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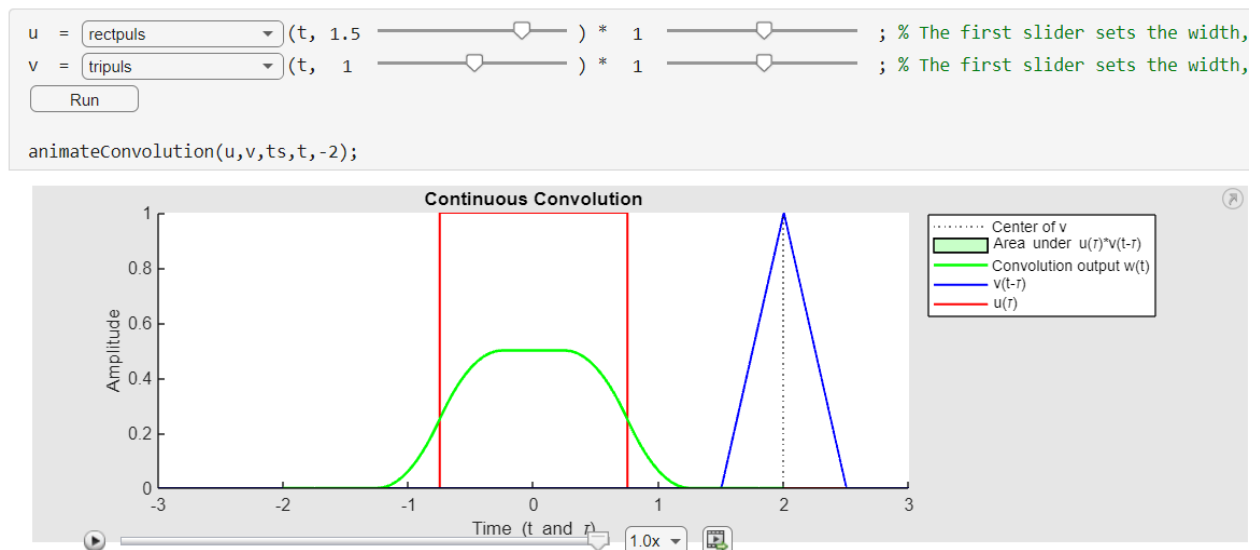
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## SNS lab 05

Try 1:

1. Change  $u$  to a rectangular pulse of width 1.5 and amplitude 1.



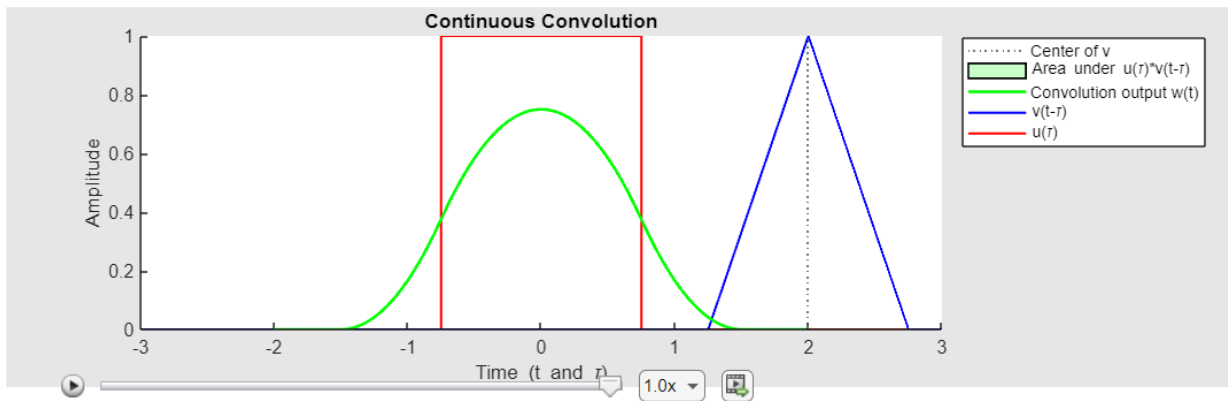
2. Change  $v$  to a triangular pulse of width 1.5 and amplitude 1.

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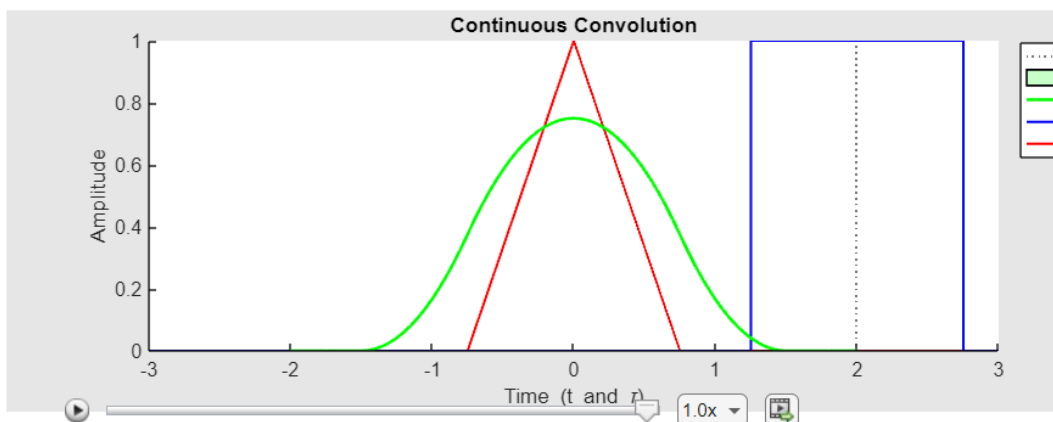
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```
u = rectpuls(t, 1.5) * 1 ; % The first slider sets the
v = tripuls(t, 1.5) * 1 ; % The first slider sets the
Run
animateConvolution(u,v,ts,t,-2);
```



1. Swap the  $u$  and  $v$  signal settings.

```
v = rectpuls(t, 1.5) * 1 ; % The t
u = tripuls(t, 1.5) * 1 ; % The t
Run
animateConvolution(u,v,ts,t,-2);
```

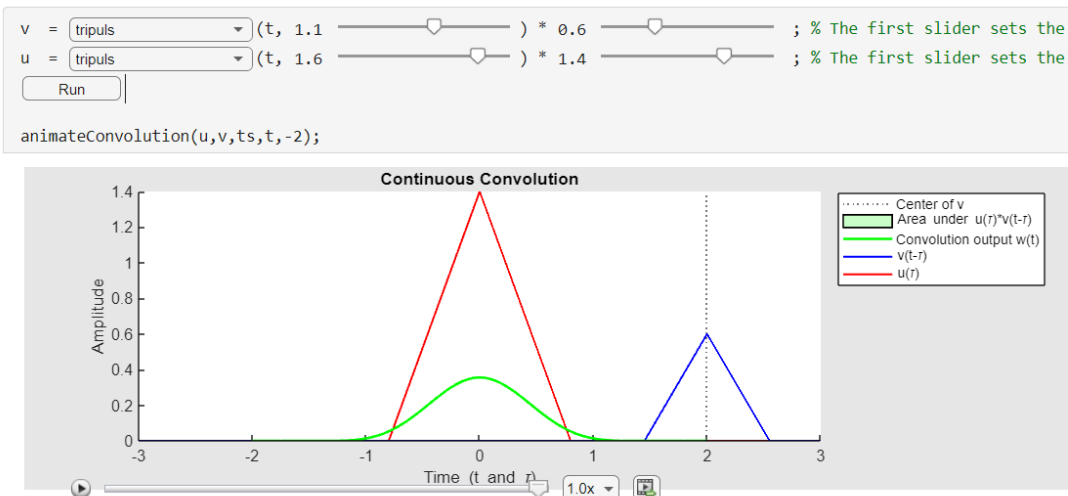


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1. Set  $u$  and  $v$  both to triangular pulse with different widths and amplitudes.



- Does the order of inputs matter? Is convolution commutative?

The order of inputs doesn't matter, we see that by interchanging two signals  $u$  and  $v$ . First we did in  $uv$  order and then in  $vu$  order but in the end the output of convolution was the same in both cases. Hence convolution is commutative.

- Describe your general observations about the convolution output  $w$  compared to the inputs  $u$  and  $v$ ?

The convolution output shows that how much area are we getting when both the graphs are overlapping. Simply, the area under the intersection of the graphs as one of the graphs is shifting horizontally is determined by the convolution operation.

## task 2:

How is the length of convolution output related to the length  $L$  of the two input signals?


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```
figure("Position",[0 0 1200 350], "Color", [0.9 0.9 0.9]);

L = 150; % length of input sequences u and v. Keep it odd for simplicity
n = -(L-1)/2:(L-1)/2; % X axis data for the signals

u = (n, 80  );
stem(n,u,"r.")
```

We use the conv function to convolve two vectors i

```
w =  ;
disp("Output length = " + length(w))
```

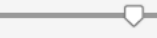
Output length = 299

The output length of the convolution sum is almost equal to the sum of individual inputs, the individual inputs in this case have equal lengths so the output signal has almost the double of the lengths of the individual inputs. The length of individual inputs is 151 ( $150 + 1$ ) and the length of the output is about 299 ( $300 - 1$ ).

What do you think will happen if the input sequences had different lengths? say, M and N, instead of L

```
figure("Position",[0 0 1200 350], "Color", [0.9 0.9 0.9]);

L = 150; % length of input sequences u and v. Keep it odd for simplicity
n = -(L-1)/2:(L-1)/2; % X axis data for the signals

u = (n, 80  );
stem(n,u,"r.")
```

```
L=120;
n = -(L-1)/2:(L-1)/2;
v = (n, 90  );
stem(n,v,"b.")
```

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We use the `conv` function to convolve two vectors in MATLAB.

```
w = conv(u, v);  
disp("Output length = " + length(w))
```

Output length = 269

In the case when the inputs are of different lengths, the length of the convolution is the sum of the lengths of the inputs-1, in the case when the length of one input is 150 and other is 120 then the length of the convolution output is 269 (150+120-1) or  $m+n-1$ .

Task 3:

```
% Defining time index  
clear all;  
n = -20:0.1:20  
  
% Generating the signal x[n] = z[n] + noise[n]  
z = sin(0.3142 * n);  
noise = rand(size(z));  
xn = z + noise;
```

```
% (a) Moving average filter on x[n]  
y1 = movmean(xn, 5);
```

```
% (b) Impulse response  
h = (n==0) % Unit impulse at n=0  
hn=movmean(h, 5);  
  
% (c) Convolution  
y2 = conv(xn, hn, "same");
```

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```
%y2 = y2(1:length(xn));  
  
% Plotting  
  
figure;  
  
subplot(2, 2, 1);  
  
plot(n, xn);  
  
title("Plot of x[n]");  
  
xlabel("time");  
  
ylabel("Amplitude");
```

```
subplot(2, 2, 2);  
  
plot(n, y1);  
  
title("Plot of y1[n]");  
  
xlabel("time");  
  
ylabel("Amplitude");
```

```
subplot(2, 2, 3);  
  
plot(n, hn);  
  
title("Plot of h[n]");  
  
xlabel("time");  
  
ylabel("Amplitude");
```

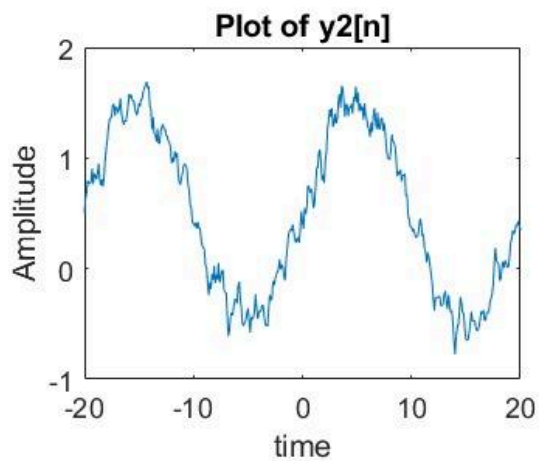
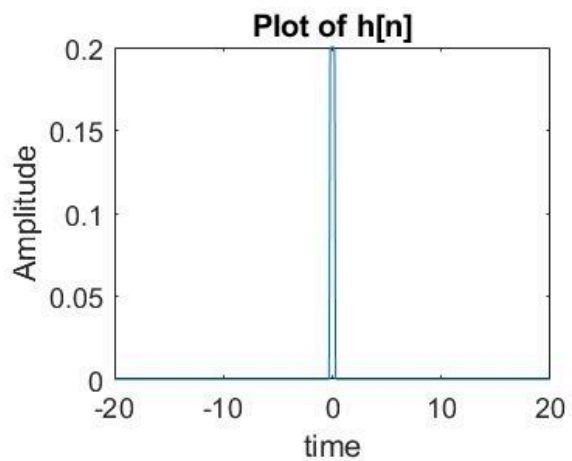
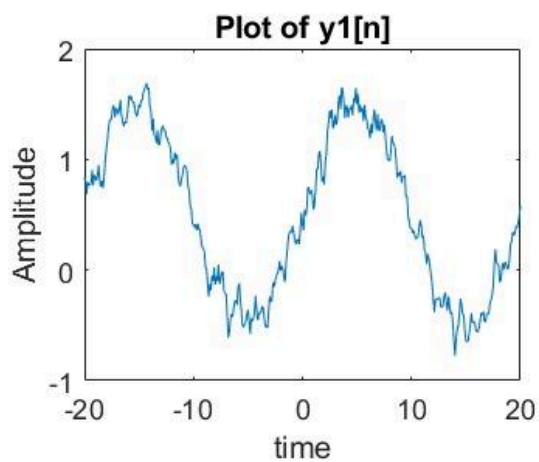
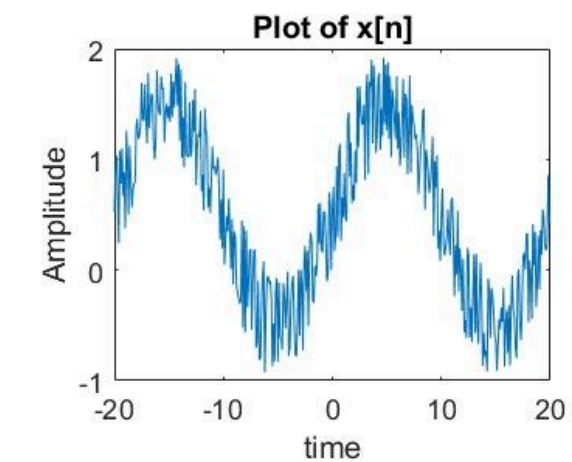
```
subplot(2, 2, 4);  
  
plot(n, y2);  
  
title("Plot of y2[n]");  
  
xlabel("time");  
  
ylabel("Amplitude");
```

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Output:



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#### Task 4:

⇒ Moving Average filter is linear

$$\begin{aligned}y[n] &= \frac{1}{N} \sum_{k=0}^n (a u_1[k] + b u_2[k]) h[n-k] \\&= \frac{1}{N} \sum_{k=0}^n a u_1[k] h[n-k] + \frac{1}{N} \sum_{k=0}^n b u_2[k] h[n-k] \\&= \frac{a}{N} \sum_{k=0}^n u_1[k] h[n-k] + \frac{b}{N} \sum_{k=0}^n u_2[k] h[n-k] \\&= a y_1[n] + b y_2[n] \rightarrow \text{hence Proved}\end{aligned}$$

⇒ Moving average filter is time invariant:

$$u[n-m] \rightarrow y_0[n] = \frac{1}{N} \sum_{k=l-N+1}^l u[k-m]$$

By Substitution

$$l=k, \quad p=k-m$$

$$y_0[k] = \frac{1}{N} \sum_{p=k-m-N+1}^{k-m} u[p]$$

$$u(n-m) \rightarrow y_0[n] = y[n-m] \\ \hookrightarrow \text{hence Proved}$$



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Task 5:

```
% Load the impulse response and ringtone
[h, Fh] = audioread("1st_baptist_nashville_balcony.wav");
[x, Fx] = audioread('ringtone.wav');

% Display sizes of impulse response and ringtone
disp(size(h));
disp(size(x));

% Play the impulse response
sound(h, Fh);
pause(length(h) / Fh);

% Play the ringtone
sound(x, Fx);
pause(length(x) / Fx);

% Extract channels from the impulse response
h1 = h(:, 1);
h2 = h(:, 2);

% Convolve each channel with the ringtone
z1 = conv(h1, x, 'same');
z2 = conv(h2, x, 'same');

% Concatenate the outputs
y3 = [z1, z2];

% Play the resulting sound
sound(y3, Fx);

% Plot the audio signals
```

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```
figure;
subplot(3,1,1); plot(h);
subplot(3,1,2); plot(x);
subplot(3,1,3); plot(y3);
% Play the ringtone again
[s, Fh] = audioread("ringtone.wav");
sound(s, Fh);
% Extract the first channel from the ringtone
s1 = s(:, 1);
% Convolve the first channel with itself
z3 = conv(s1, s, 'same');
% Concatenate the output (as only one channel is available)
y4 = [z3];
% Play the resulting sound
sound(y4, Fx);
% Display sizes of ringtone and convolved output
disp(size(s));
disp(size(y4));
% Pause for the duration of the ringtone
pause(length(s) / Fh);
% Pause for the duration of the convolved output
pause(length(y4) / Fx);
```

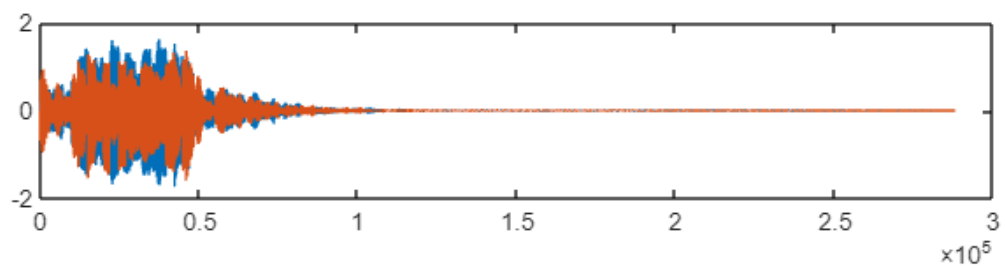
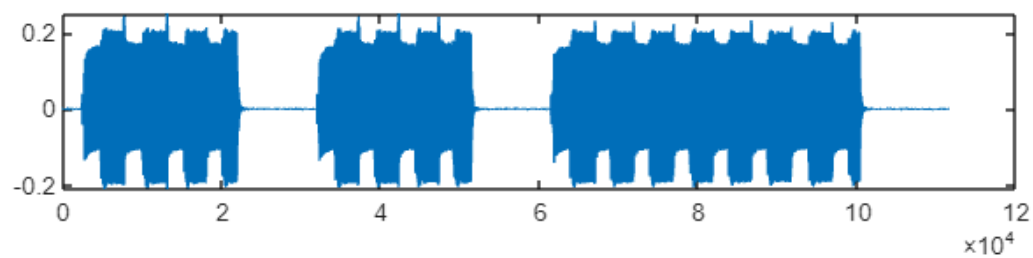
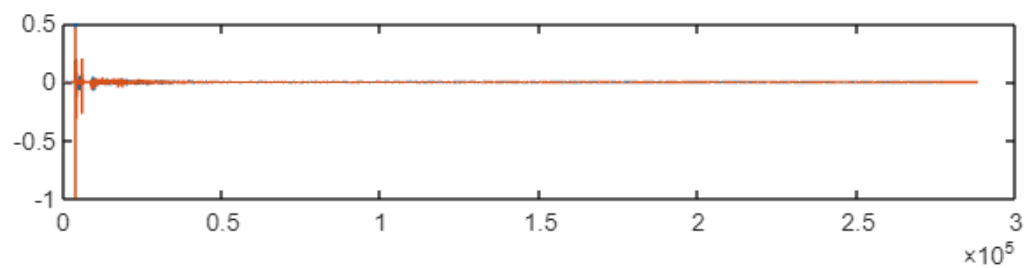
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Output:

288000	2
111616	1



Last plot shows us reverberated sound signal.

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Task 6:

```
function w = discrete_convolution(u, v)
```

```
    %lengths and total length of convolution
```

```
    len1 = length(u);
```

```
    len2 = length(v);
```

```
    total = len1 + len2 - 1;
```

```
    % Reversing the signal v here
```

```
    reversed_v = zeros(1, len2);
```

```
    for a = 1:len2
```

```
        reversed_v(a) = v(len2 - a + 1);
```

```
    end
```

```
    % changing the new signal hnew to match the length for convolution
```

```
    hnew = [zeros(1, len2 - 1), reversed_v, zeros(1, len2 - 1)];
```

```
    newL = length(hnew);
```

```
    % Initializing output vector for convolution result
```

```
    w = zeros(1, total);
```

```
    % Sliding the reversed signal over the u signal and calculating convolution
```

```
    for b = 1:total
```

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```
% this is Convolution sum  
convolution_sum = 0;  
for c = 1:len1  
    convolution_sum = convolution_sum + (u(c) * hnew(b + len1 - c));  
end  
% output vector which will contain the convolution result  
w(b) = convolution_sum;  
end  
end
```