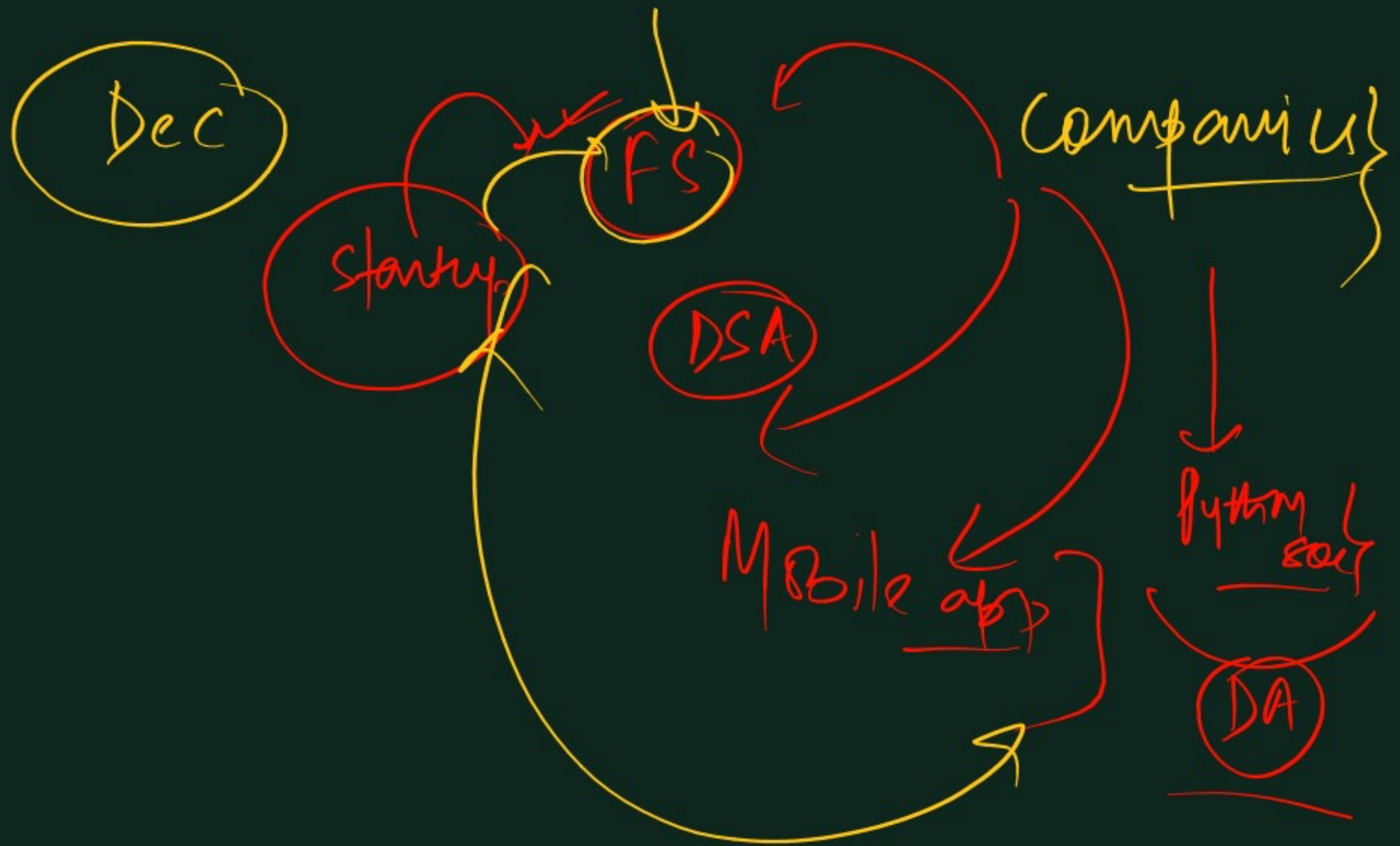
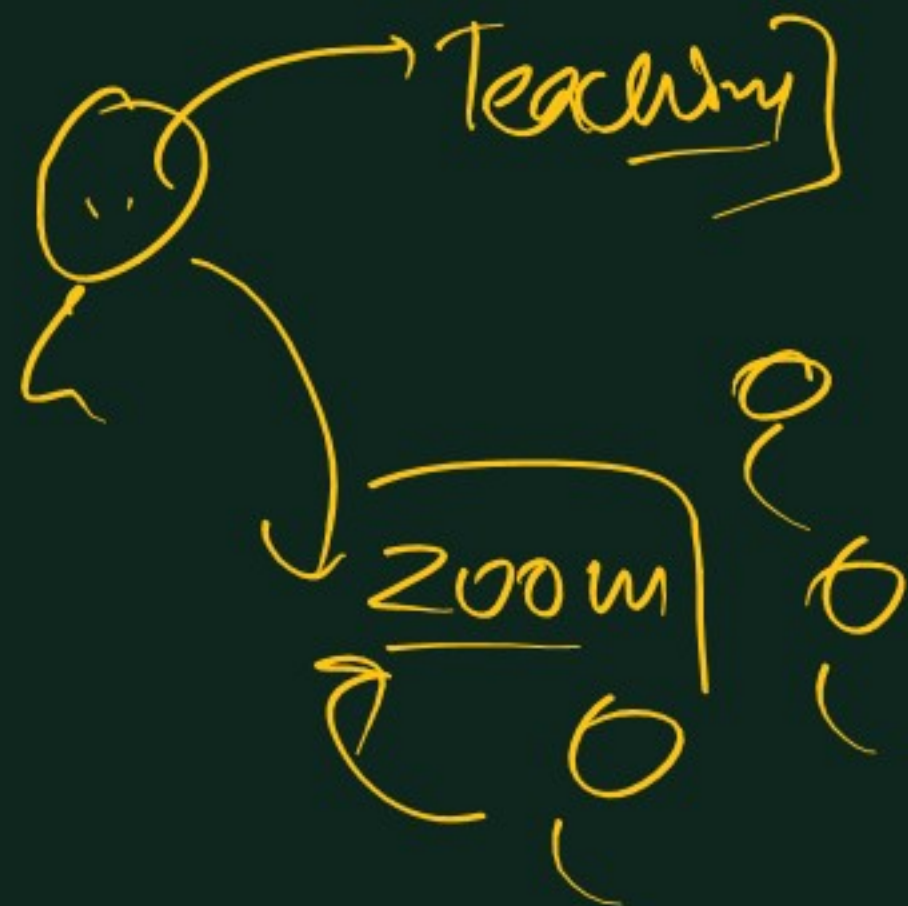


I have no time for anything!

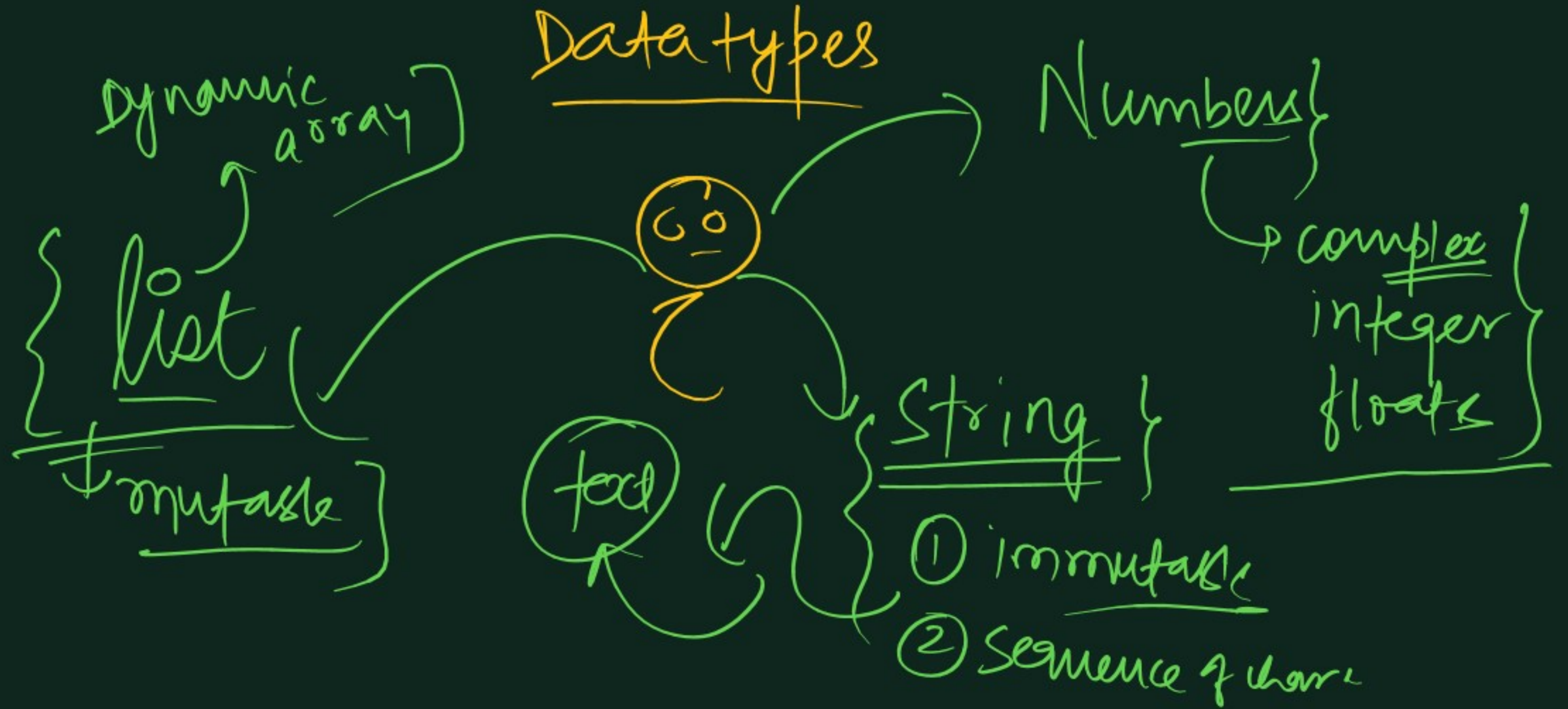
750% }

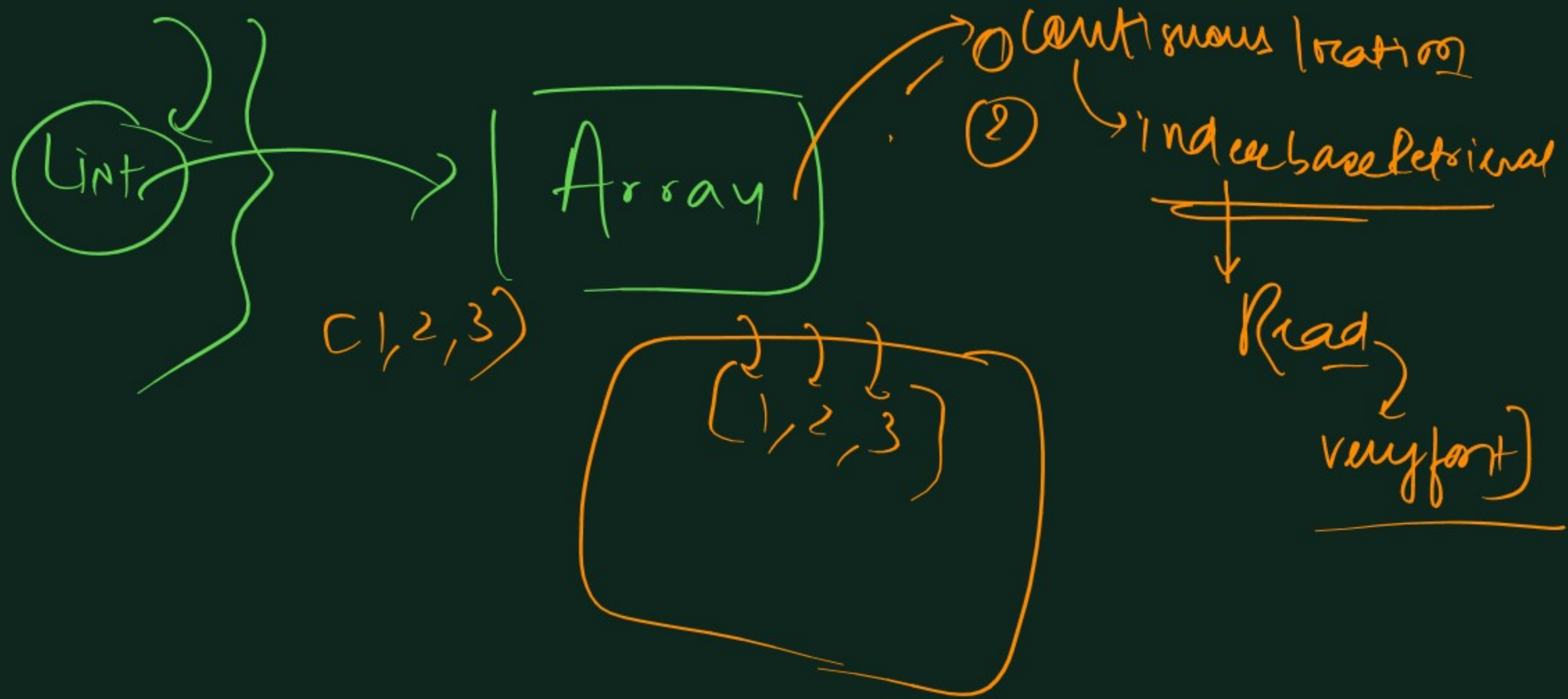


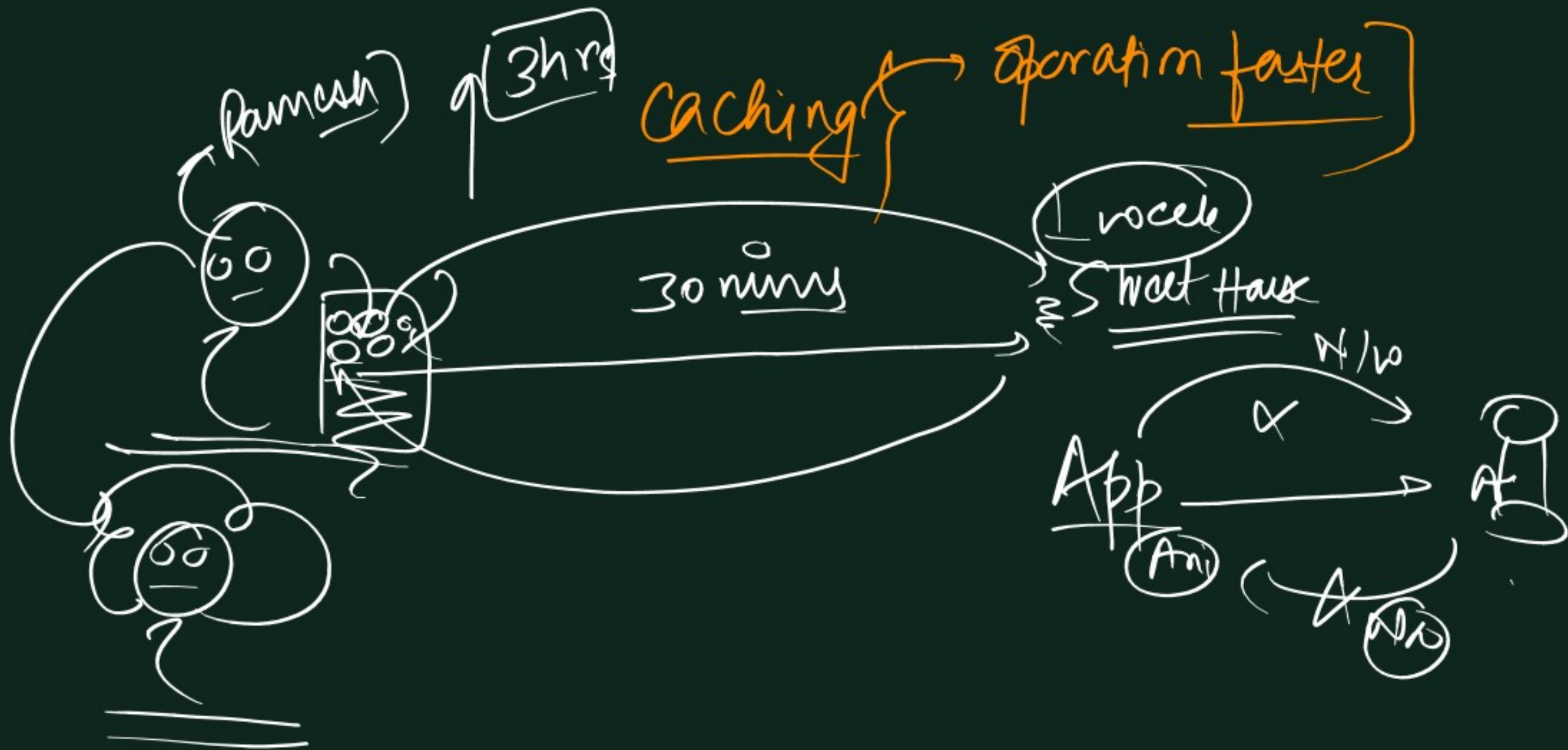
Time is limited}

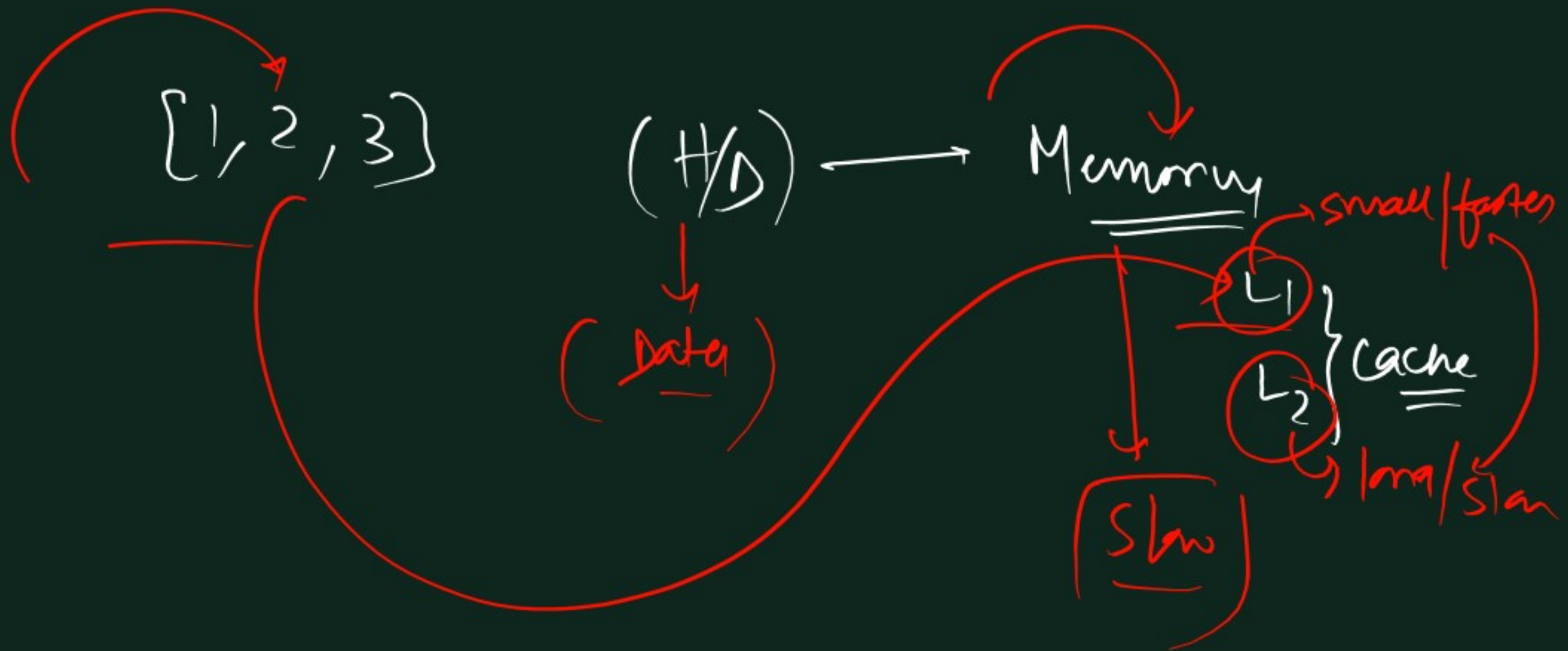


(DSA) → Language → Net practice (DSA)







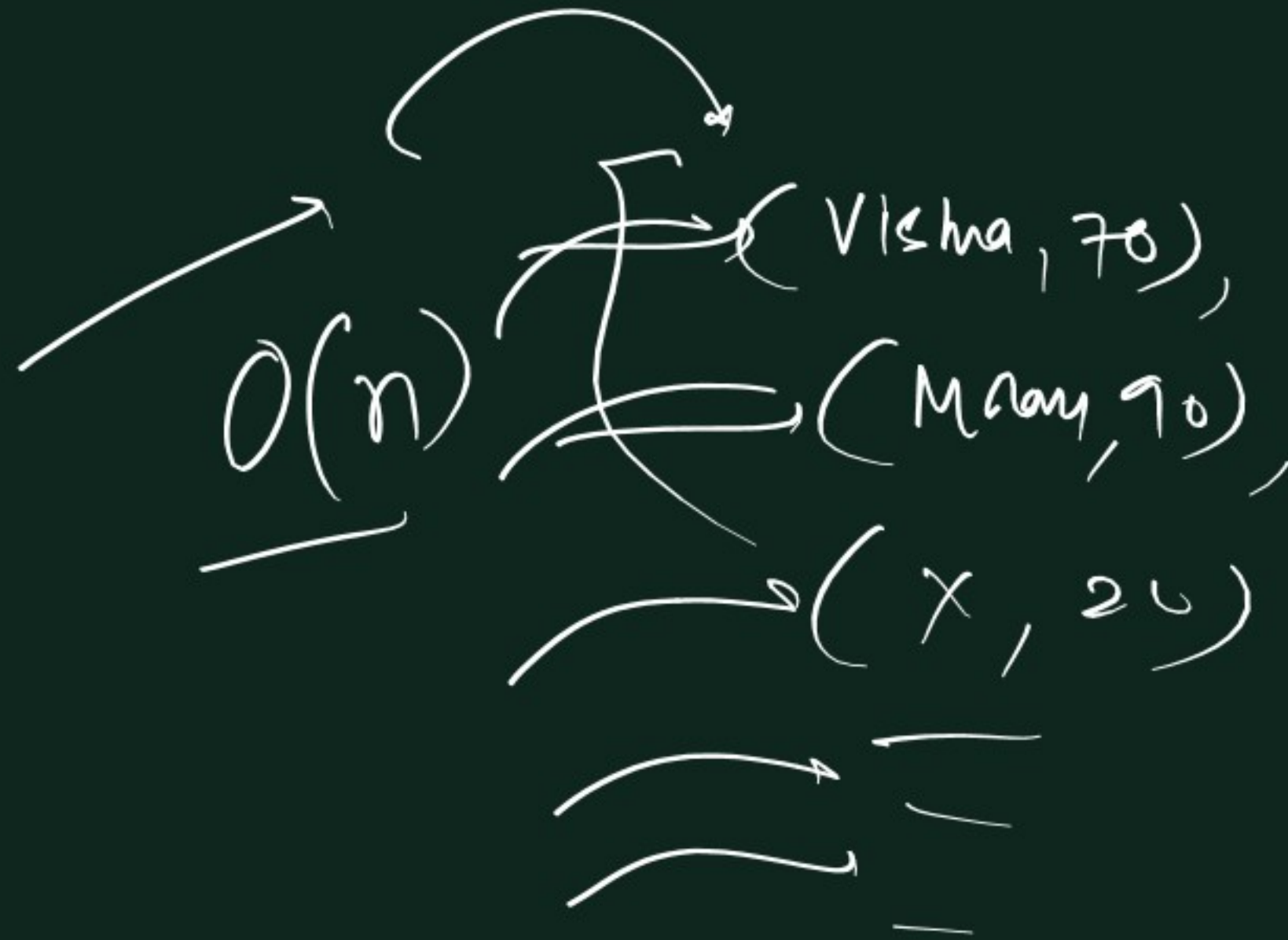


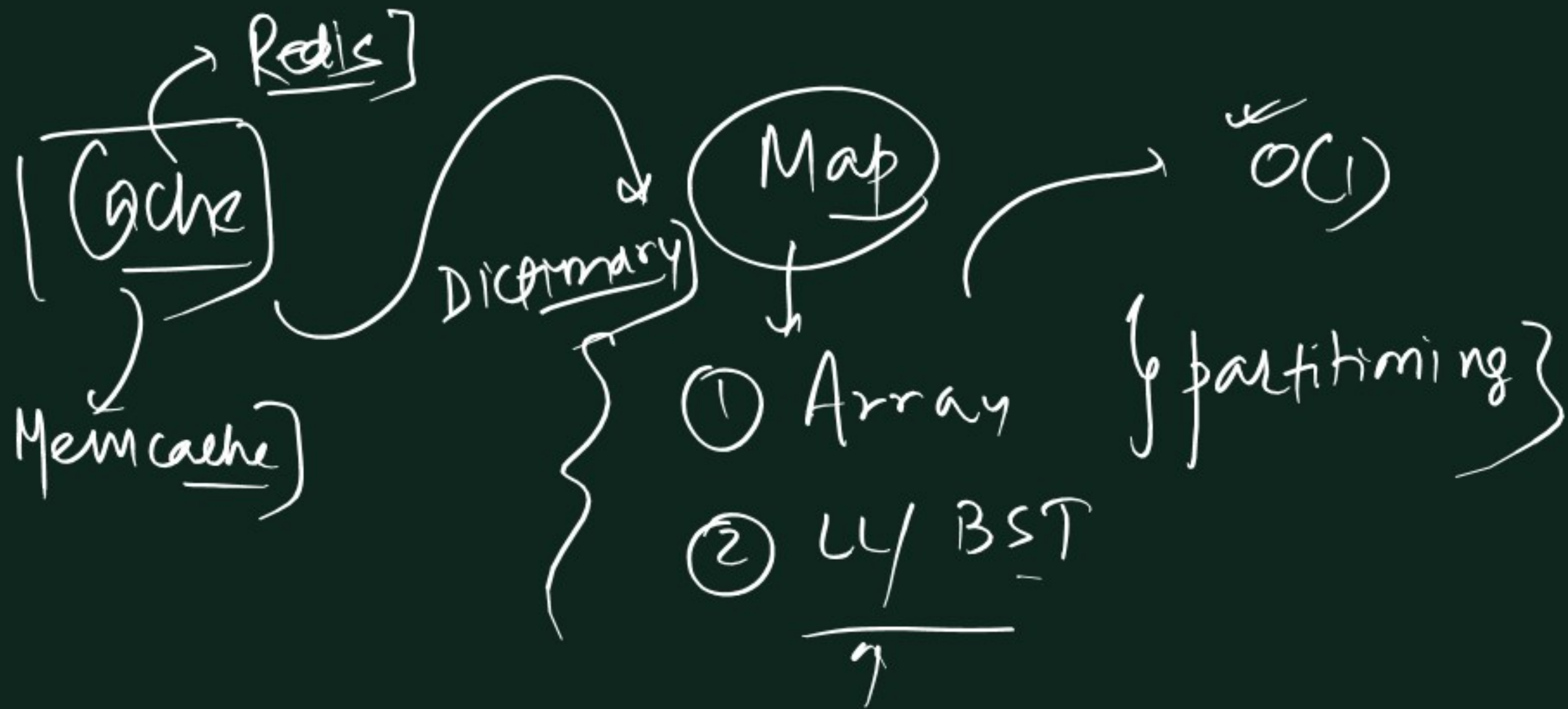
Dictionary

{ Key, value }

↓ when/Advantage

<u>Name</u>	→	<u>Salary</u>
Vishwa		70
Maan		75
—		
—		
—		

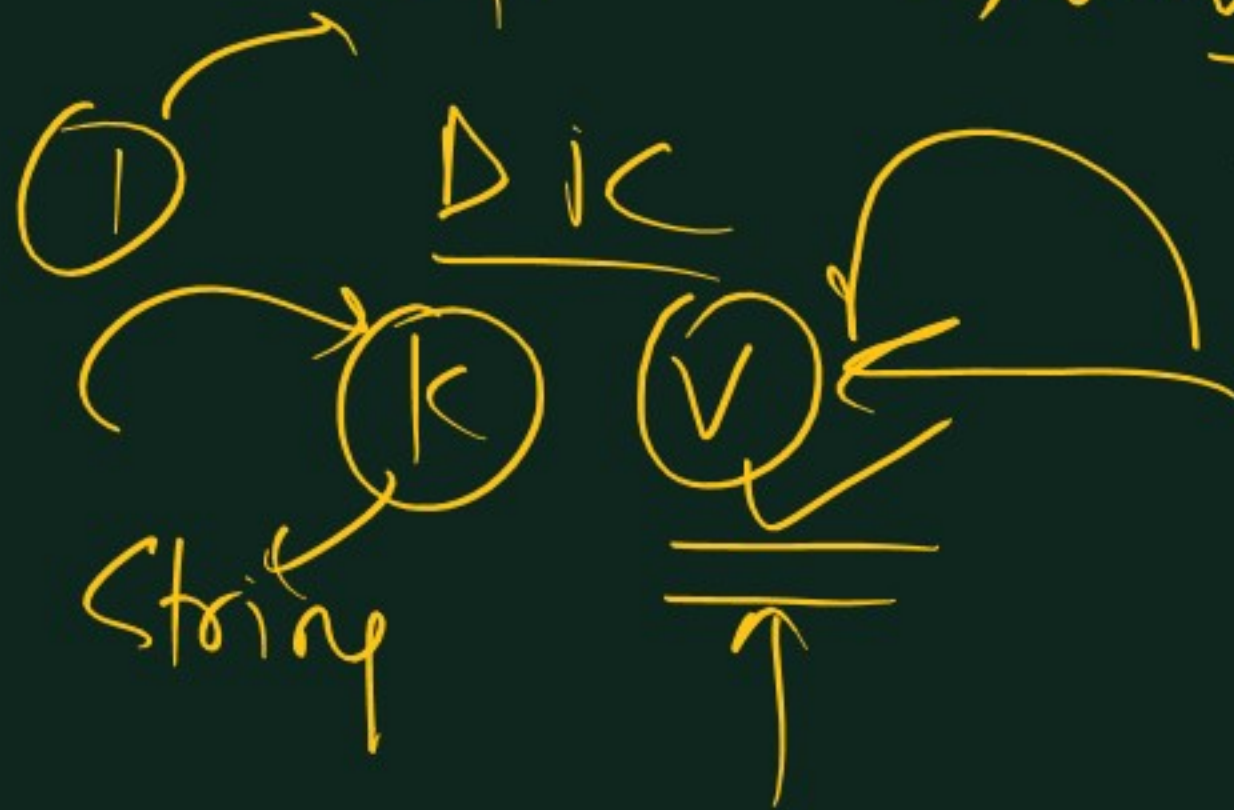




Challenge:-

Dictionary {

↳ index }



Set

$\{1, 2, 3\}$

Use case }

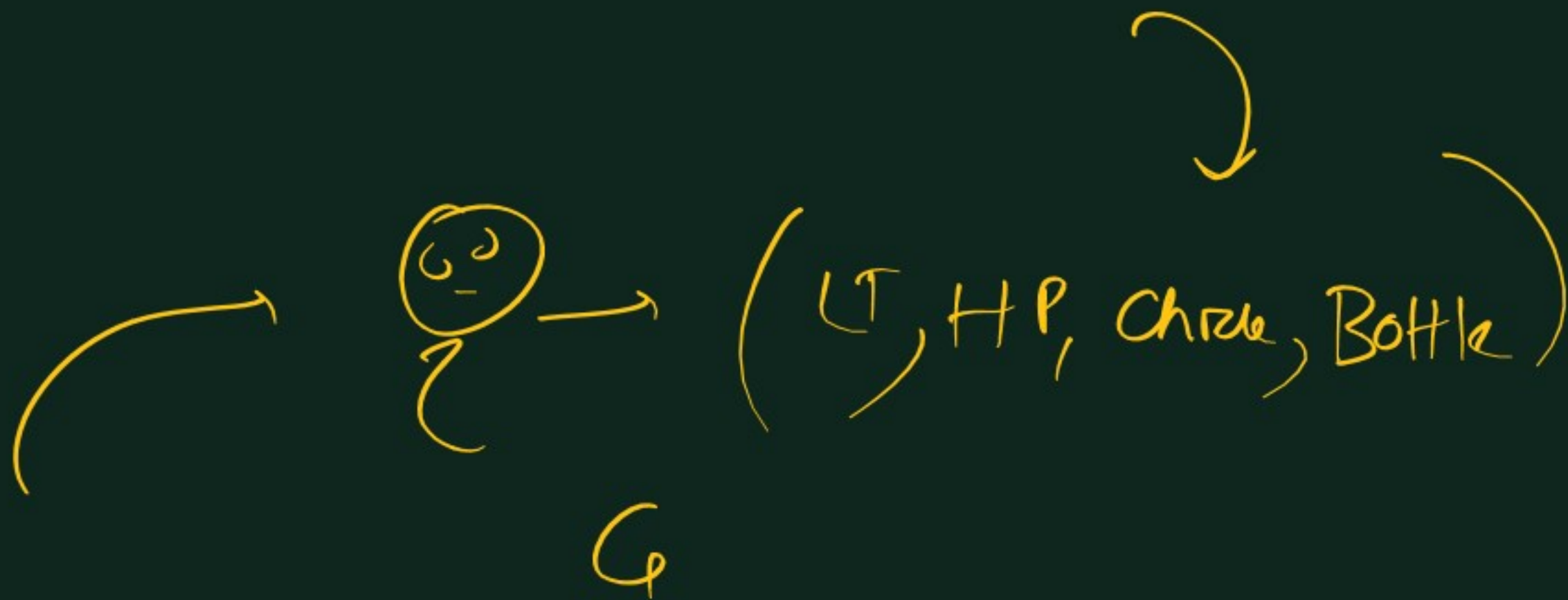




Arrays, LL/BST, Relation

frozenset

set { immutable }



Operators → Unary Op}



10 → Binary

10101 → Decimal No

table

$$St_{\sigma 1} = c(V_{rel1} n_1)$$

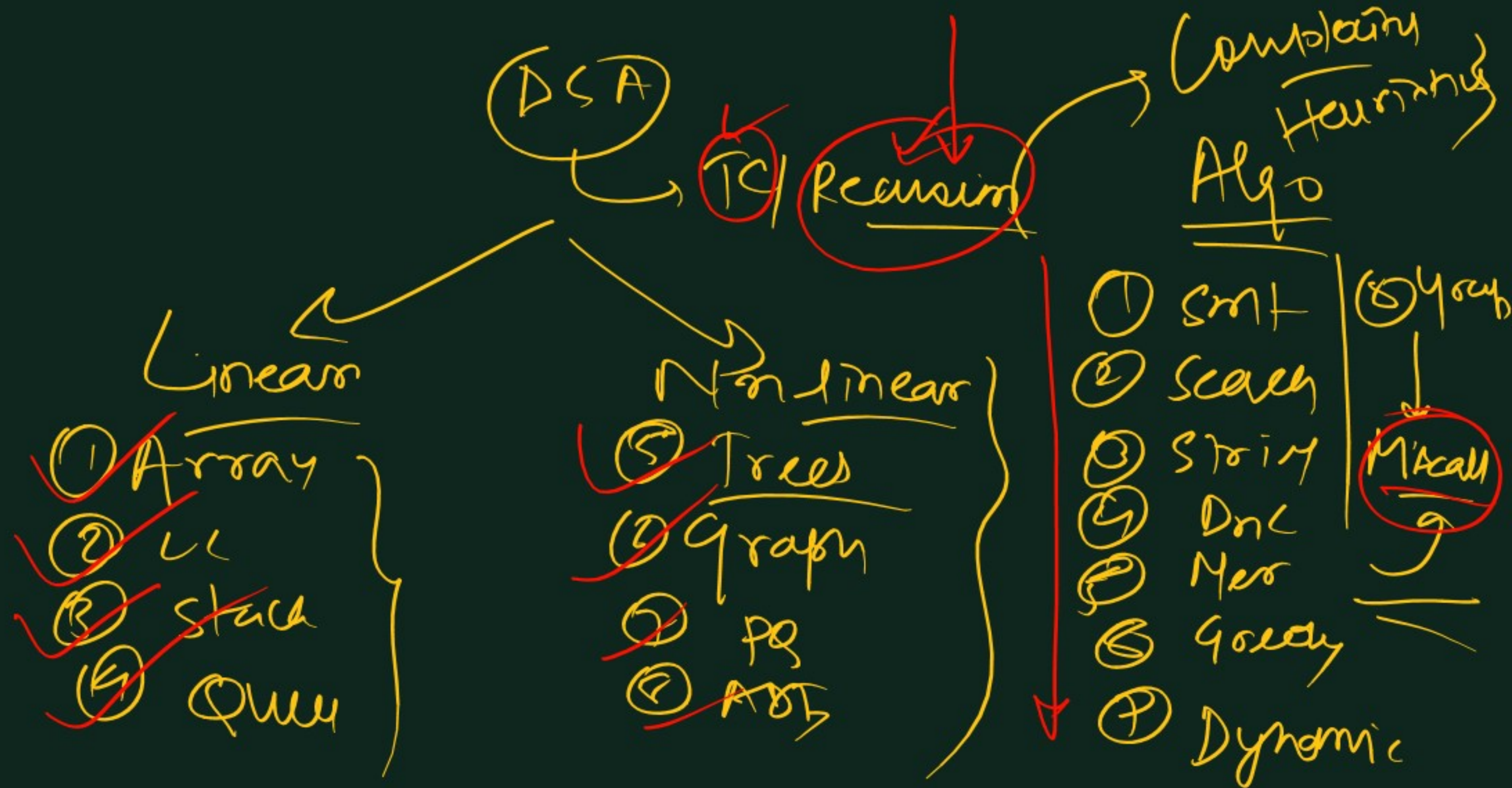
Stor - 'Vishu'

fontaine

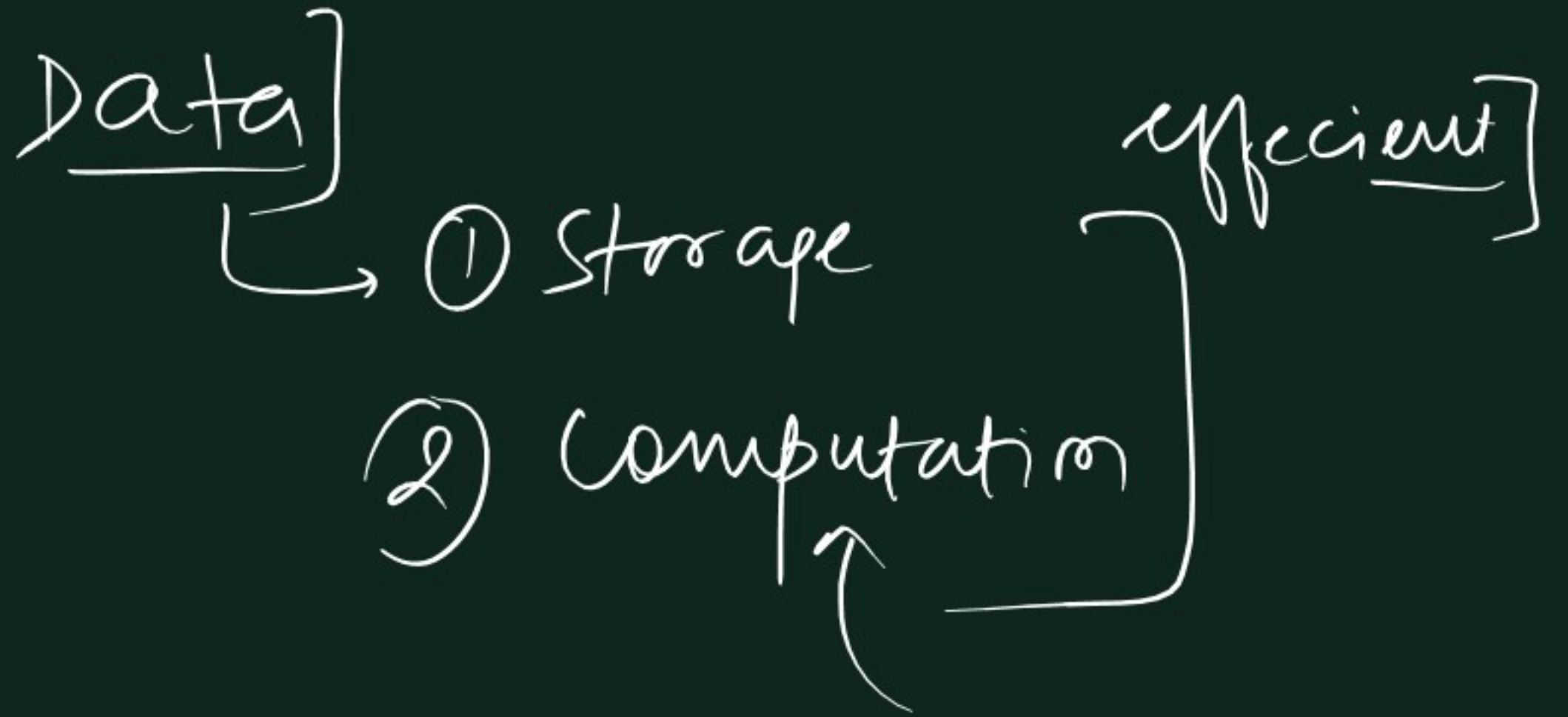
Interim

VPS





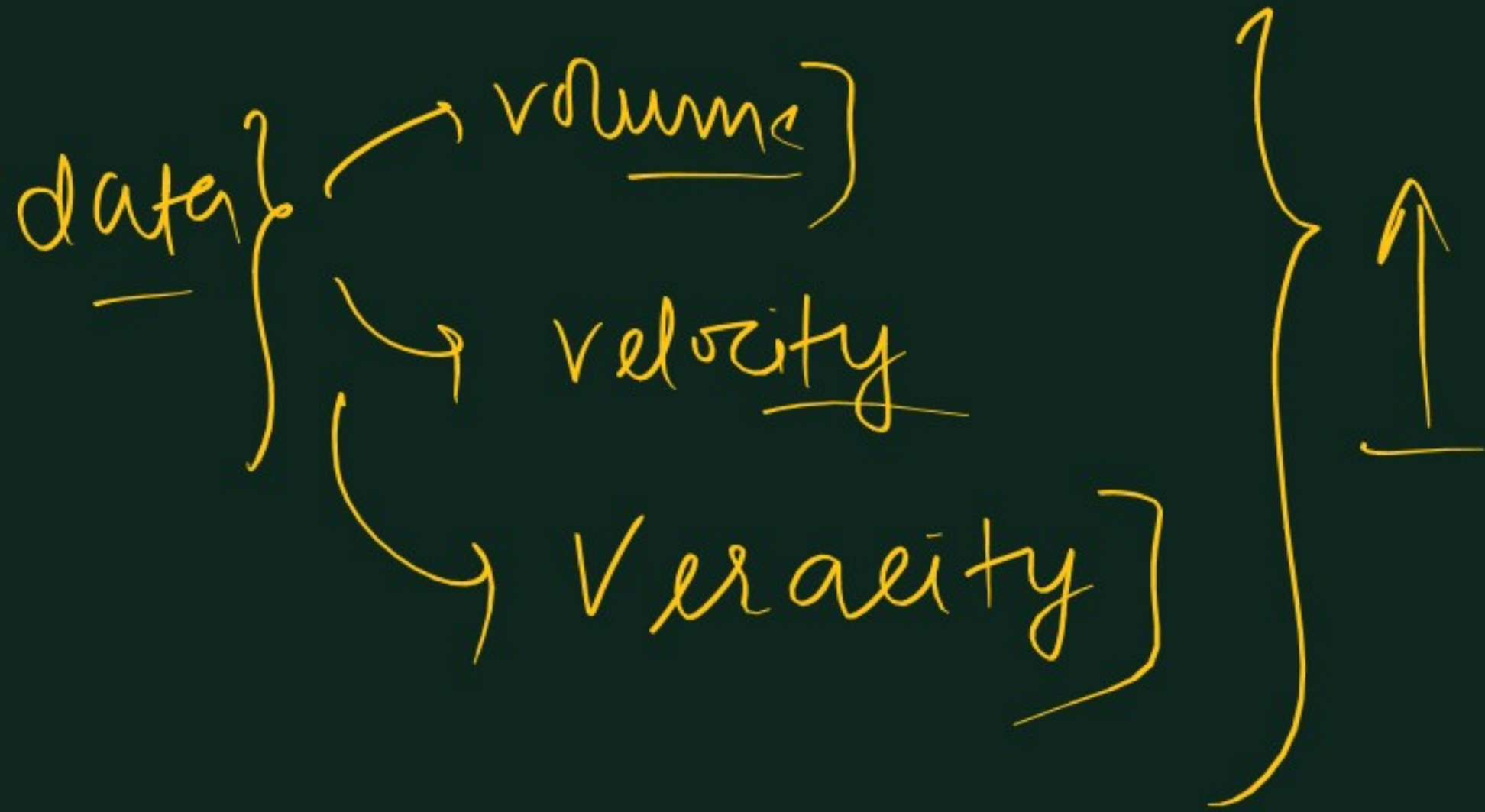
Data Structure }

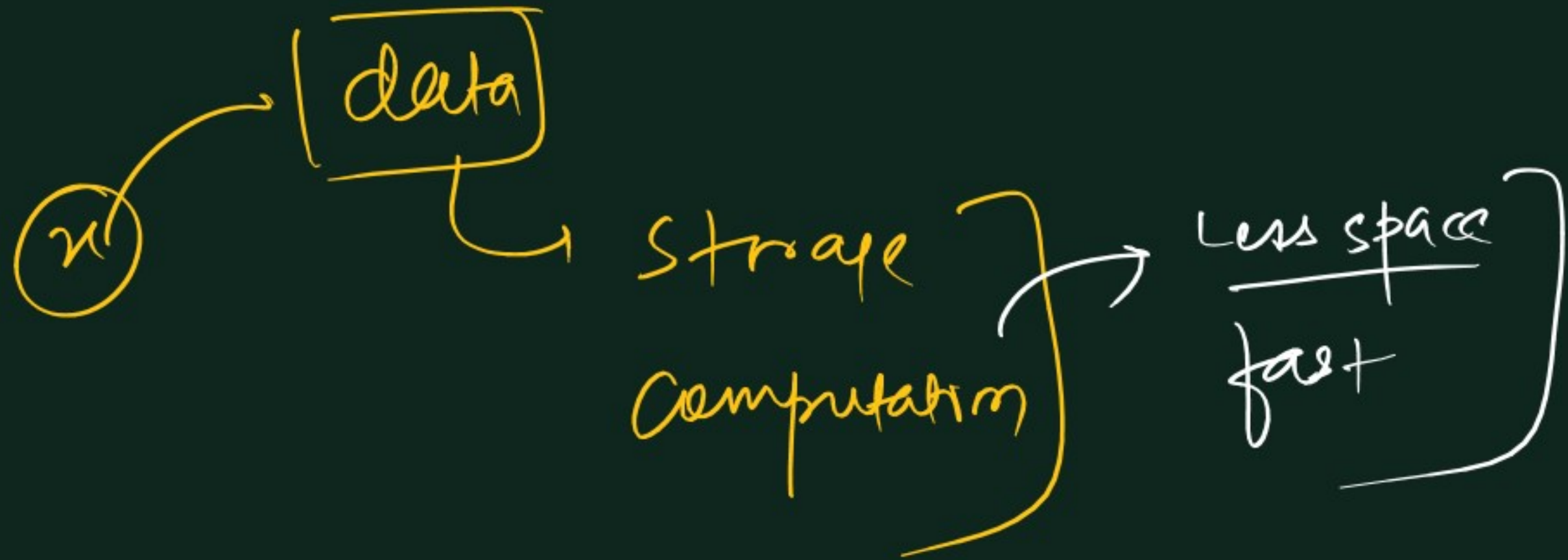


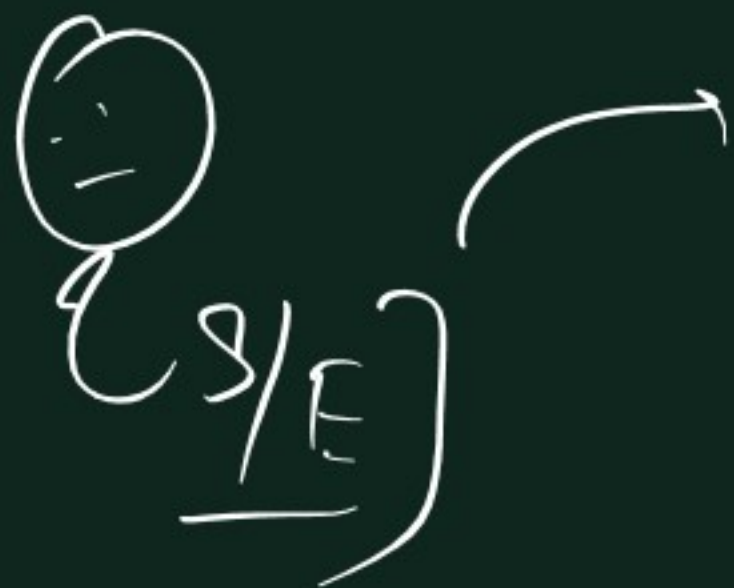


→ 2024

90% of x → least 2 years







Storage
Computation

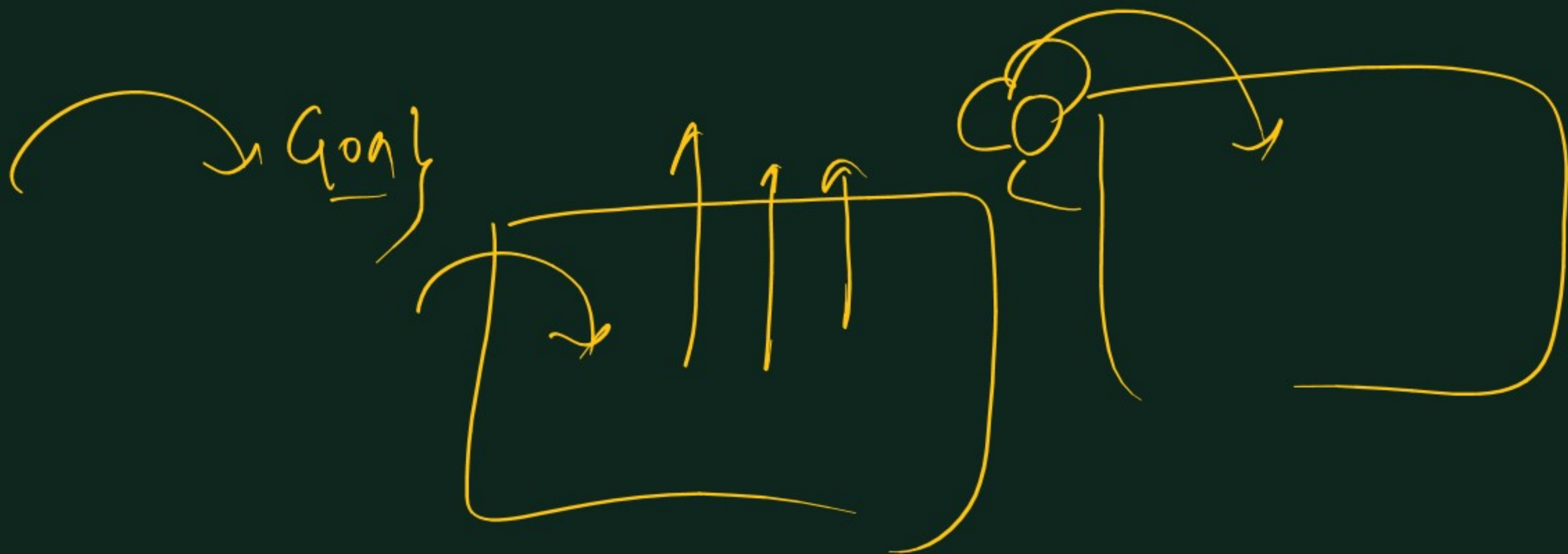


Why?

Data Structure

→ Structuring Data]

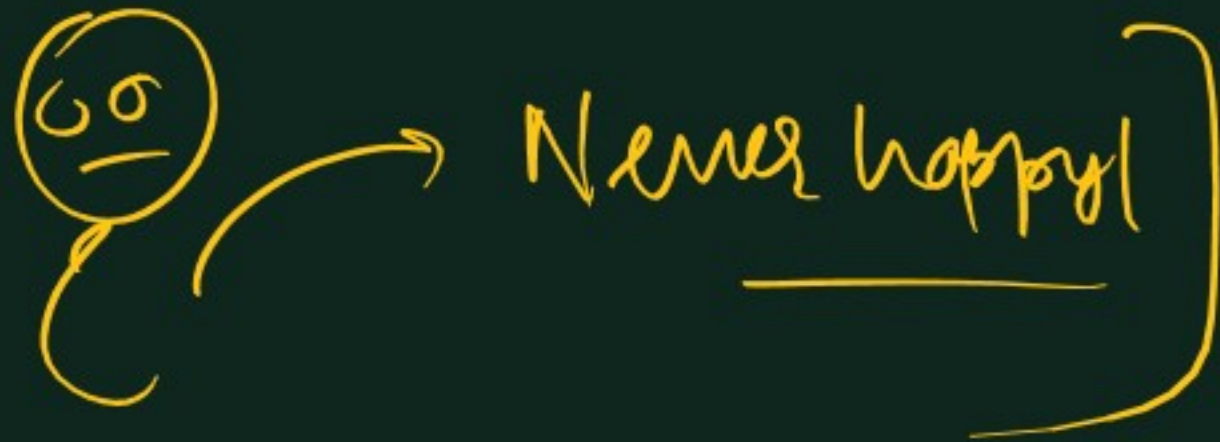
└→ Storage
└→ Computation]



Algorithms]

IP





Problem } Fast
 } Efficient

Problem



A \rightarrow less time] Better Algo] \rightarrow Time complexity]

Time taken (Mac) P

- ① logic
- ② PLT $\xrightarrow{\text{compiled}} A_1 \rightarrow t_1$
 $\xrightarrow{\text{Interpreted}} A_2 \rightarrow t_2$
- ③ OS/processors
(python/windows)

$t_1 \leq t_2$

A_1 is better than A_2

Can't say

Time complexity { No of operations is proportional
to input size }

def hello(n):
 [print("Vishwa")]
 [Operation]
 TC \rightarrow constant
 \hookrightarrow $O(1)$

\downarrow
 $n=1 \} \rightarrow 1$
 $n \geq 100 \} \rightarrow 1$
 $n=10 \} \rightarrow 1$

(loop) ← def print(n):
 for i in range(n):
 print('hello')

n=1	1	}	Operations
n=100	100		
n=1M	1M		

$\tau_c = \underline{O(n)}$

	<u>Print</u>
$n=1$	1
$n=2$	4
$n=3$	9

\downarrow
 $(n) \rightarrow \underline{n^2}$

$n=2$

```

def prints(n): input
    for i in range(n):
        for j in range(n):
            print("Hello")
  
```

$(x \times y) \rightarrow \underline{4}$

$TC = \underline{O(n^2)}$

Td →

① $i = n$

② $i = n/2$

③ $i = n/2^2 = \frac{n}{2^{3-1}}$

④ $i = \frac{n}{2^{4-1}}$

↓
(k) → $i = \frac{n}{2^{k-1}}$

def myPrint(n):

k times

$i = n$

while ($i > 1$):

print("Hello")

$i = i/2$

(k+1) → $i = \frac{n}{2^k}$

k in turn of n

$i \leq 0$

$i \approx \text{ver small}$

$i = \frac{n}{2^k}$

$2^k \approx n$

$$i = \frac{n}{2^k}$$

$$\Rightarrow i \leq 0$$

$$\Rightarrow \frac{n}{2^k} \leq 0$$

$$\frac{a \propto b}{(a \propto k b)}$$

$$\frac{n}{2^k} \approx \text{small value}$$

$$\Rightarrow \frac{n}{2^k} \approx \text{small value} \Rightarrow n \approx \text{small value} \times 2^k$$

$$n \propto 2^k$$

$$\log_2 n \propto \log_2 2^k$$

No of operation

$$k \propto \log_2 n$$

$$i = \frac{n}{2^k}$$

$$i \leq 1$$

$$\Rightarrow \frac{n}{2^k} \leq 1$$

$$\Rightarrow n \leq 2^k$$

$$2^k \approx n$$

$$\log_2 2^k \approx \log_2 n \quad T_C = O(\log n)$$

$$\Rightarrow k \propto \log_2 n$$

TC = ?

$O(n)$

$O(1)$

$O(n \log n)$

```
def printt(n):
```

```
    for i in range(n):
```

```
        j = n
```

```
        while(j > 1):
```

```
            print("Hello")
```

```
            j = j/2
```

```
            break
```

$\frac{O}{TC = (n \log n)}$

n

~~$(\log n)$~~ 1