

## Question 1b

Stock price (S):	\$40
Strike price (K):	\$45
Time (t):	4 months; $4/12 = 0.33$
Risk-free rate (r):	3%/year; $3/100 = 0.03$
Mean return:	7%/year
Standard deviation ( $\sigma$ ):	40%/year; $40/100 = 0.4$
Call-price (C):	?

Black-Scholes call option pricing formula:

$$C = S_t N(d_1) - K e^{-rt} N(d_2) \quad \text{Equation I}$$

Where,

$$d_1 = \frac{\log_e \frac{S}{K} + (r + \frac{\sigma^2}{2})t}{\sigma \sqrt{t}} \quad \text{Equation II}$$

$$d_2 = d_1 - \sigma \sqrt{t} \quad \text{Equation III}$$

$$d_1 = \frac{\log_e \frac{40}{45} + (0.03 + \frac{0.4^2}{2})0.3333}{0.4\sqrt{0.33}}$$

$$d_1 = \frac{-0.1177 + 0.0366}{0.2309}$$

$$d_1 = \frac{-0.0811}{0.2309}$$

Therefore,  $d_1 = -0.3512$

and,  $d_2 = -0.3512 - 0.4\sqrt{0.3333}$

$$d_2 = -0.3512 - 0.2309$$

$$d_2 = -0.5821$$

$$d_1 = -0.3512 \text{ and } d_2 = -0.5821$$

From the Normal Distribution Table,

$$N(d_1) = 0.3627$$

$$N(d_2) = 0.2802$$

Recall Black-Scholes call price formula from equation (i)

$$C = 40(0.3627) - 45e^{-0.03 \cdot 0.3333}(0.2802)$$

$$C = 14.508 - 44.5522(0.2802)$$

$$C = 14.508 - 12.4835$$

$$C = 2.0245$$

Therefore, the call price is approximately **2.02**