

EQ2320 - SPEECH SIGNAL PROCESSING

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# Requirement Analyse and System Design

Final Report

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Félix Côte

Antoine Honoré

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## I Introduction

## II Uniform Scalar Quantizer

In this part we implement the most basic quantizer. The USQ is entirely defined with three parameters :

- $n_{bits}$ , the number of bits used to code one sample.  $2^{n_{bits}}$  is the number of output value ;
- $m$ , the mean of the output values ;
- $x_{max}$  the maximum of the output values ;

In this part we tried  $m=0$  and  $m=1.5$ . The result that we got plotting the input signal versus the input signal is presented on figure 1.

To compare the two settings, we need to plot the distortion-rate curve and compare the performance. This is presented on figure 2.

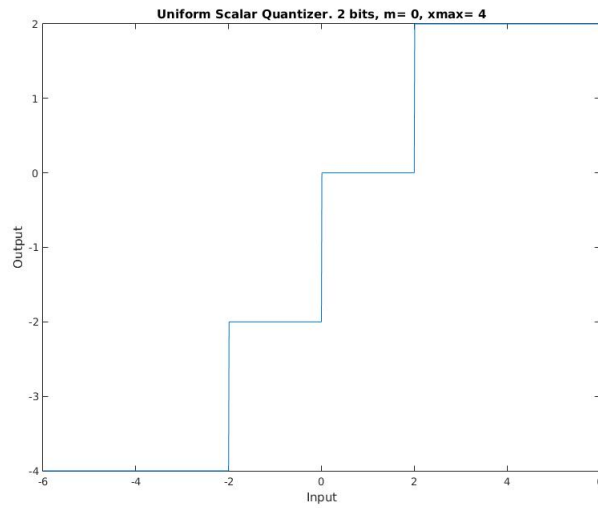
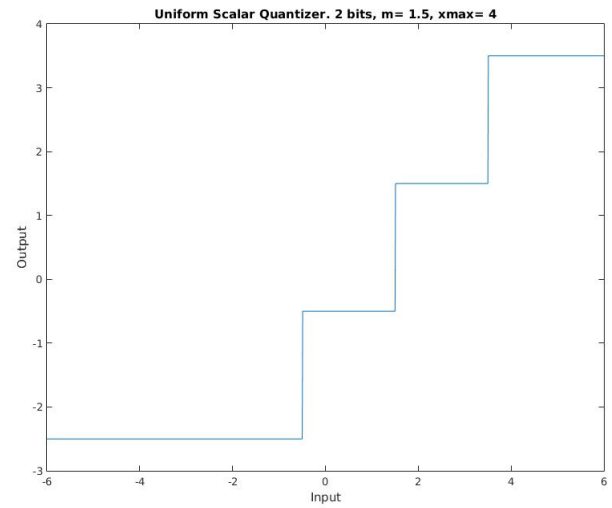
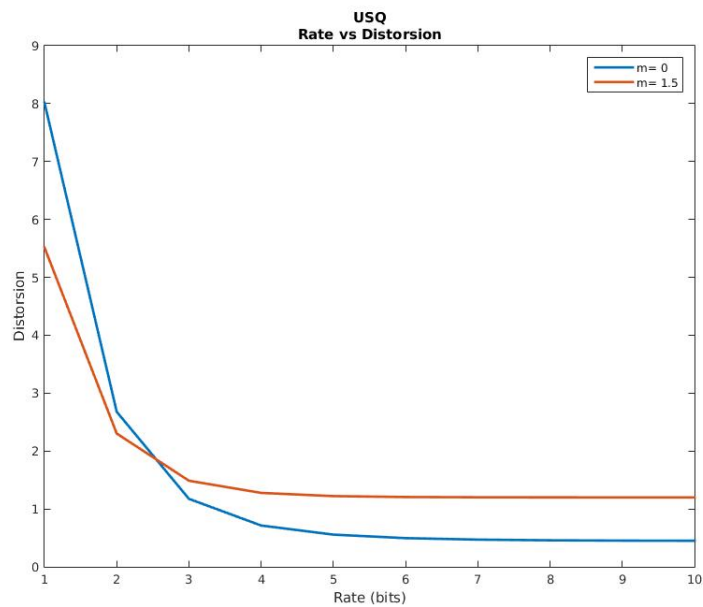
(a)  $m = 0$ (b)  $m = 1.5$ 

FIGURE 1 – Input vs Output

FIGURE 2 – Rate-Distorsion curve for two values of  $m$ .

### III Parametric coding of speech

## IV Speech Waveform Quantization

### IV.1 Evaluation of the optimal k

In this part we design a Uniform Scalar Quantizer (USQ) that is adapted to the speech signal. For that we define

$$x_{max} = k\sigma_x$$

where  $\sigma_x^2$  is the variance of the speech signal. This is to be calculated for every bit rate we choose. The value of k for a bitrate R = 3 is 2.57. The figure 4 shows a plot of  $SNR = f(k)$ . The SNR has been evaluated with the following formula

$$SNR = \frac{\sigma_x^2}{\frac{1}{N} \sum_{n=1}^N (x_n - q_R(x_n))^2}$$

where N is the size of the input speech signal,  $x_n$  is the input speech signal,  $q_R(x_n)$  is the input signal quantized with a bitrate R. Here R=3.

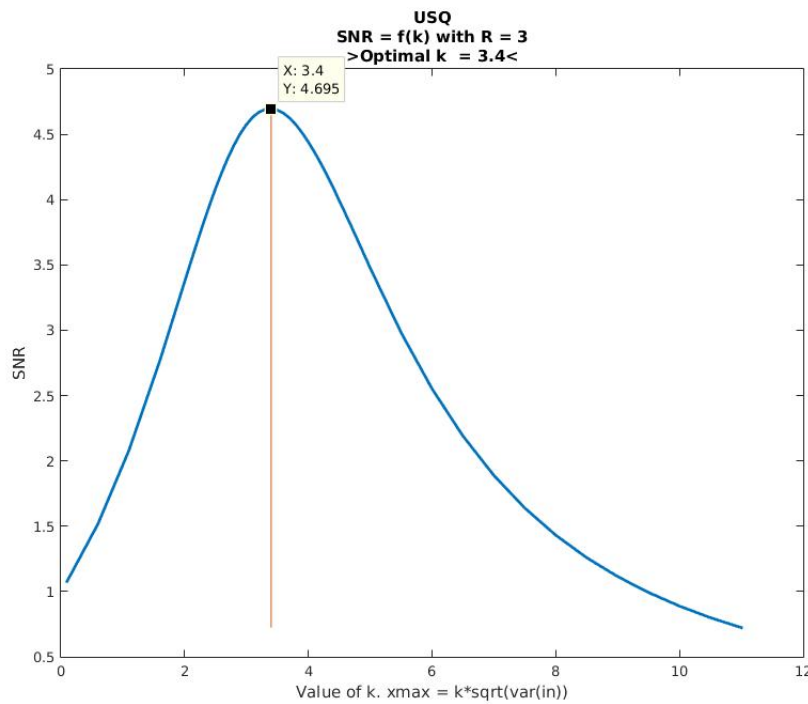


FIGURE 3 –  $SNR = f(k)$  for a bitrate R = 3

### IV.2 Rate - SNR curve

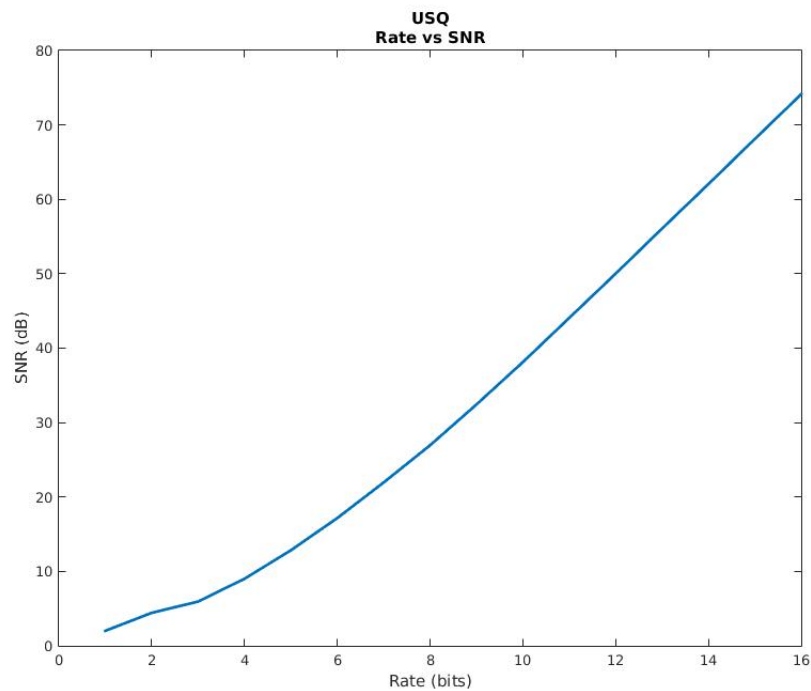
The curve plotted on figure ??, represents the rate versus the  $SNR_{dB}$ . The  $SNR_{dB}$  has been evaluated with the following formula :

$$SNR_{dB} = 10 \log_{10} \frac{\sigma_x^2}{\frac{1}{N} \sum_{n=1}^N (x_n - q_R(x_n))^2}$$

where N is the size of the input speech signal,  $x_n$  is the input speech signal,  $q_R(x_n)$  is the input signal quantized with a bitrate R.

### IV.3 Quality of the quantized signal

A bit rate of 8 bits provides a good quality for the quantized signal.

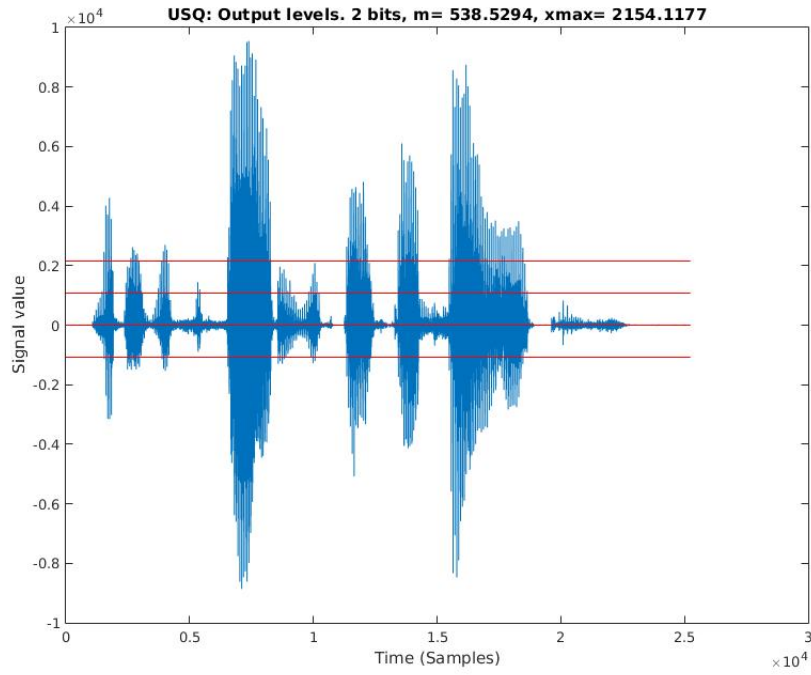
FIGURE 4 – Rate versus SNR curve, for rate =  $\{1, 2, \dots, 16\}$ 

#### IV.4 Error signal

For a bit rate of 1 bit, the error signal contains of the information. It is easier to unerstand the message by listening to the error signal than listening to the quantized signal. The error signal is then highly correlated with the input signal. That compromises one of the fundamental assumptions when we want to remove an additive noise on a signal. On the otherhand when the rate is high, say 11 bits, the error signal sounds like a white noise and is consequently totally decorrelated with the input signal.

#### IV.5 OPTIONAL :

With a midtreat quantizer, the message is more understandable a low bitrate and at high bitrate there are no differences. The figure 5 shows the selected levels for a 2 bits midtreat quantizer.

FIGURE 5 – Midtreat quantizer for  $R = 2$ 

## V Adaptive Open-Loop DPCM