

# Faculty of Engineering & Technology Electrical & Computer Engineering Department

Machine Learning - ENCS5341 Assignment One Report

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**Section: 2** 

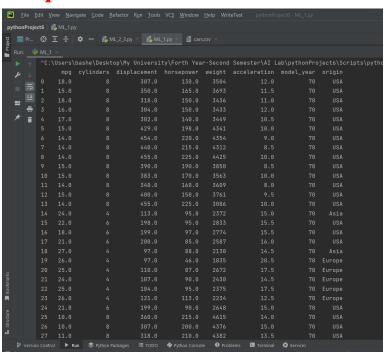
### Part 1:

#### Code:

```
import pandas as pd
contents = pd.read_csv("cars.csv")
p_int(contents.to_string())

#This is just to print the number of features and examples in the dataset
print(contents)
```

### **Output:**



and so on for the entire data.

```
"C:\Users\bashe\Desktop\My University\Forth Year-Second Semester\AI Lab\pythonProject6\Scripts\python.exe" C:\Users\bashe\pythonProject6\ML_1.py
mpg cylinders displacement ... acceleration model_year origin

8 18.0 8 307.0 ... 12.0 70 USA
1 15.0 8 350.0 ... 11.5 70 USA
2 18.0 8 304.0 ... 11.0 70 USA
4 17.0 8 302.0 ... 10.5 70 USA
5 4 17.0 8 302.0 ... 10.5 70 USA
6 3 16.0 4 140.0 ... 15.6 82 USA
8 394 44.0 4 97.0 ... 24.6 82 USA
8 395 32.0 4 135.0 ... 11.6 82 USA
8 396 28.0 4 120.0 ... 18.6 82 USA
8 397 31.0 4 119.0 ... 19.4 82 USA
8 138 rows x 8 columns

| Process finished with exit code 0
```

I just got the data from the file 'cars.csv' and converted it to a dataframe using the pandas package in python. In the first picture, I printed the entire dataframe which contains the features in the next picture. In the second one, we can notice that we have 398 samples (examples) to learn the model, and we have 7 features (8 = 7 features + the target values (mpg)).

### Part 2:

#### Code:

```
"C:\Users\bashe\Desktop\My University\Forth Year-Second Semester
For Feature mpg, number of missing values are 0
For Feature cylinders, number of missing values are 0
For Feature displacement, number of missing values are 0
For Feature horsepower, number of missing values are 6
For Feature weight, number of missing values are 0
For Feature acceleration, number of missing values are 0
For Feature model_year, number of missing values are 0
For Feature origin, number of missing values are 2

Process finished with exit code 0
```

After I read the file and converted it to a dataframe, I iterated for each feature to check if it has missing values by the assist 'isnull' method in pandas. After that, I checked the number of missing values by the 'count' method, if it is null, the answer will be true. We can notice that we have 6 missing values in horsepower and 2 in origin features.

NOTE: I know that the 'mpg' is not a feature, but I also checked it worrying if it has missing values.

### Part 3:

```
import pandas as pd

import pandas as pd

dataframe = pd.read_csv("cars.csv")

# I calculated the mode for the columns and replaced each missing value with this mode value

modes_dataframe = dataframe.mode() # returns a dataframe contains mode for each column

for mode_for_feature in modes_dataframe:

current_mode = modes_dataframe[mode_for_feature][0] # Getting the mode for each column for this dataframe

# fill the missing value with mode for this feature

dataframe[mode_for_feature] = dataframe[mode_for_feature].fillna(current_mode)

# This is just to confirm that the missing data has been completed#

for feature in dataframe:

# Series type for missing values

missing_values = pd.isnull(dataframe[feature])

# I want to convert it string type

number_of_missing_values = missing_values.to_string().count('True')

print("For Feature {}".format(feature) + ", number of missing values are {}".format(number_of_missing_values))
```

```
ML3 ×

**C:\Users\bashe\Desktop\My University\Forth Year-Second Semester\AI Lab\pythonProject6\Scripts\python.exe" C:\Users\bashe\pythonProject6\ML_3.py

For Feature mpg, number of missing values are 0

For Feature cylinders, number of missing values are 0

For Feature displacement, number of missing values are 0

For Feature weight, number of missing values are 0

For Feature weight, number of missing values are 0

For Feature model_year, number of missing values are 0

For Feature origin, number of missing values are 0

Process finished with exit code 0
```

### **Explanation:**

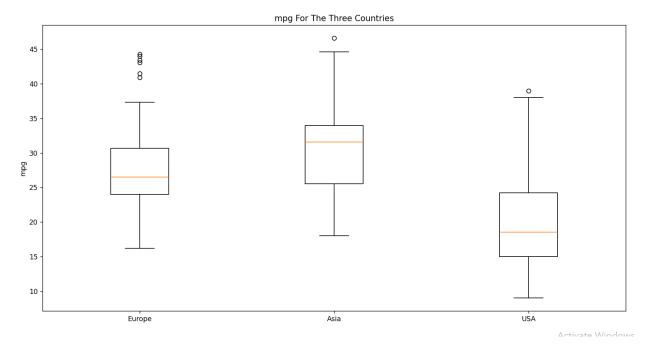
After I read the file and converted it to a dataframe, I took the mode for the entire dataframe which returns a new dataframe containing the origin features, each corresponding with its mode value. I iterated for each feature, got its mode and filled all the missing values for this feature by this mode. We noticed that the 'horsepower' and 'origin' features had missing values and I replaced them by the mode.

NOTE: I know that the 'mpg' is not a feature, but i also checked it worrying if it has missing values.

### Part 4:

### Code:

# **Output:**



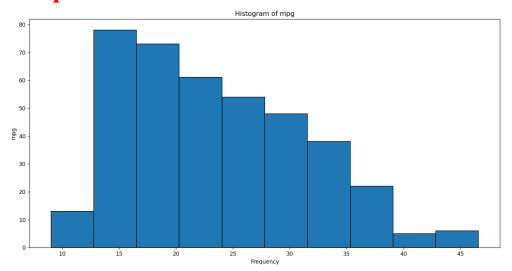
## **Explanation:**

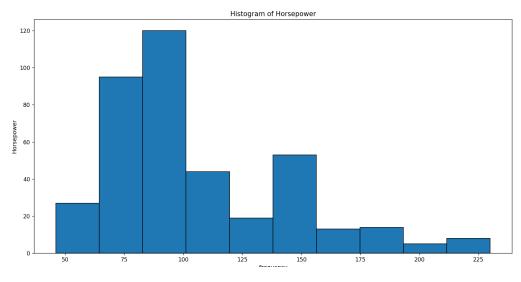
I first created a condition for each country to get three dataframes: europe, Asia and USA which contain europe, Asia and USA origin features respectively. After that I plotted the BoxPlot for each country with mpg as an output. We can notice that Asia produces cars with better fuel economy than the other countries. And this is for two reasons:

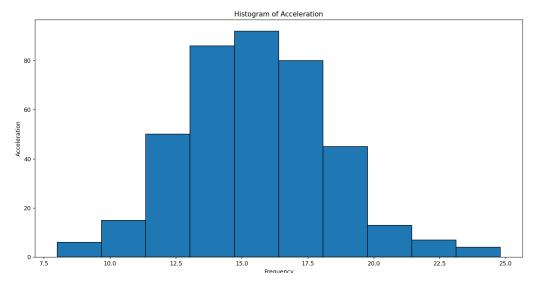
- 1- The median(which represents 50%less and 50% higher than the values) is higher than the medians for the USA and europe.
- 2-The noisy data (outlier mpg) is just one.

NOTE: The median for europe, Asia and USA respectively are: 26.5, 31.55 and 18.55 mpg.

#### Part 5:







I first plotted the histogram for features :acceleration, horsepower and mpg by the .hist method in matplotlib package in python. We can notice that the Histogram of Acceleration is the most similar to the Gaussian distribution.

### Part 6:

#### Code:

```
# I found the skewness for acceleration, horsepower and mpg features

shewness_series = dataframe[['acceleration', 'horsepower', 'mpg']].skew()

print("\n\nThe Skewness for acceleration is {}".format(skewness_series['acceleration']))

print("The Skewness for horsepower is {}".format(skewness_series['horsepower']))

print("The Skewness for mpg is {}".format(skewness_series['mpg']))
```

### **Output:**

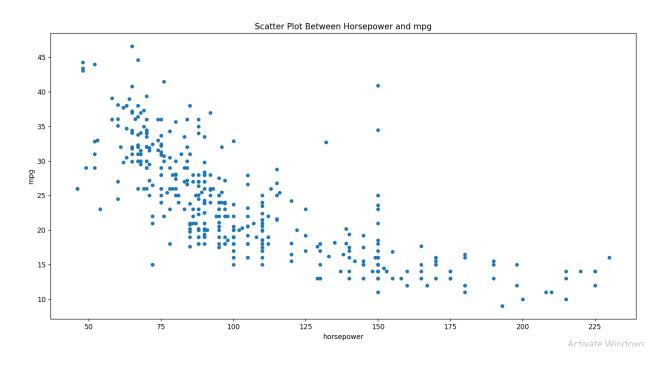
```
The Skewness for acceleration is 0.27877684462588986
The Skewness for horsepower is 1.0330029083003485
The Skewness for mpg is 0.45706634399491913
```

### **Explanation:**

I used skewness as a parameter to determine if the distribution is most similar to the gaussian distribution or not. The method .skew returns a series with the feature as an index and the skew is the value for this index. We can notice that the skewness for acceleration feature is the least value between them, and according to the relationship with skewness which calls that the smallest value to 0 is nearest to the normal distribution.

### **Part 7:**

```
# -----This is the Seventh part-----
dataframe.plot(kind='scatter', x='horsepower', y='mpg', title='Scatter Plot Between Horsepower and mpg')
plt.show()
correlation = dataframe['horsepower'].corr(dataframe['mpg'])
print("\n\nCorrelation Coefficient between mpg and horsepower features is {}".format(correlation))
```



Correlation Coefficient between mpg and horsepower features is -0.7531769820344798

### **Explanation:**

I plotted in a scatter plot the relationship between mpg (target values) and the values for the horsepower feature. We can notice that the correlation is negative, and the reason for that is when the horsepower has small values, the mpg has high values and exists Intensely and vice versa for big values of the horsepower feature.

NOTE: The value for the correlation between the horsepower feature and the mpg is -0.7, which confirms our previous speech.

### Part 8:

### Code:

```
# Create the closed form solution

# Create the predicted coupt to the target values

# Create the predicted couput

# Create the predicted couput

# Plot the scatter plot

# Plot the scatter plot

# Plot the regression line

# Plot the regression line

# Add labels and a legend

# Ligend()

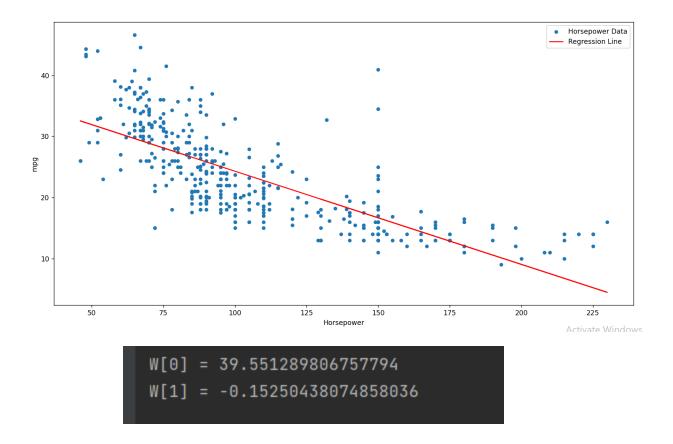
# Plt. Show()

# Create ('Morsepower')

# Plt. Show()

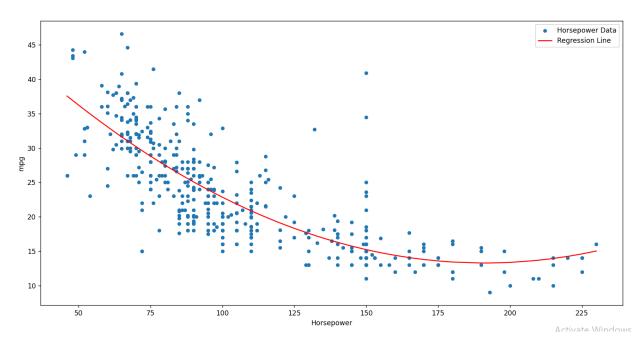
# Plt. Show()

# Plt. Show()
```



I implemented the simple linear regression for this question from scratch, and the idea for that is to use the closed form solution  $\overline{W = (X^TX)^{-1}X^TY}$ . After that I just printed the scatter plot and printed the linear line on it. We can notice that the values for the weights are in the picture.

### Part 9:



I created a new column and added it to the dataframe which contains the squared values for the 'horsepower' feature in order to create the learning from degree 2 for the following equation:  $f(X) = W0 + W1X + W2X^2$ . After that I created the closed form solution. Then, I sorted the data in order to get one plot and printed the scatter plot and the polynomial graph. We can notice that the line is the same as  $X^2$  and the values for the weights are in the next picture.

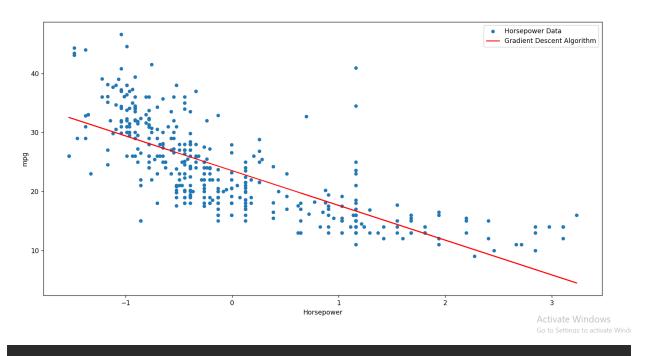
### **Part 10:**

```
def get_cost(scaled_values_for_X0, scaled_values_for_horsepower, target_values, n, W):
    cost = 0
    for i in range(n):
        f_x = W[0] * scaled_values_for_X0[i] + W[1] * scaled_values_for_horsepower[i]
        cost = cost + (f_x - target_values[i]) ** 2
    cost = cost / n
    return cost

# Prepare the data
# I made a scaling by Z-score for the values to converge faster to the weights
mean = dataframe['horsepower'].mean()
std = dataframe['horsepower'].std()
dataframe['horsepower'] = (dataframe['horsepower'] - mean) / std

scaled_values_for_X0 = dataframe['X0'].values
scaled_values_for_horsepower = dataframe['horsepower'].values
target_values = dataframe['mpg'].values

W = [5, 3] # initial weights
alpha = 0.1 # Learning rate
n = 398 # Number of examples
prev_cost = get_cost(scaled_values_for_X0, scaled_values_for_horsepower, target_values, n, W)
```



By the Gradient Descent ----> W[0] = 23.514571866017814, W[1] = -5.886818973883748

### **Explanation:**

I first implemented the cost (mean square error) in the function get\_cost(). I did the normalization for the 'horsepower' feature, created the initial points (W, alpha). I iterated for ever until the error difference between the consecutive iterations is less than  $<10^{-12}$ , (in the loop I calculated the gradients and found the parameters W for the following formula:

$$\widehat{w}_i^{(t+1)} = \widehat{w}_i^{(t)} - \alpha \frac{2}{n} \sum_{i=1}^n \left( f(\mathbf{x}_i) - y_i \right) \text{ xij}$$
 ). We notice that the gradient descent algorithm graph is almost the same for the linear regression case. The values for W and the graph are in the pictures.