## **Practice Machine Learning Algorithm: Linear Regression**

In [1]: import numpy as np import plotly.express as px import plotly.graph objects as go import matplotlib.pyplot as plt

# The np.linspace function in NumPy is used to create an array of evenly spaced values over a specified range

# Generates a set of y values based on a quadratic equation with some added noise.

Quadratic relationship with noise

In [3]: x= np.linspace(0,10,100) # Independent variable

4

2. Splitting the data into training and test sets

In [7]: plt.scatter(x\_train, y\_train, color = 'blue', label ='Training data') plt.scatter(x\_test, y\_test, color = 'red', label ='Test data')

# train-test split each time the code is run

plt.title('Training and Testing Data split')

Training data

Test data

6

In [6]: x\_train, x\_test, y\_train, y\_test = train\_test\_split(x, y, test\_size= 0.2, random\_state = 42)

Training and Testing Data split

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8.8888889, 2.62626263, 4.24242424, 6.96969697,

, 5.45454545, 4.34343434, 5.05050505,

# Machine learning models typically expect the input feature data (x train) to be in a 2D array format where ea # a sample and each column is a feature. This means if you have 80 samples and 1 feature, the shape should be (

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1.51515152, 4.04040404, 9.6969697, 0.90909091, 7.27272727, 1.11111111, 4.74747475, 8.58585859, 2.82828283, 9.39393939, 0.50505051, 6.66666667, 6.56565657, 3.53535354, 1.61616162, 4.94949495, 3.43434343, 0.70707071, 9.5959596, 2.72727273, 1.91919192, 8.18181818, 2.52525253, 6.26262626, 1.31313131,  $2.42424242, \quad 0.3030303 \ , \quad 1.71717172, \quad 3.83838384, \quad 0.80808081,$ 7.87878788, 0.60606061, 6.46464646, 3.63636364, 8.98989899,

6.76767677, 4.64646465, 6.86868687, 6.16161616, 9.7979798, 7.97979798, 4.14141414, 5.85858586, 4.84848485, 9.8989899, 5.75757576, 7.57575758, 3.23232323, 9.49494949, 5.95959596, 6.36363636, 8.48484848, 3.73737374, 2.92929293, 0.1010101 , 5.25252525, 2.12121212, 0.2020202, 2.32323232, 8.78787879, 9.19191919, 7.47474747, 8.68686869, 8.28282828, 2.02020202, 6.06060606, 7.17171717, 1.41414141, 9.29292929, 5.15151515])

# On the other hand, the target data (y train) is expected to be a 1D array

array([ 51.8141829 , 94.97148613, 15.23362843, 13.66273427,

70.00522072, 10.17788193, 17.96054728, 123.2271306, 7.65970403, 86.10475065, 19.1106363, 44.55584428, 118.43343517, 31.81182439, 126.19430588, -8.00255127,

48.14246097, 58.78700647, 24.66827492, 22.40125395, 37.2185823 , 18.61862363, 1.10758902, 127.93605104, 13.74799621, 0.89991599, 100.49586818, -0.59099885,

6.04861122, 22.37507383, 2.0450485, 82.59613675, 11.68637545, 62.95985473, 36.43513821, 118.33249809,

49.63160422, 134.01989363, 45.8338802, 51.40347888, 31.7044508, 70.73230169, 23.00107405, 58.71193626, 52.85483059, 143.25305245, 88.17822316, 15.37537414, 45.5555649 , 21.9142814 , 128.95609164, 53.44712485, 73.27127466, 11.2670257 , 122.20257837, 49.76816022, 42.32395084, 112.3297212 , 37.20388215, 32.06222355, 4.31480543, 38.23854591, 17.39936318, 10.43425261, 4.94545519, 101.7912016, 124.29158671, 82.31950865, 113.31008936, 98.11035361, -15.3880759, 48.18815953, 74.23850781, 10.68085251, 116.3200725 , 45.86167879])

4. Model used to make predictions on the test data

6.88045795, 35.84722484, 23.40985027,

# where each element corresponds to the target value of a sample, so its shape is (80,).

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# test\_size=0.2: Specifies that 20% of the data should be used for testing and the remaining 80% for training

# random state=42: Ensures reproducibility. The data is shuffled in a specific way to produce the same

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# Using np.random.seed(0) ensures that the random numbers generated using NumPy will be the same each time we r

In [2]: np.random.seed(0)

from sklearn.model selection import train test split from sklearn.linear model import LinearRegression

In [4]: y= 3\*x+x\*\*2+np.random.normal(0,10,100) # Dependent variable

plt.title('Quadratic relationship with noise')

Data with Noise

In [5]: plt.scatter(x, y, label='Data with Noise')

plt.xlabel('x') plt.ylabel('y')

plt.legend() plt.show()

140

120

100

80

60

40

20

0

plt.xlabel('x') plt.ylabel('y')

plt.legend() plt.show()

140

120

100

80

60

40

20

-20

In [8]: x\_train # 1D array

Out[8]:

In [10]:

In [11]:

Out[11]:

Out[12]:

In [13]:

Out[13]:

Out[14]:

array([ 5.5555556,

5.65656566, 10.

3. Training the model

model= LinearRegression()

▼ LinearRegression

LinearRegression()

In [12]: x train.shape # 2d array

(80, 1)

(80,)

In [14]: y\_train

model.fit(x\_train, y\_train)

y\_train.shape # 1d array

49.87690367,

In [15]: x\_test= x\_test.reshape(-1,1)

array([[8.38383838],

[0.

In [16]: y\_pred= model.predict(x test)

plt.xlabel('x') plt.ylabel('y')

plt.legend() plt.show()

100

80

60

40

20

0

-20

In [17]: | plt.scatter(x\_test, y\_test, color='blue', label='Actual')

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In [18]: # Print shapes of the data to ensure correctness print("x\_train shape:", x\_train.shape) print("x\_test shape:", x\_test.shape) print("y\_train shape:", y\_train.shape) print("y\_test shape:", y\_test.shape)

> print("y test shape:", y test.shape) print("y\_pred shape:", y\_pred.shape)

Model coefficients: [13.34962728] Model intercept: -17.12238419162958

5. Results visualized using Plotly

x train shape: (80, 1) x test shape: (20, 1) y\_train shape: (80,) y test shape: (20,)

 $x_{test}$  shape: (20, 1) y\_test shape: (20,) y pred shape: (20,)

In [19]: fig=go.Figure()

fig.show()

100

80

60

0

-20

In [20]:

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plt.title('Actual and Predicted test data')

Actual

Predicted

plt.scatter(x\_test, y\_pred, color='red', label='Predicted')

Actual and Predicted test data

[5.35353535], [7.07070707], [4.54545455], [4.4444444], [3.93939394], [2.2222222], [8.08080808], [1.01010101],

[1.81818182], [3.03030303], [7.37373737],[3.33333333], [9.09090909], [0.4040404], [7.67676768], [7.77777778],[1.21212121], [3.13131313])

x test

Out[15]:

In [9]: x\_train= x\_train.reshape(-1,1) # 1D converted to 2D array

-20

from sklearn.metrics import mean squared error, r2 score

1. Generate independent and dependent variables

print("Model coefficients:", model.coef) print("Model intercept:", model.intercept ) # Displaying the results print("x\_test shape:", x\_test.shape)

fig.add\_trace(go.Scatter(x= x\_test.flatten(), y= y\_test, mode= 'markers', name= 'Actual Data'))

fig.add\_trace(go.Scatter(x= x\_test.flatten(), y= y\_pred, mode= 'lines', name= 'Linear regression line'))

fig.update layout(title ='Linear regression', xaxis title ='Independent variable(X)', yaxis title ='Dependent va

Actual Data

- Linear regression line

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Linear regression

pendent variable(Y) 40 De 20

2 Independent variable(X) 6. Model Evaluation # Evaluate the model mse = mean\_squared\_error(y\_test, y\_pred) r2 = r2\_score(y\_test, y\_pred)

## Mean Squared Error: 256.9949119622545 R-squared: 0.7258608090887344

 Mean squared error gives you an idea of how well your model is performing in terms of prediction accuracy. Lower values of MSE • An R-squared value of 0.7258608090887344 indicates that approximately 72.59% of the variance in the actual values is explained by the model's predictions. This suggests that the model has a good fit, explaining a significant portion of the variance, but there is still

indicate better model performance.

print(f'Mean Squared Error: {mse}')

print(f'R-squared: {r2}')

**Observation:** 

about 27.41% of the variance that is not explained by the model.