# {Question #1}

g=9.81[m/s^2] A=0.01[m^2] m=50[kg] P\_atm=1[bar]

P=P\_atm+((m\*g)/A)\*convert(Pa, bar) {Pressure: P = 1.491 bar}

### SOLUTION

# Unit Settings: SI C kPa kJ mass deg

 $A = 0.01 \text{ [m}^2\text{]}$   $g = 9.81 \text{ [m/s}^2\text{]}$  m = 50 [kg] P = 1.491 [bar]

### {Question #2}

### {Part A}

P\_1=14.7\*convert(psi, kPa)

TSat\_1=converttemp(C, F,t\_sat(Water,P=P\_1)) {Saturation Temperature: TSat\_1 = 212 F}

### {Part B}

P 2=24.58\*convert(inHG, kPa)

TSat\_2=converttemp(C, F,t\_sat(Water,P=P\_2)) {Saturation Temperature: TSat\_2 = 202.2 F}

# {Part C}

P 3=30[kPa]

TSat\_3=converttemp(C, F, t\_sat(Water, P=P\_3)) {Saturation Temperature: TSat\_3 = 156.4 F}

### SOLUTION

# Unit Settings: SI C kPa kJ mass deg

 $P_1 = 101.4 [kPa]$ TSat<sub>1</sub> = 212 [F]  $P_2 = 83.24 [kPa]$ TSat<sub>2</sub> = 202.2 [F]  $P_3 = 30 [kPa]$ 

TSat<sub>3</sub> = 156.4 [F]

### {Question 3.21}

```
g=9.81[m/s^2]
P_atm=100[kPa]
A=0.01[m^2]
m_piston=50[kg]
m_water=0.1[kg]
T_water=100[C]
```

P\_water=P\_atm+((m\_piston\*g)/A)\*convert(Pa, kPa) {Pressure Water: P\_water = 149.1 kPa} V\_water=m\_water\*volume(*Water*, *T*=T\_water, *P*=P\_water)\*convert(m^3, cm^3) {Volume Water: V\_water = 104.3 cm^3}

#### **SOLUTION**

# Unit Settings: SI C kPa kJ mass deg

 $\begin{array}{lll} A = 0.01 \ [m^2] & g = 9.81 \ [m/s^2] \\ m_{water} = 0.1 \ [kg] & P_{atm} = 100 \ [kPa] \\ \hline T_{water} = 100 \ [C] & V_{water} = 104.3 \ [cm^3] \\ \end{array}$ 

 $m_{piston} = 50 \text{ [kg]}$   $P_{water} = 149.1 \text{ [kPa]}$ 

# {Question 2.A-3}

V=8000\***convert**(cm^3, m^3) x\_1=0.05 T 1=140[C]

### {Part A}

 $SV=volume(Steam, T=T_1, x=x_1)$  {Specific Volume:  $SV = 0.02645 \text{ m}^3/\text{kg}$ }  $P_1=pressure(Steam, T=T_1, v=SV)$  {Pressure:  $P_1 = 361.5 \text{ kPa}$ }  $TEST=quality(Steam, T=T_1, v=SV)$ 

#### {Part B}

m\_total=V/SV {Total Mass: m\_total = 0.3024 kg}
m\_water=m\_total\*(1-x\_1) {Water Mass: m\_water = 0.2873 kg}
m\_vapor=m\_total\*x\_1 {Vapor Mass: m\_vapor = 0.01512 kg}

### {Part C}

V\_water=SV\*m\_water {Water Volume: V\_water = 0.0076 m^3} V\_vapor=SV\*m\_vapor {Vapor Volume: V\_vapor = 0.0004 m^3}

# T\_2=200[C]

### {Part D}

P\_2=pressure(Steam, T=T\_2, v=SV) {Pressure: P\_1 = 1,555 kPa} x\_2=quality(Steam, T=T\_2, v=SV) {Quality: x\_2 = 20.07 %}

### {Part E}

m water  $2=V/SV^*(1-x 2)$  {Water Mass: m water 2=0.2418 kg}

### SOLUTION

### Unit Settings: SI C kPa kJ mass deg

m<sub>vapor</sub> = 0.01512 [kg] P<sub>1</sub> = 361.5 [kPa] TEST = 0.05 V = 0.008 [m<sup>3</sup>] x<sub>1</sub> = 0.05 mwater = 0.2873 [kg]
P2 = 1555 [kPa]
T1 = 140 [C]
Vvapor = 0.0004 [m<sup>3</sup>]
x2 = 0.2007

# {Question 4.007}

P\_1=10[bar] T\_1=20[C] P 2=3.0[bar]

h\_1=enthalpy(Ammonia, P=P\_1\*convert(bar, kPa), T=T\_1) h\_2=h\_1

T\_2=temperature(Ammonia, P=P\_2\*convert(bar, kPa), h=h\_2) {Temperature: T\_2 = -9.231C} x\_2=quality(Ammonia, P=P\_2\*convert(bar, kPa), h=h\_2) {Quality: x\_2 = 10.54 %}

#### **SOLUTION**

# Unit Settings: SI C kPa kJ mass deg

 $h_1 = 293.9 \text{ [kJ/kg]}$   $h_2 = 293.9 \text{ [kJ/kg]}$   $P_1 = 10 \text{ [bar]}$   $P_2 = 3 \text{ [bar]}$   $T_1 = 20 \text{ [C]}$   $T_2 = -9.231 \text{ [C]}$ 

No unit problems were detected.

EES suggested units (shown in purple) for h 2.

```
{Question 4.75}
```

P\_3=5[bar]

x\_3=0.20

P\_4=5[bar]

T 4=20[C]

P\_1=1[bar]

T\_1=305[K]

AV\_air=50[m^3/min]

P 2=0.95[bar]

T\_2=295[K]

#### {Part A}

{Use first law equation to find mass flow rate of the refrigerant. We can neglect heat loss, work, kinetic energy, and potential energy}

0=mdot air\*(h 1-h 2)+mdot ref\*(h 3-h 4)

mdot\_air=AV\_air\*P\_1\*convert(bar,kPa)/(R#/molarmass(Air))/T\_1

h\_1=enthalpy(Air, T=converttemp(K,C,T\_1))

 $h_2$ =enthalpy(Air, T=converttemp( $K,C,T_2$ ))

h\_3=enthalpy(R134a, P=P\_3\*convert(bar,kPa), x=x\_3)

h\_4=enthalpy(R134a, T=T\_4, P=P\_4\*convert(bar,kPa))

{Solving the The first law equation we find mdot\_ref}

{Mass Flow Rate of Refrigerant: mdot\_ref = 3.752 kg/min}

### {Part B}

Find heat transfer using first law of only the refrigerant. We can neglect work, kinetic energy, and potential energy

0=Qdot+mdot ref\*(h 3-h 4)

{Solving the The first law equation we find Qdot}

Heat Transfer: Qdot = 573.8 kJ/min

kJ=0

min=1

#### SOLUTION

### Unit Settings: SI C kPa kJ mass deg

 $AV_{air} = 50 [m^3/min]$  $h_1 = 305.5 [kJ/kg]$  $h_2 = 295.4 [kJ/kg]$  $h_4 = 263.5 [kJ/kg]$  $h_3 = 110.5 [kJ/kg]$ kJ = 0 $mdot_{air} = 57.11 [kg/min]$  $mdot_{ref} = 3.752 [kg/min]$ min = 1 $P_1 = 1$  [bar]  $P_2 = 0.95$  [bar]  $P_3 = 5$  [bar]  $P_4 = 5 [bar]$ Qdot = 573.8 [kJ/min] $T_1 = 305$  [K]  $x_3 = 0.2$  $T_2 = 295$  [K]  $T_4 = 20 [C]$ 

#### No unit problems were detected.

EES suggested units (shown in purple) for h 1 h 2 h 3 h 4 .

### {Question 4.009}

```
$UnitSystem ENG
T 1=40[F]
P 1=80[psi]
T 2=160[F]
P 2=200[psi]
T 3=90[F]
P 3=200[psi]
T air 1=1[F]
P air 1=14.7[psi]
Vdot air=1[ft^3/min] {Vdot[ft^3/min] = VA[ft^3/min]}
T_air_2=110[F]
{Part A}
(Use first law equation to solve for Vdot ref. We are observing the condensor so we can neglect heat transfer, work, kinetic
energy and potential energy)
0=mdot_air*(h_air_1-h_air_2)+mdot_ref*(h_2-h_3)
{Alternate Method => mdot air*cp(Air,T=T air 1)*(converttemp(F,R,T air 2)-converttemp(F,R,T air 1))=mdot ref*(h 2-h 3)}
{We need mdot air in order to find mdot ref, mdot air = VA*rho, so we need to find density}
mdot air=Vdot air*density(Air, T=T air 1, P=P air 1)
h air 1=enthalpy(Air, T=T air 1)
h air 2=enthalpy(Air, T=T air 2)
h_2=enthalpy(R22, T=T_2, P=P_2)
h 3=enthalpy(R22, T=T 3, P=P 3)
{Solving the first law equation with the values we gathered we can calculate mdot ref}
{Mass Flow Rate of Refrigerant: mdot_ref = 0.02531 lb/min}
{Part B}
{To find the work of the compressor we need to use the first law equation for only the refrigerant between states 1 and 2. We
neglect heat loss, kinetic energy, and potential energy. WE DO NOT NEGLECT WORK}
0=Wdot+(mdot ref*(h 1-h 2)*convert(Btu/min, hp))
h 1=enthalpy(R22, T=T 1, P=P 1)
{Solve the first law equation to find work}
{Compressor Power: Wdot = 0.01012 hp}
```

#### SOLUTION

#### Unit Settings: Eng F psia mass deg

```
h_1 = 175 [Btu/lb_m]
                                                                                 h_2 = 192 [Btu/lb_m]
h_3 = 103  [Btu/lb<sub>m</sub>]
                                                                                 h_{air,1} = 110.1 [Btu/lb_m]
hair,2 = 136.3 [Btu/lb_m]
                                                                                 mdot_{air} = 0.08613 [lb<sub>m</sub>/min]
mdot_{ref} = 0.02531 [lb_m/min]
                                                                                 P_1 = 80 [psi]
P<sub>2</sub> = 200 [psi]
                                                                                 P_3 = 200 [psi]
P_{air,1} = 14.7 [psi]
                                                                                 T_1 = 40 [F]
T_2 = 160 [F]
                                                                                 T_3 = 90 [F]
T_{air,1} = 1 [F]
                                                                                 T_{air,2} = 110 [F]
Vdot_{air} = 1 [ft^3/min]
                                                                                 Wdot = 0.01012 [hp]
```

### {Problem 6.77}

Qdot\_hot=15[kW] Wdot\_cycle=3.2[kW] T\_inside=22[C] T\_outside=-22[C]

{Energy Rate Balance Equation}
0=Qdot\_hot+Qdot\_cold-Wdot\_cycle
{Entropy Rate Balanace Equation}
0=Qdot\_hot/T\_inside+Qdot\_cold/T\_outside+sigmadot
{Sigma-dot: sigmadot = -1.218 kW/C}

{Because Sigma-dot is negative the manufactures claims are false}

**SOLUTION** 

Unit Settings: Eng F psia mass deg

 $Qdot_{cold} = -11.8 [kW]$ 

Tinside = 22 [C]

Qdothot = 15 [kW]

Toutside = -22 [C]

sigmadot = -1.218 [kW/C] Wdotcycle = 3.2 [kW]

### {Question 6.145}

```
T_1=190[K]
P_1=100[kPa]
P_2=330[kPa]
effiiceincy=90.3

effiiceincy=W_s/W
W_s=h_2s-h_1
W=h_2-h_1

h_1=enthalpy(Air, T=converttemp(K,C,T_1))
s_1=entropy(Air, T=converttemp(K,C,T_1), P=P_1)
s_1=s_2s
h_2s=enthalpy(Air, P=P_2, s=s_2s)
```

{Using the isentropic efficeincy equation it is possible to find h\_2 and then W} {Work Input: W = 0.8597 kJ/kg}

#### **SOLUTION**

### Unit Settings: SI C kPa kJ mass deg

### {Problem 6.007}

mdot=1.2[kg/s] T\_1=50[C] P\_1=1.5\*convert(MPa, kPa) P\_2=15\*convert(MPa, kPa)

W\_actual=21[kW]

W\_reversible=mdot\*v\*(P\_2-P\_1) {Work Required by a Reversible Pump: W\_reversible = 16.29 kW} v=volume(Water, T=T\_1, P=P\_2)

n=W\_reversible/W\_actual { Isentropic Efficiency: n = 77.57%}

### SOLUTION

# Unit Settings: SI C kPa kJ mass deg

mdot = 1.2 [kg/s]  $P_2$  = 15000 [kPa]  $W_{actual}$  = 21 [kW] n = 0.7757 T<sub>1</sub> = 50 [C] W<sub>reversible</sub> = 16.29 [kW]

 $P_1 = 1500 \text{ [kPa]}$ v = 0.001006 [m<sup>3</sup>/kg]

No unit problems were detected.

EES suggested units (shown in purple) for v .