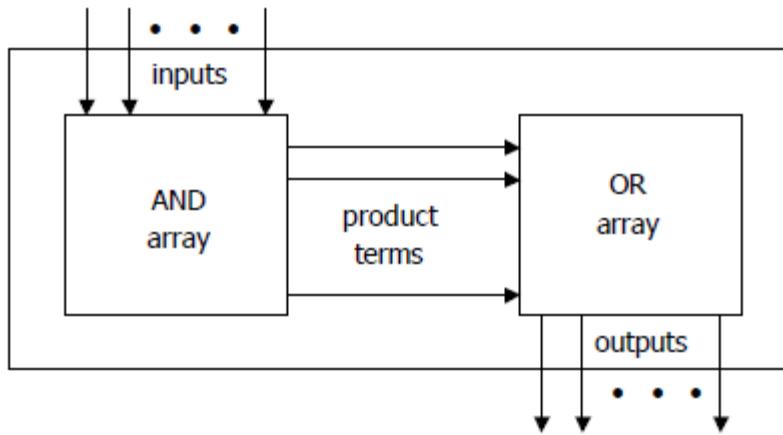


# CSE 205: DIGITAL LOGIC DESIGN

Dr. Tanzima Hashem  
Associate Professor  
CSE, BUET

# PROGRAMMABLE LOGIC ARRAYS (PLAs)

- Pre-fabricated building block of many AND/OR gates

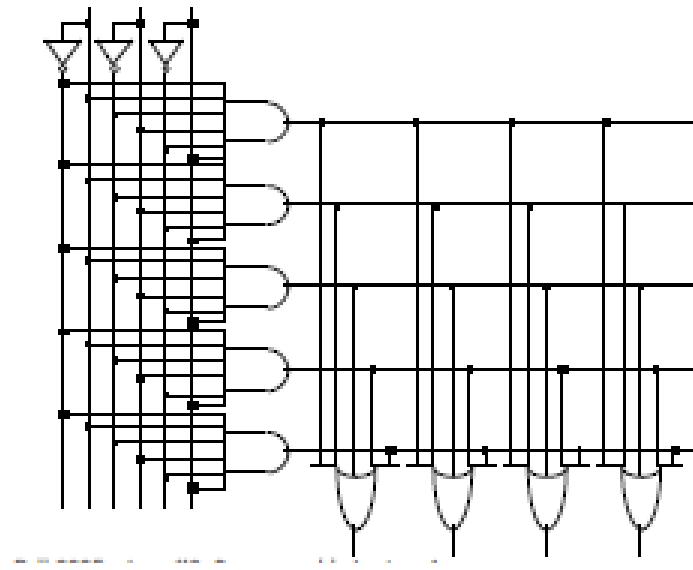


- An array of programmable AND gates
  - can generate any product terms of the inputs
- An array of programmable OR gates
  - can generate the sums of the products



# PROGRAMMABLE LOGIC ARRAYS (PLAs)

- Before programming, all possible connections available before "programming"
- "Personalized" by making or breaking connections among gates



# PLA EXAMPLE

- Example: AND/OR/XOR
  - $F_1 = AB' + AC + A'BC'$
  - $F_2 = (AC + BC)'$
- XOR gates can invert the outputs
  - invert: connected to 1
  - not change: connected to 0
- PLA programming table: 3 sections
  1. list the product terms
  2. specify the required paths between inputs and AND gates
  3. specify the paths between the AND and OR gates

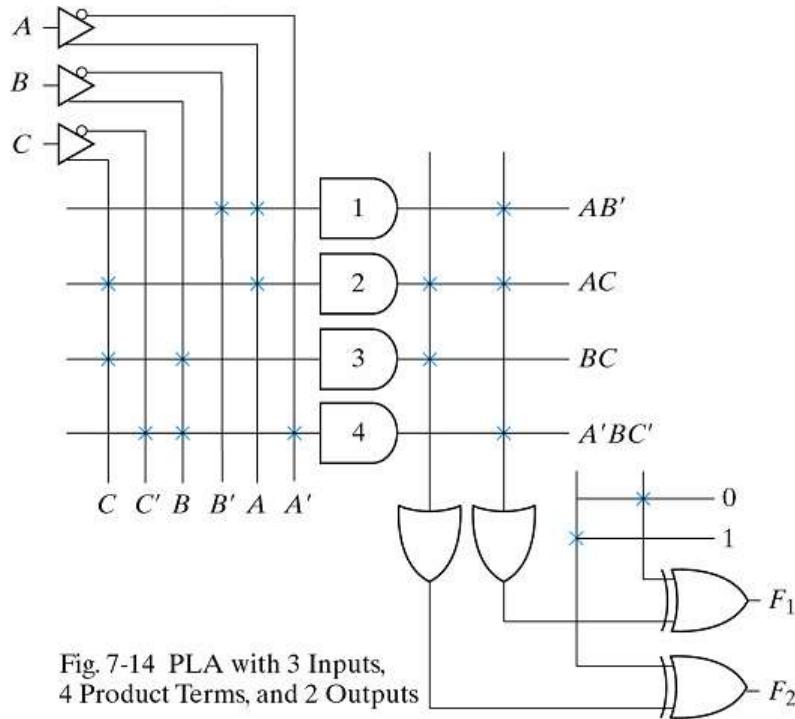


Fig. 7-14 PLA with 3 Inputs, 4 Product Terms, and 2 Outputs

Table 7-5 PLA Programming Table

Product Term	Inputs			Outputs (T) (C)	
	A	B	C	F <sub>1</sub>	F <sub>2</sub>
AB'	1	1	0	-	1
AC	2	1	-	1	1
BC	3	-	1	1	-
A'BC'	4	0	1	0	1

# PROGRAMMABLE LOGIC ARRAYS (PLAs)

- Size of PLA: specified by # of inputs, product terms and outputs
  - $n$  inputs,  $k$  product terms and  $m$  outputs
  - $n$  buffer-inverter gates,  $k$  AND gates,  $m$  OR gates, and  $m$  XOR gates
- Designing a digital system with a PLA
  - reduce the number of distinct product terms
  - the number of literals in a product is not important



# IMPLEMENT WITH PLAs

- $F_1(A, B, C) = \Sigma(0, 1, 2, 4)$ ;  
 $F_2(A, B, C) = \Sigma(0, 5, 6, 7)$
- Simplify both the true and complement of the functions in sum of products
- Find the combination with minimum number of product terms
  - $F_1 = (AB + AC + BC)'$
  - $F_2 = AB + AC + A'B'C'$
- Obtain the PLA programming table

		BC		B	
		00	01	11	10
		A		C	
0	1	1	1	0	1
	1	1	0	0	0

$$F_1 = A'B' + A'C' + B'C'$$

$$F_1 = (AB + AC + BC)'$$

		BC		B	
		00	01	11	10
		A		C	
0	1	1	0	0	0
	1	0	1	1	1

$$F_2 = AB + AC + A'B'C'$$

$$F_2 = (A'C + A'B + AB'C)'$$

Product term	PLA programming table					
	Inputs			Outputs		
	A	B	C	(C) F <sub>1</sub>	(T) F <sub>2</sub>	
AB	1	1	1	–	1	1
AC	2	1	–	1	1	–
BC	3	–	1	1	–	–
A'B'C'	4	0	0	0	–	1

Fig. 7-15 Solution to Example 7-2



# SYLLABUS

- Chapter 7:7.6

