



# ELEMENTS OF ELECTRICAL ENGINEERING

## UE24EE141B

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### **LECTURES 12 &13 - Mesh Analysis in the networks with Current Sources; Numerical Examples**

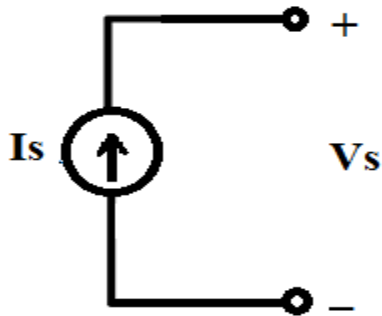
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### Mesh Analysis in the networks with current sources

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- We cannot write a KVL in the mesh containing current sources.
- Voltage across an ideal current source is unknown.



- Hence, there is a slight change in the procedure when applying Mesh Analysis in such cases.

### Mesh Analysis in the networks with current sources - Procedure

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Step 1: Identify the number of meshes in the network.

Step 2: Assign one mesh current in each mesh preferably in the same direction.

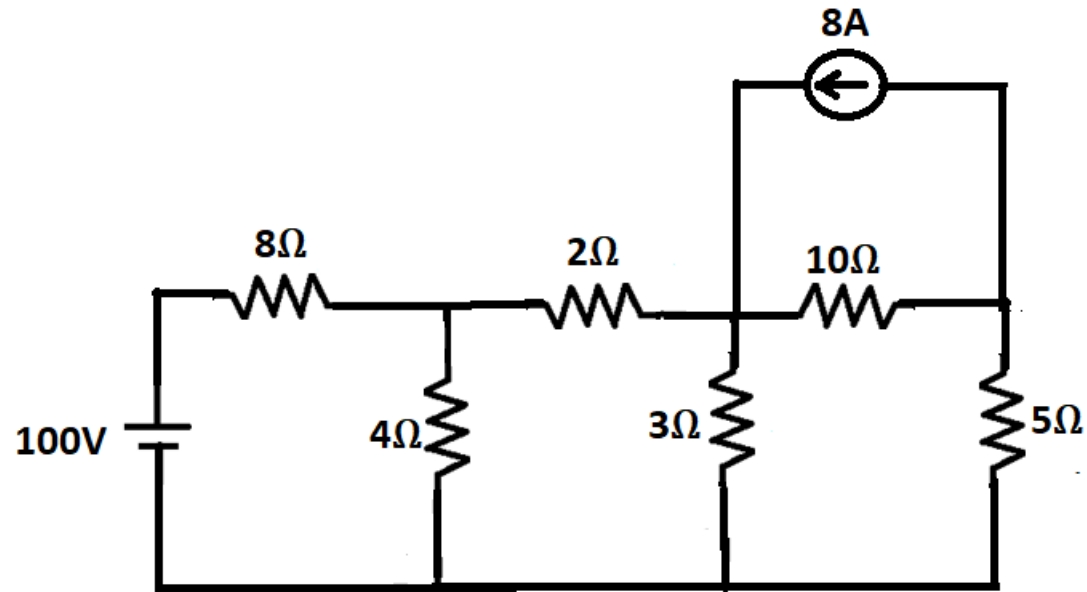
Step 3: Write KVL in the meshes without current sources. Write Current Equation in the Meshes with current sources.

Step 4: Solve simultaneous equations to obtain Mesh currents.

## Numerical Example 1

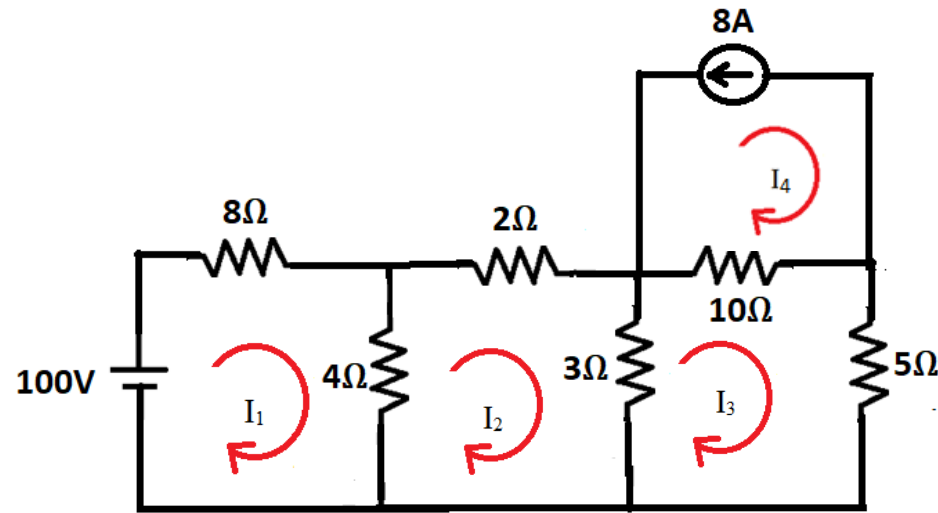
### Question:

Obtain current through  $4\Omega$  resistor using Mesh Analysis.



## Numerical Example 1

**Solution:**



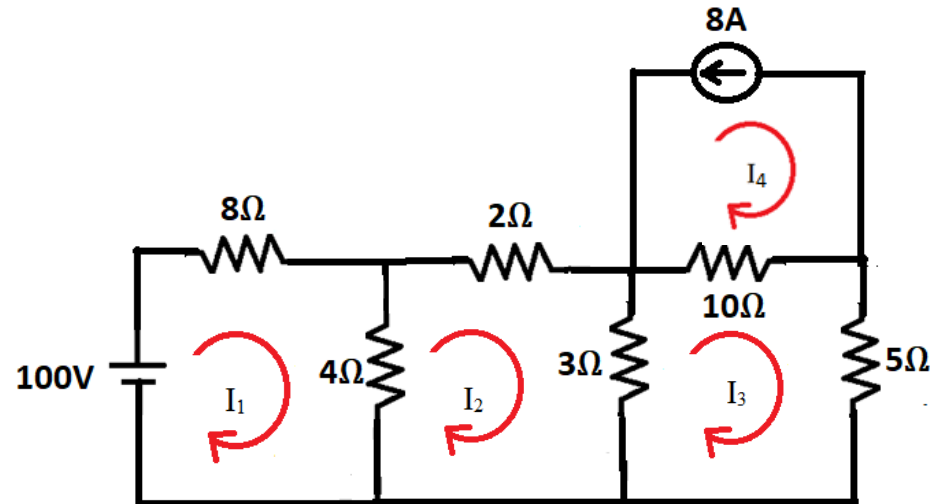
Number of Meshes = 4

$$\begin{aligned} \text{KVL (Mesh 1)} : -8I_1 - 4(I_1 - I_2) + 100 &= 0 \\ \text{i.e., } 12I_1 - 4I_2 - 0I_3 - 0I_4 &= 100 \quad \text{---- (1)} \end{aligned}$$

$$\text{KVL (Mesh 2)} : -4I_1 + 9I_2 - 3I_3 - 0I_4 = 0 \quad \text{---- (2)}$$

## Numerical Example 1

**Solution (Continued..):**



$$\text{KVL (Mesh 3)} : 0I_1 - 3I_2 + 18I_3 - 10I_4 = 0 \quad \text{---- (3)}$$

$$\text{Current Equation (Mesh 4)} : I_4 = -8 \quad \text{---- (4)}$$

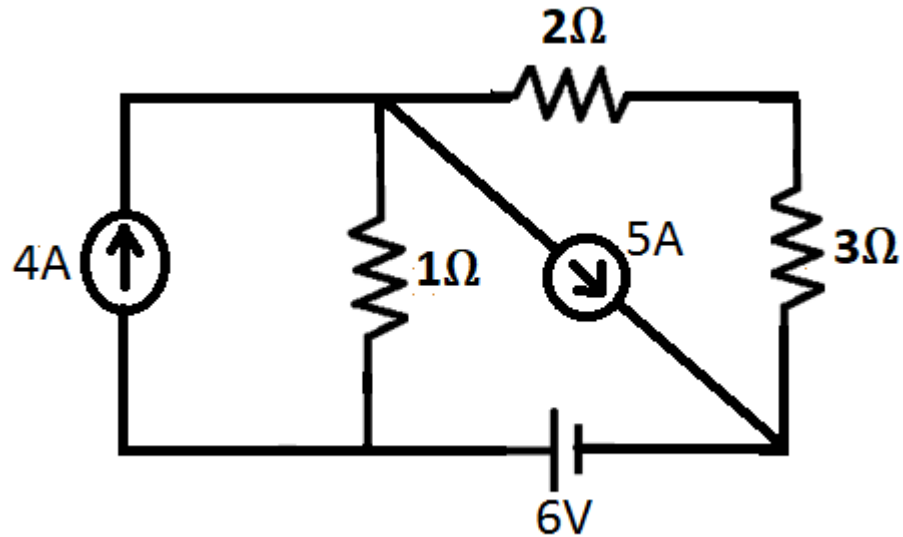
Solving (1), (2), (3) & (4),  $I_1 = 9.26\text{A}$  ;  $I_2 = 2.79\text{A}$  ;  
 $I_3 = -3.97\text{A}$

Current through  $4\Omega$  resistor =  $(I_1 \sim I_2) = (I_1 - I_2) = 6.47\text{A}$

## Numerical Example 2

### Question:

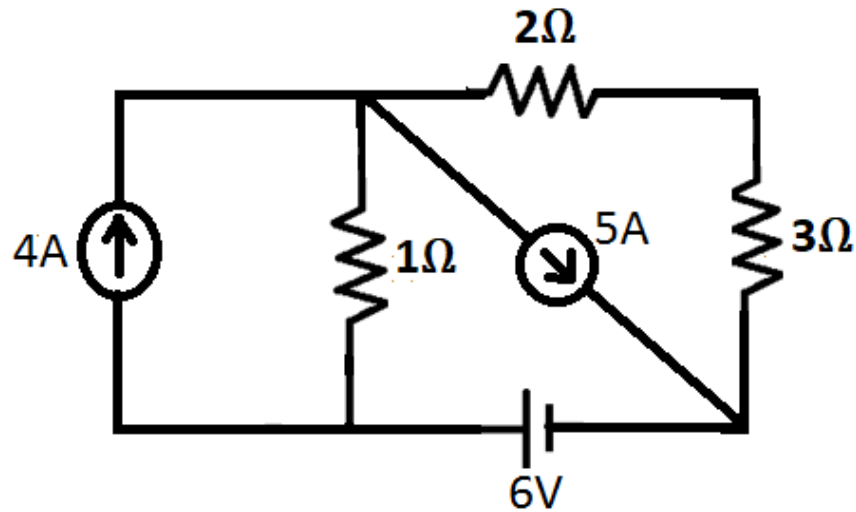
Obtain voltage across  $3\Omega$  resistor using Mesh Analysis.





## Numerical Example 2

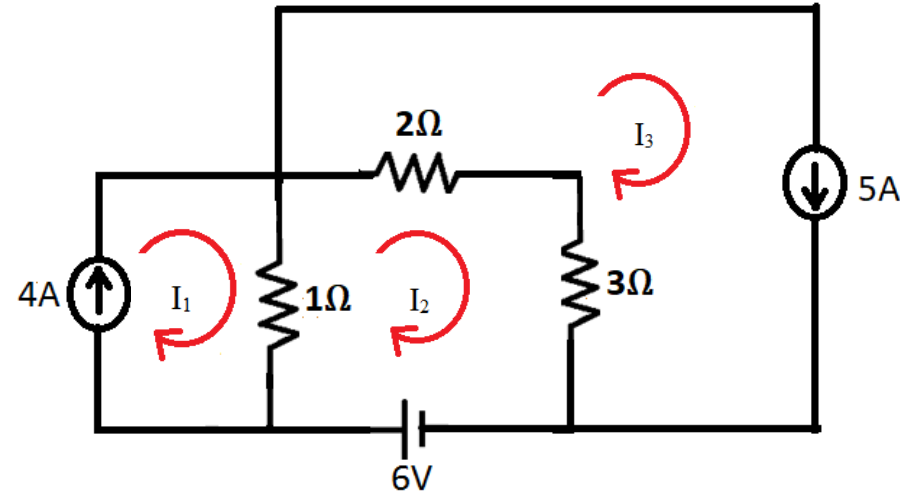
**Solution:**



- Whenever a current source is common to two meshes, it creates a supermesh.
- In Such networks, either supermesh technique is applied (or) network is rearranged to confine that common current source to any one mesh.

## Numerical Example 2

**Solution (Continued) :**



Current Equation (Mesh 1) :  $I_1 = 4$  ---- (1)

KVL (Mesh 2) :  $-I_1 + 6I_2 - 5I_3 = 6$  ---- (2)

Current Equation (Mesh 3) :  $I_3 = 5$  ---- (3)

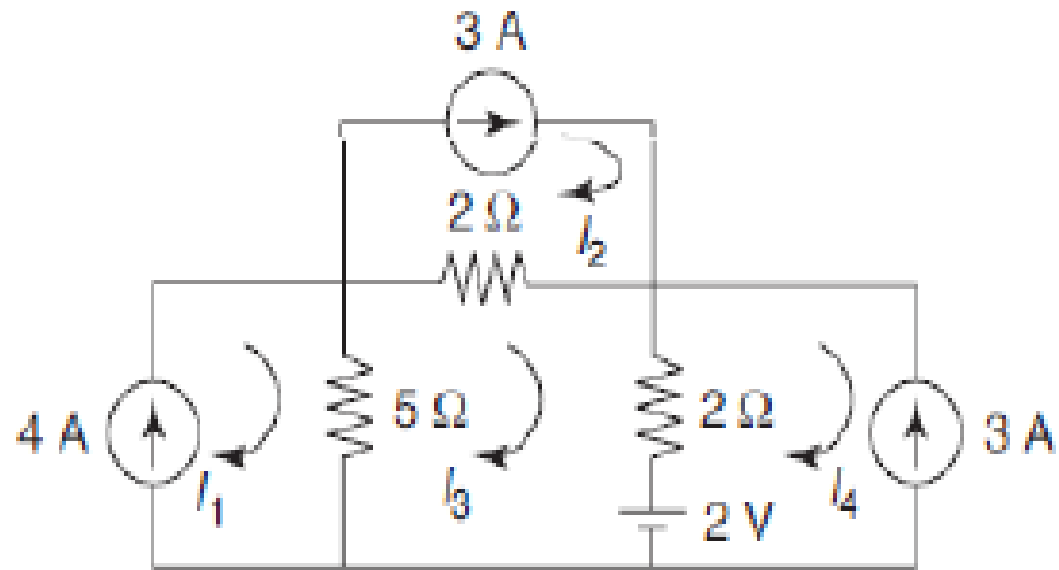
Solving (1), (2) & (3),  $I_2 = 5.83A$

Current through  $3\Omega$  resistor =  $(I_2 - I_3) = 0.83A$

Voltage across  $3\Omega$  resistor =  $2.49V$

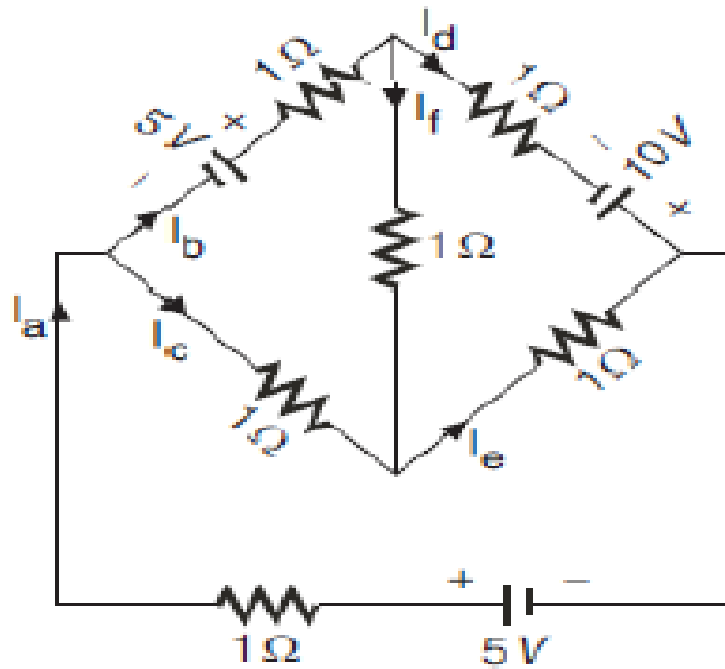
## Numerical Example 2

Determine the current through  $5\Omega$  resistor in the network shown.



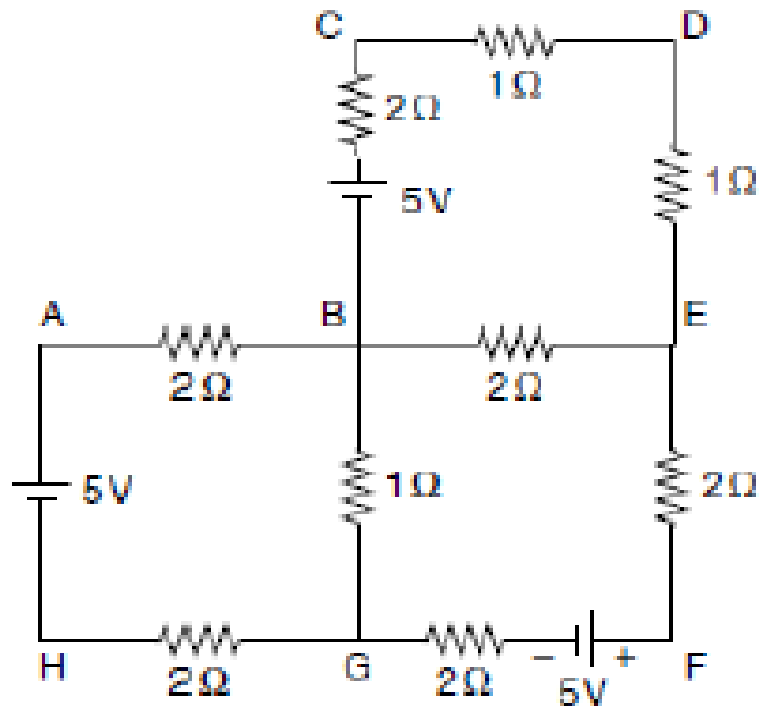
## Numerical Example 2

- 3) Determine the currents through various branches for the bridge circuit shown using mesh analysis.



## Numerical Example 2

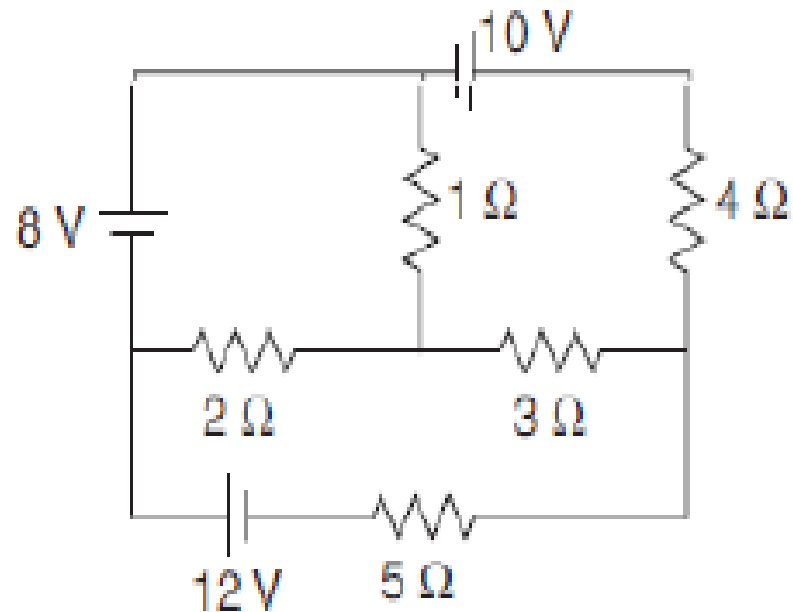
Find the current through branch BC using mesh analysis.



## Numerical Example 2

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- 1) Determine the current through  $5\Omega$  resistor using mesh analysis.



## Text Book & References

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### Text Book:

“Electrical and Electronic Technology” E. Hughes (Revised by J. Hiley, K. Brown & I.M Smith), 11<sup>th</sup> Edition, Pearson Education, 2012.

### Reference Books:

1. “Basic Electrical Engineering”, K Uma Rao, Pearson Education, 2011.
2. “Basic Electrical Engineering - Revised Edition”, D. C. Kulshreshta, Tata- McGraw-Hill, 2012.
3. “Engineering Circuit Analysis”, William Hayt Jr., Jack E. Kemmerly & Steven M. Durbin, 8<sup>th</sup> Edition, McGraw-Hill, 2012.



# THANK YOU

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