# 20152950 Kangminseok Datamining HW1

April 17, 2020

# 1 20152950 Kang Minseok HW1

```
[]:
```

#### 1.0.1 Read data

```
[1]: data=read.table('C:/Users/Administrator/Desktop/datamining/HW1/data2.

→txt',header= TRUE)
```

#### 1.1 split into 300 test datas and 700 train datas

```
[2]: set.seed(1)
train_ind <- sample(seq_len(nrow(data)), size = 700)

train <- data[train_ind, ]
test <- data[-train_ind, ]</pre>
```

# 2 a) Determine the best polynomial regression model

#### 2.1 validation method

```
[3]: validation_ind <- sample(seq_len(nrow(train)), size=350)
val_set<-train[validation_ind,]
train2<-train[-validation_ind,]
head(train2)
head(val_set)</pre>
```

	У	X
679	11.19222	2.981615
930	11.52814	4.283470
978	11.72022	6.124232
187	11.89680	7.581031
307	10.71828	1.763507
597	11.64581	4.798358

```
        y
        x

        437
        12.01530
        7.396417

        420
        11.83963
        8.227933

        193
        10.39658
        1.008731

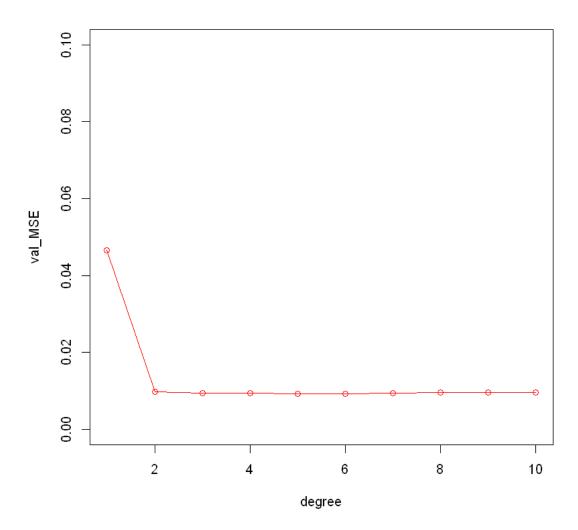
        824
        11.87077
        8.196983

        582
        11.95556
        9.489382

        260
        11.89417
        9.346914
```

```
[4]: set.seed(20152950)

for (j in 1:10) {
    vs.error = rep(0,10)
    for (i in 1:10){
        fit = lm(y ~ poly(x,i),data=train2)
            vs.error[i] = mean((val_set$y - predict(fit,val_set))^2)
        }
        if (j<2){
            plot(vs.error, type='o', ylab="val_MSE", xlab="degree",ylim=c(0,0.1))
        } else{
            lines(vs.error, type='o',col=j,ylim=c(0,0.2))
        }
    }
}</pre>
```



# [5]: vs.error which.min(vs.error)

- $1. \ \ 0.0465721891548336 \ \ 2. \ \ 0.0098031641525759 \ \ 3. \ \ 0.00942826179225358 \ \ 4. \ \ 0.00942974521196896$
- $5.\ \ 0.00934990449144303\ \ 6.\ \ 0.00934315580929329\ \ 7.\ \ 0.00949343218372707\ \ 8.\ \ 0.00964203671920841$
- $9.\,\, 0.00965395033851972\,\, 10.\,\, 0.0096740429675282$

### 2.1.1 6-degree model looks fine

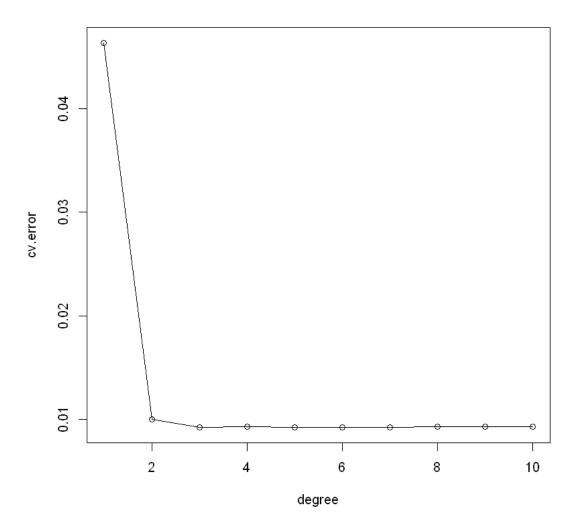
#### 2.2 LOOCV method

```
[6]: set.seed(20152950)
    library(boot)
    cv.error=rep(0,10)

    for(i in 1:10){
        glm.fit=glm(y~poly(x,i),data=train)
            cv.error[i]=cv.glm(train,glm.fit)$delta[1]
    }

Warning message:
    "package 'boot' was built under R version 3.6.3"

[7]: plot(cv.error, type='o', xlab="degree")
```



# [8]: cv.error which.min(cv.error)

- $1. \ \ 0.0463845957391451 \ \ 2. \ \ 0.00999340140811508 \ \ 3. \ \ 0.0092249510630756 \ \ 4. \ \ 0.00925259953339787$
- $5. \ \ 0.00920037087855594 \ \ 6. \ \ 0.0092153235096801 \ \ 7. \ \ 0.0092372151748105 \ \ 8. \ \ 0.00926227496058895$
- $9.\,\, 0.00928805002808778\,\, 10.\,\, 0.00930717390840043$

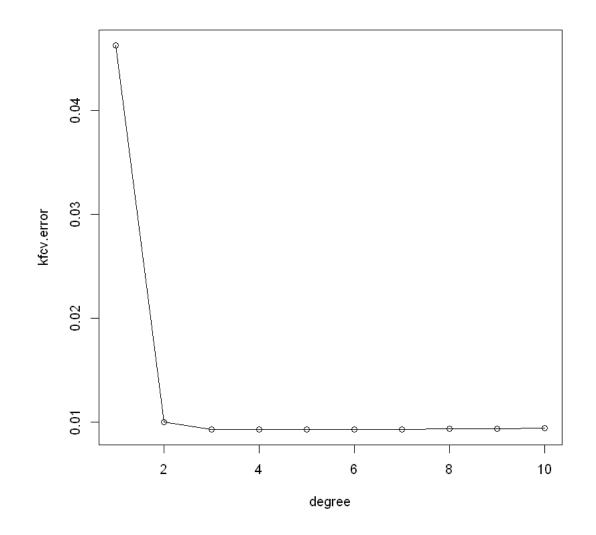
## 2.2.1 5 degree model looks good

# 3 10-fold CV approach

```
[9]: set.seed(20152950)

kfcv.error=rep(0,10)

for (i in 1:10){
    glm.fit=glm(y~poly(x,i),data=train)
    kfcv.error[i]=cv.glm(train,glm.fit,K=10)$delta[1]
}
[10]: plot(kfcv.error, type='o', xlab="degree")
```



```
[11]: kfcv.error which.min(kfcv.error)
```

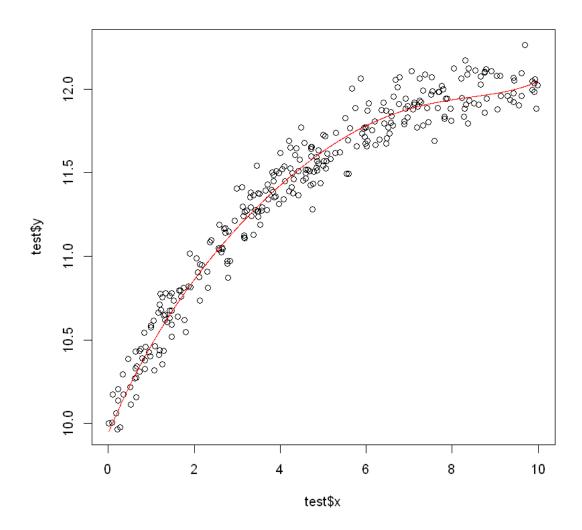
- $1. \ \ 0.0463020236139796 \ \ 2. \ \ 0.00998262784890129 \ \ 3. \ \ 0.00926343614584298 \ \ 4. \ \ 0.00928493505348354$
- $5.\ \ 0.00925511413941544\ \ 6.\ \ 0.00925473368305222\ \ 7.\ \ 0.00927848155619971\ \ 8.\ \ 0.00929882595527234$
- $9.\,\, 0.00931257797900688\,\, 10.\,\, 0.00940248464018602$

6

#### 3.0.1 6 degree model looks good

## 4 Let's make 5 degree model

```
[12]: fit=glm(y~poly(x,5),data=train)
    x <- with(test, seq(min(x), max(x), length.out=2000))
    y <- predict(fit, newdata = data.frame(x= x))
    plot(test$x,test$y)
    lines(x, y, col = "red")</pre>
```



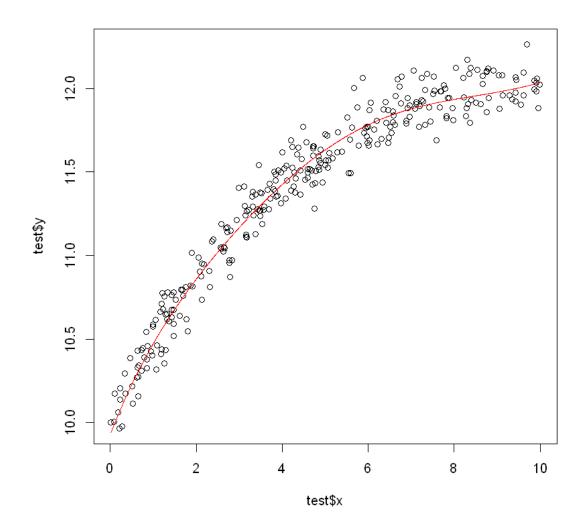
```
[13]: predict=predict(fit,test)
    mse5=mean((test$y-predict)^2)
    mse5
```

0.0114262134970114

 $\ mse \ is \ 0.0114262134970114$ 

# 5 Now, make 6 degree model

```
[14]: fit=glm(y~poly(x,6),data=train)
    x <- with(test, seq(min(x), max(x), length.out=2000))
    y <- predict(fit, newdata = data.frame(x= x))
    plot(test$x,test$y)
    lines(x, y, col = "red")</pre>
```



```
[15]: predict=predict(fit,test)
    mse6=mean((test$y-predict)^2)
    mse6
```

0.0114474847420273

mse is 0.0114474847420273

[16]: mse5

0.0114262134970114

[17]: mse6

0.0114474847420273

6 So it seems that 5-degree polynomial model is the best

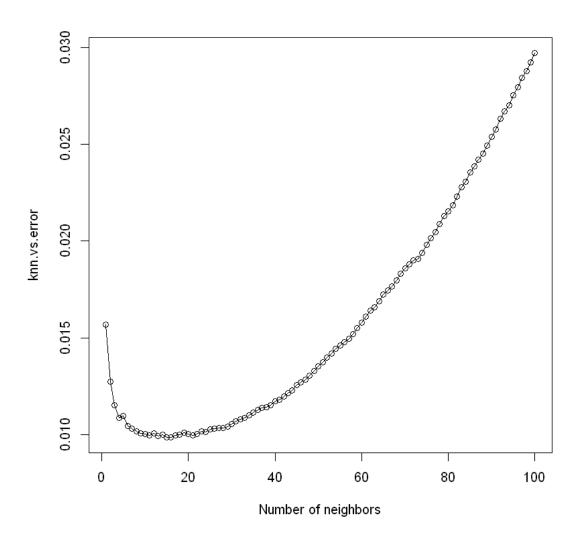
[]:

7 Let's do KNN regression

[18]: library(FNN)

Warning message:
"package 'FNN' was built under R version 3.6.3"

8 Validation method



```
[20]: which.min(knn.vs.error)
```

16

#### 8.1 k=16 looks like it is the best

# 9 LOOCV

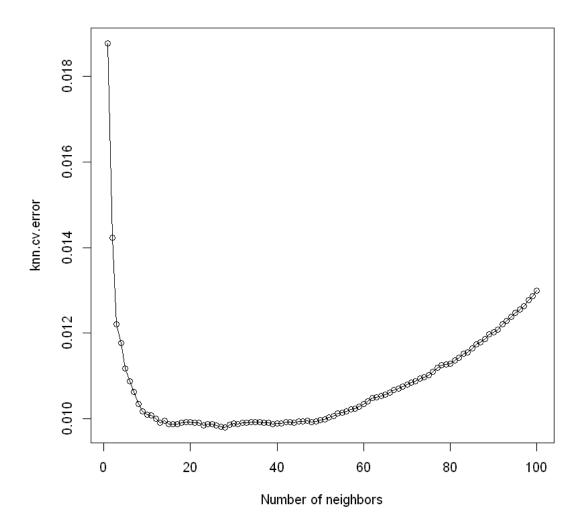
```
[21]: knn.cv.error=rep(0,100)

for (i in 1:100){
   fit=knn.reg(train=as.data.frame(train$x), y= train$y, k=i)
```

```
# in knn.reg, if test is not supplied, Leave one out cross-validation is 
→ performed and R-square is the predicted R-square.

knn.cv.error[i] = mean((train$y - fit$pred)^2)
}

plot(knn.cv.error,type='o',xlab = c('Number of neighbors'))
```

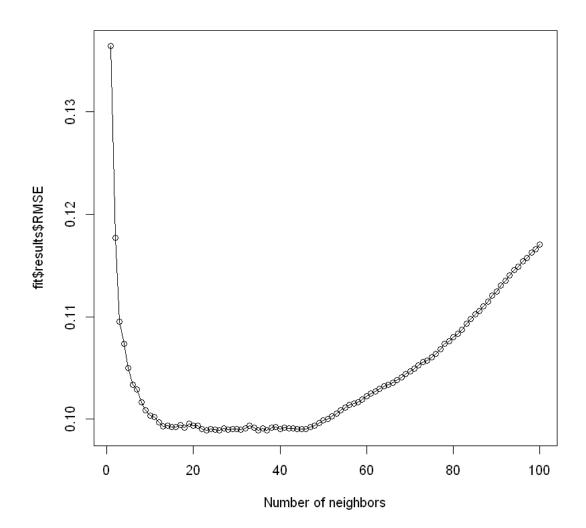


```
[22]: which.min(knn.cv.error)
```

#### 9.1 K=28 model looks good

#### 10 10-fold cross validation method

```
[23]: library(caret)
     Warning message:
     "package 'caret' was built under R version 3.6.3"Loading required package:
     lattice
     Attaching package: 'lattice'
     The following object is masked from 'package:boot':
         melanoma
     Loading required package: ggplot2
     Warning message:
     "package 'ggplot2' was built under R version 3.6.3"
 []:
[24]: trControl <- trainControl(method = "cv",
                                number = 10)
[25]: fit <- train(y~x,
                              = "knn",
                   method
                   tuneGrid
                             = expand.grid(k = 1:100),
                   trControl = trControl,
                              = train)
                   data
[26]: plot(fit$results$RMSE,type='o',xlab = c('Number of neighbors'))
```



# [27]: which.min(fit\$results\$RMSE)

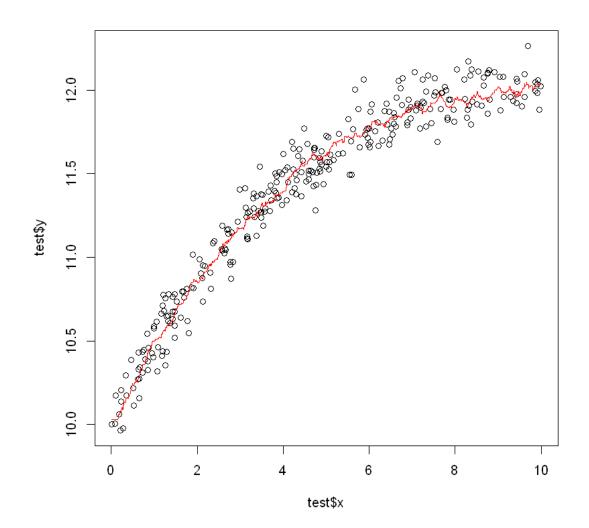
37

## 10.1 Looks like k=37 model is the best!

[]:

#### 11 Let's test!

#### 11.1 k=16

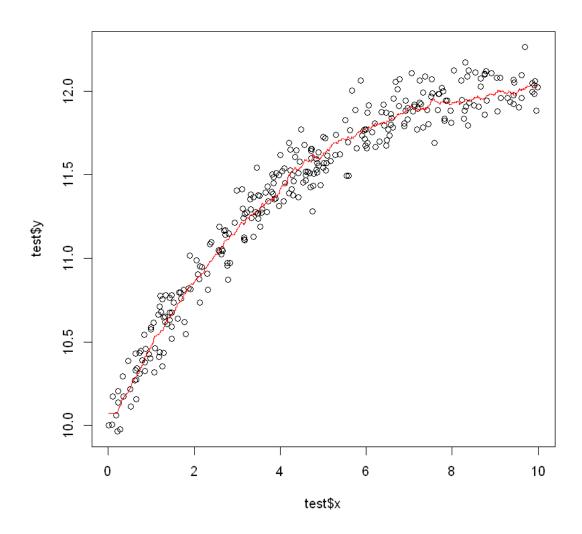


[30]: mse16

0.011866644165692

#### 11.2 mse is 0.011866644165692

### 12 k=28



#### [32]: mse28

0.0117155454070362

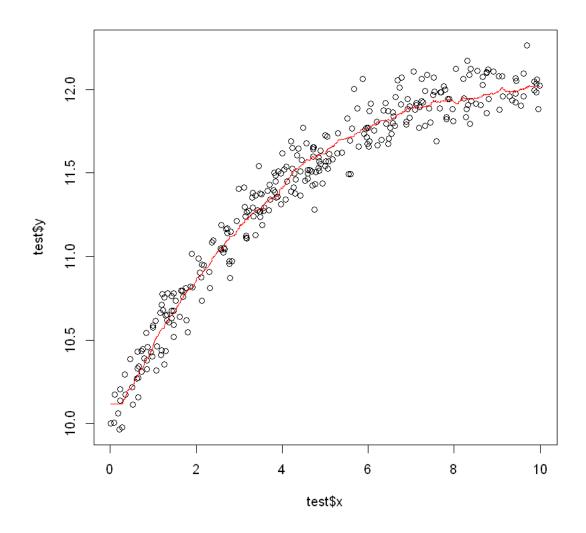
mse is 0.011755454070362

# 13 k=37 model

```
[33]: fit=knn.reg(train = as.data.frame(train$x),test=as.data.

→frame(test$x),y=train$y,k=37)

mse37=mean((test$y - fit$pred)^2)
```



#### [34]: mse37

0.0116169596371103

mse is 0.011616596371103

[35]: mse16 mse28 mse37

0.011866644165692

0.0117155454070362

0.0116169596371103

# 14 So k=37 model is the best knn model