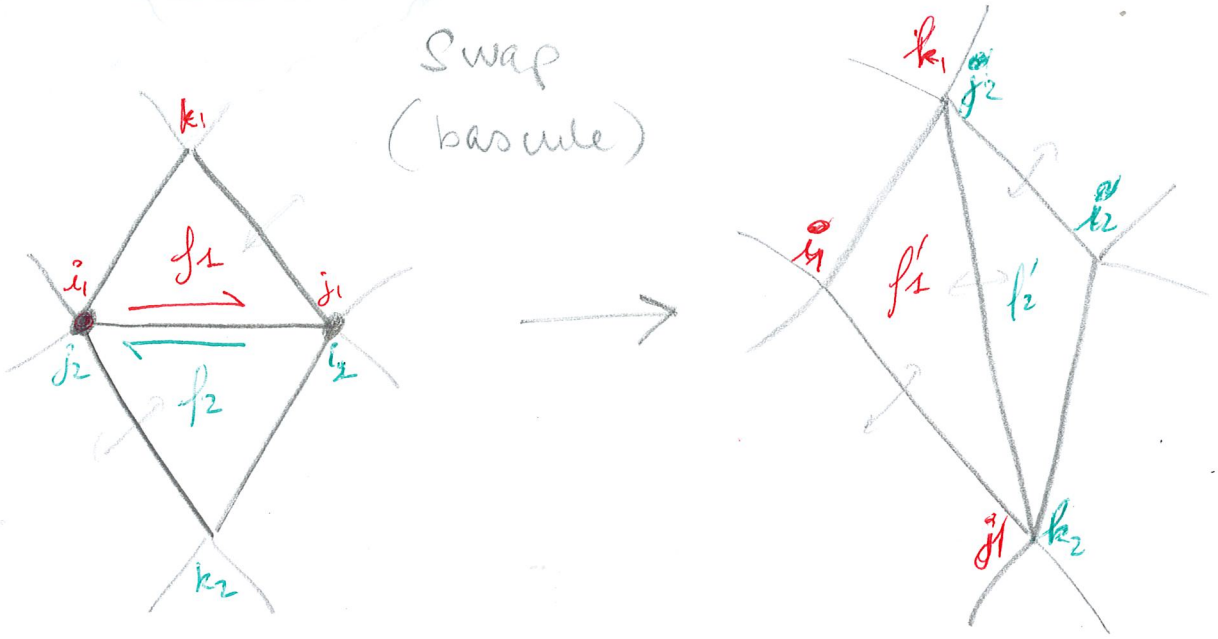
Swap
(bascule)



- $tri'(j_{\overset{2}{1}}, f_{\overset{2}{1}}) = tri(k_{\overset{1}{2}}, f_{\overset{1}{2}})$ (opposite vertex)

- "interior twins"
  $twin'(j_{\overset{2}{1}}, f_{\overset{2}{1}}) = [j_{\overset{1}{2}}, f_{\overset{1}{2}}]$

- "diagonal twins"
  $twin'(i_{\overset{2}{1}}, f_{\overset{2}{1}}) = twin(j_{\overset{1}{2}}, f_{\overset{1}{2}})$ (twin_j)

  et, si $twin(j_{\overset{1}{2}}, f_{\overset{1}{2}}) > 0$, alors $twin'(twin(j_{\overset{1}{2}}, f_{\overset{1}{2}})) = [i_{\overset{1}{2}}, f_{\overset{1}{2}}]$

- si $v2h(\underset{(\#face)}{2}, tri(i_{\overset{1}{2}}, f_{\overset{1}{2}})) == f_2$ alors $v2h(2, tri(i_{\overset{1}{2}}, f_{\overset{1}{2}})) = [i_{\overset{1}{2}}, f_{\overset{1}{2}}]$

ONERA