

Mechanical interlocking microstructure to enhance adhesion between chemically incompatible plastics

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Abstract

Using incompatible materials in FDM 3D printing is difficult because the materials don't adhere to each other. In order to bond two shapes of incompatible materials together as well as possible we investigate mechanically interlocking structures.

1. Introduction

Our project is centered around the PhD research of Tim Kuipers, so you might want to expect that together we may shift more work than other group projects.

If one wishes to print one part consisting of two incompatible materials then some interlocking geometry will need to be introduced at the interface between these two materials in order to make these two materials adhere to each other mechanically. We consider two materials, a hard one (shown in green) and a soft one (in cyan), which are placed next to each other such that the interface is horizontal and we will consider a tensile force is applied orthogonal to the interface. We want to optimize the structure such that it can withstand the highest tensile force, for an arbitrarily large interface; that is, we want to optimize the effective ultimate tensile strength of the interlocking microstructure. We want to optimize our structure such that none of the components of breaks or yields at the highest applied force. On the other hand we would like our structure to be as small as possible.

We consider two closely related interlocking geometries consisting of beams of either material connected. Both of these geometries are limited by manufacturing constraints:

- heights are a discrete multiple of the layer thickness h_{\min}
- widths are continuous, but at least be twice the nozzle size w_{\min}
- the width of a very long beam may be smaller: at least once the nozzle size w_{\min}

We consider two orientations of the interlocking pattern:

Straight even beams ('cross beams') are aligned parallel to the interface and odd beams ('fingers') are perpendicular

Diagonal even beams and odd beams (both 'fingers') are at equal and opposite angles w.r.t. the interface.

2. Straight Orientation

Figure 1 shows one cell of the straight structure, along with the design variables and the failure modes. The optimization then consists of the following:

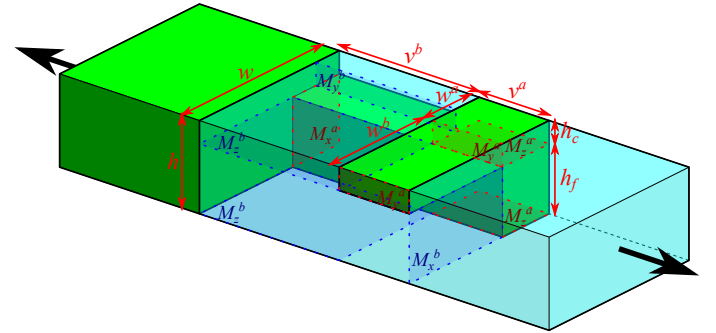


Fig. 1. One straight unit cell connecting material *a* (left) to material *b* (right). Failure can happen along the fingers (M_x), along the cross beams (M_y) or at the interface between the two (M_z) for either material.

$$\max \frac{F}{(w^a + w^b)(h_f + h_c)} \quad (1)$$

$$\min h_f h_c \quad (2)$$

subject to

$$w^m \geq w_{\min}^m \quad (3)$$

$$v^m \geq v_{\min}^m \quad (4)$$

$$h_f \geq h_{\min} \quad (5)$$

$$h_c \geq h_{\min} \quad (6)$$

$$v^a + v^b \leq v_{\max} \quad (7)$$

$$\frac{F}{w^m h_f} \leq \sigma_{\text{yield}}^m \quad \text{failure mode } M_x^m \quad (8)$$

$$\frac{2F}{3v^m h_c} \leq \tau^m \quad \text{failure mode } M_y^m \quad (9)$$

$$\frac{2F}{3v^m w^m} \leq \tau_Z^m \quad \text{failure mode } M_z^m \quad (10)$$

for both materials $m \in \{a, b\}$

This looks like a multi-objective optimization problem,

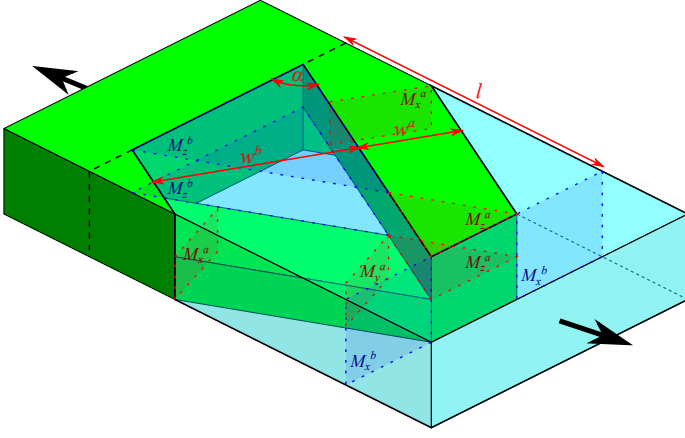


Fig. 2. One straight unit cell connecting material a (left) to material b (right). Failure can happen along both the fingers (M_x), twice along one finger (M_y) or at the interface between the two fingers (M_z) for either material.

but without the second objective the problem is under-constrained. Adding the second objective actually means there's one unique solution - rather counter-intuitively.

The v^m variables don't figure in the objective, but they do appear in the constraints and therefore are also subject to the optimization.

We should be able to find analytical solution(s), depending on the size of v_{\max} w.r.t. the other constraints.

Possible extensions:

- Take bending stress constraint into account.
- Consider multiple repetitions of the cell in the loading direction.
- Consider tensile load in Z direction.
- Consider FEM model.

3. Slanted design

TODO: Fig. 2

References