TGE documentation

Asif Elahi*

1 Running TGE Code:

1.1 Required packages:

Three packages are required for the code: cfitsio, gsl and fftw3. The link to download the packages are here:

```
cfitsio: https://heasarc.gsfc.nasa.gov/fitsio/gsl: https://www.gnu.org/software/gsl/fftw: http://www.fftw.org/download.html
```

The packages follow the standard installation procedure as stated below:

```
./configure --prefix=/path/to/directory/
make
make install
```

1.2 Compilation:

After installation of the rquired packages, one needs to compile the code and get the excutable tge. This can be done using the Makefile. The command is:

```
make tge
```

Make sure the library path is correctly written in the Makefile. The default path is /usr/local.

 $^{^*}$ E-mail:asifelahi999@gmail.com

1.3 The input files:

10

1000

61

If properly compiled, a mere ./tge will show that the excutable takes three arguments: input FITS file, input parameters file and output GV file.

```
./tge
Usage: ./tge <input FITS file> <input parameters file> <output GV file>
```

inputparameters: The file **inputparameters** needs to be modified according to requirements. A copy of the **inputparameters** file is shown below.

```
# Number of channels
# Umax
# FWHM of the PB at the central frequency of observation
# tapering parameter (f)
```

Once the input parameters are set the code can be run with the following command:

```
./wbtge test.fits inputparameters GV-data
```

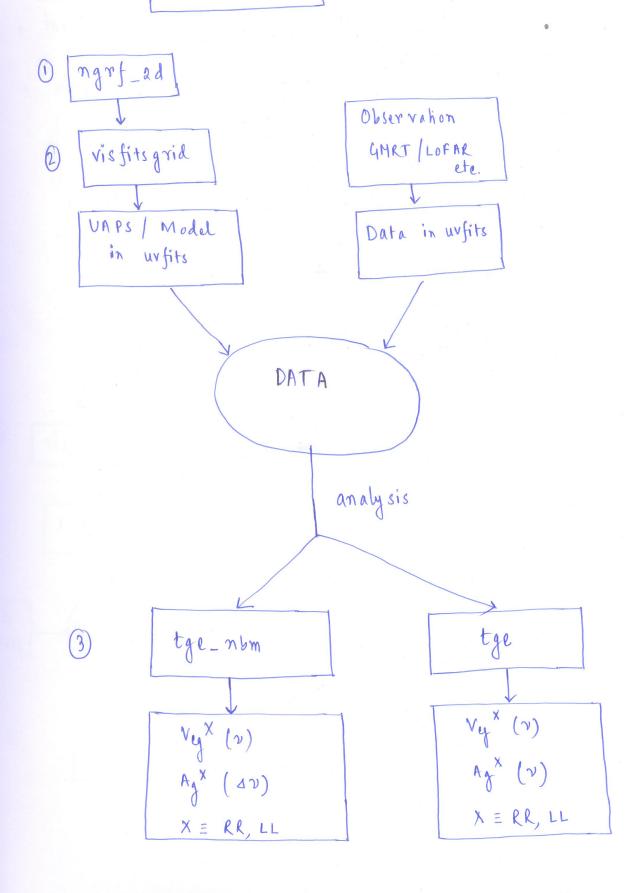
0.6

Note that, it is recommended (but not necessary) to test the code. Refer to section 2 for testing.

2 Testing TGE:

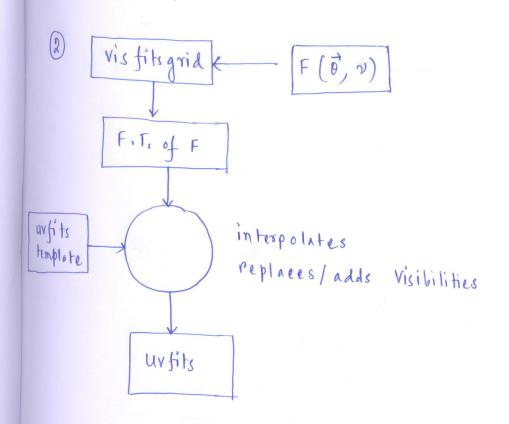
There is a test.fits file in the TGE package. One polarization (RR or LL) is flagged in the channel numbers 6 and 7. If the input parameters are chosen as shown here, one will get 0 as result in the MAPS. The input parameters for testing: chan1=6/7, chan2=6/7, everything else can be kept arbitrary.

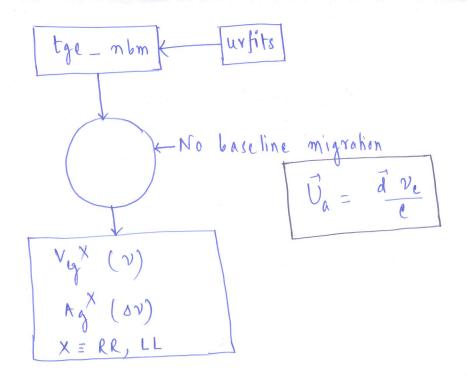
TGE Analysis



- · incorporates frequency dependence of PB and RJ factor
- · output 2 imyes

$$0$$
 $+(\bar{0})$ at ν_e in κ units





$$V_{ey}^{X}(y) = \sum_{A} \widetilde{w}(\overline{v}_{q} - \overline{v}_{a}) V_{A}^{X}(y)$$

$$A_{q}^{X}(v_{m} - v_{m}) = Re \left[\sum_{n=0}^{N_{e-1}} \sum_{m=n}^{N_{e-1}} \sum_{a} |\widetilde{w}(\overline{v}_{q} - \overline{v}_{a})|^{2} \right]$$

$$V_{a}^{X}(v_{m}) V_{a}^{X}(v_{m})$$

