

2025-2 IMEN891M – Financial BigData Analysis

Proposal Presentation



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Background

- High dimensional data analysis is essential, yet poses significant challenges in modern econometrics.
- Classic mean-variance **Markowitz portfolio theory** often fails into higher dimension of data due to unstable covariance estimation, omitted network dependencies and the curse of dimensionality.
- To address these challenges, various methodologies has before been proposed, a few important ones are:

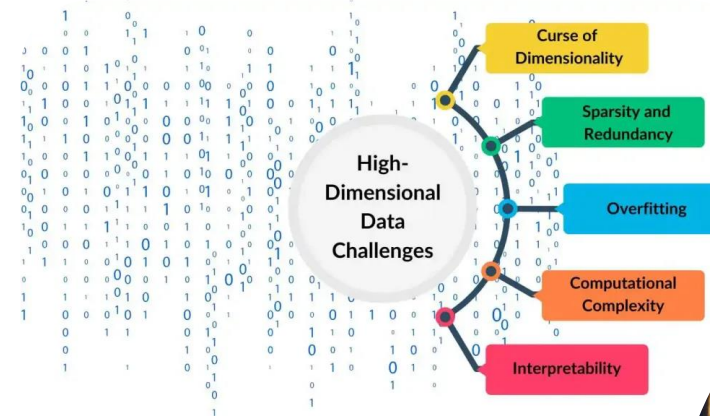


Image Source: Van Otten, Neri; Spotintelligence.com

POET - High dimensional covariance estimation (Fan, Liao & Mincheva, 2013)

- By applying **factor models** and **sparsity** in the residual covariance matrix, it efficiently estimates **high-dimensional covariance matrices**.

SAR - Spatial Autoregression (Cliff & Ord, 1981; Baltegi et al., 2014)

- Model that **captures dependencies** structures across assets and markets.

LASSO - Regularized regression (Tibshirani, 1996)

- Imposes **sparsity on portfolio weights**, which improves stability in portfolio optimization in high dimensions.



Image Source: OpenAI

Therefore we integrate these High-Dimensional Methods for Robust Portfolio Construction

Step 1 : Macro-Factor Selection via LASSO

- We consider a large set of potential macroeconomic and market predictors (e.g., interest rates, exchange rates, volatility indices, credit spreads, commodity benchmarks).

LASSO - Regularized regression (Tibshirani, 1996)

- To avoid overfitting and spurious correlations, we apply LASSO regression : $\hat{\beta} = \arg \min_{\beta} \|y - X\beta\|_2^2 + \lambda \|\beta\|_1$ where y is the asset return or factor proxy, and X is the predictor matrix.
- LASSO selects a sparse subset of variables, forming the observed macro-finance block f_t^{Macro} .

Step 2 : Covariance Estimation via POET

- To obtain a stable and interpretable covariance matrix in high dimensions, we use POET estimator.

POET - High dimensional covariance estimation (Fan, Liao & Mincheva, 2013)

The p -dimensional excess returns R_t are modeled as :

$$R_t = Bf_t + u_t$$

where $f_t = (f_t^{Macro}, f_t^{Latent})$ includes both selected macro factors and latent statistical factors.

The covariance decomposes as :

$$\Sigma = B\Sigma_f B^T + \Sigma_u$$

We estimate this via the **POET estimator** :

$$\hat{\Sigma}_{POET} = \hat{\Sigma}_{Factor} + \mathcal{T}_{\omega}(\hat{\Sigma}_u)$$

where $\hat{\Sigma}_{Factor}$ is obtained by PCA on residual returns (after macro-factors) and \mathcal{T}_{ω} applies adaptive thresholding to enforce sparsity in $\hat{\Sigma}_u$.

Step 3 : Residual Network Dependence via Spatial AR

- While POET assumes sparsity in the idiosyncratic covariance Σ_u , empirical evidence suggests that **idiosyncratic shocks may propagate via network spillovers** (e.g. financial contagion, sectoral interdependence).

SAR - Spatial Autoregression (Cliff & Ord, 1981; Baltegi et al., 2014)

We model this via a **Spatial AR** process :

$$u_t = \rho W u_t + \epsilon_t$$

where W is a pre-specified or estimated spatial weight matrix (e.g., correlation-based, geographic, or sectoral linkage).

This step allows us to go beyond unstructured sparsity and capture structured dependencies among residuals.

Step 4 : Portfolio Optimization

- With the integrated covariance estimator $\hat{\Sigma}_{Integrated}$ combining POET and SAR adjustments, and with expected returns $\hat{\mu}$ informed by LASSO-selected macro predictors, we construct portfolios:
- Global Minimum Variance (GMV) : $w_{GMV} = \frac{\hat{\Sigma}^{-1} \mathbf{1}}{\mathbf{1}^T \hat{\Sigma}^{-1} \mathbf{1}}$
- Mean-Variance Optimal Portfolio : $w_{MV} = \frac{\hat{\Sigma}^{-1} \hat{\mu}}{\mathbf{1}^T \hat{\Sigma}^{-1} \hat{\mu}}$
- Risk Budgeting Portfolio : Equalizing marginal contributions to risk subject to l_1 gross-exposure constraints.

DATA SELECTION

- We employ a cross-asset dataset (2015.01.01 - 2024.12.31) spanning approximately 70~80 series. (Data Source : [investing.com](https://www.investing.com) , [Yahoo Finance](https://finance.yahoo.com), etc.)

Equities

- Global indices (S&P 500 and it's sectoral indices, MSCI World, Major regional stock indexes like Nikkei, KOSPI etc...)

Fixed Income

- U.S. Treasury yields, corporate bond spreads

Commodities

- Gold, Oil(Brent, WTI), industrial metals, agricultural futures

Currencies

- USDKRW, JPYKRW, EURKRW, CNYKRW

Others

- Bitcoin (Cryptocurrencies)
- VIX(Volatility Measures)
- Macro indicator proxies (ex. CPI)

DATA PREPROCESSING

Frequency Harmonization



Return Computation



Stationarity Testing



Standardization

IMPLEMENTATION METHOD

Step 1. Data Preprocessing



Step 2. Macro factor Selection with LASSO



Step 3. Combine macro factors with PCA-based latent factors in POET



Step 4. Modeling about residuals with Spatial AR (using correlation-based network matrices)



Step 5. Optimize Portfolio with Model

Methodological Integration

- Integrating LASSO, SAR and POET into one **unified framework**.
- Accounts for **factor structure**, **network dependence** and **predictor selection** in high-dimensional financial data.

Pedagogical Value

- Directly connects central concepts in Financial Big Data like **high-dimensional regression**, **factor models**, **sparsity** and **network econometrics**.

Financial Implications

- The framework is expected to give **Portfolio Stability** through more stable asset allocations under various gross-exposure constraints.
- Enhances **Tail-Risk Management**, by improving VaR and Expected Shortfall estimations during crises.
- Focuses on **Cross-Asset diversification**, by capturing contagion and cross market linkages.