

DSA Blatt 05

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Aufgabe 11:

a)

$$x^{(2^{-k})} = x^{\frac{1}{2^k}}$$

k = 4 :

$$x^{(1/16)} = (((x^{(1/2)})^{(1/2)})^{(1/2)})^{(1/2)}$$

Algorithm $\ln(x, \text{anzahl})$: double

```
wert <= sqrt(x)
produkt = 2 / (wert + 1/wert)
for k <= 2 to anzahl do
    wert <= sqrt(wert)
    produkt <= produkt / (wert + 1/wert)
return 0.5 * (x - 1/x) * produkt * 2^anzahl
```

12.a

Algorithm $\max(\text{liste}[])$: integer

```
max <= liste[0]
for i <= 1 to liste[].length do
    if liste[i] > max
        max <= liste[i]
return max
```

Algorithm $\min(\text{liste}[])$: integer

```
min <= liste[0]
for i <= 1 to liste[].length do
    if liste[i] < min
        min <= liste[i]
return min
```

12.b

insgesamt $2 \cdot (n-1)$ Schlüsselvergleiche

12.c

Algorithm divideConquer(liste[]) : array

if liste[].length = 1 then

min <= liste[0]

max <= min

return max,min

if liste[].length = 2 then

if liste[0] < liste[1]

min <= liste[0]

max <= liste[1]

return max,min

min <= liste[1]

max <= liste[0]

return max,min

middle <= length/2

result1 <= divideConquer(new liste[0 to middle-1])

result2 <= divideConquer(new liste[middle to length-1])

if result1 < result2 then

min <= result1

max <= result2

return max,min

min <= result2

max <= result1

return max,min

12.d

Algorithm divideConquer(liste[], a, b) : array

```
    if a = b then
        min <= liste[a]
        max <= min
        return {min,max}
    if (b-a) = 1 then
        if liste[a] < liste[b]
            min <= liste[a]
            max <= liste[b]
            return max,min
        min <= liste[b]
        max <= liste[a]
        return {min,max}

    middle <= (a+b)/2
    result1[] <= divideConquer( liste[], a, middle-1)
    result2[] <= divideConquer( liste[], middle, b)

    if result1[0] <= result2[0] then
        min <= result1[0]
    else
        min <= result2[0]

    if result1[1] >= result2[1] then
        max <= result1[1]
    else
        max <= result2[1]
    return {min,max}
```