Pento 6 · Y (t + D f) = ((f) + N(f) Df + 1 a(f) (Df)2 N(E+DE) = N(E) + DE la CE+DE) + a(E)) 1 (4478) = 1(E) + 1, (E) DF + 7 £ (C) (DE) 5 1(E+DE)=1(E)+1(E) Af +1 a(E) (DE)2 1(+- DE) = 1(E) - 1(E) DE + 1 a (E) [DE)2 festando las ecuación e r(+16)- r(+16) = 2v(1)06 V(E) = 1(+ + DE) - 1(E - DE) V(+46)=1 (6+756)-166) (1 (E+ DE) = 1 (r(E+ 2DE) - r(E) +r(E+DE) - 10 Y(++1)+ Y(+-26) - Y(t-26)) $- Y(E + \Delta E) = -2r(E + \Delta E) + r(E + \Delta E)$ - Y(E) = -2r(E) + Y(E)V (E + D E) = 1 [x | E + 2DE) - 2x (E + DE) + x (E + DE) + 1(t) + 1(t+1E) - 2 ((t) - 1(t-DE) + 1/t-DE)] V(E+DE) - 1 [x(E+ZDE)-2x(E+DE)+x(E)+ 1(+11) - 2x(+)+x(+-1+)3+1 (++16)-x(+-1+)3 V(+ 16) = 1 [1 (+ 2 D +) - 2 x (+ 1 6) x (+ 1 + 1 (+ 1 + 1) - 21(6) + 1(6-DE)] + UCt)

V((1)()= DECN(+7)()-21(+06)+1(6)] + Cr(6+ At) - 2r(E) + r(E-DE)] + V(E) a(t) = 2 (x(6+26)-x(6)-x(6) 26) a(b+DE) = 2(x(t+ZDE) -x (E+DE) - x(E+DE) DE) act = 2, (+100) - 2x(4) - x (+100) +x(+-00) a(t) + a(t+16) = 2x(t+206) + 2x(t+0t) - 2x(+106) - 21(E) - Y (E+DE) + 1 (6-DE) - r (E+2DE) + r (E) a(E)+ o(E+AE) = x(E+ZDE) - 2x(6+DE) + x(E) +1(EFDE) - 21(E) + r(f-16)

V(t+Dt)= At [V(6+2A6)-2r(t+D6)+r(t)] [Y(E+ DE)-2,(E) + Y(E-DE)] + V(E)

NIE+DE1 = V(E) + DE [ale+DE) + ace)]

•
$$V'(0) = [a(1+e), 0]$$
 $e = C = C = ea$
 $R = c + a = ae + a = R = a(1+e)$

• $V'(0) = [0, \sqrt{6} \frac{1-e}{a(1+e)}]$ $E = 1 \text{ m/2} - 6 \text{ Mm}$
 $\frac{q}{2} \text{ m/2} - 6 \text{ mm} = \frac{1}{2} \text{ m/p} - \frac{6 \text{ Mm}}{2}$
 $L = \text{ mrV}$
 $\text{mv}_{p} V_{p} = \text{mv}_{a} V_{a}$ $V_{p} = \frac{\sqrt{a}}{\sqrt{a}} V_{a}$
 $\frac{1}{2} V_{a}^{2} - \frac{1}{2} \frac{\sqrt{a}}{\sqrt{a}} V_{a}^{2} = -\frac{6 M}{\sqrt{a}} \frac{4}{\sqrt{a}} \frac{6 M}{\sqrt{a}}$
 $V_{1}^{2} = 26 \text{ M} \left(\frac{V_{0} (v_{p} - v_{a})}{V_{0} (v_{a}^{2} + v_{p}^{2})} \right) = V_{1} = \sqrt{26 \text{ m}} \frac{V_{1}}{V_{0} (1a - v_{p}^{2})}$
 $V_{1} = -ae + a = V_{1} = a(1-e)$
 $V_{2} = \sqrt{26 \text{ M}} \frac{a(1-e)}{a(1+e)(a(1+e)+a(1-e))}$
 $V_{3} = \sqrt{26 \text{ M}} \frac{a(1-e)}{a(1+e)(2a)}$
 $V_{4} = \sqrt{26 \text{ M}} \frac{a(1-e)}{a(1+e)(2a)}$