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CST 329

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Then, please prove all hw12 repository problems at proof-checker.org. They are titled hw12.1, hw12.2, ..., 12.6.

A record of your proof will automatically be stored when you get successful proof. You can load those proofs later.

Paste the screenshots of your successful proofs in a document with proper labels (e.g., hw12.2 above the screenshot image). Write your name on top of the document. Then create a single pdf of that document and submit it here.

Please remember that you are not to work with others in any way on your proofs.

Feel free to ask the instructor or TA for hints if you get stuck. Start early!

12.1

Check Your Proof:


Proof: Repository - hw12.1

Construct a proof for the argument: $\forall x \forall y Gxy \therefore \exists x Gxx$

1	$\forall x \forall y Gxy$	
2	$\forall y Gay$	1 Universal instantiation
3	Gaa	2 Universal instantiation
4	$\exists x Gxx$	3 Existential generalization

 new line

 new subproof

 Congratulations! This proof is correct.

check proof

start over

Clear & Start a new Proof


Check Your Proof:

Proof: Repository - hw12.2

Construct a proof for the argument: $\forall x Fxx \therefore \exists x \exists y Fxy$

1	$\forall x Fxx$	
2	Faa	1 Universal instantiation
3	$\exists x Fxa$	2 Existential generalization
4	Fba	
5	$\exists y Fby$	4 Existential generalization
6	$\exists x \exists y Fxy$	5 Existential generalization
7	$\exists x \exists y Fxy$	3, 4–6 Existential instantiation

 new line

 new subproof

check proof

start over

Clear & Start a new Proof

Check Your Proof:

Proof: Repository - hw12.3

Construct a proof for the argument: $\forall xFx \therefore \forall y(Fy \wedge Fy)$

1	$\forall xFx$	
2	Fa	1 Universal instantiation
3	Fa	2 Repeat
4	$Fa \wedge Fa$	2, 3 Adjunction
5	$\forall y(Fy \wedge Fy)$	4 Universal derivation

 new line

 new subproof

😊 Congratulations! This proof is correct.

check proof

start over

Clear & Start a new Proof


Check Your Proof:

Proof: Repository - hw12.4

Construct a proof for the argument: $\forall x(Fx \leftrightarrow Gx), Fa \wedge \exists xHxa \therefore \exists xGx$

1	$\forall x(Fx \leftrightarrow Gx)$	
2	$Fa \wedge \exists xHxa$	
3	$Fa \leftrightarrow Ga$	1 Universal instantiation
4	Fa	2 Simplification
5	Ga	3, 4 Equivalence
6	$\exists xGx$	5 Existential generalization

 new line

 new subproof

😊 Congratulations! This proof is correct.

[check proof](#)

[start over](#)

[Clear & Start a new Proof](#)


Check Your Proof:

Proof: Repository - hw12.5

Construct a proof for the argument: $\therefore \forall y \exists x (Fy \rightarrow Fx)$

1		Fa	
2		Fa	1 Repeat
3		$Fa \rightarrow Fa$	1-2 Conditional derivation
4		$\exists x (Fa \rightarrow Fx)$	3 Existential generalization
5		$\forall y \exists x (Fy \rightarrow Fx)$	4 Universal derivation

 new line

 new subproof



Congratulations! This proof is correct.

check proof

start over

Clear & Start a new Proof


Check Your Proof:

Proof: Repository - hw12.6

Construct a proof for the argument: $\exists x Hx, \forall x(Gx \rightarrow Fx), \forall x(Hx \rightarrow Gx) \therefore \exists x(Hx \wedge Fx)$

1	$\exists x Hx$	
2	$\forall x(Gx \rightarrow Fx)$	
3	$\forall x(Hx \rightarrow Gx)$	
4	$Ga \rightarrow Fa$	2 Universal instantiation
5	$Ha \rightarrow Ga$	3 Universal instantiation
6	Ha	
7	Ga	5, 6 Modus Ponens
8	Fa	4, 7 Modus Ponens
9	$Ha \wedge Fa$	6, 8 Adjunction
10	$\exists x(Hx \wedge Fx)$	9 Existential generalization
11	$\exists x(Hx \wedge Fx)$	1, 6–10 Existential instantiation

 new line

 new subproof

😊 Congratulations! This proof is correct.

check proof

start over

Clear & Start a new Proof