# UCLA CS 145 Homework #4

DUE DATE: Wednesday, 11/29/2017 11:59 PM

#### Note

- You are expected to submit your answers as a report named CS145\_HW4\_UID.pdf to CCLE.
- Copying and sharing of homework are NOT allowed. But you can discuss general challenges and ideas with others. Suspicious cases will be reported to The Office of the Dean of Students.
- Late submission policy: you will get a late factor  $\mathbbm{1}(t \le 24) \times e^{(-\ln(2)/12) \times t}$ , if you are t hours late.

### 1 Frequent Pattern Mining for Set Data

Given a transaction database shown in Table 1, answer the following questions. Note that the parameter min\_support is set as 2.

- (a) Find all the frequent patterns using Apriori Algorithm. Details of the procedure are expected.
- (b) Construct and draw the FP-tree of the transaction database.
- (c) For the item d, show its conditional pattern base (projected database) and conditional FP-tree.
- (d) Find frequent patterns based on d's conditional FP-tree.

Table 1: The transaction database for the question 1.

TID	Items		
1	b, c, j		
2	a, b, d		
3	a, c		
4	b, d		
5	a,b,c,e		
6	b, c, k		
7	a, c		
8	a,b,e,i		
9	b, d		
10	a, b, c, d		

### 2 Correlation Analysis

Table 2 shows how many transactions containing beer and/or nuts among 10000 transactions. Answer the following questions based on Table 2.

- (a) Calculate confidence,  $\chi^2$ , lift, and all\_confidence between buying beer and buying nuts.
- (b) What are your conclusions of the relationship between buying beer and buying nuts, based on the above measures?

Table 2: Contingency table for question 2.

	Beer	No Beer	Totel
Nuts	150	700	850
No Nuts	350	8800	9150
Total	500	9500	10000

## 3 Sequential Pattern Mining (GSP Algorithm)

- (a) For a sequence  $s = \langle ab(cd)(ef) \rangle$ , how many events or elements does it contain? What is the length of s? How many non-empty subsequences does s contain?
- (b) Suppose we have  $L_3 = \{\langle (ac)e \rangle, \langle b(cd) \rangle, \langle bce \rangle, \langle a(cd) \rangle, \langle (ab)d \rangle, \langle (ab)c \rangle\}$  as the frequent 3-sequences, write down all the candidate 4-sequences  $C_4$  with the details of the join and pruning steps.

### 4 Dynamic Time Warping (DTW)

Suppose that we have two sequences  $S_1$  and  $S_2$  as follows:

$$S_1 = \langle 1, 2, 5, 3, 2, 1, 7 \rangle$$
  
 $S_2 = \langle 2, 3, 2, 1, 7, 4, 3, 0, 2, 5 \rangle$ 

Compute the distance between two sequences according to the dynamic time warping algorithm. The local distance (cost) between two items is defined as c(x, y) = |x - y|. Note that you need to write down the detailed procedure to determine the distance.