



# **PCA**

Learn about PCA and why it's useful for data preprocessing.

## **Chapter Goals:**

• Learn about principal component analysis and why it's used

### A. Dimensionality reduction

Most datasets contain a large number of features, some of which are redundant or not informative. For example, in a dataset of basketball statistics, the total points and points per game for a player will (most of the time) tell the same story about the player's scoring prowess.

When a dataset contains these types of correlated numeric features, we can perform principal component analysis (PCA) (https://en.wikipedia.org/wiki/Principal\_component\_analysis) for dimensionality reduction (i.e. reducing the number of columns in the data array).

PCA extracts the *principal components* of the dataset, which are an uncorrelated set of latent variables

(https://en.wikipedia.org/wiki/Latent\_variable) that encompass most of the information from the original dataset. Using a smaller set of principal components can make it a lot easier to use the dataset in statistical or machine learning models (especially when the original dataset contains many correlated features).

#### B. PCA in scikit-learn

Like every other data transformation, we can apply PCA to a dataset in scikit-learn with a transformer, in this case the PCA (https://scikit-learn.org/stable/modules/generated/sklearn.decomposition.PCA.html#sklearn.decomposition.PCA) module. When initializing the PCA module, we can

use the  $n_{components}$  keyword to specify the number of principal components. The default setting is to extract m - 1 principal components, where m is the number of features in the dataset.

The code below shows examples of applying PCA with various numbers of principal components.

```
1 # predefined data
 2 print('{}\n'.format(repr(data)))
 4 from sklearn.decomposition import PCA
 5 pca_obj = PCA() # The value of n_component will be 4. As m is 5 and default is al
 6 pc = pca_obj.fit_transform(data).round(3)
 7
    print('{}\n'.format(repr(pc)))
 8
 9 pca_obj = PCA(n_components=3)
10 pc = pca_obj.fit_transform(data).round(3)
11 print('{}\n'.format(repr(pc)))
12
13 pca_obj = PCA(n_components=2)
14 pc = pca_obj.fit_transform(data).round(3)
15 print('{}\n'.format(repr(pc)))
                                                           X
                                                                   0.760s
Output
 array([[ 1.5, 3., 9., -0.5, 1.],
        [2.2, 4.3, 3.5, 0.6, 2.7],
        [3., 6.1, 1.1, 1.2, 4.2],
        [8., 16., 7.7, -1., 7.1]
 array([[-4.8600e+00, 4.6300e+00, -4.7000e-02, 0.0000e+00],
        [-3.7990e+00, -1.3180e+00, 1.2700e-01, 0.0000e+00],
        [-1.8630e+00, -4.2260e+00, -8.9000e-02, 0.0000e+00],
        [ 1.0522e+01, 9.1400e-01, 9.0000e-03, 0.0000e+00]])
```

In the code output above, notice that when PCA is applied with 4 principal components, the final column (last principal component) is all 0's. This means that there are actually only a maximum of three uncorrelated

principal components that can be extracted.



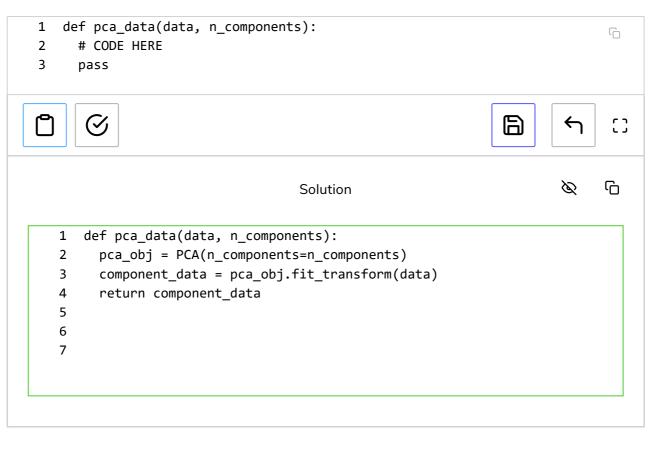
### Time to Code!

The coding exercise in this chapter uses PCA (imported in backend) to complete the pca\_data function.

The function will apply principal component analysis (PCA) to the input NumPy array, data.

Set pca\_obj equal to PCA initialized with n\_components for the n\_components keyword argument.

Set component\_data equal to pca\_obj.fit\_transform applied with data as the only argument. Then return component\_data.







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