - |11\rangle) \end{array}$$

$$\bullet \ket{\Psi^+} = \frac{1}{\sqrt{2}}(\ket{01} + \ket{10})$$

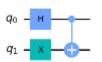
•
$$|\Psi^-
angle=rac{1}{\sqrt{2}}(|01
angle-|10
angle)$$



5. Which code fragment will produce a maximally entangled, or Bell, state?

bell.
$$h(0)$$

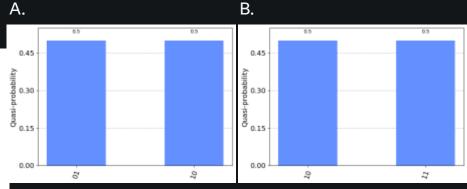
bell. $x(1)$









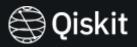


•
$$|\Phi^+\rangle=\frac{1}{\sqrt{2}}(|00\rangle+|11\rangle)$$

•
$$|\Phi^-\rangle = \frac{1}{\sqrt{2}}(|00\rangle - |11\rangle)$$

•
$$|\Psi^+
angle=rac{1}{\sqrt{2}}(|01
angle+|10
angle)$$

•
$$|\Psi^-\rangle=\frac{1}{\sqrt{2}}(|01\rangle-|10\rangle)$$



5. Which code fragment will produce a maximally entangled, or Bell, state?

bell.h(0)

bell.x(1)

bell.h(0)

bell.x(1)

bell.cz(0, 1)

bell.h(0)

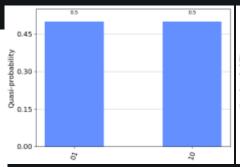
bell.h(0)

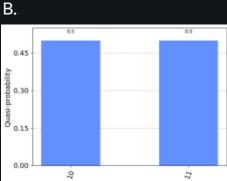












C.



•
$$|\Phi^+\rangle=\frac{1}{\sqrt{2}}(|00\rangle+|11\rangle)$$

•
$$|\Phi^-\rangle = \frac{1}{\sqrt{2}}(|00\rangle - |11\rangle)$$

•
$$|\Psi^+
angle=rac{1}{\sqrt{2}}(|01
angle+|10
angle)$$

•
$$|\Psi^-\rangle=\frac{1}{\sqrt{2}}(|01\rangle-|10\rangle)$$

5. Which code fragment will produce a maximally entangled, or Bell, state?

bell.h(0)

bell.x(1)

bell.h(0)

bell.x(1)

bell.cz(0, 1)

bell.h(0)

bell.h(0)

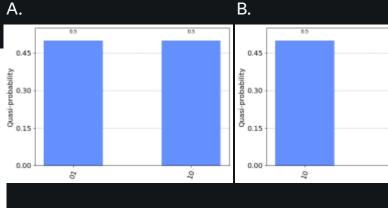


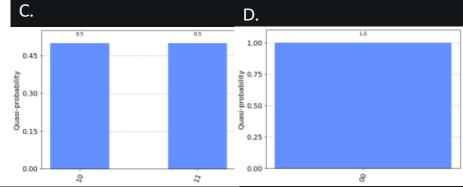






q₁ _____





•
$$|\Phi^+
angle=rac{1}{\sqrt{2}}(|00
angle+|11
angle)$$

•
$$|\Phi^-\rangle = \frac{1}{\sqrt{2}}(|00\rangle - |11\rangle)$$

•
$$|\Psi^+
angle=rac{1}{\sqrt{2}}(|01
angle+|10
angle)$$

•
$$|\Psi^-
angle=rac{1}{\sqrt{2}}(|01
angle-|10
angle)$$

5. Which code fragment will produce a maximally entangled, or Bell, state?

bell.h(0)

bell.x(1)

bell.h(0)

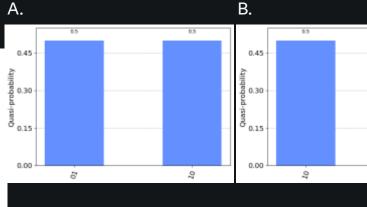
bell.h(0)

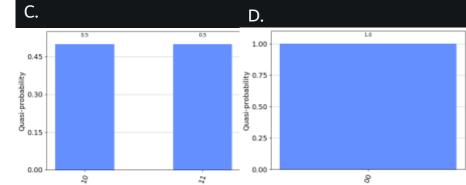






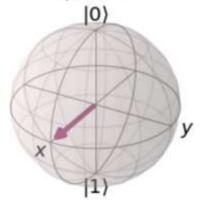






6. Given this code, which two inserted code fragments result in the state vector represented by this Bloch sphere?

```
qc = QuantumCircuit(1,1)
# Insert code fragment here
simulator = Aer.get_backend('statevector_simulator')
job = execute(qc, simulator)
result = job.result()
outputstate = result.get_statevector(qc)
plot bloch multivector(outputstate)
```



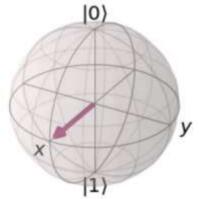
- A. qc.h(0)
- B. qc.rx(math.pi / 2, 0)
- C. qc.ry(math.pi / 2, 0)
- D. qc.rx(math.pi / 2, 0) qc.rz(-math.pi / 2, 0)
- E. qc.ry(math.pi, 0)



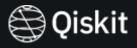
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```
qc = QuantumCircuit(1,1)
# Insert code fragment here
simulator = Aer.get_backend('statevector_simulator')
job = execute(qc, simulator)
result = job.result()
outputstate = result.get_statevector(qc)
plot bloch multivector(outputstate)
```

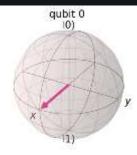
qubit 0



- A. qc.h(0)
- B. qc.rx(math.pi / 2, 0)
- C. qc.ry(math.pi / 2, 0)
- D. qc.rx(math.pi / 2, 0) qc.rz(-math.pi / 2, 0)
- E. qc.ry(math.pi, 0)

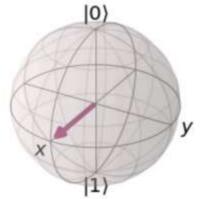


Α

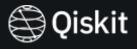


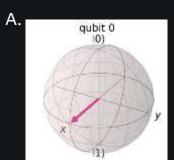
6. Given this code, which two inserted code fragments result in the state vector represented by this Bloch sphere?

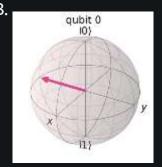
```
qc = QuantumCircuit(1,1)
# Insert code fragment here
simulator = Aer.get_backend('statevector_simulator')
job = execute(qc, simulator)
result = job.result()
outputstate = result.get_statevector(qc)
plot bloch multivector(outputstate)
```



- A. qc.h(0)
- B. qc.rx(math.pi / 2, 0)
- C. qc.ry(math.pi / 2, 0)
- D. qc.rx(math.pi / 2, 0) qc.rz(-math.pi / 2, 0)
- E. qc.ry(math.pi, 0)

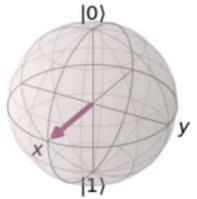






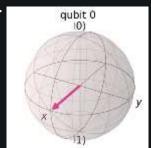
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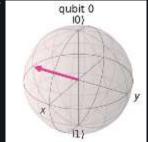
```
qc = QuantumCircuit(1,1)
# Insert code fragment here
simulator - Aer.get backend('statevector_simulator')
job = execute(qc, simulator)
result = job.result()
outputstate = result.get_statevector(qc)
plot bloch multivector(outputstate)
```

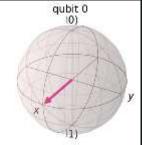


- A. qc.h(0)
- B. qc.rx(math.pi / 2, 0)
- C. qc.ry(math.pi / 2, 0)
- D. qc.rx(math.pi / 2, 0) qc.rz(-math.pi / 2, 0)
- E. qc.ry(math.pi, 0)



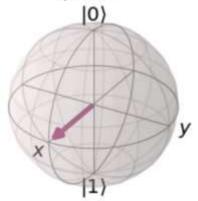






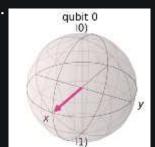
6. Given this code, which two inserted code fragments result in the state vector represented by this Bloch sphere?

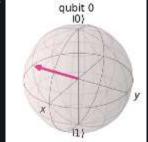
```
qc = QuantumCircuit(1,1)
# Insert code fragment here
simulator = Aer.get_backend('statevector_simulator')
job = execute(qc, simulator)
result = job.result()
outputstate = result.get_statevector(qc)
plot bloch multivector(outputstate)
```

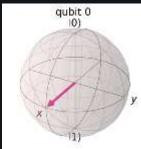


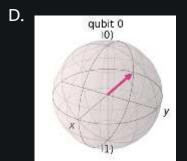
- A. qc.h(0)
- B. qc.rx(math.pi / 2, 0)
- C. qc.ry(math.pi / 2, 0)
- D. qc.rx(math.pi / 2, 0) qc.rz(-math.pi / 2, 0)
- E. qc.ry(math.pi, 0)







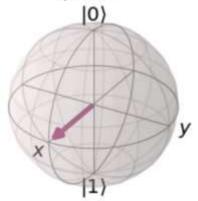




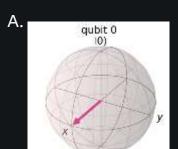
6. Given this code, which two inserted code fragments result in the state vector represented by this Bloch sphere?

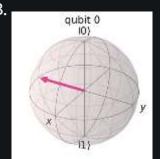
```
qc = QuantumCircuit(1,1)
# Insert code fragment here
simulator = Aer.get_backend('statevector_simulator')
job = execute(qc, simulator)
result = job.result()
outputstate = result.get_statevector(qc)
plot bloch multivector(outputstate)
```

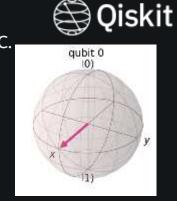
qubit 0



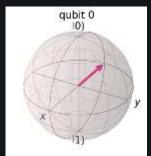
- A. qc.h(0)
- B. qc.rx(math.pi / 2, 0)
- C. qc.ry(math.pi / 2, 0)
- D. qc.rx(math.pi / 2, 0) qc.rz(-math.pi / 2, 0)
- E. qc.ry(math.pi, 0)

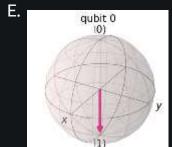






D.

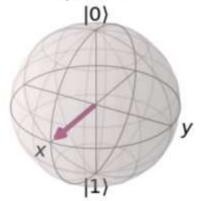




6. Given this code, which two inserted code fragments result in the state vector represented by this Bloch sphere?

```
qc = QuantumCircuit(1,1)
# Insert code fragment here
simulator = Aer.get_backend('statevector_simulator')
job = execute(qc, simulator)
result = job.result()
outputstate = result.get_statevector(qc)
plot bloch multivector(outputstate)
```

qubit 0



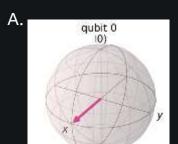
A. gc.h(0)

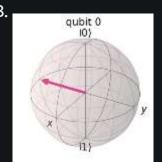
B. qc.rx(math.pi / 2, 0)

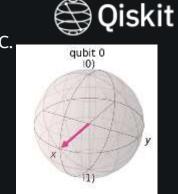
C. qc.ry(math.pi / 2, 0)

D. qc.rx(math.pi / 2, 0) qc.rz(-math.pi / 2, 0)

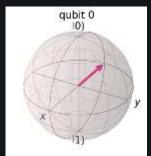
E. qc.ry(math.pi, 0)

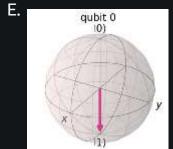


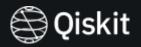




D.







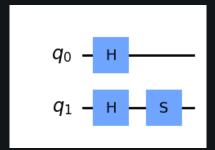
7. S-gate is a Qiskit phase gate with what value of the phase parameter?

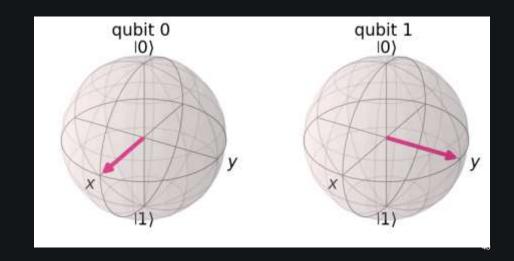
- A. π/4
- B. π/2
- C. m/8
- D. π



7. S-gate is a Qiskit phase gate with what value of the phase parameter?

- A. π/4
- $\begin{array}{ll} B. & \pi/2 \\ C. & \pi/8 \end{array}$
- D. π





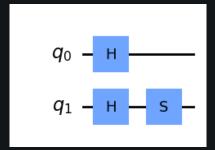


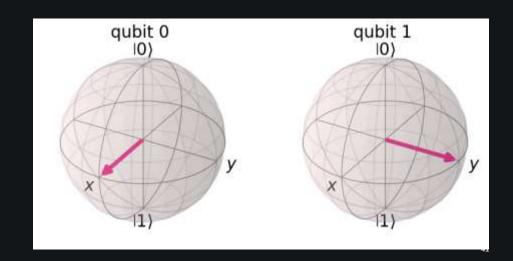
7. S-gate is a Qiskit phase gate with what value of the phase parameter?

A. π/4

B. π/2C. π/8

D. π







8. Which two code fragments, when inserted into the code below, will produce the statevector shown in the output?

```
from qiskit import QuantumCircuit, Aer, execute
from math import sgrt
gc - QuantumCircuit(2)
# Insert fragment here
simulator = Aer.get backend('statevector simulator')
result = execute(qc, simulator).result()
statevector = result.get statevector()
print(statevector)
Output:
[0.707+0.j 0.+0.j 0.+0.j 0.707+0.j]
A. v = [1/sqrt(2), 0, 0, 1/sqrt(2)]
qc.initialize(v,[0,1])
B. gc.h(0)
qc.cx(0,1)
C. v1, v2 = [1,0], [0,1]
gc.initialize(v1,0)
qc.initialize(v2,1)
D. gc.cx(0,1)
qc.measure all()
E. qc.h(0)
gc.h(1)
qc.measure all()
```



8. Which two code fragments, when inserted into the code below, will produce the statevector shown in the output?

```
from qiskit import QuantumCircuit, Aer, execute
from math import sgrt
gc - QuantumCircuit(2)
 Insert fragment here
simulator - Aer.get backend('statevector simulator')
result = execute(gc, simulator).result()
statevector = result.get_statevector()
print(statevector)
```

```
Output:
[0.707+0.j 0.+0.j 0.+0.j 0.707+0.j]
A. v = [1/sqrt(2), 0, 0, 1/sqrt(2)]
qc.initialize(v,[0,1])
B. gc.h(0)
gc.cx(0,1)
C. v1, v2 = [1,0], [0,1]
gc.initialize(v1,0)
gc.initialize(v2,1)
D. gc.cx(0,1)
qc.measure all()
E. qc.h(0)
gc.h(1)
qc.measure all()
```

Α.

```
Statevector([0.70710678+0.j, 0.
                                       +0.j, 0.
                                                        +0.j.
             0.70710678+0.1],
            dims=(2, 2)
```



8. Which two code fragments, when inserted into the code below, will produce the statevector shown in the output?

```
from qiskit import QuantumCircuit, Aer, execute
from math import sgrt
gc - QuantumCircuit(2)
# Insert fragment here
simulator - Aer.get backend('statevector simulator')
result = execute(gc, simulator).result()
statevector = result.get statevector()
print(statevector)
```

Output:

$$rac{1}{\sqrt{2}}(\ket{00}+\ket{11})$$

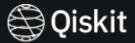
```
[0.707+0.j 0.+0.j 0.+0.j 0.707+0.j]
A. v = [1/sqrt(2), 0, 0, 1/sqrt(2)]
qc.initialize(v,[0,1])
B. gc.h(0)
gc.cx(0,1)
C. v1, v2 = [1,0], [0,1]
gc.initialize(v1,0)
gc.initialize(v2,1)
D. gc.cx(0,1)
qc.measure all()
E. qc.h(0)
gc.h(1)
qc.measure all()
```

```
Α.
```

```
Statevector([0.70710678+0.j, 0.
                                        +0.j, 0.
                                                        +0.j,
             0.70710678+0.1],
            dims=(2, 2))
```

B.

```
Statevector([0.70710678+0.j, 0.
                                       +0.j, 0.
                                                        +0.j.
             0.70710678+0.j],
            dims=(2, 2)
```



8. Which two code fragments, when inserted into the code below, will produce the statevector shown in the output?

```
from qiskit import QuantumCircuit, Aer, execute
from math import sqrt

qc = QuantumCircuit(2)

# Insert fragment here
simulator = Aer.qet_backend('statevector_simulator')
result = execute(qc, simulator).result()
statevector = result.get_statevector()
print(statevector)
```

Output:

$$rac{1}{\sqrt{2}}(\ket{00}+\ket{11})$$

```
[0.707+0.j 0.+0.j 0.+0.j 0.707+0.j]

A. v = [1/sqrt(2), 0, 0, 1/sqrt(2)]
qc.initialize(v,[0,1])

B. qc.h(0)
qc.cx(0,1)

C. v1, v2 = [1,0], [0,1]
qc.initialize(v1,0)
qc.initialize(v2,1)

D. qc.cx(0,1)
qc.measure_all()

E. qc.h(0)
qc.h(1)
qc.measure all()
```

```
A.

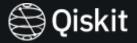
Statevector([0.70710678+0.j, 0. +0.j, 0. +0.j, 0.70710678+0.j], dims=(2, 2))

B.

Statevector([0.70710678+0.j, 0. +0.j, 0. +0.j, 0.70710678+0.j], dims=(2, 2))

C.

Statevector([0.+0.j, 0.+0.j, 1.+0.j, 0.+0.j], dims=(2, 2))
```



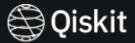
8. Which two code fragments, when inserted into the code below, will produce the statevector shown in the output?

```
from qiskit import QuantumCircuit, Aer, execute
from math import sgrt
gc - QuantumCircuit(2)
# Insert fragment here
simulator - Aer.get backend('statevector simulator')
result = execute(gc, simulator).result()
statevector = result.get statevector()
print(statevector)
```

$$rac{1}{\sqrt{2}}(\ket{00}+\ket{11})$$

```
Output:
[0.707+0.j 0.+0.j 0.+0.j 0.707+0.j]
A. v = [1/sqrt(2), 0, 0, 1/sqrt(2)]
qc.initialize(v,[0,1])
B. qc.h(0)
gc.cx(0,1)
C. v1, v2 = [1,0], [0,1]
qc.initialize(v1,0)
gc.initialize(v2,1)
D. gc.cx(0,1)
qc.measure all()
E. qc.h(0)
gc.h(1)
gc.measure all()
```

```
Α.
  Statevector([0.70710678+0.j, 0.
                                    +0.j, 0.
                                                  +0.j.
             0.70710678+0.j],
            dims=(2, 2))
B.
Statevector([0.70710678+0.j, 0.
                                    +0.j, 0.
                                                    +0.j.
            0.70710678+0.j],
           dims=(2, 2)
 C.
    Statevector([0.+0.j, 0.+0.j, 1.+0.j, 0.+0.j],
                  dims=(2, 2)
D.
  Statevector([1.+0.j, 0.+0.j, 0.+0.j, 0.+0.j],
                dims=(2, 2)
```



8. Which two code fragments, when inserted into the code below, will produce the statevector shown in the output?

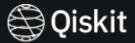
```
from qiskit import QuantumCircuit, Aer, execute
from math import sgrt
gc - QuantumCircuit(2)
# Insert fragment here
simulator = Aer.get backend('statevector simulator')
result = execute(gc, simulator).result()
statevector = result.get statevector()
print(statevector)
```

Output:

$$rac{1}{\sqrt{2}}(\ket{00}+\ket{11})$$

```
[0.707+0.1 0.+0.1 0.+0.1 0.707+0.11
A. v = [1/sqrt(2), 0, 0, 1/sqrt(2)]
qc.initialize(v,[0,1])
B. qc.h(0)
gc.cx(0,1)
C. v1, v2 = [1,0], [0,1]
qc.initialize(v1,0)
gc.initialize(v2,1)
D. qc.cx(0,1)
qc.measure all()
E. qc.h(0)
gc.h(1)
qc.measure all()
```

```
Α.
  Statevector([0.70710678+0.j, 0.
                                   +0.j, 0.
                                                 +0.j.
             0.70710678+0.j],
            dims=(2, 2))
B.
Statevector([0.70710678+0.j, 0.
                                    +0.j, 0.
                                                   +0.j.
            0.70710678+0.j],
           dims=(2, 2)
 C.
    Statevector([0.+0.j, 0.+0.j, 1.+0.j, 0.+0.j],
                  dims=(2, 2)
D.
  Statevector([1.+0.j, 0.+0.j, 0.+0.j, 0.+0.j],
                dims=(2, 2)
E.
  Statevector([0.+0.j, 1.+0.j, 0.+0.j, 0.+0.j],
               dims=(2, 2)
```



8. Which two code fragments, when inserted into the code below, will produce the statevector shown in the output?

```
from qiskit import QuantumCircuit, Aer, execute
from math import sgrt
gc - QuantumCircuit(2)
# Insert fragment here
simulator = Aer.get backend('statevector simulator')
result = execute(gc, simulator).result()
statevector = result.get statevector()
print(statevector)
```

$$rac{1}{\sqrt{2}}(\ket{00}+\ket{11})$$

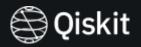
```
Output:
[0.707+0.j 0.+0.j 0.+0.j 0.707+0.j]
A. v = [1/sqrt(2), 0, 0, 1/sqrt(2)]
qc.initialize(v,[0,1])
B. gc.h(0)
qc.cx(0,1)
C. v1, v2 = [1,0], [0,1]
qc.initialize(v1,0)
gc.initialize(v2,1)
D. qc.cx(0,1)
qc.measure all()
E. qc.h(0)
gc.h(1)
qc.measure all()
```

```
Α.
  Statevector([0.70710678+0.j, 0.
                                   +0.j, 0.
                                                 +0.j.
             0.70710678+0.j],
            dims=(2, 2))
B.
Statevector([0.70710678+0.j, 0.
                                    +0.j, 0.
                                                   +0.j.
            0.70710678+0.j],
           dims=(2, 2)
 C.
    Statevector([0.+0.j, 0.+0.j, 1.+0.j, 0.+0.j],
                  dims=(2, 2)
D.
  Statevector([1.+0.j, 0.+0.j, 0.+0.j, 0.+0.j],
                dims=(2, 2)
E.
  Statevector([0.+0.j, 1.+0.j, 0.+0.j, 0.+0.j],
              dims=(2, 2)
```



9. Which code fragment will produce a multi-qubit gate other than a CNOT?

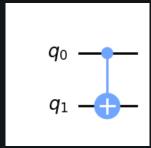
```
A. qc.cx(0,1)B. qc.cnot(0,1)C. qc.mct([0],1)D. qc.cz(0,1)
```

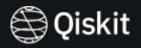


9. Which code fragment will produce a multi-qubit gate other than a CNOT?

```
A. qc.cx(0,1)
B. qc.cnot(0,1)
C. qc.mct([0],1)
D. qc.cz(0,1)
```

A.





9. Which code fragment will produce a multi-qubit gate other than a CNOT?

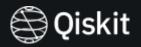
```
A. qc.cx(0,1)
```

- B. qc.cnot(0,1)
- C. qc.mct([0],1)
- D. qc.cz(0,1)

A. $q_0 \longrightarrow q_1 \longrightarrow q$

B.

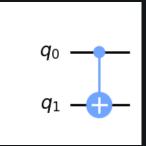
$$q_0$$
 q_1



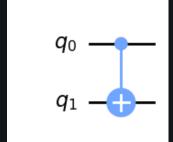
9. Which code fragment will produce a multi-qubit gate other than a CNOT?

- A. qc.cx(0,1)
- B. qc.cnot(0,1)
- C. qc.mct([0],1)
- D. qc.cz(0,1)

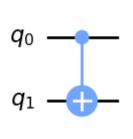
A.

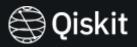


B.



C



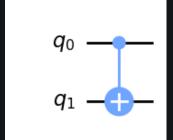


9. Which code fragment will produce a multi-qubit gate other than a CNOT?

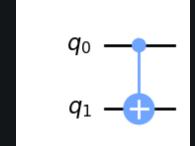
- A. qc.cx(0,1)
- B. qc.cnot(0,1)
- C. qc.mct([0],1)
- D. qc.cz(0,1)

q₀ — q₁ — q

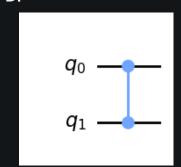
B.

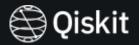


C



D.



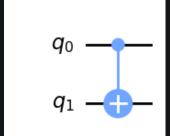


9. Which code fragment will produce a multi-qubit gate other than a CNOT?

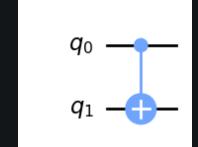
- A. qc.cx(0,1)
- B. qc.cnot(0,1)
- C. qc.mct([0],1)
- D. qc.cz(0,1)

q₀ ——

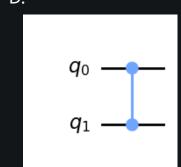
B.

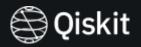


C



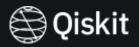
D.





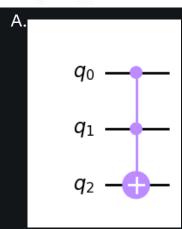
10. Which code fragment will produce a multi-qubit gate other than a Toffoli?

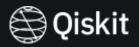
```
A. qc.ccx(0,1,2)
B. qc.mct([0,1], 2)
C. from qiskit.circuit.library import CXGate
ccx = CXGate().control()
qc.append(ccx, [0,1,2])
D. qc.cry(0,1,2)
```



10. Which code fragment will produce a multi-qubit gate other than a Toffoli?

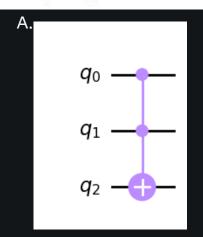
```
A. qc.ccx(0,1,2)
B. qc.mct([0,1], 2)
C. from qiskit.circuit.library import CXGate
ccx = CXGate().control()
qc.append(ccx, [0,1,2])
D. qc.cry(0,1,2)
```

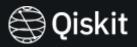




10. Which code fragment will produce a multi-qubit gate other than a Toffoli?

```
A. qc.ccx(0,1,2)
B. qc.mct([0,1], 2)
C. from qiskit.circuit.library import CXGate
ccx = CXGate().control()
qc.append(ccx, [0,1,2])
D. qc.cry(0,1,2)
```





10. Which code fragment will produce a multi-qubit gate other than a Toffoli?

```
A. qc.ccx(0,1,2)
```

C. from qiskit.circuit.library import CXGate
ccx = CXGate().control()
qc.append(ccx, [0,1,2])

D. qc.cry(0,1,2)

A.

/1 ____

B.

q₀ ——

q₁ —

 q_2 ————

q₀ —

 q_1 ——

q₂ ———



10. Which code fragment will produce a multi-qubit gate other than a Toffoli?

```
A. qc.ccx(0,1,2)
```

C. from qiskit.circuit.library import CXGate
ccx = CXGate().control()
qc.append(ccx, [0,1,2])

D. qc.cry(0,1,2)

Α.

q₀ —

q₁ —

 q_2 –

B.

q₀ —

q₁ —

 q_2

C..

q₀ —

 q_1 —

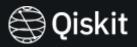
 q_2

D.

*q*₀ _____

a.

 $q_2 - \frac{R_Y}{0} -$



10. Which code fragment will produce a multi-qubit gate other than a Toffoli?

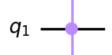
```
A. qc.ccx(0,1,2)
```

C. from qiskit.circuit.library import CXGate
ccx = CXGate().control()
qc.append(ccx, [0,1,2])

D. qc.cry(0,1,2)

 $q_0 \longrightarrow q_1 \longrightarrow q_2 \longrightarrow q_2 \longrightarrow q_2 \longrightarrow q_1 \longrightarrow q_2 \longrightarrow q_2$

g₀ ——



$$q_2$$
 ———

q₀ —

$$q_2$$



$$q_2 - \frac{R_Y}{0} -$$



11. Which two options would place a barrier across all qubits to the QuantumCircuit below?

```
qc = QuantumCircuit(3,3)
A. qc.barrier(qc)
B. qc.barrier([0,1,2])
C. qc.barrier()
D. qc.barrier(3)
E. qc.barrier all()
```



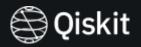
11. Which two options would place a barrier across all qubits to the QuantumCircuit below?

```
qc = QuantumCircuit(3,3)
```

- A. qc.barrier(qc)
- B. qc.barrier([0,1,2])
- C. qc.barrier()
- D. qc.barrier(3)
- E. qc.barrier_all()

Α.

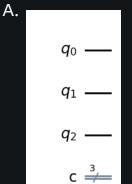
$$q_2$$
 —

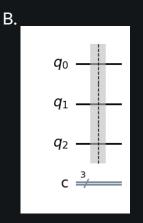


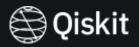
11. Which two options would place a barrier across all qubits to the QuantumCircuit below?

```
qc = QuantumCircuit(3,3)
```

- A. qc.barrier(qc)
- B. qc.barrier([0,1,2])
- C. qc.barrier()
- D. qc.barrier(3)
- E. qc.barrier_all()







11. Which two options would place a barrier across all qubits to the QuantumCircuit below?

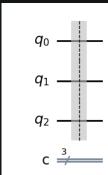
qc = QuantumCircuit(3,3)

- A. qc.barrier(qc)
- B. qc.barrier([0,1,2])
- C. qc.barrier()
- D. qc.barrier(3)
- E. qc.barrier_all()

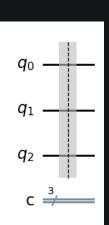
Α.

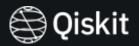
$$q_1$$
 —

В.



C.





11. Which two options would place a barrier across all qubits to the QuantumCircuit below?

qc = QuantumCircuit(3,3)

- A. qc.barrier(qc)
- B. qc.barrier([0,1,2])
- C. qc.barrier()
- D. qc.barrier(3)
- E. qc.barrier_all()

Α.

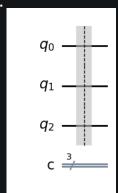
q₀ ____

/1 —

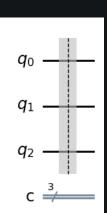
 q_2 —

C ===

B.



C.



D.

This solution raised the following error: 'Index 3 out of range for size 3.'



11. Which two options would place a barrier across all qubits to the QuantumCircuit below?

qc = QuantumCircuit(3,3)

- A. qc.barrier(qc)
- B. qc.barrier([0,1,2])
- C. qc.barrier()
- D. qc.barrier(3)
- E. qc.barrier_all()

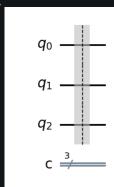
A. ____

a1 ___

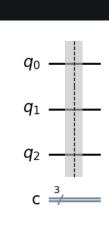
 q_2 —

C ===

B.



C.

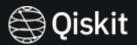


D.

This solution raised the following error: 'Index 3 out of range for size 3.'

E.

This solution raised the following error: 'QuantumCircuit' object has no attribute 'barrier_all'



11. Which two options would place a barrier across all qubits to the QuantumCircuit below?

- A. qc.barrier(qc)
- B. qc.barrier([0,1,2])
- C. qc.barrier()
- D. qc.barrier(3)
- E. qc.barrier_all()

Α.

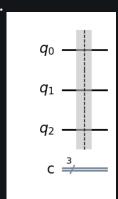


 q_1 —

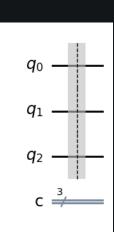
a2 —

 $C \stackrel{3}{=}$

B.



C.



D.

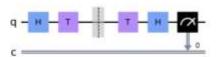
This solution raised the following error: 'Index 3 out of range for size 3.'

E.

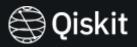
This solution raised the following error: 'QuantumCircuit' object has no attribute 'barrier_all'



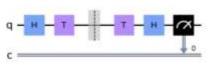
12. What code fragment codes the equivalent circuit if you remove the barrier in the following QuantumCircuit?



```
A. qc = QuantumCircuit(1,1)
gc.h(0)
qc.s(0)
qc.h(0)
qc.measure(0,0)
B. qc = QuantumCircuit(1,1)
qc.measure(0,0)
C. gc = QuantumCircuit(1,1)
qc.h(0)
gc.t(0)
qc.tdg(0)
qc.h(0)
qc.measure(0,0)
D. qc = QuantumCircuit(1,1)
gc.h(0)
qc.z(0)
qc.h(0)
qc.measure(0,0)
```



12. What code fragment codes the equivalent circuit if you remove the barrier in the following QuantumCircuit?





```
A. qc = QuantumCircuit(1,1)
qc.h(0)
qc.s(0)
```

qc.h(0) qc.measure(0,0)

B. gc = QuantumCircuit(1,1)

gc.measure(0,0)

C. gc = QuantumCircuit(1,1)

qc.h(0)

qc.t(0) qc.tdg(0)

qc.h(0)

qc.measure(0,0)

D. qc = QuantumCircuit(1,1)

qc.h(0)

qc.z(0)

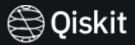
qc.h(0)

qc.measure(0,0)

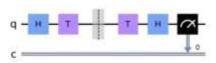


10) n/4

A.



12. What code fragment codes the equivalent circuit if you remove the barrier in the following QuantumCircuit?

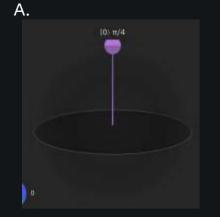




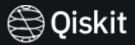
```
A. qc = QuantumCircuit(1,1)
qc.h(0)
qc.s(0)
qc.h(0)
qc.measure(0,0)
B. qc = QuantumCircuit(1,1)
qc.measure(0,0)
C. qc = QuantumCircuit(1,1)
qc.h(0)
qc.t(0)
qc.tdg(0)
qc.h(0)
qc.measure(0,0)
D. qc = QuantumCircuit(1,1)
```

qc.h(0) qc.z(0) qc.h(0)

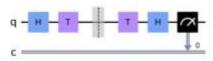
gc.measure(0,0)

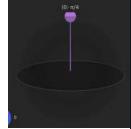






12. What code fragment codes the equivalent circuit if you remove the barrier in the following QuantumCircuit?





A. qc = QuantumCircuit(1,1) gc.h(0) qc.s(0)

qc.h(0) qc.measure(0,0)

B. qc = QuantumCircuit(1,1)

gc.measure(0,0)

C. gc = QuantumCircuit(1,1)

qc.h(0)

gc.t(0)

qc.tdg(0)

qc.h(0) qc.measure(0,0)

D. qc = QuantumCircuit(1,1)

gc.h(0)

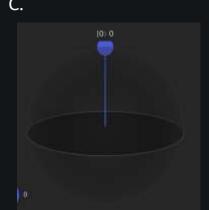
qc.z(0)

qc.h(0)

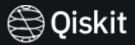
gc.measure(0,0)



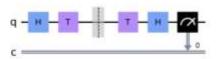
A. 10) n/4



B.



12. What code fragment codes the equivalent circuit if you remove the barrier in the following QuantumCircuit?





A. qc = QuantumCircuit(1,1) gc.h(0) qc.s(0)

qc.h(0)

qc.measure(0,0)

B. qc = QuantumCircuit(1,1)

gc.measure(0,0)

C. gc = QuantumCircuit(1,1)

qc.h(0)

gc.t(0) qc.tdg(0)

qc.h(0)

qc.measure(0,0)

D. qc = QuantumCircuit(1,1)

gc.h(0)

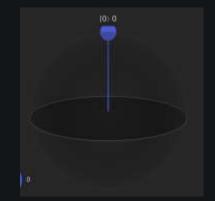
qc.z(0)

qc.h(0)

gc.measure(0,0)

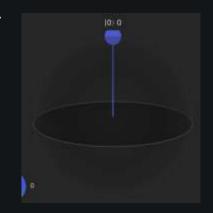


A.

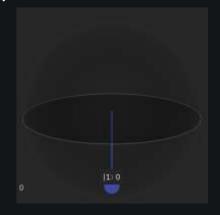


10) n/4

B.

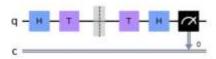


D.





12. What code fragment codes the equivalent circuit if you remove the barrier in the following QuantumCircuit?





qc.h(0)

qc.measure(0,0)

B. qc = QuantumCircuit(1,1)

gc.measure(0,0)

C. gc = QuantumCircuit(1,1)

qc.h(0)

gc.t(0)

qc.tdg(0)

qc.h(0)

qc.measure(0,0)

D. qc = QuantumCircuit(1,1)

gc.h(0)

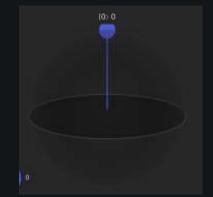
qc.z(0)

qc.h(0)

gc.measure(0,0)

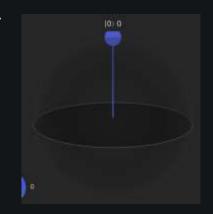


A.

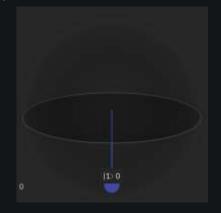


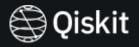
10) n/4

B.



D.





13. Given the following code, what is the depth of the circuit?

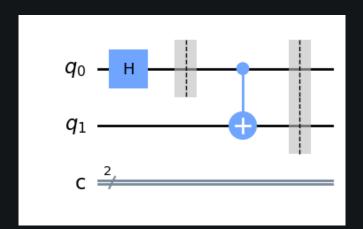
```
qc = QuantumCircuit(2, 2)
qc.h(0)
qc.barrier(0)
qc.cx(0,1)
qc.barrier([0,1])

A. 2
B. 3
C. 4
D. 5
```



13. Given the following code, what is the depth of the circuit?

```
qc = QuantumCircuit(2, 2)
qc.h(0)
qc.barrier(0)
qc.cx(0,1)
qc.barrier([0,1])
A. 2
B. 3
C. 4
D. 5
```

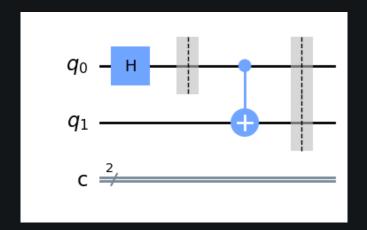




13. Given the following code, what is the depth of the circuit?

```
qc = QuantumCircuit(2, 2)
qc.h(0)
qc.barrier(0)
qc.cx(0,1)
qc.barrier([0,1])

A. 2
B. 3
C. 4
D. 5
```





14. Which code snippet would execute a circuit given these parameters?

- Measure the circuit 1024 times.
- use the QASM simulator,
- and use a coupling map that connects three qubits linearly

```
gc = QuantumCircuit(3)
# Insert code fragment here
result = job.result()
A. qasm sim = Aer.get backend('qasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(gc, backend=gasm sim, shots=1024,
coupling map=couple map)
B. gasm sim = Aer.getBackend('ibmg simulator')
couple map = [[0, 1], [0, 2]]
job = execute(qc, loop=1024, coupling map=couple map)
C. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(qc, backend=qasm sim, repeat=1024,
coupling map-couple map)
D. gasm sim = Aer.get backend('qasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(backend=qasm sim, qc, shot=1024,
coupling map=couple map)
```



14. Which code snippet would execute a circuit given these parameters?

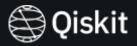
- Measure the circuit 1024 times.
- use the QASM simulator,
- and use a coupling map that connects three qubits linearly

```
gc = QuantumCircuit(3)
# Insert code fragment here
result = job.result()
A. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(gc, backend=gasm sim, shots=1024,
coupling map=couple map)
B. qasm sim = Aer.getBackend('ibmg simulator')
couple map = [[0, 1], [0, 2]]
job = execute(qc, loop=1024, coupling map=couple map)
C. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(qc, backend=qasm sim, repeat=1024,
coupling map-couple map)
D. gasm sim = Aer.get backend('qasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(backend=qasm sim, qc, shot=1024,
coupling map=couple map)
```

A.

Backend: qasm_simulator

Shots: 1024



Which code snippet would execute a circuit given these 14. parameters?

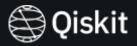
- Measure the circuit 1024 times.
- use the QASM simulator.
- and use a coupling map that connects three gubits linearly

Backend: qasm_simulator

Shots: 1024

B.

```
This code raised the following exception: 'AerProvider' object has no attribute 'getBackend'
gc = QuantumCircuit(3)
# Insert code fragment here
result = job.result()
A. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(gc, backend=gasm sim, shots=1024,
coupling map=couple map)
B. qasm sim = Aer.getBackend('ibmg simulator')
couple map = [[0, 1], [0, 2]]
job = execute(qc, loop=1024, coupling map=couple map)
C. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(qc, backend=qasm sim, repeat=1024,
coupling map-couple map)
D. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(backend=gasm sim, gc, shot=1024,
coupling map=couple map)
```



- 14. Which code snippet would execute a circuit given these parameters?
 - Measure the circuit 1024 times.
 - use the QASM simulator,
 - 3) . and use a coupling map that connects three qubits linearly

```
a.
Backend: dasm simul
```

Backend: qasm_simulator Shots: 1024

B.

```
qc = QuantumCircuit(3) This code raised the following exception: 'AerProvider' object has no attribute 'getBackend'
```

```
# Insert code fragment here result = job.result()
```

```
A. qasm_sim = Aer.get_backend('qasm_simulator')
couple_map = [[0, 1], [1, 2]]
job = execute(qc, backend=qasm_sim, shots=1024,
coupling_map=couple_map)
B. qasm_sim = Aer.getBackend('ibmq_simulator')
couple_map = [[0, 1], [0, 2]]
```

```
C. qasm_sim = Aer.get_backend('qasm_simulator')
couple_map = [[0, 1], [1, 2]]
job = execute(qc, backend=qasm_sim, repeat=1024,
coupling_map=couple_map)
```

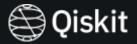
job = execute(qc, loop=1024, coupling map=couple map)

```
D. qasm_sim = Aer.get_backend('qasm_simulator')
couple_map = [[0, 1], [1, 2]]
job = execute(backend=qasm_sim, qc, shot=1024,
coupling_map=couple_map)
```

C.

Backend: qasm_simulator

Repeats: 1024



- 14. Which code snippet would execute a circuit given these parameters?
 - Measure the circuit 1024 times,
 - use the QASM simulator,

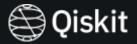
coupling map=couple map)

3) . and use a coupling map that connects three qubits linearly

```
A.
Backend: qasm_simulator
Shots: 1024
```

B.

```
This code raised the following exception: 'AerProvider' object has no attribute 'getBackend'
gc = QuantumCircuit(3)
# Insert code fragment here
result = job.result()
                                                                       Backend: gasm_simulator
A. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
                                                                                 1024
                                                                     Repeats:
job = execute(gc, backend=gasm sim, shots=1024,
coupling map=couple map)
B. gasm sim = Aer.getBackend('ibmg simulator')
couple map = [[0, 1], [0, 2]]
                                                           D.
job = execute(qc, loop=1024, coupling map=couple map)
C. gasm sim = Aer.get backend('gasm simulator')
                                                   This raises a SyntaxError: invalid syntax (<string>, line 1)
couple map = [[0, 1], [1, 2]]
job = execute(qc, backend=qasm sim, repeat=1024,
coupling map-couple map)
D. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(backend=gasm sim, gc, shot=1024,
```



- 14. Which code snippet would execute a circuit given these parameters?
 - Measure the circuit 1024 times,
 - use the QASM simulator,

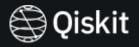
coupling map=couple map)

3) . and use a coupling map that connects three qubits linearly

```
A.
Backend: qasm_simulator
Shots: 1024
```

B.

```
This code raised the following exception: 'AerProvider' object has no attribute 'getBackend'
gc = QuantumCircuit(3)
# Insert code fragment here
result = job.result()
                                                                       Backend: gasm_simulator
A. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
                                                                                 1024
                                                                     Repeats:
job = execute(gc, backend=gasm sim, shots=1024,
coupling map=couple map)
B. gasm sim = Aer.getBackend('ibmg simulator')
couple map = [[0, 1], [0, 2]]
                                                           D.
job = execute(qc, loop=1024, coupling map=couple map)
C. gasm sim = Aer.get backend('gasm simulator')
                                                   This raises a SyntaxError: invalid syntax (<string>, line 1)
couple map = [[0, 1], [1, 2]]
job = execute(qc, backend=qasm sim, repeat=1024,
coupling map-couple map)
D. gasm sim = Aer.get backend('gasm simulator')
couple map = [[0, 1], [1, 2]]
job = execute(backend=gasm sim, gc, shot=1024,
```

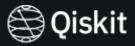


15. Which of these would execute a circuit on a set of qubits which are coupled in a custom way?

```
from qiskit import QuantumCircuit, execute, BasicAer
backend = BasicAer.get_backend('qasm_simulator')
qc = QuantumCircuit(3)

# insert code here

A. execute(qc, backend, shots=1024,
coupling_map=[[0,1], [1,2]])
B. execute(qc, backend, shots=1024,
custom_topology=[[0,1],[2,3]]
C. execute(qc, backend, shots=1024,
device="qasm_simulator", mode="custom")
D. execute(qc, backend, mode="custom")
```



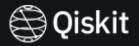
15. Which of these would execute a circuit on a set of qubits which are coupled in a custom way?

```
from qiskit import QuantumCircuit, execute, BasicAer
backend = BasicAer.get_backend('qasm_simulator')
qc = QuantumCircuit(3)

# insert code here

A. execute(qc, backend, shots=1024,
coupling_map=[[0,1], [1,2]])
B. execute(qc, backend, shots=1024,
custom_topology=[[0,1],[2,3]]
C. execute(qc, backend, shots=1024,
device="qasm_simulator", mode="custom")
D. execute(qc, backend, mode="custom")
```

Successfully run



15. Which of these would execute a circuit on a set of qubits which are coupled in a custom way?

```
from qiskit import QuantumCircuit, execute, BasicAer
backend = BasicAer.get_backend('qasm_simulator')
qc = QuantumCircuit(3)

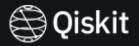
# insert code here

A. execute(qc, backend, shots=1024,
coupling_map=[[0,1], [1,2]])
B. execute(qc, backend, shots=1024,
custom_topology=[[0,1],[2,3]]
C. execute(qc, backend, shots=1024,
```

device="qasm_simulator", mode="custom")
D. execute(gc, backend, mode="custom")

Successfully run

The following warning was raised: Option custom_topology is not used by this backen



15. Which of these would execute a circuit on a set of qubits which are coupled in a custom way?

```
from qiskit import QuantumCircuit, execute, BasicAer
backend = BasicAer.get_backend('qasm_simulator')
qc = QuantumCircuit(3)
# insert code here
```

A. execute(qc, backend, shots=1024, coupling_map=[[0,1], [1,2]])

B. execute (qc, backend, shots=1024, custom topology=[[0,1],[2,3]]

C. execute(qc, backend, shots=1024, device="qasm_simulator", mode="custom")

D. execute (qc, backend, mode="custom")

Successfully run

The following warning was raised: Option custom_topology is not used by this backen

The following warning was raised: Option device is not used by this backend



15. Which of these would execute a circuit on a set of qubits which are coupled in a custom way?

```
from qiskit import QuantumCircuit, execute, BasicAer
backend = BasicAer.get_backend('qasm_simulator')
qc = QuantumCircuit(3)
# insert code here
```

A. execute(qc, backend, shots=1024, coupling_map=[[0,1], [1,2]])

B. execute (qc, backend, shots=1024, custom topology=[[0,1],[2,3]]

C. execute(qc, backend, shots=1024, device="qasm_simulator", mode="custom")

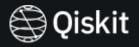
D. execute(qc, backend, mode="custom")

Successfully run

The following warning was raised: Option custom_topology is not used by this backen

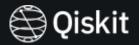
The following warning was raised: Option device is not used by this backend

The following warning was raised: Option mode is not used by this backend



16. Which three simulators are available in BasicAer?

- A. qasm simulator
- B. basic qasm simulator
- C. statevector simulator
- D. unitary simulator
- E. quantum_simulator
- ${\sf F.}$ quantum_circuit_simulator



16. Which three simulators are available in BasicAer?

- A. qasm_simulator
- B. basic qasm simulator
- C. statevector_simulator
- D. unitary simulator
- E. quantum simulator
- F. quantum_circuit_simulator

```
In [2]:
```

```
for backend in BasicAer.backends():
    print(backend)
```

qasm_simulator
statevector_simulator
unitary simulator



16. Which three simulators are available in BasicAer?

- A. gasm simulator
- B. basic gasm simulator
- C. statevector simulator
- D. unitary simulator
- E. quantum simulator
- F. quantum circuit simulator

```
In [2]:
```

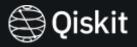
```
for backend in BasicAer.backends():
    print(backend)
```

qasm_simulator
statevector_simulator
unitary_simulator



17. Which line of code would assign a statevector simulator object to the variable backend ?

- A. backend = BasicAer.StatevectorSimulatorPy()
 B. backend =
- BasicAer.get backend('statevector simulator')
- C. backend =
- BasicAer.StatevectorSimulatorPy().name()
- D. backend =
- BasicAer.get_back('statevector_simulator')

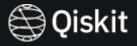


17. Which line of code would assign a statevector simulator object to the variable backend ?

```
A. backend = BasicAer.StatevectorSimulatorPy()
B. backend =
BasicAer.get_backend('statevector_simulator')
C. backend =
BasicAer.StatevectorSimulatorPy().name()
D. backend =
BasicAer.get_back('statevector_simulator')
```

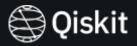
A.

Exception thrown: 'BasicAerProvider' object has no attribute 'StatevectorSimulatorPy'



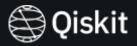
17. Which line of code would assign a statevector simulator object to the variable backend ?

- A. backend = BasicAer.StatevectorSimulatorPy()
 B. backend =
 BasicAer.get_backend('statevector_simulator')
 C. backend =
 BasicAer.StatevectorSimulatorPy().name()
 D. backend =
 BasicAer.get back('statevector simulator')
- A. Exception thrown: 'BasicAerProvider' object has no attribute 'StatevectorSimulatorPy'
- C. Exception thrown: 'BasicAerProvider' object has no attribute 'StatevectorSimulatorPy'



17. Which line of code would assign a statevector simulator object to the variable backend?

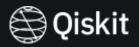
- A. backend = BasicAer.StatevectorSimulatorPy()
 B. backend =
 BasicAer.get_backend('statevector_simulator')
 C. backend =
 BasicAer.StatevectorSimulatorPy().name()
 D. backend =
 BasicAer.get back('statevector simulator')
- A. Exception thrown: 'BasicAerProvider' object has no attribute 'StatevectorSimulatorPy'
- C. Exception thrown: 'BasicAerProvider' object has no attribute 'StatevectorSimulatorPy'
 - D. Exception thrown: 'BasicAerProvider' object has no attribute 'get_back'



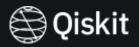
17. Which line of code would assign a statevector simulator object to the variable backend?

```
A. backend = BasicAer.StatevectorSimulatorPy()
B. backend =
BasicAer.get_backend('statevector_simulator')
C. backend =
BasicAer.StatevectorSimulatorPy().name()
D. backend =
BasicAer.get_back('statevector_simulator')
```

- A. Exception thrown: 'BasicAerProvider' object has no attribute 'StatevectorSimulatorPy'
- C. Exception thrown: 'BasicAerProvider' object has no attribute 'StatevectorSimulatorPy'
 - D. Exception thrown: 'BasicAerProvider' object has no attribute 'get_back'



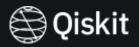
```
A. op = Operator.Xop(0)
B. op = Operator([[0,1]])
C. qc = QuantumCircuit(1)
qc.x(0)
op = Operator(qc)
D. op = Operator([[1,0,0,1]])
```



18. Which code fragment would yield an operator that represents a single-qubit X gate?

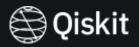
```
A. op = Operator.Xop(0)
B. op = Operator([[0,1]])
C. qc = QuantumCircuit(1)
qc.x(0)
op = Operator(qc)
D. op = Operator([[1,0,0,1]])
```

A. Exception thrown: type object 'Operator' has no attribute 'Xop'



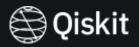
```
A. op = Operator.Xop(0)
B. op = Operator([[0,1]])
C. qc = QuantumCircuit(1)
qc.x(0)
op = Operator(qc)
D. op = Operator([[1,0,0,1]])
```

- A. Exception thrown: type object 'Operator' has no attribute 'Xop'
- B. Operator passed : $\begin{bmatrix} 0 & 1 \end{bmatrix}$



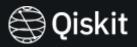
```
A. op = Operator.Xop(0)
B. op = Operator([[0,1]])
C. qc = QuantumCircuit(1)
qc.x(0)
op = Operator(qc)
D. op = Operator([[1,0,0,1]])
```

- A. Exception thrown: type object 'Operator' has no attribute 'Xop'
- B. Operator passed: $\begin{bmatrix} 0 & 1 \end{bmatrix}$
- C. Operator passed : $\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$



```
A. op = Operator.Xop(0)
B. op = Operator([[0,1]])
C. qc = QuantumCircuit(1)
qc.x(0)
op = Operator(qc)
D. op = Operator([[1,0,0,1]])
```

- A. Exception thrown: type object 'Operator' has no attribute 'Xop'
- B. Operator passed: $\begin{bmatrix} 0 & 1 \end{bmatrix}$
- C. Operator passed : $\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$



```
A. op = Operator.Xop(0)
B. op = Operator([[0,1]])
C. qc = QuantumCircuit(1)
qc.x(0)
op = Operator(qc)
D. op = Operator([[1,0,0,1]])
```

- A. Exception thrown: type object 'Operator' has no attribute 'Xop'
- B. Operator passed: $\begin{bmatrix} 0 & 1 \end{bmatrix}$
- C. Operator passed : $\begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$



19. What would be the fidelity result(s) for these two operators, which differ only by global phase?

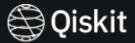
```
op_a = Operator(XGate())
op_b = numpy.exp(lj * 0.5) * Operator(XGate())

A. state_fidelity() of 1.0

B. state_fidelity() and average_gate_fidelity() of 1.0

C. average_gate_fidelity() and process_fidelity() of 1.0

D. state_fidelity(), average_gate_fidelity() and process_fidelity() of 1.0
```



19. What would be the fidelity result(s) for these two operators, which differ only by global phase?

$$op_a: egin{bmatrix} 0 & 1 \ 1 & 0 \end{bmatrix}$$

```
op_a = Operator(XGate())
op_b = numpy.exp(lj * 0.5) * Operator(XGate())

A. state_fidelity() of 1.0

B. state_fidelity() and average_gate_fidelity() of 1.0

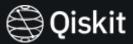
C. average_gate_fidelity() and process_fidelity() of 1.0

D. state_fidelity(), average_gate_fidelity() and process_fidelity() of 1.0
```

```
op_b: egin{bmatrix} 0 & 0.8775825619 + 0.4794255386i \ 0.8775825619 + 0.4794255386i \end{bmatrix}
```

Average gate fidelity measures how close two quantum operations (or gates) are, on average, for all possible input states.

Process fidelity is a measure of the similarity between two quantum processes or channels. It's a more general concept than state fidelity, which looks at the entire process of transformation of a quantum state.



19. What would be the fidelity result(s) for these two operators, which differ only by global phase?

$$op_a: egin{bmatrix} 0 & 1 \ 1 & 0 \end{bmatrix}$$

```
op_a = Operator(XGate())
op_b = numpy.exp(lj * 0.5) * Operator(XGate())

A. state_fidelity() of 1.0

B. state_fidelity() and average_gate_fidelity() of 1.0

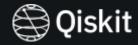
C. average_gate_fidelity() and process_fidelity() of 1.0

D. state_fidelity(), average_gate_fidelity() and process_fidelity() of 1.0
```

```
op_b: egin{bmatrix} 0 & 0.8775825619 + 0.4794255386i \ 0.8775825619 + 0.4794255386i \end{bmatrix}
```

Average gate fidelity measures how close two quantum operations (or gates) are, on average, for all possible input states.

Process fidelity is a measure of the similarity between two quantum processes or channels. It's a more general concept than state fidelity, which looks at the entire process of transformation of a quantum state.



20. Given this code fragment, which output fits most closely with the measurement probability distribution?

```
qc = QuantumCircuit(2, 2)
qc.x(0)
qc.measure([0,1], [0,1])
simulator = Aer.get_backend('qasm_simulator')
result = execute(qc, simulator, shots=1000).result()
counts = result.get_counts(qc)
print(counts)

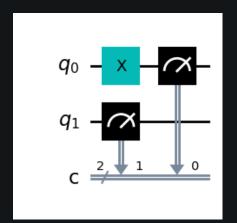
A. {'00': 1000}
B. {'01': 1000}
C. {'10': 1000}
D. {'11': 1000}
```

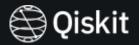


20. Given this code fragment, which output fits most closely with the measurement probability distribution?

```
qc = QuantumCircuit(2, 2)
qc.x(0)
qc.measure([0,1], [0,1])
simulator = Aer.get_backend('qasm_simulator')
result = execute(qc, simulator, shots=1000).result()
counts = result.get_counts(qc)
print(counts)

A. {'00': 1000}
B. {'01': 1000}
C. {'10': 1000}
D. {'11': 1000}
```

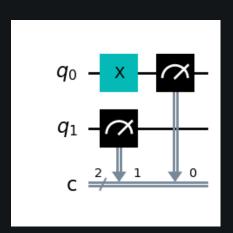




20. Given this code fragment, which output fits most closely with the measurement probability distribution?

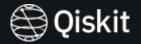
```
qc = QuantumCircuit(2, 2)
qc.x(0)
qc.measure([0,1], [0,1])
simulator = Aer.get_backend('qasm_simulator')
result = execute(qc, simulator, shots=1000).result()
counts = result.get_counts(qc)
print(counts)

A. {'00': 1000}
B. {'01': 1000}
C. {'10': 1000}
D. {'11': 1000}
```



```
In [3]:
    simulator = Aer get_backend("qasm_simulator")
    result = execute(qc, simulator, shots=1000).result()
    counts = result.get_counts(qc)
    print(counts)

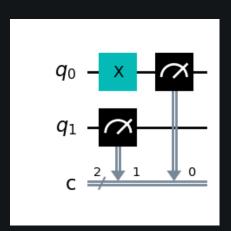
{'01': 1000}
```



20. Given this code fragment, which output fits most closely with the measurement probability distribution?

```
qc = QuantumCircuit(2, 2)
qc.x(0)
qc.measure([0,1], [0,1])
simulator = Aer.get_backend('qasm_simulator')
result = execute(qc, simulator, shots=1000).result()
counts = result.get_counts(qc)
print(counts)

A. {'00': 1000}
B. {'01': 1000}
C. {'10': 1000}
D. {'11': 1000}
```



```
In [3]:
    simulator = Aer.get_backend("qasm_simulator")
    result = execute(qc, simulator, shots=1000).result()
    counts = result.get_counts(qc)
    print(counts)

{'01': 1000}
```