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**Algorithm 1**  $\overline{MMPC}$  Algorithm

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1: procedure  $\overline{MMPC}$  ( $T, \mathcal{D}$ )  
   Input: target variable  $T$ ; data  $\mathcal{D}$   
   Output: the parents and children of  $T$  in any Bayesian  
   network faithfully representing the data distribution  
   %Phase I: Forward  
2:   CPC =  $\emptyset$   
3:   repeat  
4:      $\langle F, assocF \rangle = \text{MaxMinHeuristic}(T; \mathbf{CPC})$   
5:     if  $assocF \neq 0$  then  
6:       CPC = CPC  $\cup F$   
7:     end if  
8:   until CPC has not changed  
  
   %Phase II: Backward  
9:   for all  $X \in \mathbf{CPC}$  do  
10:    if  $\exists \mathbf{S} \subseteq \mathbf{CPC}$ , s.t.  $Ind(X; T | \mathbf{S})$  then  
11:      CPC = CPC  $\setminus \{X\}$   
12:    end if  
13:  end for  
  
14:  return CPC  
15: end procedure  
  
16: procedure  $\text{MAXMINHEURISTIC}(T, \mathbf{CPC})$   
   Input: target variable  $T$ ; subset of variables CPC  
   Output: the maximum over all variables of the minimum asso-  
   ciation with  $T$  relative to CPC, and the variable that achieves  
   the maximum  
17:    $assocF = \max_{X \in \mathcal{V}} \text{MinAssoc}(X; T | \mathbf{CPC})$   
18:    $F = \arg \max_{X \in \mathcal{V}} \text{MinAssoc}(X; T | \mathbf{CPC})$   
19:   return  $\langle F, assocF \rangle$   
20: end procedure
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