Due Aug 21, 11:59 PM +03



Graded Quiz • 50 min

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the following are true? (Check all that apply.)
$egin{array}{l} egin{array}{l} egin{array}$
Correct Yes. The vector $w_j^{[i]}$ is the column vector of parameters of the i-th layer and j-th neuron of that layer.
V_1 is a matrix with rows equal to the parameter vectors of the first layer.
$_3^{[4]}$ is the column vector of parameters of the third layer and fourth neuron.
$\mathcal{V}^{[1]}$ is a matrix with rows equal to the transpose of the parameter vectors of the first layer.
Correct Yes. We construct $W^{[1]}$ stacking the parameter vectors $w^{[1]}_j$ of all the neurons of the first layer.
$egin{array}{l} [4] \\ 3 \end{array}$ is the row vector of parameters of the fourth layer and third neuron.
$\mathcal{V}^{[1]}$ is a matrix with rows equal to the parameter vectors of the first layer.
xpand
rrect eat, you got all the right answers.

2. The tanh activation is not always better than sigmoid activation function for hidden units because the mean of its output is closer to zero, and so it centers the data, making learning complex for the next layer. True/False?

1/1 point

○ True

∠ Expand

⊘ Correct

Yes. As seen in lecture the output of the tanh is between -1 and 1, it thus centers the data which makes the learning simpler for the next layer.

3. Which of these is a correct vectorized implementation of forward propagation for layer l, where $1 \le l \le L$?

1/1 point

$$egin{aligned} Z^{[l]} &= W^{[l]} A^{[l]} + b^{[l]} \ A^{[l+1]} &= g^{[l]} (Z^{[l]}) \end{aligned}$$

$$egin{aligned} igotimes Z^{[l]} &= W^{[l]} A^{[l-1]} + b^{[l]} \ A^{[l]} &= g^{[l]} (Z^{[l]}) \end{aligned}$$

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∠ Expand

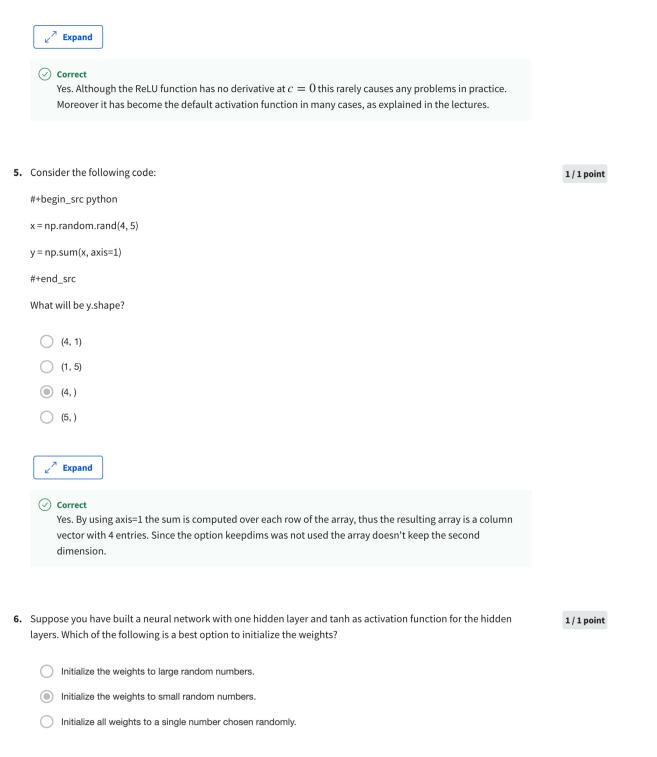
⊘ Correct

4. The use of the ReLU activation function is becoming more rare because the ReLU function has no derivative for c=0. True/False?

1/1 point

False

○ True



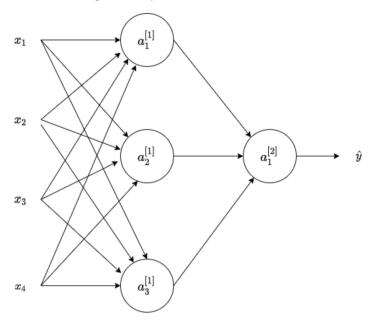
	☐ Initialize all weights to 0.	
	∠ [™] Expand	
	\bigcirc Correct The use of random numbers helps to "break the symmetry" between all the neurons allowing them to compute different functions. When using small random numbers the values $z^{[k]}$ will be close to zero thus the activation values will have a larger gradient speeding up the training process.	
7.	Using linear activation functions in the hidden layers of a multilayer neural network is equivalent to using a single layer. True/False?	1/1 point
	True	
	○ False	
	∠ [™] Expand	
	\bigcirc Correct Yes. When the identity or linear activation function $g(c)=c$ is used the output of composition of layers is equivalent to the computations made by a single layer.	
8.	You have built a network using the tanh activation for all the hidden units. You initialize the weights to relatively large values, using np.random.randn(,)*1000. What will happen?	1/1 point
	This will cause the inputs of the tanh to also be very large, thus causing gradients to also become large. You therefore have to set α to a very small value to prevent divergence; this will slow down learning.	
	This will cause the inputs of the tanh to also be very large, causing the units to be "highly activated" and thus speed up learning compared to if the weights had to start from small values.	
	So long as you initialize the weights randomly gradient descent is not affected by whether the weights are large or small.	
	This will cause the inputs of the tanh to also be very large, thus causing gradients to be close to zero. The optimization algorithm will thus become slow.	



⊘ Correct

Yes. tanh becomes flat for large values; this leads its gradient to be close to zero. This slows down the optimization algorithm.

9. Consider the following 1 hidden layer neural network:



Which of the following statements are True? (Check all that apply).

- $b^{[2]}$ will have shape (3, 1)
- $b^{[1]}$ will have shape (1, 3)
- ${f \sim}$ *E: $b^{[2]}$ will have shape (1,1)

✓ Correct

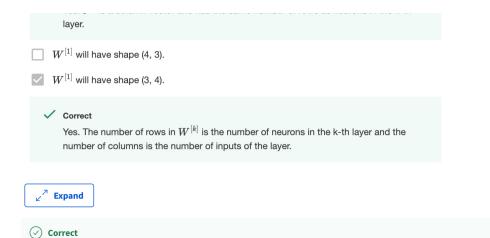
Yes. $b^{[k]}$ is a column vector and has the same number of rows as neurons in the k-th layer.

 $b^{[1]}$ will have shape (3, 1).

✓ Correct

Yes. $b^{[k]}$ is a column vector and has the same number of rows as neurons in the k-th

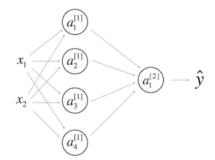
1/1 point



1/1 point

10. What are the dimensions of $Z^{[1]}$ and $A^{[1]}$?

Great, you got all the right answers.



- $igcup Z^{[1]}$ and $A^{[1]}$ are (4,2)
- $\bigcirc \hspace{0.1in} Z^{[1]}$ and $A^{[1]}$ are (1,4)
- $igotimes Z^{[1]}$ and $A^{[1]}$ are (4,m)
- $\bigcirc \hspace{0.1in} Z^{[1]}$ and $A^{[1]}$ are (4,1)

∠ Z Expand