

# GENERATION OF OPTIMIZED CAR SHAPES FOR AERODYNAMICS USING NEURAL NETWORKS

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## INTRODUCTION

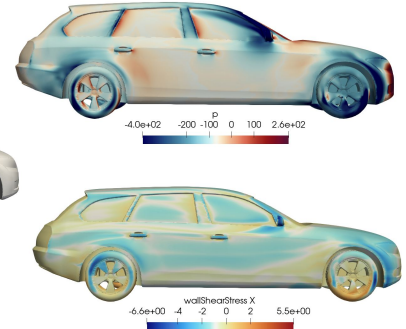
Reducing vehicle aerodynamic drag is crucial to lower greenhouse gas emissions. However, conventional shape optimization methods are time-consuming and computationally expensive.

In this work, we introduce GenNet, a deep learning model based on an autoencoder that simultaneously predicts vehicle drag coefficients and enables the rapid generation of optimized shapes through interpolation in the latent space.

Computational Fluid Dynamics (CFD) simulations using OpenFoam:

- Pressure Field
- Shear Stress Field

## METHODS



DrivAerNet++<sup>1</sup>

$$C_d = \frac{F_d}{\frac{1}{2} \rho U^2 A}$$

$$F_d = - \int_{\partial\Omega} p \mathbf{n} \cdot \mathbf{e}_x dS + \int_{\partial\Omega} \tau \mathbf{n} \cdot \mathbf{e}_x dS$$

Signed Distance computation from the centered and normalized mesh of each vehicle using 250,000 sampling points

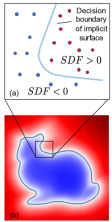
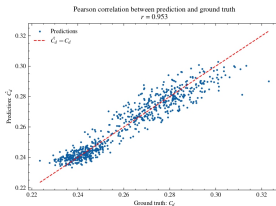


Image from Park et al., DeepSDF, 2019<sup>2</sup>

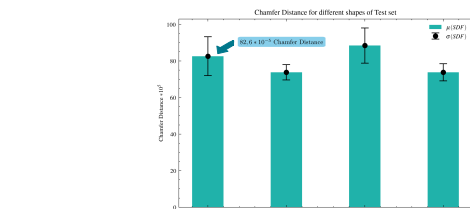
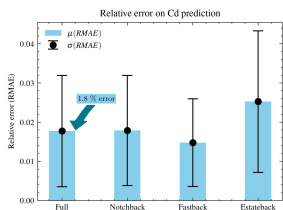
$$SDF(x_i, \partial\Omega) = \begin{cases} -\text{dist}(x_i, \partial\Omega) & \text{if } x_i \in \Omega \\ +\text{dist}(x_i, \partial\Omega) & \text{if } x_i \notin \Omega \end{cases}$$

## RESULTS

$$MRAE = \frac{1}{N} \sum_{i=1}^N \frac{|C_d^{(i)} - \hat{C}_d^{(i)}|}{|C_d^{(i)}|}$$



$$r = \frac{\text{Cov}(C_d, \hat{C}_d)}{\sigma_{C_d} \cdot \sigma_{\hat{C}_d}}$$



Method	CD × 10 <sup>2</sup> (mean)	Pred. C <sub>d</sub> ?	nSP	Benchmark
OGN	0.167	✗	-	ShapeNet, ModelNet40
AtlasNet-Spl.	0.210	✗	-	ShapeNet
AtlasNet-25	0.157	✗	-	ShapeNet
DeepSDF	0.084	✗	500k	ShapeNet, FAUST
GenNet (Ours)	0.826	✓	250k	DrivAerNet++

$$\text{Chamfer}(P, Q) = \frac{1}{|P|} \sum_{p \in P} \min_{q \in Q} \|p - q\|_2 + \frac{1}{|Q|} \sum_{q \in Q} \min_{p \in P} \|q - p\|_2$$

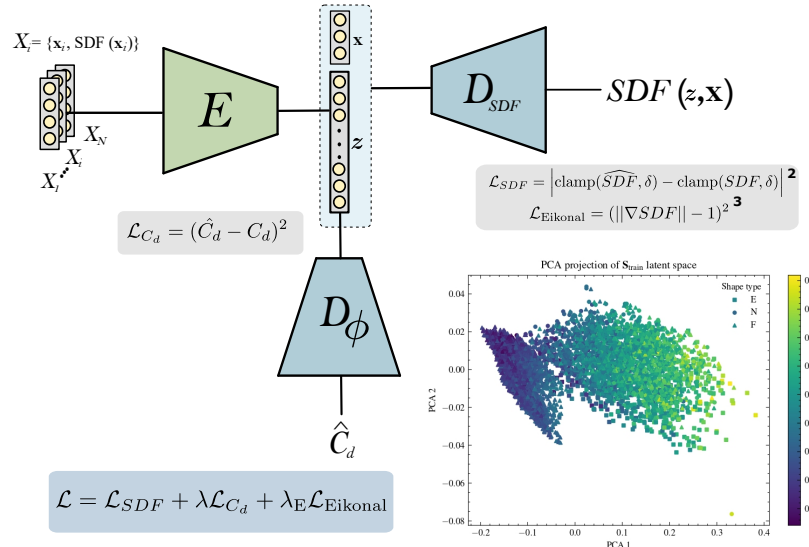
## References

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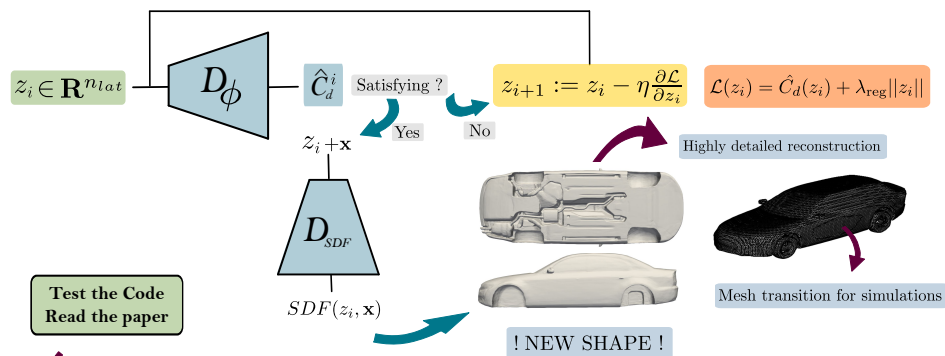


## MODEL

Two-head autoencoder:<sup>4</sup> The encoder (E) maps the geometry of a vehicle into a latent vector  $z_{lat}$ . The physics decoder ( $D_\phi$ ) predicts the drag coefficient  $C_d$ . The SDF decoder ( $D_{SDF}$ ) predicts the Signed Distance Function (SDF) associated with a point in space  $x$  and the latent vector.



## MODEL INFERENCE AND OPTIMIZATION



Test the Code  
Read the paper

! NEW SHAPE !

## CONCLUSION

GenNet enables rapid generation of aerodynamic car shapes via implicit representation and drag coefficient prediction. Scaling to larger datasets could lead to real-world design tools for energy-efficient vehicle shapes.