



# Game Mechanics and Game Theory in Games

## Game Mechanics: Definition and Overview

Game **mechanics** are the rules or methods that define how a game operates and how players interact with it <sup>1</sup>. In both tabletop and video games, mechanics govern what actions players can take and how the game responds. They are the fundamental building blocks of gameplay – for example, the **L-shaped move of the knight in chess** is a mechanic (*a ludeme*, or unit of play) that constrains that piece's movement <sup>1</sup>. The combination and interplay of various mechanics determine a game's complexity and player experience. Notably, mechanics are distinct from a game's **theme** or story: two games might share similar mechanics but feel different due to thematic context (consider the *property trading* in **Monopoly** vs. resource trading in a farming game) <sup>2</sup>. Mechanics are also distinct from *gameplay* itself – gameplay emerges when players engage with mechanics <sup>3</sup>.

**Categories of Game Mechanics:** Game designers and scholars often categorize mechanics to better analyze and classify games <sup>4</sup>. For instance, Engelstein and Shalev's taxonomy (in *Building Blocks of Tabletop Game Design*) divides mechanics into groups like **game structure** (turn order, actions), **economics** (resource management, auctions), **uncertainty** (randomness elements), **conflict** (combat, area control), **progression** (engine-building, technology trees), and so on <sup>4</sup>. Broadly, mechanics can be about how turns are structured, how players **move** or act, how **resources** are handled, how **random chance** is introduced, how players **interact or conflict**, and how **victory** is determined. In video games, one can also speak of core interaction mechanics (e.g. jumping, shooting, dialog choices) and how they combine into systems. Below, we explore a wide range of game mechanics, organized by type, with definitions and examples from both board games and video games.

## Examples and Types of Game Mechanics

The universe of game mechanics is vast. What follows is a **comprehensive list of common game mechanics**, along with brief definitions and real-game examples (🎮 for video games, 🎲 for board/tabletop games). This list illustrates the diversity of mechanics found in games:

- **Turn-Taking (Sequential Play):** Games often progress in turns, where players act one after another in a fixed order <sup>5</sup>. This structure gives time for strategy between moves. *Example:* In **Chess** (Chessboard icon), White moves then Black moves, and in **Civilization** (Civilization icon) each player completes all their actions before the next player's turn <sup>5</sup>. Some games use a *game turn* where all players act (or choose actions) within the same round. Turn-based play corresponds to what game theory calls a **sequential game**, where players can observe earlier actions before responding <sup>6</sup>.
- **Simultaneous Action Selection:** All players choose actions secretly and reveal them at once, rather than waiting turns <sup>7</sup>. This mechanic adds tension and requires predicting opponents' choices. *Example:* **Rock-Paper-Scissors** (Rock-Paper-Scissors icon) is classic simultaneous play, and **Diplomacy** (Diplomacy icon) has all players write down orders that execute simultaneously. In **Race for the Galaxy** (Race for the Galaxy icon), each round players secretly pick roles and reveal together <sup>7</sup>. In game theory terms, this aligns with a **normal-form (simultaneous) game**, often analyzed for Nash equilibria in pure or mixed strategies.

- **Action Points:** Players are given a budget of points per turn to spend on actions <sup>8</sup>. Each possible action (move a unit, draw a card, etc.) costs a certain number of points, forcing players to prioritize. *Example:* In **Pandemic** ( ), each player has 4 actions per turn to move or treat diseases <sup>9</sup>. In many tactical RPG video games ( ), characters might have action points to allocate to moving or attacking in a turn.
- **Action or Role Selection:** A set of available actions or roles exists, but players may only choose a subset (often one) each round <sup>10</sup>. Often once one player chooses an action, others cannot (this overlaps with **action blocking**). *Example:* **Puerto Rico** ( ) features role selection – if one player takes the “Builder” role this round, others must choose different roles <sup>10</sup>. In **Terraforming Mars** ( ), players secretly pick two actions on their turn out of many options. This mechanic ensures players specialize and not all do the same thing every round.
- **Worker Placement:** A popular subset of action selection where players place tokens (“workers”) on limited slots to perform actions <sup>11</sup>. Once a slot is taken, others usually cannot use that action, introducing **blocking**. *Example:* **Caylus** and **Agricola** ( ) pioneered worker placement: if someone places a worker on the “Build Fence” space, no one else can build fences this round <sup>12</sup> <sup>13</sup>. Even some strategy video games mimic this by assigning units to tasks (e.g. assigning peons to gather resources in **Warcraft/StarCraft** ( )) has been likened to a worker placement mechanic <sup>14</sup>. This mechanic emphasizes planning and turn order advantage.
- **Resource Management:** Players collect and expend resources (coins, materials, mana, etc.) and must optimize their use <sup>15</sup>. Rules govern how resources are gained, traded, or converted, and skillful management often correlates with success <sup>16</sup>. *Example:* **Settlers of Catan** ( ) revolves around gathering wood, brick, etc., and trading them to build settlements. Real-time strategy video games like **StarCraft** ( ) also hinge on gathering minerals & gas and spending them efficiently. Resource valuation is dynamic – players must judge which resources are scarce or critical at each stage <sup>16</sup>.
- **Economics and Trading:** Many games allow **trading** of resources or goods between players or with a bank <sup>17</sup>. This social-economic mechanic encourages bargaining and deals. *Example:* **Catan** ( ) famously encourages “I’ll give you two sheep for one wood” style trades among players <sup>18</sup>. In **EVE Online** ( ), players engage in a massive virtual economy, trading minerals and goods in a marketplace. Auction mechanics (see below) are another economic sub-type.
- **Auction/Bidding:** Players bid against each other, typically with in-game money or resources, to gain something (an item, turn order, a card) <sup>19</sup>. Auctions can be open-outcry (sequential bids) or sealed (hidden bids). *Example:* In **Power Grid** ( ), players bid money to buy power plants each round. In **Modern Art** ( ), various types of auctions (open, once-around, blind) are actually the core of gameplay. Auction mechanics come in many forms (first-price where winner pays their bid, or second-price where winner pays the second-highest bid, etc.), and each has strategic nuances <sup>19</sup>. For instance, in a first-price sealed auction, optimal play involves *bid shading* – bidding less than your true value <sup>20</sup> – whereas a second-price auction encourages bidding your honest value since you pay only the second-highest price <sup>20</sup>.
- **Set Collection:** Players collect sets of items (cards, tokens) usually for points or to trigger effects <sup>21</sup>. The value often increases with larger sets. *Example:* In **Ticket to Ride** ( ), collecting matching colored train cards lets you claim routes, and collecting destination tickets fulfills set objectives <sup>21</sup>. In **Pokémon** games ( ), collecting sets of gym badges unlocks progress. **Engine Building**, a related concept, means using collected components to build a **synergy or combo**

**system** that grows stronger over time <sup>22</sup> <sup>23</sup>. For example, **Dominion** (🎮) is a deck-building game (a form of engine builder) where the cards you add to your deck create feedback loops generating more money or actions as the game progresses <sup>22</sup>.

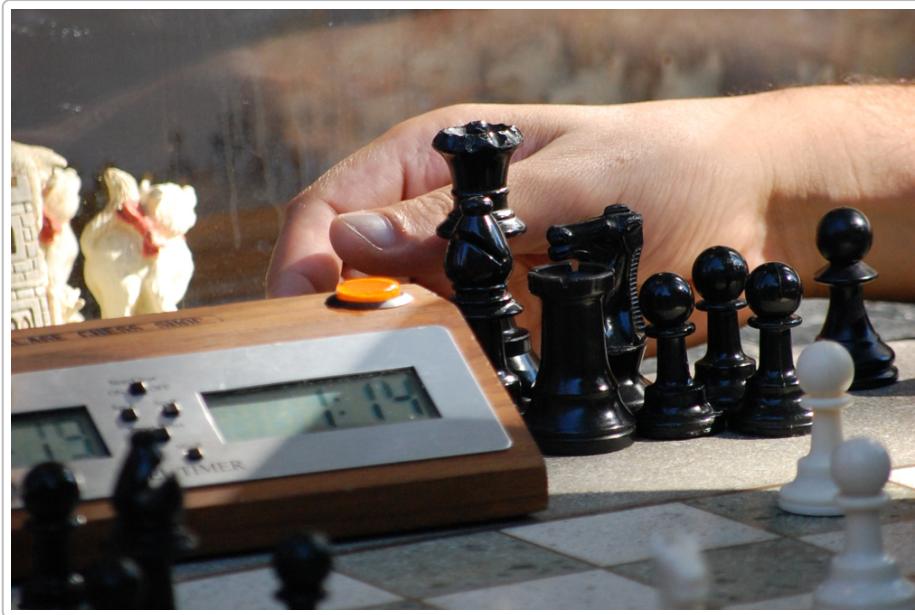
- **Dice Rolling / Randomization:** Using randomness to determine outcomes introduces uncertainty <sup>24</sup> <sup>25</sup>. Dice are the classic randomizer: roll to move or to resolve combat. Card draws, spinners, or digital RNG serve similar roles. *Example:* **Monopoly** ( ) uses dice rolls to move around the board. **XCOM: Enemy Unknown** (🎮) rolls virtual dice behind the scenes for hit chances in combat. Randomness can add excitement and variability; different random mechanisms produce different probability distributions (e.g. one six-sided die is a uniform 1–6, two dice produce a bell curve 2–12) <sup>26</sup>. Many games also feature **Procedural generation** for randomness in level layouts or events <sup>24</sup>.
- **Chance vs. Risk Management:** Related to dice, some games explicitly include **press-your-luck** mechanics: players can choose to take on more risk for a chance at greater reward <sup>27</sup>. *Example:* In **The Quacks of Quedlinburg** ( ), players draw ingredients from a bag to brew potions, pressing their luck not to draw a “bomb” ingredient that busts their potion. Video slot machines or **roguelike** games (🎮) similarly tempt players to risk losing progress for potential big gains. A good design balances the *danger* of risk against the *reward*, forcing probabilistic decision-making <sup>27</sup>.
- **Hidden Information and Deduction:** Some mechanics involve information asymmetry – not all players have the same information. This includes **fog of war** in war games, hidden traitor roles, or secret card hands. *Example:* **Clue (Cluedo)** ( ) has secret murder cards that players deduce via clues. **Poker** ( ) gives each player private cards; the uncertainty of others’ hands is integral. **Social deduction** games like **Werewolf/Secret Hitler** ( ) give some players hidden identities (e.g. traitors) that others must deduce by behavior <sup>28</sup>. In **Among Us** (🎮), a few players are secretly imposters. These mechanics leverage deception and deduction skills.
- **Bluffing and Deception:** Often tied to hidden information, bluffing is the mechanic of misleading other players about your intentions or holdings. *Example:* **Poker** ( ) again is quintessential – betting in poker often involves bluffing with a weak hand to convince opponents you’re strong <sup>29</sup>. In **Sheriff of Nottingham** ( ), players bluff about the goods in their bag to avoid penalties. Bluffing requires *incomplete information*; it shines in games where players must make decisions without knowing everything. Successful bluffing means reading opponents and manipulating their beliefs <sup>29</sup>.
- **Memory Mechanics:** Some games test the players’ memory. For example, matching games where cards are face-down and you must remember positions (like the classic children’s game **Memory** ( )) <sup>30</sup>. Memory elements can also be part of larger games (e.g. remembering who played what card in **Bridge** or which areas were shown to be safe in **Minesweeper** (🎮)).
- **Spatial Mechanics (Movement & Placement):** Many board games use boards with areas or grids; rules for **movement** govern how pieces travel these spaces <sup>31</sup>. *Example:* In **Chess** ( ), each piece type has specific movement mechanics (knight’s L-shape, bishop’s diagonal, etc.). In **Sorry!** or **Snakes and Ladders** ( ), movement is along a track by dice roll. Some games use **area movement** on irregular regions (e.g. **Risk** ( ) moves armies country to country). Video games extend movement mechanics into continuous space and physics – e.g. the jumping mechanic in **Super Mario Bros.** (🎮) or portal-creating in **Portal** (🎮) are spatial mechanics. **Tile Placement** is

another spatial mechanic: players place tiles to form a board or pattern <sup>32</sup> <sup>33</sup> (e.g. **Carcassonne** ( ) where drawing and laying tiles creates the map).

- **Combat and Capture:** Conflict-oriented games often have mechanics for combat or capturing pieces <sup>34</sup>. *Example:* In **Chess** ( ), “capture” is moving onto an opponent’s piece to remove it <sup>35</sup>. War games like **Risk** or **Axis & Allies** ( ) have combat resolved by dice. Many video games have combat systems (turn-based RPG battles, real-time shooting, etc.) which are essentially game mechanics defining how enemies are defeated. **Elimination** is a related mechanic: players may be eliminated from the game when they lose all pieces or health (e.g. players can be knocked out in **Risk** or **Fortnite** ()), leaving a last-man-standing victory condition). Capture/eliminate mechanics make a game more zero-sum and conflict-heavy.
- **“Take That” Mechanics:** A colloquial term for moves that directly harm another player’s position <sup>36</sup>. These are often cards or actions you play *on opponents* to set them back. *Example:* In **Munchkin** ( ), you can play curse cards on opponents to hinder their progress – the fun comes from lobbing screw-over moves at each other <sup>36</sup>. Many competitive video games have analogous actions (throwing a shell at another driver in **Mario Kart** ()) is a “take that” move).
- **Hand Management:** In card games, this refers to how players manage the cards in their hand – which to play, hold, or discard to optimize outcomes <sup>37</sup>. *Example:* In **Bohnanza** ( ), the order of cards in hand is fixed, and you must cleverly play/trade to get good sets, exemplifying hand management <sup>37</sup>. In many **collectible card games** like **Magic: The Gathering** ()), deciding when to play or keep certain cards is crucial, balancing short-term needs vs. future potential.
- **Drafting:** Players pick items (cards, tiles, etc.) from a common pool in turn, often passing the remainder to others <sup>38</sup>. Drafting ensures everyone gets some choice from a limited set, and denial of picks to others is part of the strategy. *Example:* **7 Wonders** ( ) uses card drafting each age: you choose a card to play and pass the rest to your neighbor. In video game context, drafting appears in modes like drafting champions in **League of Legends** () where players take turns picking unique characters for a match.
- **Deck/Pool Building:** Starting with a simple deck of cards or pool of tokens, players acquire new components to improve their set during play <sup>39</sup>. This is **deck-building** if it’s cards. *Example:* **Dominion** ( ) invented the deck-building genre: each player begins with a basic deck and buys better cards to shuffle in, creating an evolving personal deck that hopefully yields stronger combos over time <sup>39</sup>. In video games, **Slay the Spire** ()) adapts this mechanic as you build a deck of attacks/powers through a run. **Bag-building** (drawing tokens from a bag) is a variant seen in games like **Orléans** ( ).
- **Puzzle and Pattern Mechanics:** Some games revolve around creating or recognizing patterns. **Pattern building** might reward arranging pieces in certain configurations <sup>40</sup>. *Example:* **Azul** ( ) scores points for creating specific color patterns in a mosaic <sup>40</sup>. **Tetris** ()) is essentially a pattern-placement game under time pressure. **Deduction puzzles** (solving a mystery with clues) or **logic puzzles** in games also count as mechanics when embedded in a larger game (as solving them is required to progress).
- **Role-Playing and Narrative Choices:** In many games (especially RPGs), a mechanic is giving players choices to develop their character or influence a story. *Example:* **Dungeons & Dragons** ( ) has alignment mechanics (character morality) that can govern which abilities you can use <sup>41</sup>. Video RPGs like **Mass Effect** ()) use dialogue choice systems (Paragon/Renegade) that affect

story and outcomes – these are mechanics guiding narrative *branching*. The **storytelling** mechanic can even be the focus (as in **Rory's Story Cubes** ( ) or interactive fiction games).

- **Cooperative Mechanics:** Not all games are competitive; co-op games have players versus the game system. Mechanics here often involve **communication limits**, **shared resources**, and *win/lose conditions* where either all players win together or lose together. *Example:* **Pandemic** ( ) is fully cooperative – players must coordinate their different roles' abilities to cure diseases before time runs out. **Left 4 Dead** ( ) is a co-op shooter where players must work together to survive zombie hordes. These games use mechanics like *trading information*, *voting on decisions*, or *combining powers* to encourage teamwork.
- **Hidden Traitor / One-vs-Many:** A special subcategory of co-op is the **hidden traitor** mechanic – one (or a few) player is secretly against the rest. *Example:* **Battlestar Galactica** board game ( ) has some players secretly Cylons working to sabotage the humans. **Among Us** ( ) similarly assigns a few impostors among crewmates. The mechanics here blend cooperation (for the loyal players) with deduction and betrayal. A **one-vs-many** game like **Fury of Dracula** ( ) has one player openly against all others, sometimes using hidden movement or separate rules for the one (the Dracula player moves secretly, the hunters cooperate to find him) <sup>42</sup>.
- **Voting and Negotiation:** Some games incorporate voting on outcomes or heavy negotiation among players. *Example:* In **Diplomacy** ( ), negotiation is essentially free-form and unenforced – players make deals and alliances (often broken later) to coordinate their moves, which is a **negotiation mechanic** at its purest. **Twilight Imperium** ( ) includes a political phase where players vote on laws that change the game's rules; voting power can depend on resources or influence collected <sup>43</sup>. Negotiation and voting mechanics introduce **coalition-building** and persuasion into gameplay – often the *social skills* of players become as important as the formal game rules.
- **Time Pressure (Real-Time Play):** Not all games proceed in discrete turns; some use real-time action or timed turns. **Real-time** board games require players to act simultaneously under time constraints <sup>44</sup>. *Example:* **Space Alert** ( ) gives players 10 minutes to coordinate a defense plan in real time with a soundtrack timer. Video games commonly are real-time; a notable mechanic is a **timer** or time limit (e.g. you have 2 minutes to finish a level, or a shrinking circle in **battle royale** games forcing timely action). A **chess clock** or sand timer can enforce time limits in turn-based games <sup>45</sup>. Time-based mechanics test players' quick decision-making and add intensity.



A turn-based game in action: A chess board with a chess clock. Each player must manage their allotted time while taking turns – a classic example of sequential turn-taking and time-keeping as game mechanics. <sup>46</sup>

- **Victory and Loss Conditions:** Every game defines how to win (and sometimes how one can lose) <sup>47</sup>. **Victory conditions** could be reaching a certain score, being the last survivor, completing a quest, etc. <sup>47</sup>. Some games even have multiple victory conditions or intermediate goals. *Example:* In **Chess**, the victory condition is checkmating the opponent's king; in **Settlers of Catan**, it's achieving 10 victory points (via building, largest army, etc.). Some video games have *alternate endings* depending on which victory condition is met (e.g. multiple win paths in **Civilization** – military conquest, science, culture, etc.). **Loss conditions** (like player elimination or collective loss if a doom track fills up) shape the tension – e.g. if the **virus outbreak meter** hits maximum in **Pandemic**, *all* players lose <sup>48</sup>. Many modern games include **catch-up mechanics** that prevent early leaders from running away with victory: for instance, in *Mario Kart* (↗) the items system gives better power-ups to players further behind, and in **Catan** the robber piece specifically hinders the leading player <sup>49</sup>. These mechanics are designed for balance, ensuring all players feel they have a chance until the end.

The list above is not exhaustive, but it covers a broad array of known game mechanics and terms – from **core structural mechanics** (turns, actions) to **interaction mechanics** (trading, combat, bluffing) to **resource and progression mechanics** (engine-building, set collection) and beyond. Game designers mix and match these to create unique gameplay experiences. It's worth noting that not everyone agrees on terminology or what counts as a "mechanic" (for example, some consider *dexterity* or physical skill elements as mechanics, like flicking in **Carrom** or Jenga-style balance challenges). Nonetheless, having a shared vocabulary of mechanics allows us to analyze and compare games more precisely <sup>50</sup>.

## Game Theory: Principles and Major Models

If game mechanics are the rules of the *game*, **game theory** is the science of strategic *decision-making* in games (and in real life scenarios abstracted as games). Game theory is an academic field that studies situations where multiple decision-makers (called *players*) each have different possible actions (*strategies*) and the outcome for each player depends on the choices of all <sup>51</sup>. In other words, it's **the study of strategic interaction** – how rational players make choices, anticipating others' choices, to maximize their own benefit <sup>51</sup>. Game theory originated in mathematics and economics, but its name

reflects that early examples were drawn from parlour games and thought experiments, and indeed its terminology sounds like gaming: we speak of “players,” “moves,” “payoffs,” and “wins” or losses.

**Basic Concepts:** In game theory, any strategic situation can be modeled as a *game* defined by a set of players, each player’s possible strategies, and a payoff function that assigns an outcome or utility to each combination of strategies. A core assumption (especially in classical, non-cooperative game theory) is that players are **rational** and seek to maximize their own payoff (utility). Importantly, the payoff can be anything the decision-maker values – profit, points, survival probability, etc. – not necessarily something as simple as money, but game theory often uses numerical payoffs for modeling convenience. The key feature is *interdependence*: each player’s best choice often depends on what others do.

Some **key distinctions** in game theory models include:

- **Cooperative vs. Non-Cooperative Games:** In **non-cooperative** game theory, binding agreements between players are not possible; each player acts independently in their own interest. The focus is on predicting individual strategy choices and equilibrium outcomes (e.g. pricing competition between firms, or two players in poker each trying to maximize their winnings). **Cooperative** game theory, by contrast, allows players to form binding commitments or coalitions and focuses on group outcomes and how to fairly allocate payoffs (e.g. dividing profits among business partners who can make enforceable contracts). In the context of board/video games, “cooperative game” usually refers to players vs. environment scenarios, which can sometimes be mapped to a cooperative game theory problem (all players share identical payoff, so coalition is trivial). Non-cooperative game theory is more often applied to analyze competitive games and player behavior.
- **Zero-Sum vs. Non-Zero-Sum Games:** A **zero-sum** (more generally, *constant-sum*) game is one in which one player’s gain is exactly another’s loss, so the total payoff sums to zero (or some constant) for any outcome <sup>52</sup>. These are purely competitive situations – one winner, one loser, no possibility of mutual gain. Chess, for instance, is essentially zero-sum: a win for White is a loss for Black. Many economic or social situations are non-zero-sum, where cooperation can create win-win outcomes (or bad choices can be lose-lose). **Non-zero-sum** games allow the total payoff to vary; players might all benefit from cooperation or all suffer from conflict. *Example: Monopoly* can be seen as almost zero-sum – when one player profits, ultimately others are closer to bankruptcy (the game ends with one winner, others losing everything). In fact, the designer of Monopoly’s precursor intended it as a lesson about how one player’s gain (landlord charging rent) is others’ loss <sup>53</sup>. In game theory, zero-sum games have special properties: the interests of players are completely opposed, and they are solved by *minimax* strategies. Non-zero-sum games include possibilities for **both** competition and cooperation.
- **Simultaneous vs. Sequential Games:** As touched on earlier, this distinction is about the timing of moves and information. In a **simultaneous game**, players choose their actions without knowing what others choose (formally represented in normal-form payoff matrices). In a **sequential game**, players take turns or there is a defined order of play, and later players may see earlier players’ moves before deciding (modeled in extensive form, like a game tree) <sup>6</sup>. *Rock-Paper-Scissors* is simultaneous; *Chess* is sequential. The solution methods differ: sequential games can often be solved by **backward induction** (looking ahead to future moves and reasoning backwards – finding a subgame-perfect equilibrium), whereas simultaneous games require finding mutual best responses (Nash equilibria) without timing to differentiate moves.

- **Perfect vs. Imperfect Information:** A game has **perfect information** if all players know everything that has happened previously *and* there are no hidden elements when making a decision. Chess, again, is perfect information – the entire game state (pieces on the board) is known to both players at all times, and nothing is hidden or random during decision-making (no cards or simultaneous secrets). **Imperfect information** means something is unknown: perhaps moves occur simultaneously (not knowing the other's current move), or there are hidden cards, or unobservable actions. Most card games (Bridge, Poker) are games of **imperfect/incomplete information** because players have private information (their hand, or unknown card draws). In video games, **fog of war** (not seeing the opponent's units) creates imperfect information. Game theory calls games with hidden information **Bayesian games** or games of incomplete information, where players have beliefs about unknowns and might use probability and signals in their strategy.
- **One-shot vs. Repeated Games:** A **one-shot game** is played only once – players choose strategies a single time. A **repeated game** involves playing the same stage game multiple times in sequence, possibly with strategies contingent on past play. Repetition can enable cooperation or punishment strategies that aren't possible in one-shot scenarios. For example, a single Prisoner's Dilemma (one-shot) encourages defection, but if two players repeatedly face a Prisoner's Dilemma, they might sustain cooperation by using strategies like "tit-for-tat" (reciprocating the other's last move) because future consequences can deter short-term selfishness <sup>54</sup> <sup>55</sup>. Many board games are one-shot by design (you play a match once and score it), but some have repeated rounds that mimic this effect. Video games often have iterative encounters or levels that can be seen as repeated strategic interactions (or players learn and adjust across multiple matches in online games, effectively a repeated context).

**Nash Equilibrium and Solution Concepts:** One of the most fundamental ideas in game theory is the **Nash equilibrium** – named after John Nash. A Nash equilibrium is a strategy profile (one strategy for each player) such that no player can unilaterally change their strategy and get a higher payoff <sup>56</sup>. In other words, at equilibrium, each player's strategy is a best response to the others' strategies; no one has regrets or incentive to deviate given what others are doing <sup>56</sup>. Nash's great insight was that every finite game (with a finite number of strategies) has at least one equilibrium if we allow mixed strategies (players randomizing between moves) <sup>57</sup>. Equilibrium doesn't necessarily mean a *good* or fair outcome – it just means a stable one where expectations are met and no single player benefits from straying. For example, if both players in Prisoner's Dilemma choose to defect, that constitutes a Nash equilibrium (neither can do better by unilaterally cooperating) even though it's worse for both than mutual cooperation.

Other solution concepts include **dominant strategies** (a strategy that is best for a player regardless of what others do) and **Pareto optimality** (an outcome where no player can be made better off without making someone else worse off, often used to judge the efficiency of outcomes, not a prediction of play but a normative benchmark). There's also **subgame-perfect equilibrium** (a refinement of Nash for sequential games, requiring the strategy to induce a Nash equilibrium in every subgame – essentially ruling out non-credible threats in sequential play), **Bayesian Nash equilibrium** (equilibrium concept for games with incomplete information, where players maximize expected payoff given their beliefs), and so on. For the scope of this discussion, Nash equilibrium is the key concept linking game theory to how strategic games are played, since players often seek a stable strategy combination (even if informally).

**Major Models & Examples in Game Theory:** Game theory often uses simple illustrative games to model larger ideas. Some classic examples:

- **The Prisoner's Dilemma:** Perhaps the most famous game-theoretic model, this is a non-zero-sum, non-cooperative game that demonstrates why two completely rational players might not cooperate, even if it appears that it's in their best interest to do so. The scenario: two accomplices are arrested and interrogated separately. Each has two strategies: *Cooperate* with their partner (stay silent) or *Defect* (confess and implicate the other). The payoffs are set so that: if both cooperate (stay silent), they get a moderate sentence (say 1 year each). If one defects while the other stays silent, the defector goes free (0 years) and the cooperator gets the harsh sentence (say 5 years). If both defect, they both get a somewhat harsh sentence (say 3 years each). **Defection** is a dominant strategy for each – no matter what the other does, you're personally better off confessing (defecting)<sup>58</sup>. Unfortunately, when both follow that logic, the outcome (both defect getting 3 years each) is worse for both than if both had cooperated (1 year each)<sup>59</sup>. Thus the Nash equilibrium (both defect) is *Pareto inferior* to the cooperative outcome. The Prisoner's Dilemma has myriad real-world analogues – arms races, price wars between companies, tragedy of the commons, etc. – and it also pops up in games whenever players face a choice to help each other for a mutual benefit or to selfishly take a bigger share at the expense of others. In board game terms, if you've ever had an opportunity to either share a win or betray an ally for a solo win, you were in a prisoner's dilemma-like spot. Notably, in repeated play, strategies can emerge to enforce cooperation (e.g. tit-for-tat as mentioned: if your partner defected last time, punish them by defecting this time, otherwise cooperate), showing how trust can be built or broken over time<sup>54</sup> <sup>55</sup>.
- **Matching Pennies:** A simple two-player **zero-sum** game often used to demonstrate **mixed strategy** equilibrium. Each of two players chooses Heads or Tails for a penny; if the pennies match (both Heads or both Tails), player Even wins (say, wins the opponent's penny); if they mismatch, player Odd wins<sup>60</sup> <sup>61</sup>. There is no pure strategy Nash equilibrium here – whatever one player chooses, the other wants to choose the opposite to win, so any fixed strategy can be exploited. The equilibrium is in mixed strategies: each player randomizes Heads or Tails with 50% probability<sup>62</sup>. This way, neither player can predict the other's move and do better by deviating. The expected payoff ends up 0 for both in equilibrium (a fair game)<sup>63</sup> <sup>64</sup>. Matching pennies is essentially the structure behind many *hide-and-seek* or *guessing* competitions (e.g. a football (soccer) penalty kick: kicker chooses left or right, goalie dives left or right – one wants to match, the other to mismatch). In game design, if you create a scenario with two balanced options and adversarial goals, the concept of a mixed strategy equilibrium might manifest as players unpredictably varying their choices (think of a **rock-paper-scissors** dynamic in strategy games, where there's no single best move but a cycle of counter-moves).
- **Zero-Sum Games and Minimax:** In strictly competitive games (like chess, checkers, go, many two-player abstract or combinatorial games), game theory tells us players should aim to **minimize the maximum possible loss** – the minimax strategy. Von Neumann's minimax theorem states that in zero-sum games, the Nash equilibrium ensures each player's expected payoff is optimized under worst-case counterplay. For deterministic perfect-information games like Chess, in theory game theory predicts either one player has a winning strategy or with optimal play it's a draw (as many believe chess is). AI algorithms often implement minimax search with heuristics to approximate this optimal play. So, game theory underpins a lot of AI in games: for example, Deep Blue's chess strategy or any computer opponent in a zero-sum game is essentially trying to approximate the game-theoretic solution.

- **The Game of Chicken:** A non-cooperative game illustrating brinkmanship. Two drivers speed toward each other; each can either **swerve** or **stay straight**. If one swerves and the other doesn't, the one who swerved is a "chicken" (loses face) and the straight driver "wins" (gets glory). If both swerve, they both get a mediocre outcome (both save face somewhat). If neither swerves (both stay straight), they crash – the worst outcome for both, far worse than just losing face. This game has two Nash equilibria in pure strategies: (Swerve, Straight) and (Straight, Swerve) – each hopes to be the one who stays straight while the other chickens out. But there is also a mixed equilibrium where each player probabilistically risks staying straight to some extent. Chicken is famous as a metaphor for nuclear standoffs, etc., but in games, any time players are in a mutual harm scenario with incentive to be the more daring (but hoping the other backs off), it's a chicken dynamic. Some negotiation games or simultaneous action choices in games of chicken-like payoff can be designed (e.g. a high-stakes variant of prisoner's dilemma where mutual defection is catastrophic instead of moderately bad becomes like chicken).
- **Stag Hunt:** A game of coordination with a risk element. Two hunters can either hunt a stag *together* or individually hunt a rabbit. A stag is worth much more than a rabbit, but one hunter alone cannot catch it – it requires mutual cooperation. If one goes for stag and the other doesn't, the stag-hunter gets nothing (the stag escapes) while the other gets a modest rabbit. If both hunt stag, they succeed and split a large reward. If both settle for rabbits, they each get a small sure reward. Stag Hunt has two pure equilibria: both cooperate (hunt stag) or both play it safe (hunt rabbit). It models trust and assurance: the best outcome is cooperation, but if you doubt the other's cooperation, you might opt for the safer bet. In games or multiplayer scenarios, stag hunts appear when players must trust each other to pursue a high payoff strategy that will fail if not everyone commits (e.g. in a raid in an MMO game, everyone must attack the boss at the right time (stag) vs. each just doing their own thing for smaller rewards (rabbit)). It's a positive-spin on PD: here mutual cooperation is not only best but also an equilibrium (unlike PD), yet fear can lead to a poorer equilibrium if trust isn't achieved.
- **Battle of the Sexes (Coordination Game):** A classic coordination problem where two players want to meet but have different preferences for where. For example, one (say the wife) prefers the opera, the other (the husband) prefers a football game, but most of all each would rather be together than apart. If they end up in different places, that's the worst outcome for both. This game has two Nash equilibria (one at opera, one at football) and highlights the need for coordination or communication to choose an equilibrium – both prefer being together, but each equilibrium favors one person's preference. In board games, pure coordination games are less common (since usually players have conflict), but the idea applies to things like agreeing on conventions (for instance, partners in a game like Bridge need to coordinate bidding conventions – it's beneficial to match expectations).
- **Auction Models:** In game theory, auctions are studied as games of incomplete information. Each bidder has a private valuation for the item. Different auction formats (as discussed earlier) create different strategic landscapes. For example, in a **first-price sealed-bid auction**, each player's best bid depends on their own value and their beliefs about others' values – the equilibrium strategy (under certain assumptions) is to bid some fraction of one's value (the bid shading formula depends on distribution of values) <sup>20</sup>. In a **second-price (Vickrey) auction**, bidding truthfully one's value is a dominant strategy (because if you win, you pay the second-highest bid, so you can't gain by misreporting) <sup>20</sup>. These theoretical results tie closely to how bidding games in board games might be approached by savvy players. A game like **Modern Art** or **QE** (bidding game with hidden bids) can be analyzed with auction theory – though human behavior may deviate due to risk attitudes or bluffing.

Game theory models often assume rational, self-interested players with common knowledge of the game structure. In real gaming situations, people may have incomplete rationality, emotions, or house rules that change things. Still, the concepts of game theory are powerful for understanding *strategic* games. Many board game rulesets read like formal game descriptions, and players often effectively perform game-theoretic reasoning (e.g. "If I do this, she will likely do that, which would be bad for me, so perhaps I should choose this other move instead..."). Good players often seek **equilibrium-like** strategies – ones that can't be easily exploited by opponents.

## Connecting Game Mechanics and Game Theory

Game mechanics create the *strategic situations* that game theory seeks to analyze. There is a natural correspondence between certain mechanics and classic game-theoretic models. Below, we draw connections between specific game mechanics (from Section 1) and their related game theory concepts, illustrating how understanding one can illuminate the other:

Game Mechanic	Game Theory Counterpart	Connection and Example
Turn-Based Sequential Play	Sequential Games & Backward Induction	Turn-based games (like Chess or Go) are sequential: players move in turns, observing the current state. Game theory models these with <i>extensive form</i> games and predicts outcomes via backward induction (e.g. theoretically "solving" chess by looking ahead to end states) <sup>6</sup> . In practice, players use foresight ("if I do X, they'll do Y...") which mirrors backward induction reasoning.
Simultaneous Action Selection	Simultaneous (Normal-Form) Games	When players choose actions simultaneously (e.g. simultaneously revealing cards or orders), it's a normal-form game situation. Analysis involves finding Nash equilibria. <i>Example: Rock-Paper-Scissors</i> is effectively a simultaneous zero-sum game with a mixed strategy equilibrium (each choice 1/3 probability). Many simultaneous selection mechanics (like blind bidding or secretly choosing a role) can be analyzed as finding best responses to opponents' mixed strategies.
Bluffing / Hidden Information	Bayesian Games (Incomplete Information)	Bluffing arises when some information is private – a hallmark of incomplete-information games in game theory. Players form beliefs and update them (Bayesian reasoning). <i>Example: Poker</i> is a Bayesian game: each player knows their cards but not others'. Bluffing in poker is essentially trying to alter opponents' beliefs about your hand. Game-theoretically, an optimal bluff frequency can be computed so that your opponents are indifferent to calling or folding (part of a mixed-strategy equilibrium in poker) <sup>29</sup> . The concept of <b>Bayesian Nash Equilibrium</b> formalizes optimal strategies when players have private information.

Game Mechanic	Game Theory Counterpart	Connection and Example
<b>Auction/Bidding</b>	<b>Auction Theory; Independent Private Value model</b>	<p>Auctions in games mirror economic auction models. Game theory analyzes how bidders strategize based on their valuation and others' likely valuations. For instance, in a first-price auction (common in many board games for turn order or assets), the Nash equilibrium strategy is to bid below your true value (bid shading) to avoid winner's curse <sup>20</sup>. In a second-price auction (occasionally used in game variants), bidding your true value is dominant <sup>20</sup>. Understanding these models helps players bid wisely. Game designers who include auctions rely on auction theory results to predict player behavior (e.g. ensuring a fair division or preventing degenerate strategies).</p>
<b>Negotiation &amp; Trading</b>	<b>Cooperative Game Theory / Bargaining</b>	<p>When a game allows negotiation (trades, alliances), players are engaging in free-form coalition building. Non-cooperative game theory can model this via bargaining games – e.g. the <b>Nash Bargaining Solution</b> predicts how two parties might split a surplus if they can both agree. In games like <b>Settlers of Catan</b>, trading resources has a flavor of bargaining: if two players can mutually benefit by trade, they must agree on an exchange rate. <i>Coalition formation</i> in games like <b>Diplomacy</b> or <b>Risk</b> can be seen through cooperative game theory concepts like the <b>core</b> or <b>Shapley value</b> (what alliances form, and how the spoils of alliance are divided). While most board games don't enforce binding agreements (making them technically non-cooperative games), in-game negotiation is an exercise in forming temporary cooperative strategies. Game theory teaches that such agreements are only stable if each party is getting at least as much as they would by going alone (their <i>threat point</i>), which savvy players intuitively consider.</p>
<b>Hidden Roles / Social Deduction</b>	<b>Games of Incomplete Information; Signaling</b>	<p>Hidden traitor or role mechanics (e.g. <b>Secret Hitler</b>, <b>Werewolf</b>) are essentially games of incomplete information. The “good” players are trying to infer who the traitors are (updating beliefs based on others’ actions – a Bayesian process), while traitors may engage in <b>signaling</b> and misrepresentation. Game theory’s signaling games study how players with private types (e.g. loyalist vs. traitor) send messages or take actions that might reveal (or conceal) their type. A traitor lying effectively in a social deduction game is like a <b>Pool equilibrium</b> in signaling: different types taking similar actions to obfuscate identity. These mechanics underscore concepts of <b>information asymmetry</b> and strategic lying, which are central in economic game theory models of markets with hidden information (e.g. Spence’s job-market signaling model).</p>

Game Mechanic	Game Theory Counterpart	Connection and Example
<b>Cooperative Gameplay</b>	<b>Identical Payoff Games; Coordination</b>	<p>Fully cooperative board games (like Pandemic) have players sharing a common payoff (either everyone wins or loses together). In game theoretic terms, this aligns incentives completely – a trivial case of a game where any strategy profile that maximizes the joint payoff is “best” for the group. The challenge is not strategic between players (since there’s no conflict) but rather an optimization against the game system. However, if we consider the “game” to be players vs. an imagined adversary, strategies involve <b>coordination</b>. Even in co-op games, there can be coordination puzzles analogous to stag hunts – e.g. “if we both focus on different tasks, will we fail at both?” Players must assure each other to commit to a joint plan (like both hunt the stag). Game theory’s <b>team games</b> or <b>coordination games</b> provide insight: communication greatly helps (hence many co-ops allow table talk), and mechanisms like <i>common knowledge</i> of intentions can ensure the best outcome (just as in pure coordination games).</p>
<b>Alliances &amp; Betrayal (Semi-Coop)</b>	<b>Prisoner’s Dilemma &amp; Repeated Games</b>	<p>Games where players can temporarily cooperate but ultimately one wins (e.g. making a pact in Risk, or the <b>Prisoner’s Dilemma</b> style choice at the end of some games to share victory or steal it) directly invoke game-theoretic dilemmas. If two players ally to take down others, once that’s done they face a classic endgame PD: betray for sole win or stay allied for a joint win (if allowed). Many social games or finales of reality TV shows use exactly this mechanic (notably the game show “Golden Balls” ends with a prisoner’s dilemma choice). <b>Diplomacy</b> ( ) is essentially a repeated prisoner’s dilemma: you form alliances (cooperate) but can backstab (defect) at any time; the shadow of future interaction (knowing you’ll need trust in later turns) often keeps alliances intact until the decisive moment. Game theory tells us that if a game is finitely repeated with a clear end, backward induction suggests betrayal at the end (as in final-round prisoner’s dilemma defection) <sup>65</sup> . But in practice, uncertainty about timing or reputation effects (or emotional motives) allow cooperation to survive. Designers use these insights to craft tense trust dynamics.</p>

Game Mechanic	Game Theory Counterpart	Connection and Example
Direct Conflict (Warfare, "Take That")	Zero-Sum and Constant-Sum Games	<p>Mechanics that involve directly attacking or hindering others (destroying units, stealing points) produce zero-sum-like interactions. If a move hurts an opponent and correspondingly improves your relative standing, the local interaction is zero-sum even within a larger non-zero-sum game. Game theory's zero-sum model (utilizing minimax) applies to sub-conflicts: e.g. tactical battles can be thought of as mini zero-sum games where one player's loss is another's gain in that skirmish. Understanding zero-sum reasoning can improve play in combat games – e.g. in a <b>two-player fighting game</b> (like <i>Street Fighter</i>), it's pure zero-sum and concepts like <b>mixed strategies</b> (randomizing moves to avoid predictability) or <b>dominance</b> (never use a strictly worse option) are directly relevant. In multiplayer games with "take that" cards, while the overall game isn't zero-sum (a third party could benefit), any two-player confrontation might be seen as zero-sum in the short run.</p>
Randomness & Risk	Uncertainty, Mixed Strategies, Risk Dominance	<p>Random mechanics in games (dice, card draws) introduce <i>exogenous</i> uncertainty (chance). Game theory typically treats the rules (including chance events) as part of the game structure, not chosen by players – these are "moves by nature." However, randomness can also be seen as a <i>mixing strategy</i> or as adding noise to outcomes. Players' approach to risk in games touches on <b>decision theory</b> (utility under uncertainty). Also, games with randomness sometimes mimic the need for mixed strategies: e.g. in Rock-Paper-Scissors, players <i>must randomize</i> to avoid exploitation – that's essentially a player introducing their own unpredictability, analogous to a die roll. <b>Risk-reward</b> mechanics (press-your-luck) tie to concepts of <b>expected value</b> and <b>risk dominance</b>. A strategy that is safer (less variance) vs. one that is riskier but higher reward can be analyzed by expected payoff and by players' risk tolerance (in game theory, one might use concepts from economics like risk-neutral vs risk-averse utility). Players often use heuristic mini-maximization of expected payoff when deciding whether to take an extra risk in <i>press-your-luck</i> games.</p>

Game Mechanic	Game Theory Counterpart	Connection and Example
Voting Mechanics	Social Choice Theory & Voting Games	<p>When games incorporate voting (e.g. deciding collectively which rule to enact, or who gets expelled, etc.), they mirror political science and social choice problems. Game theory has models of voting games where players vote strategically rather than sincerely if their preferences can be advanced by doing so. <i>Example:</i> In <b>Twilight Imperium</b> ( ), players vote on laws that can benefit some and hurt others <sup>43</sup>. A player might trade favors ("I'll vote for your law if you support mine later") or vote against their preference if it's already lost (to curry favor). These behaviors correspond to <b>coalition formation</b> and <b>logrolling</b> in voting theory. Concepts like <b>Condorcet winners</b> or <b>agenda setting</b> can be observed if a game allows sequential voting on proposals. In essence, whenever a game asks players to make a collective decision, strategic voting (game-theoretic thinking) can emerge – such as forming voting blocs or kingmaking (throwing support to one side in exchange for something).</p>

In summary, **game mechanics and game theory are two sides of the same coin**: mechanics define the structure of choices and payoffs in a game, and game theory analyzes optimal play within that structure. For players and designers, understanding the link can be very fruitful. A designer implementing a **bluffing mechanic** can anticipate behaviors using game theory's analysis of incomplete information games – for instance, ensuring there's an incentive to bluff but not too frequently, achieving a balance analogous to an equilibrium bluffing frequency. A player facing an **auction** in a game can draw on auction theory to bid closer to optimally (avoiding the winner's curse by not overbidding beyond the item's value). When mechanics create a **prisoner's dilemma** situation – e.g. two players could cooperate to both benefit, but each has temptation to betray – knowing the dilemma's logic (and the possibility of repeated play fostering trust) can guide one's strategy (or bluff about being trustworthy).

Game theory can also inform **game balance**. For example, if a certain strategy strictly dominates others (meaning it's always better, a concept from game theory), the game mechanic offering the dominated choices may need tweaking, or players will have no incentive to try those other choices (making the game less interesting). Designers aim for no dominant strategies, instead preferring a **meta** where choices are situational (like in RPS, each choice can be countered). The concept of **Nash equilibrium** is useful even informally – a well-balanced competitive game might allow an equilibrium where each player's strategy has counter-play but also counter-counter-play, etc., leading to a dynamic but fair balance (often designers try to achieve something like a Nash equilibrium between character options or strategies, so that there's diversity in viable playstyles).

Finally, it's worth noting how **real players vs. theoretical rational players** can differ. Human players have emotions, limited foresight, and heuristics. Game theory might predict that in the final round of a repeated game, everyone defects (by backward induction) <sup>65</sup>, yet in reality players often cooperate longer than theory predicts, either out of error or because humans have social preferences (like retaliation or trust beyond pure payoff). Good game designs often leverage this: for instance, adding a bit of uncertainty about when a game ends (like a random game end trigger in some board games) can sustain cooperation – a known result from game theory is that if you don't know exactly when the last round is, mutual cooperation can persist. This kind of cross-pollination between theory and design

exemplifies the synergy between understanding **game mechanics** deeply and applying **game theory** insights. Each informs the other: game theory provides a lens to predict what rational players *might* do under certain mechanics, and observing players in actual games can in turn inspire new game-theoretic models that account for bounded rationality, psychology, and creativity.

**Conclusion:** Game mechanics are the toolkit with which designers build engaging challenges, and game theory is the analytical framework that explains the strategic essence of those challenges. For an enthusiast, studying game mechanics gives a vocabulary for how games work, while studying game theory provides a vocabulary for why players make certain choices. Together, they enrich our understanding of games – whether it's designing a balanced board game, playing a video game at a high level, or even understanding real-world strategic situations (many of which can be surprisingly game-like). As one author eloquently put it, “*those wood and plastic pieces [of board games] aren't just rules – they're game theory*” <sup>66</sup>. Every time we play a game and devise a cunning strategy or adapt to an opponent, we are implicitly “**practicing game theory**” <sup>67</sup>. And conversely, every well-crafted game is, under the hood, an embodiment of strategic interactions that game theory seeks to characterize. By lifting the hood – studying both mechanics and theory – we gain a deeper appreciation for the brilliance of games and the logic of strategy that binds them to real life.

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