

1) search → AVL Tree: $O(\log m)$

→ Binary heap: $O(m)$

→ AVL is better for search

size → AVL Tree: $\Theta(1)$

→ Binary heap: $\Theta(1)$

} We can keep a "size" variable

remove a given element → AVL Tree: $O(\log m)$

$\Theta(\log m)$ only if it has 2 descendants
and we have to find successor/predecessor

→ Binary heap: $O(h)$, which is $O(m)$

we have to apply bubble-down

→ AVL is better for remove

isFull → AVL Tree: $\Theta(1)$

→ Binary heap: $\Theta(1)$

} if we want a fixed
size priority queue
we can keep a variable
for capacity and another
one for size and compare
them.

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- 2) Print leaves of AVL tree in sorted order - worst case.
→ $\Theta(n)$

We can apply an in-order traversal and we only print the values of the nodes which do not have any descendants.

3)

0	1	2	3	4	5	6	7	8	9	10
55	52	73	14			6	28	39	20	32

$$h(k, i) = (k \% 11 + i) \% 11, \quad i = \overline{0, 10}$$

An element is a candidate for being the first inserted if its position was computed with $i=0$ in the hash function.

$$h(55, 0) = 0$$

55 is on pos 0 } \Rightarrow can be first \checkmark

$$h(52, 0) = 8$$

52 is on pos 1 } \Rightarrow can't be first \times

$$h(73, 0) = 7$$

73 is on pos 2 } \Rightarrow can't be first \times

$$h(14, 0) = 3$$

14 is on pos 3 } \Rightarrow can be first \checkmark

$$h(6, 0) = 6$$

6 is on pos 6 } \Rightarrow can be first \checkmark

$$h(28, 0) = 6$$

28 is on pos 7 } \Rightarrow can't be first \times

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$h(39, 0) = 6$
39 is on pos 8 } \rightarrow can't be first x

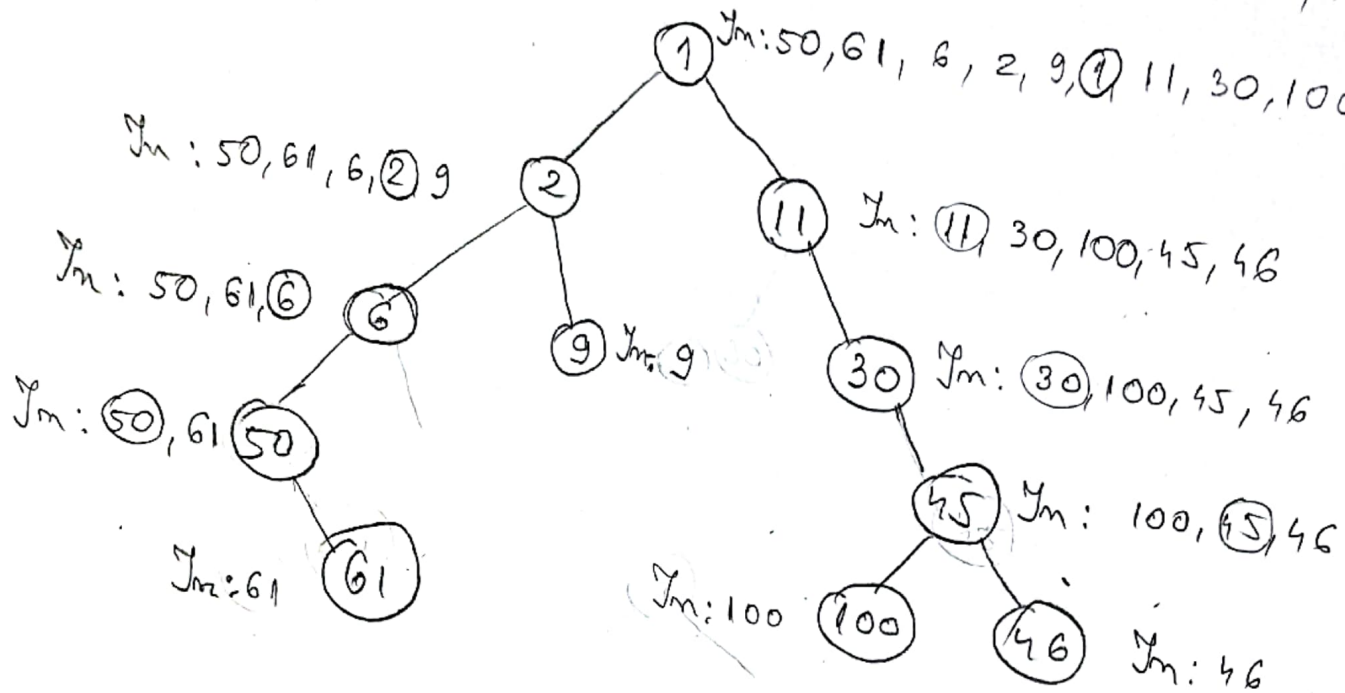
$h(20, 0) = 9$
20 is on pos 9 } \rightarrow can be first \checkmark

$h(32, 0) = 10$
32 is on pos 10 } \rightarrow can be first \checkmark

\rightarrow 55, 14, 6, 20, 32 can be first

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4) Inorder: 50, 61, 6, 2, 9, 11, 30, 100, 45, 46



It has min-heap property.

Post-order:
(left, right, visit)

61, 50, 6, 9, 2, 100, 46, 45, 30, 11, 1