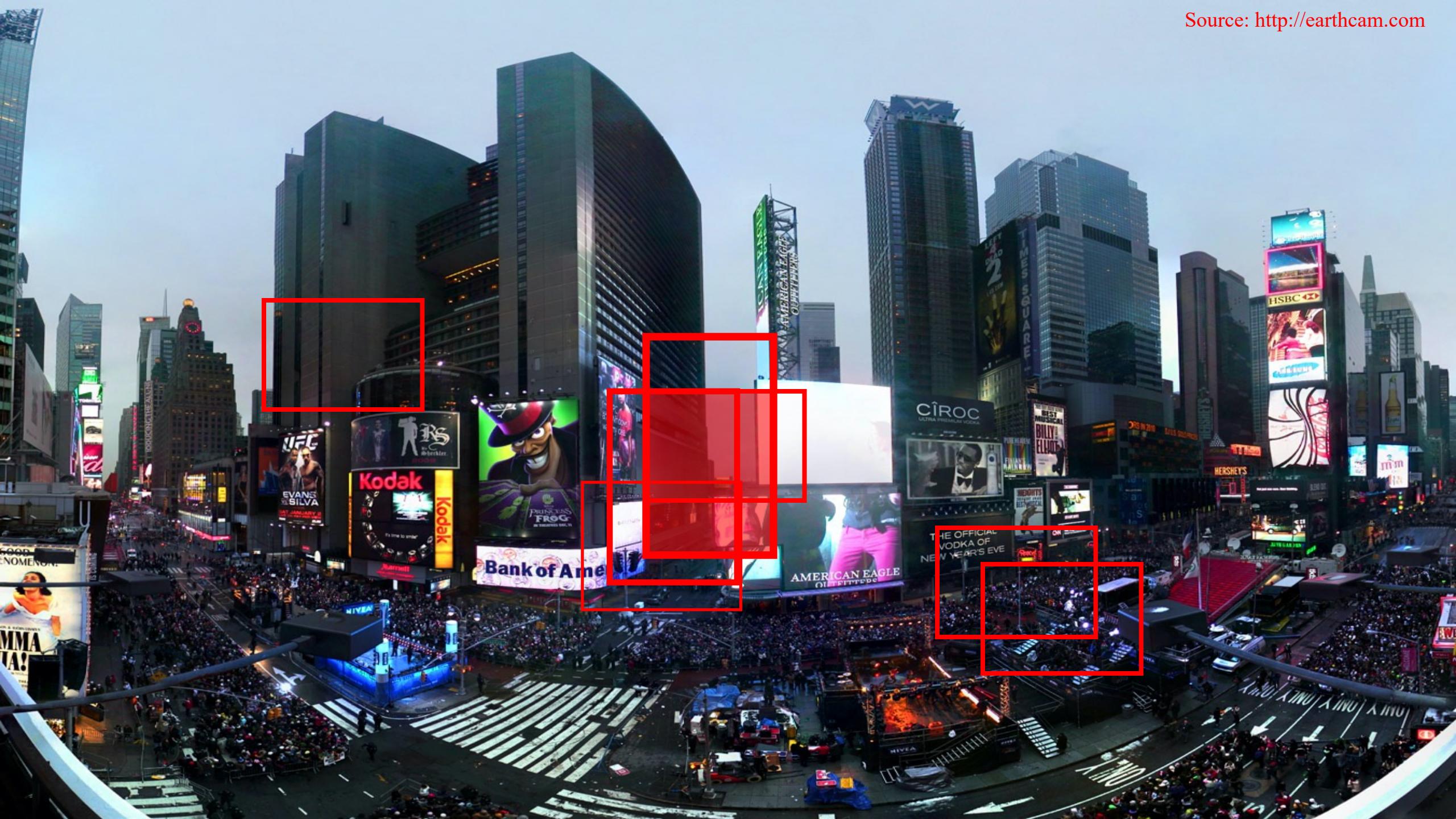


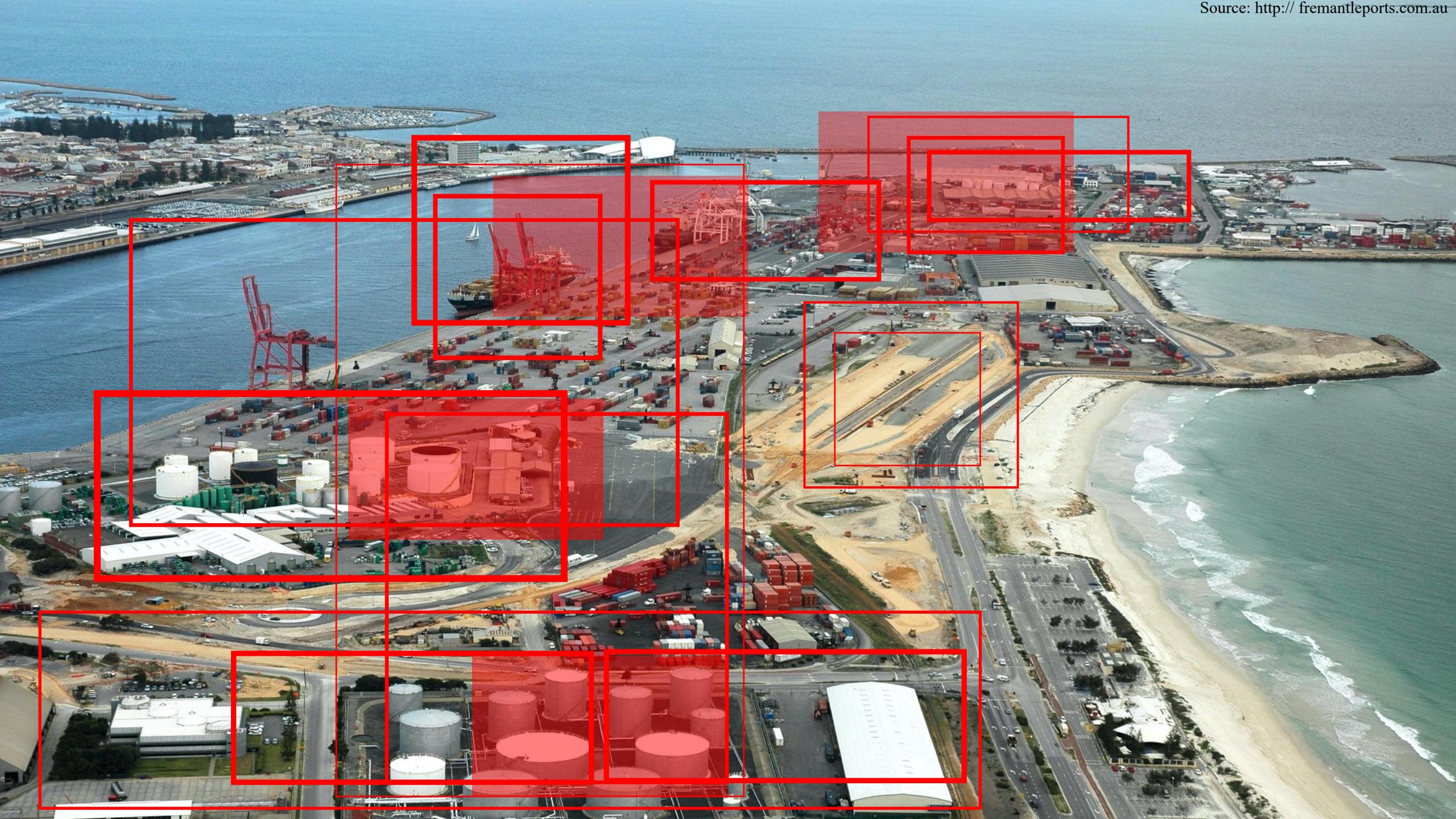
Algorithms for Telerobotic Camera View Frame Placement Problem in the Presence of an Adversary and Distributional Ambiguity

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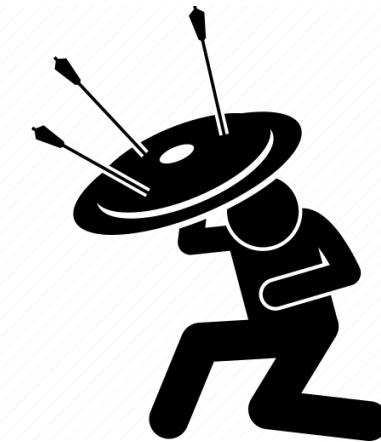
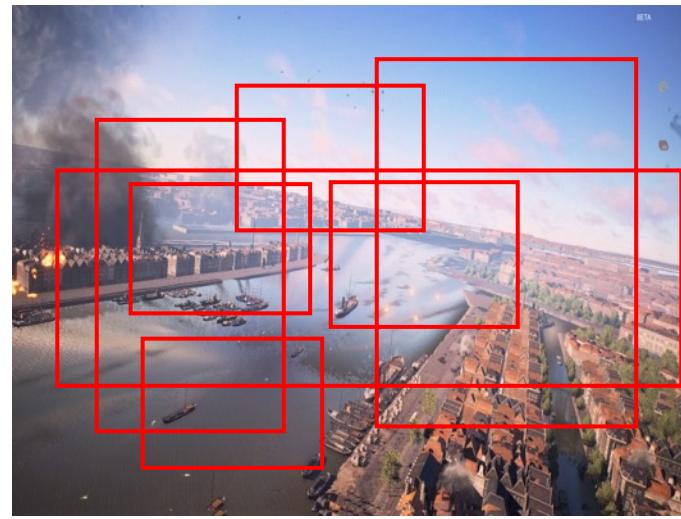
Adversarial Camera View Frame Placement Problem (ACFP)

❖ Motivation and Background

- In general, **agents or telerobotic cameras are potentially vulnerable to adversarial attacks** conducted by an adversary who aims to minimize the information acquisition for the decision maker.
- Defender **place p camera view frames** to capture the **subregion with the maximum reward**.



Attacker



Defender

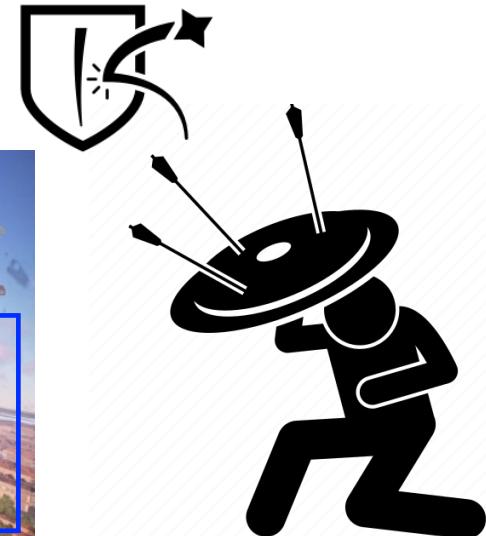
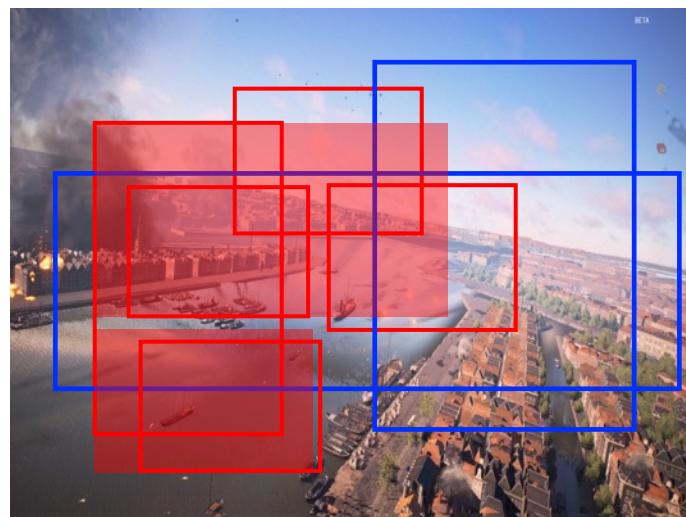
Adversarial Camera View Frame Placement Problem (ACFP)

❖ Motivation and Background

- In general, agents or telerobotic cameras are potentially vulnerable to adversarial attacks conducted by an adversary who aims to minimize the information acquisition for the decision maker.
- This leads to the game between two non-cooperating players: An attacker and a defender.



Attacker



Defender

Research Summary

Adversarial Camera View Frame Placement Problem (ACFP)

- Problem component
 - **Uncertainty** in the success of attacks.
 - **Incomplete information of probability distribution** associate with uncertain parameters.
- Solution Approach
 - Distributionally Robust Optimization.
 - Derived **valid inequality** to optimize objective function to the **optimality**.

Algorithms for Camera View Frame Placement Problem without an Adversary

- Single Camera View Frame Placement Problem (S-CFP)
 - **Reduction in the original solution space** considered in Song et al. (2006)
- Multi Camera View Frame Placement Problem (M-CFP)
 - **Greedy** algorithm and its **approximation ratio**
 - **Branch-and-bound based heuristic** method for M-CFP with fixed tilt of camera (M-CFP-F)
- Simulation Study (Search and Rescue)

Adversarial Camera View Frame Placement Problem (ACFP)

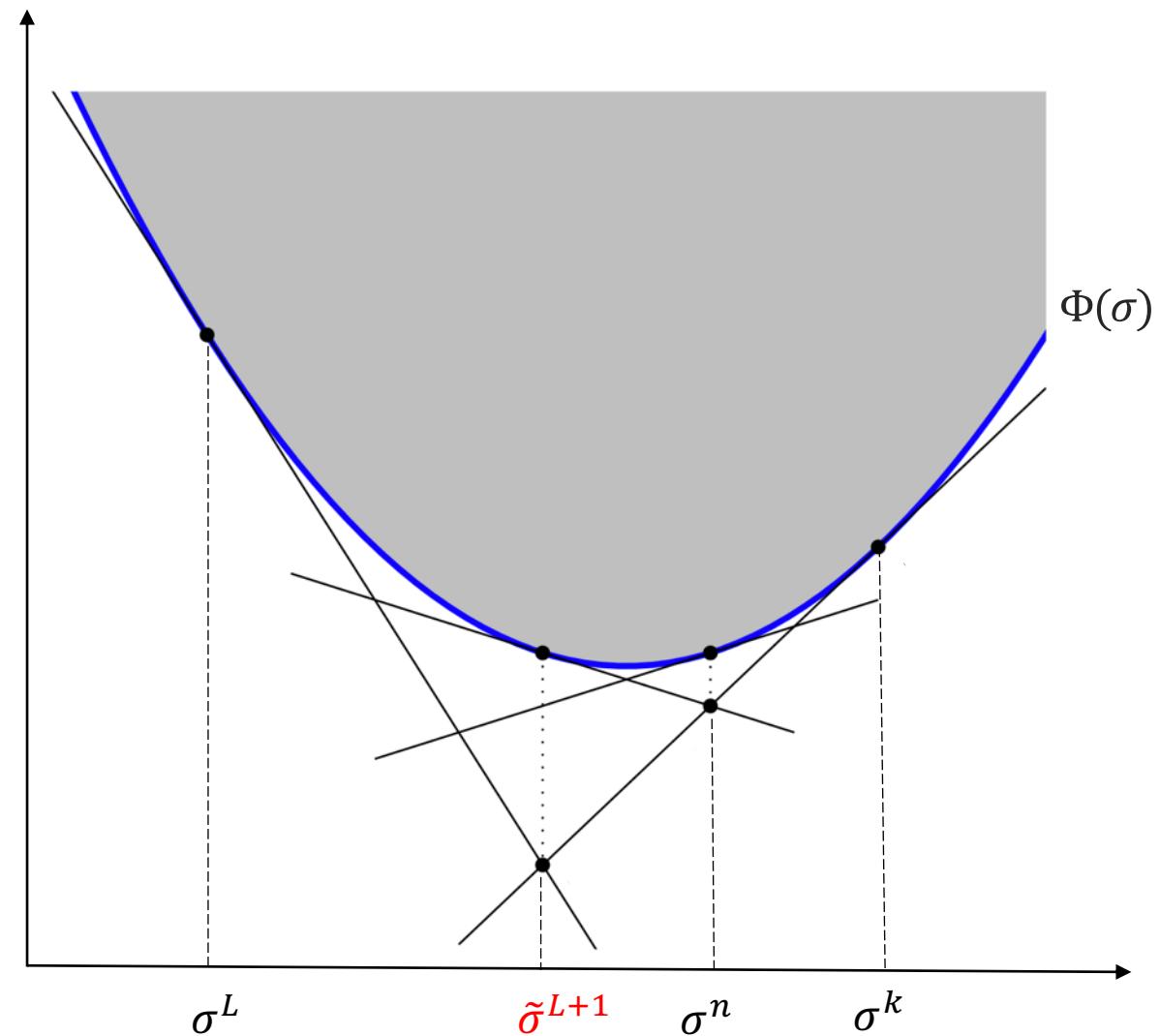
❖ Solution Approach: Cutting plane method

- We have derived a valid inequality that offers a lower bound approximation for our objective function, $\Phi(\sigma)$.
- By iteratively incorporating these approximations, we converge to the problem's optimal solution.

Mathematical Formulation

$$\min_{\sigma \in \{0,1\}^n} \left\{ \Phi(\sigma) := \max_{P \in \mathcal{P}} \mathbb{E}_P [Q_\omega(\sigma, \xi)] \mid \sum_{i \in N} c_i \sigma_i \leq b \right\}$$

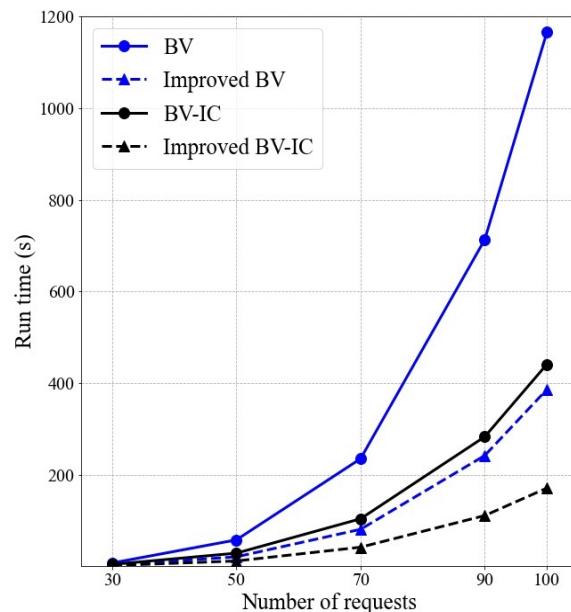
$$\text{where } Q_\omega(\sigma, \xi) = \sum_{i \in N} \mu_i^\omega \quad \forall \omega \in \Omega$$



Computational Results

❖ Results for S-CFP

- When $n \leq 100$, the improved BV algorithm outperforms original BV-IC algorithm even though it is an upgraded version of BV algorithm.



❖ Results for M-CFP

- We prove that the approximation ratio of this approach is $1 - 1/e$ where e is the base of natural logarithm.

Theorem IV.1.

Let γ_g denotes the approximation ratio for the greedy algorithm, i.e., ratio of the objective value of the greedy solution and optimal objective value of general M-CFP. Then,

$$\gamma_g > 1 - \frac{1}{e},$$

where e is the base of natural logarithm.

Computational Results

❖ Results for ACFP

- After we improve computational efficiency of algorithms for CFP, we have conducted experiments for ACFP.

