

Trường Đại Học Quốc Tế - ĐHQG TP.HCM

# LAB REPORT

Course: Algorithms & Data Structures LAB 7

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- 1 Add a method that counts the elements in a binary tree into the Tree Class. Specifically, the method takes no parameters and returns an integer equal to the number of elements in the tree.




```
1 public static int countNode(Node root) {  
2     if(root == null) return 0;  
3     return 1 + countNode(root.LeftChild) + countNode (root.RightChild);  
4 }
```

- 2 Add a method that computes the height of a binary tree into the Tree Class. Specifically, this method has no parameters and returns an integer equal to the height of the tree.




```
1  public static int treeHeight(Node root) {  
2      if(root == null) return 0;  
3      int leftHeight = treeHeight (root.LeftChild);  
4      int rightHeight = treeHeight (root.RightChild);  
5      return 1 + Math.max(leftHeight, rightHeight);  
6  }
```

- 3 Add a method that counts a binary tree's leaves tree into the Tree Class. Specifically, this method has no parameters and returns an integer equal to the number of leaves in the tree.



```
1 public static int countLeaves(Node root) {  
2     if(root == null) return 0;  
3     if(root.leftChild == null && root.rightChild == null) return 1;  
4     return countLeaves(root.leftChild) + countLeaves (root.rightChild);  
5 }
```

- 4 Add a method that determines whether a binary tree is fully balanced. This method takes no parameters and returns a Boolean value: true if the tree is fully balanced and false if not.



```
1 public static boolean isBalanced(Node root) {  
2     if(root == null) return true;  
3     int leftHeight = treeHeight (root.leftChild);  
4     int rightHeight = treeHeight (root.rightChild);  
5     if(Math.abs(leftHeight - rightHeight) > 1) return false;  
6     return isBalanced(root.leftChild) && isBalanced(root.rightChild);  
7 }
```

- 5 Define two binary trees to be identical if both are empty or their roots are equal, their left subtrees are identical, and their right subtrees are identical. Design a method that determines whether two binary trees are identical (this method takes a second binary tree as its only parameter and returns a Boolean value: true if the tree receiving the message is identical to the parameter, and false otherwise).

```
1  public static boolean areIdentical (Node t1, Node t2){
2      if (t1 == null && t2 == null)
3          return true;
4
5      if (t1 == null || t2 == null)
6          return false;
7      boolean t1_is_leaf = (t1.LeftChild == null && t1.RightChild == null);
8      boolean t2_is_leaf = (t2.LeftChild == null && t2.RightChild == null);
9      if (t1_is_leaf && t2_is_leaf) {
10         return (t1.value == t2.value);
11     }
12     else if (!t1_is_leaf && !t2_is_leaf) {
13         // So sánh phép toán và đệ quy kiểm tra các cây con
14         return (t1.operation == t2.operation) &&
15             areIdentical(t1.LeftChild, t2.LeftChild) &&
16             areIdentical(t1.RightChild, t2.RightChild);
17     }
18     else {
19         return false;
20     }
21 }
```

## 6 Huffman coding

```

1  public class HuffmanTree {
2      public static void main(String[] args) {
3          Tree huffmanTree = new Tree();
4          String s = "I am a student at International University. My name is TRAN MINH PHUC. I am working on a DSA lab.";
5          int[] freqArray = new int[256];
6          for (char c : s.toCharArray()) {
7              freqArray[c]++;
8          }
9          PriorityQueue<Node> pq = new PriorityQueue<>(new NodeComparator());
10
11         for (int i = 0; i < 256; i++) {
12             if (freqArray[i] > 0) {
13                 Node newNode = new Node();
14                 newNode.cData = (char) i;
15                 newNode.freq = freqArray[i];
16                 pq.add(newNode);
17             }
18         }
19         for (int i = 0; i < 256; i++) {
20             if (freqArray[i] > 0) {
21                 System.out.println("'" + (char) i + "': " + freqArray[i]);
22             }
23         }
24         for (Node item : pq) {
25             System.out.print(item.cData + " ");
26         }
27         System.out.println();
28         for (Node item : pq) {
29             System.out.print(item.freq + " ");
30         }
31         System.out.println();
32         while (pq.size() > 1) {
33             Node left = pq.poll();
34             Node right = pq.poll();
35             Node parent = new Node();
36             parent.cData = '*';
37             parent.freq = left.freq + right.freq;
38             parent.leftChild = left;
39             parent.rightChild = right;
40             pq.add(parent);
41         }
42
43         huffmanTree.root = pq.poll();
44         huffmanTree.showTree(0, huffmanTree.root);
45     }
46 }
47 class NodeComparator implements java.util.Comparator<Node> {
48     @Override
49     public int compare(Node x, Node y) {
50         return x.freq - y.freq;
51     }
52 }

```


## 7 TreeApp.java

- During the implementation, counters were added to measure the number of comparisons performed by each operation.

find(): The number of comparisons grows proportionally to the height of the tree. In a well-balanced BST, this is  $O(\log n)$ , but in an unbalanced tree it can degrade to  $O(n)$ .

insert(): Similar to find(), insertion compares keys while traversing down the tree. Efficiency is also  $O(h)$ , where  $h$  is the height.

delete(): Deletion requires locating the node and then adjusting the structure (handling 0, 1, or 2 children). Its comparisons remain  $O(h)$ , but are typically slightly higher than find() and insert() due to structural adjustments.



```
1  case 'c':  
2      theTree.root = null;  
3      theTree = new Tree();  
4      System.out.println("Tree cleared");  
5      break;
```



```
1 case 'r':  
2     Random rand = new Random();  
3     value = rand.nextInt(100);  
4     System.out.println("Inserting "+value);  
5     theTree.insert(value, value + 0.9);  
6     break;
```



```
1 public int minItem() {  
2     Node current = root;  
3     if(current == null) return -1; // tree is empty  
4     while(current.LeftChild != null) {  
5         current = current.LeftChild;  
6     }  
7     return current.iData;  
8 }  
9 public int maxItem() {  
10    Node current = root;  
11    if(current == null) return -1; // tree is empty  
12    while(current.RightChild != null) {  
13        current = current.RightChild;  
14    }  
15    return current.iData;  
16 }
```

- Different traversals create significantly different BST shapes, proving that traversal sequences do not



preserve structural information. Only the set of values is preserved, not the tree's shape.

————— *This is the end of the report* —————