

Principle Component Analysis & Mosquitos

Eve198

Week 8

Maddie Armstrong & Rachael Bay



Current Biology

Climate and Urbanization Drive Mosquito Preference for Humans

Highlights

- African populations of *Ae. aegypti* vary in preference for human versus animal odor

Authors

Noah H. Rose, Massamba Sylla, Athanase Badolo, ..., Bradley J. White, Jacob E. Crawford, Carolyn S. McBride



Collected mosquito eggs with ovitraps
Hatched eggs in lab for human preference experiments

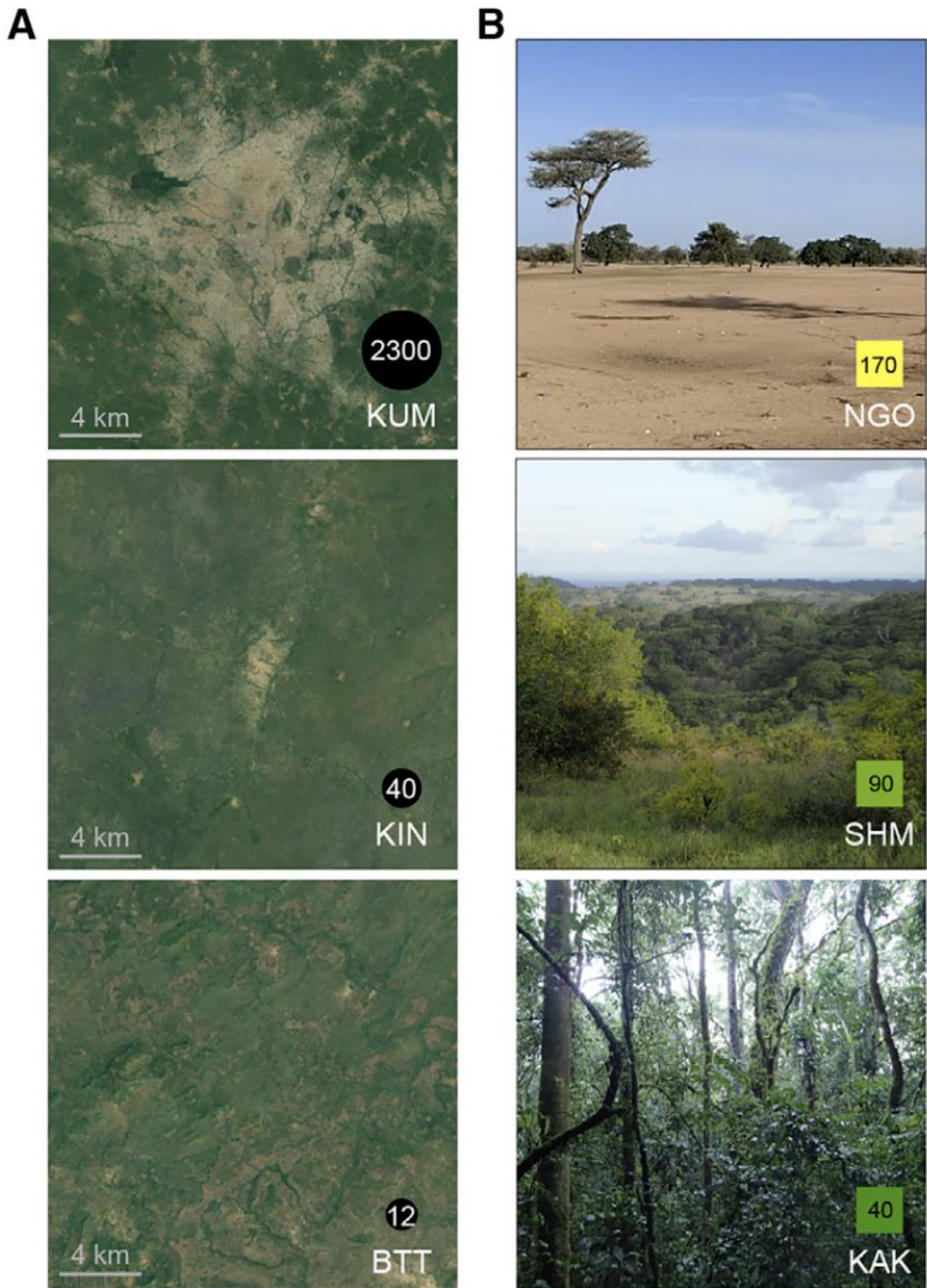
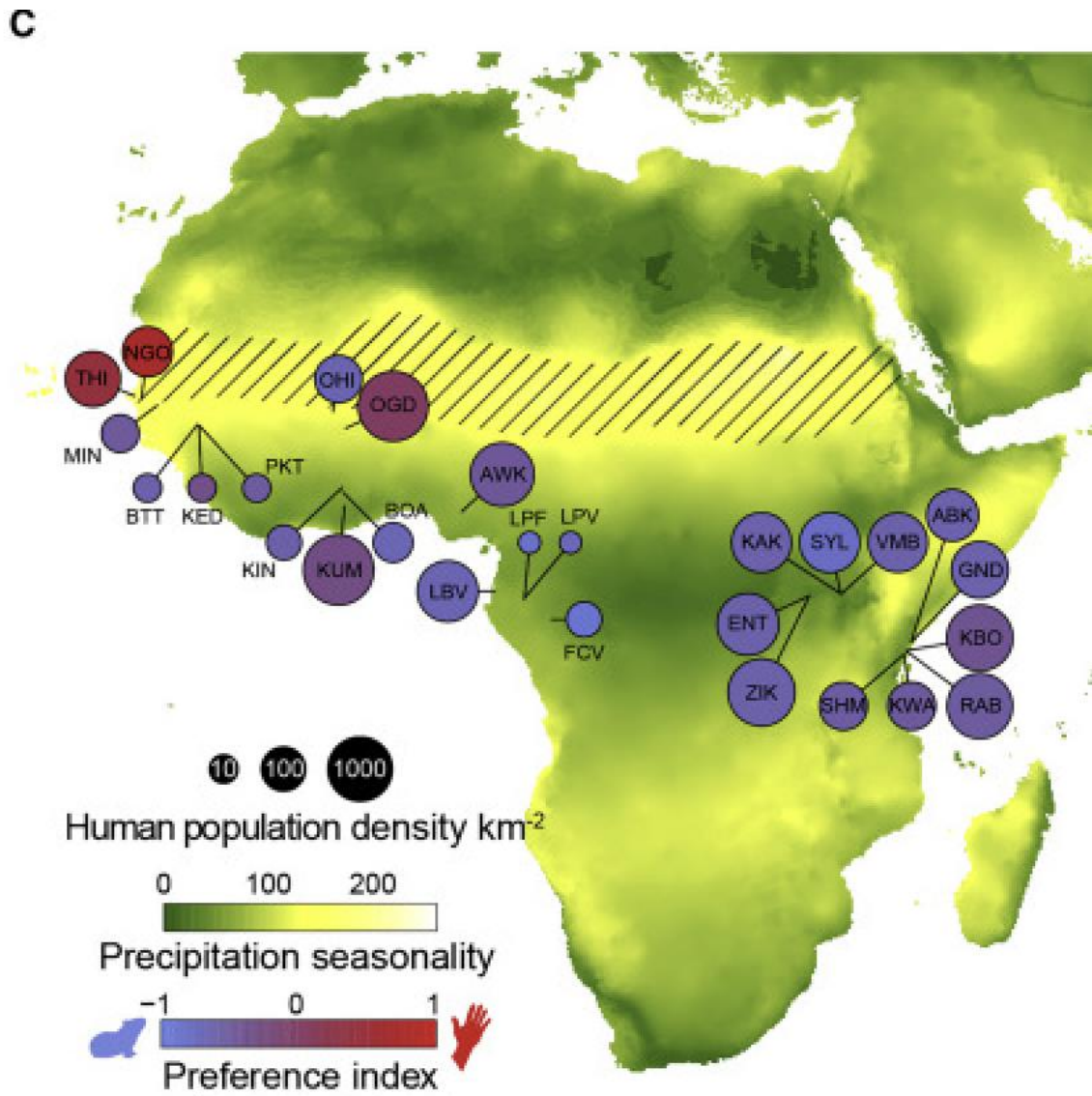


Fig 1: Preference for human odor varies widely in *Aedes aegypti* mosquitos across Africa

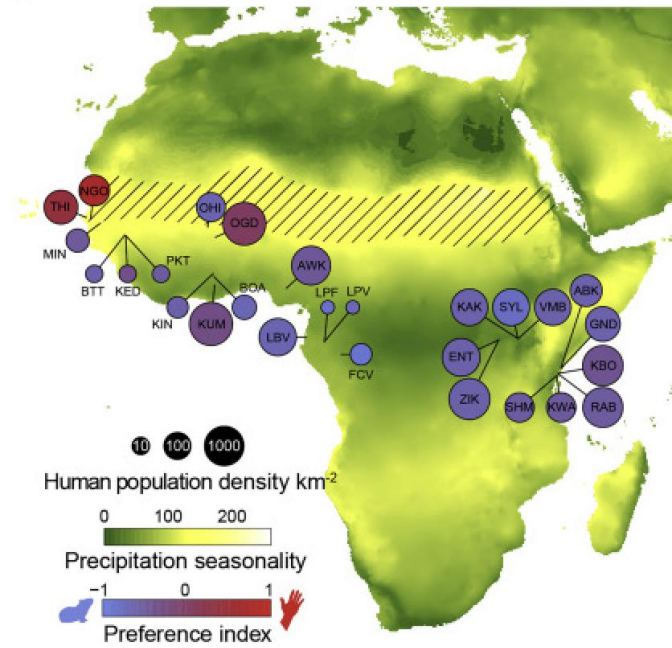
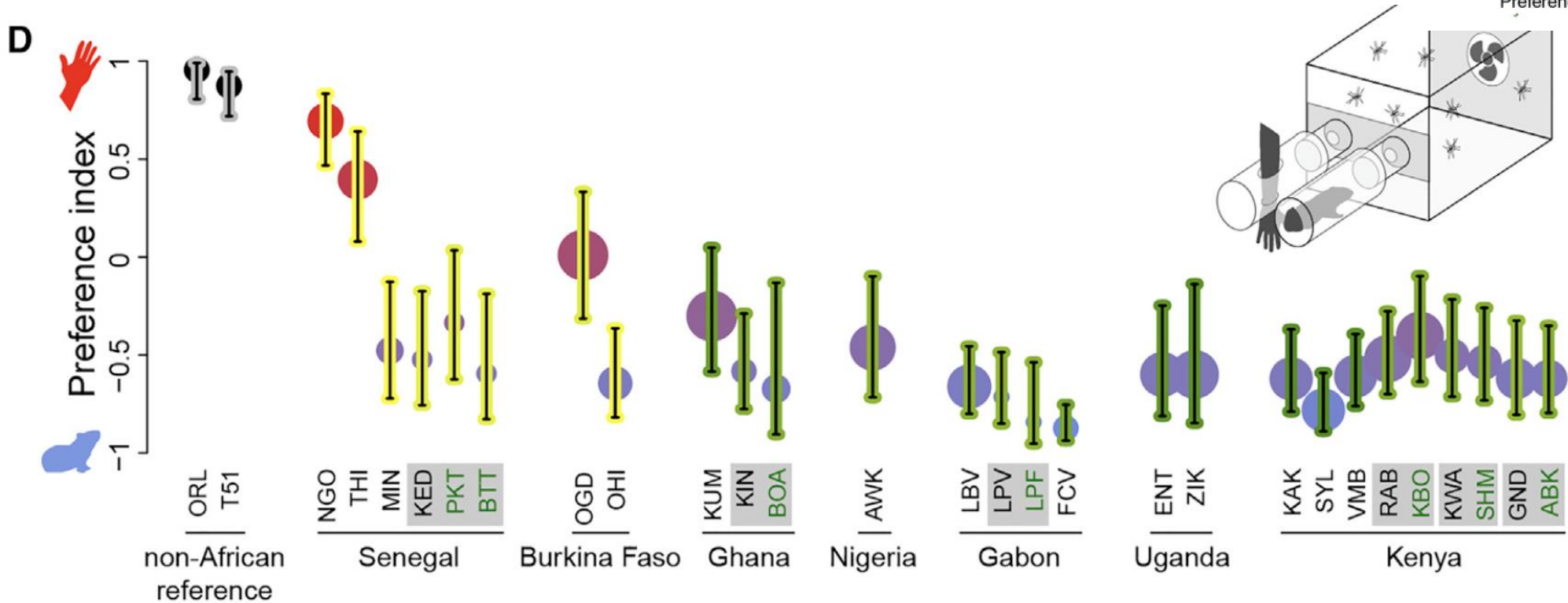


Fig 2: Human Population Density + Dry Season Explain Variation in Preference

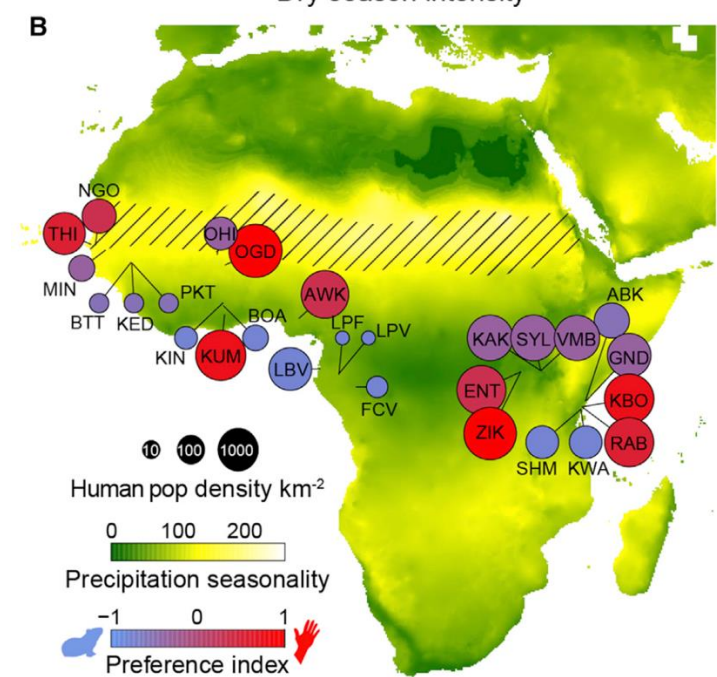
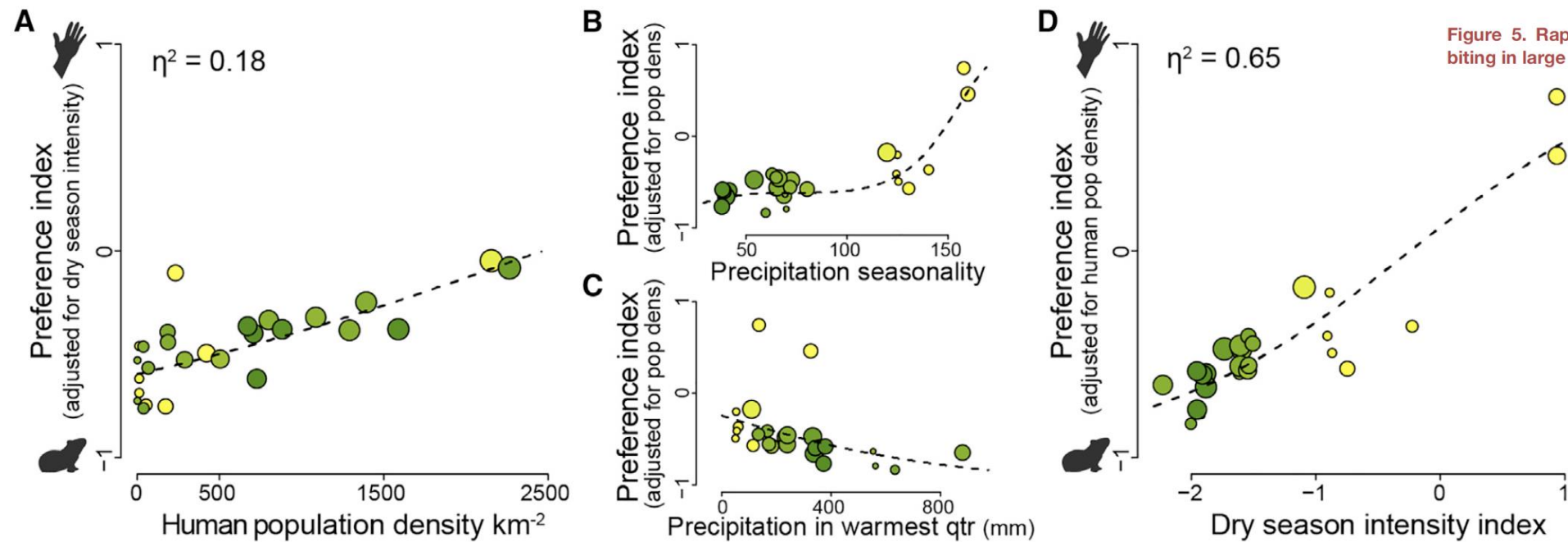
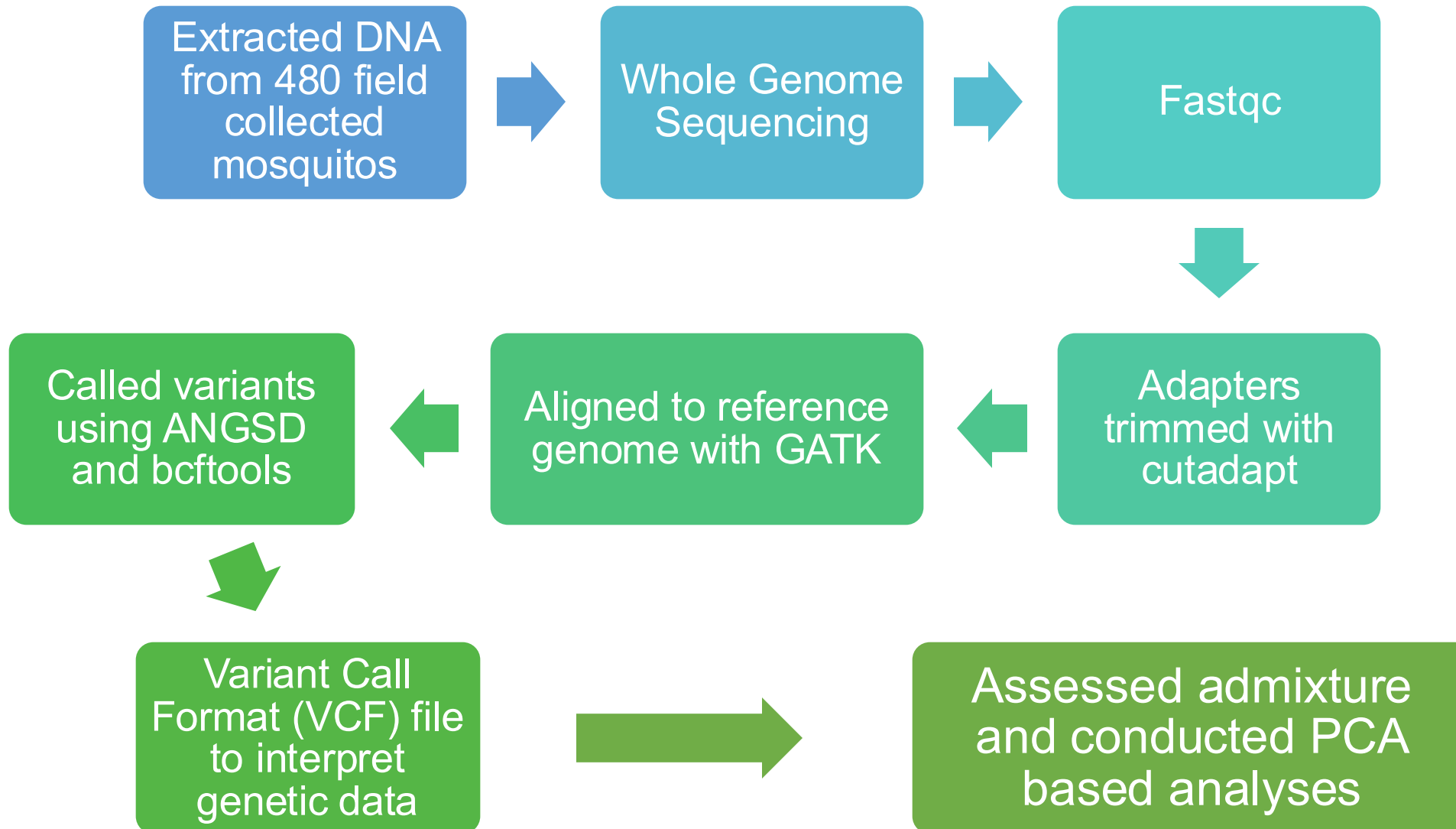


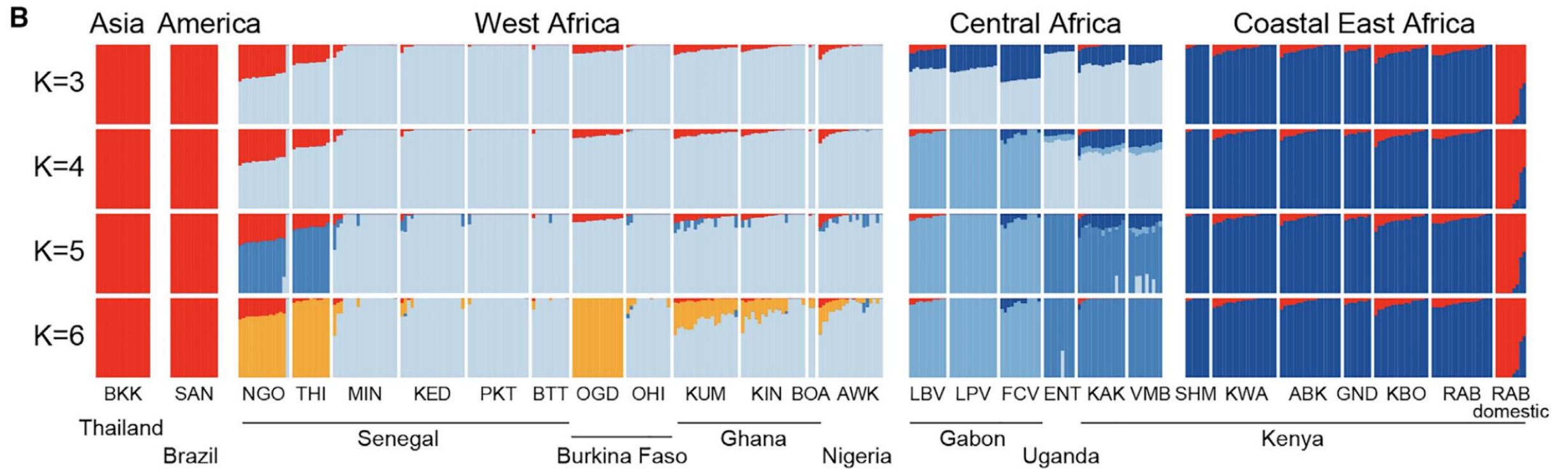
Figure 5. Rapid urbanization could favor a shift toward human-biting in large African cities by 2050

Bioinformatic Pipeline:



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Fig 3: Revisiting Population Structure:

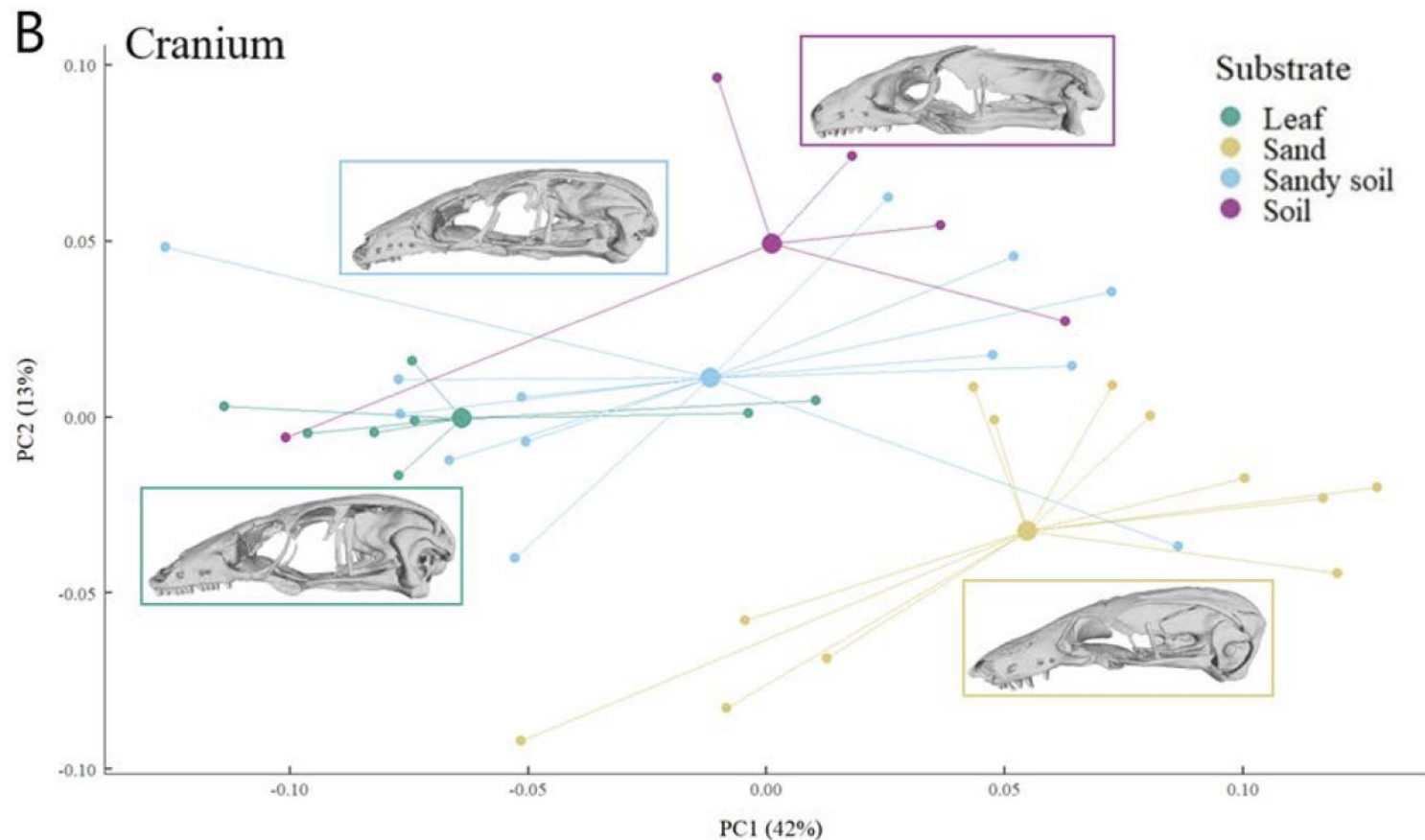


What is a Principle Component Analysis?

- A method to reduce the dimensionality of large datasets

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RESEARCH

Open Access

Phylogenetic history influences convergence for a specialized ecology: comparative skull morphology of African burrowing skinks (Squamata; Scincidae)

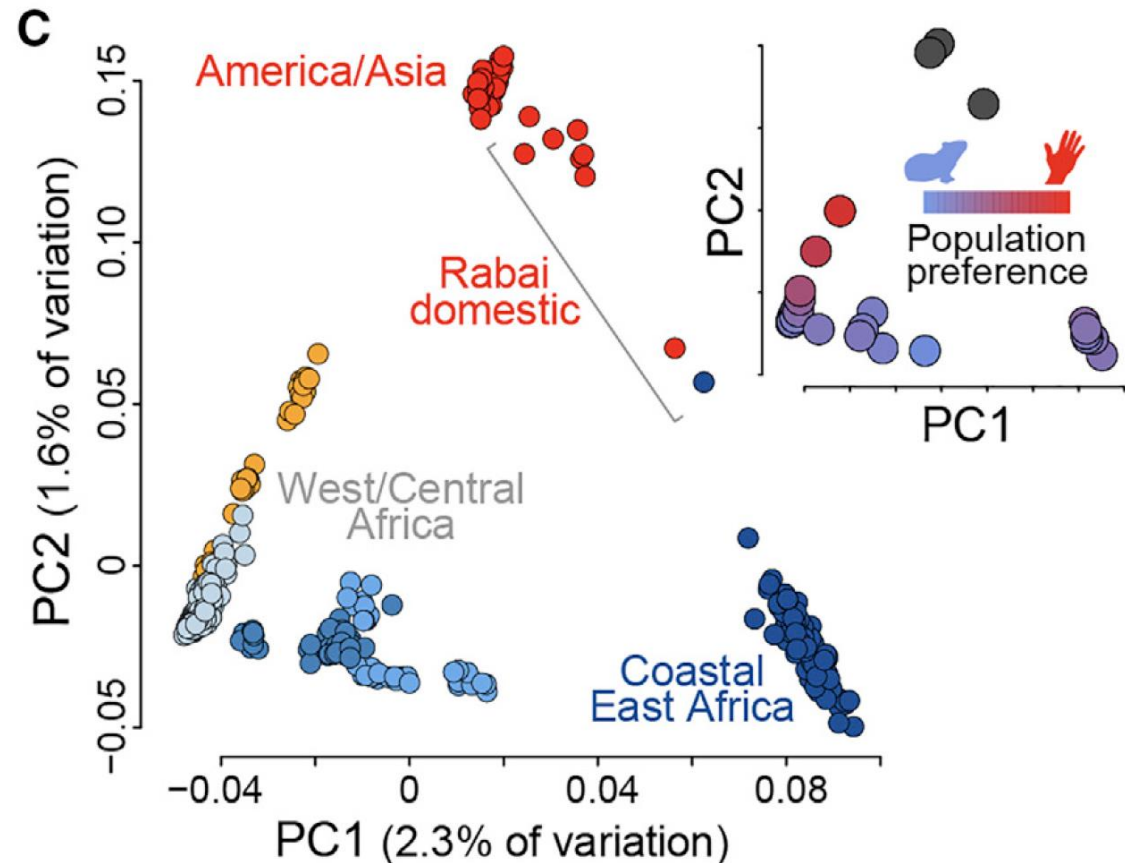
Natasha Stepanova^{1,2*} and Aaron M. Bauer¹



(Stepanova & Bauer, 2021)

What is a Principle Component Analysis?

- A method to reduce the dimensionality of large datasets
 - Genomic Data= many SNPs for many individuals





Steps involved in running a PCA

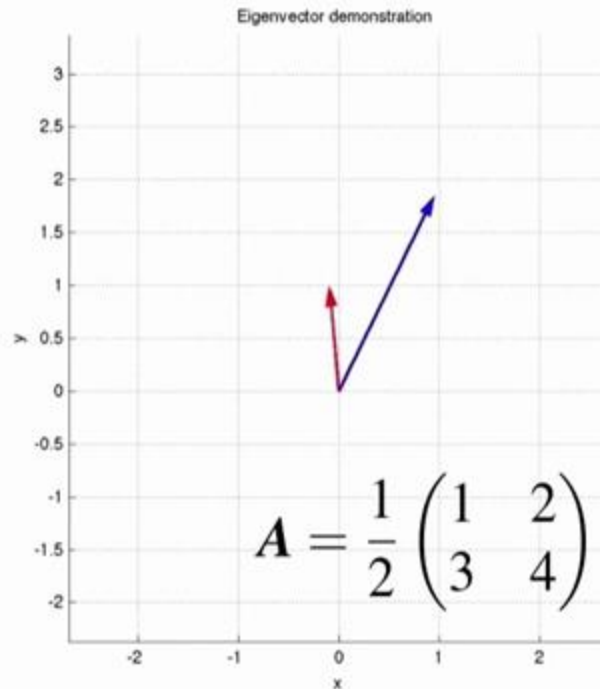
- Data standardization
 - PCA is sensitive to variances in the data
 - For example, if one site is much more variable than any other
- Calculate a covariance matrix where (x, y, z) are individual samples
$$\begin{bmatrix} Cov(x, x) & Cov(x, y) & Cov(x, z) \\ Cov(y, x) & Cov(y, y) & Cov(y, z) \\ Cov(z, x) & Cov(z, y) & Cov(z, z) \end{bmatrix}$$
- Compute the eigen vectors and eigen values of the covariance matrix
 - This is where we identify the principal components of the data!

Eigenvalues and eigenvectors

Basically:

An eigenvector points in the direction it is stretched by the transformation and the eigenvalue is how much it was stretched.

Vector transformation



vector $N \times 1$

matrix $N \times N$

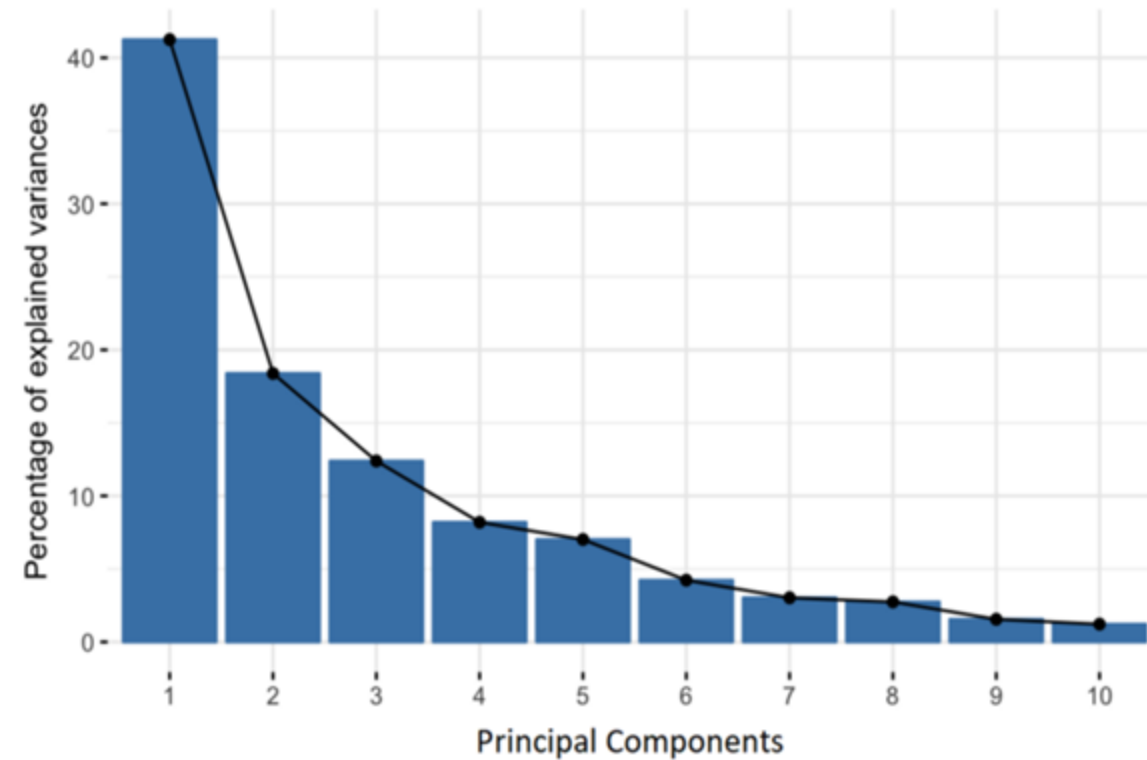
vector $N \times 1$

$$v' = Av$$

- For every matrix A there are N vectors whose *direction is unchanged* by A
 - these are the **eigenvectors**
 - their length is scaled by the **eigenvalue**

What is a principal component?

- New variables constructed from a mixture of our initial variable.
- A PCA will return to you the same dimension of data you gave it.
 - But most of the information should be in the first few PCs
 - For 10 individuals genotyped at 100 loci you will get 10 principal components



Why do we care about genetic diversity?

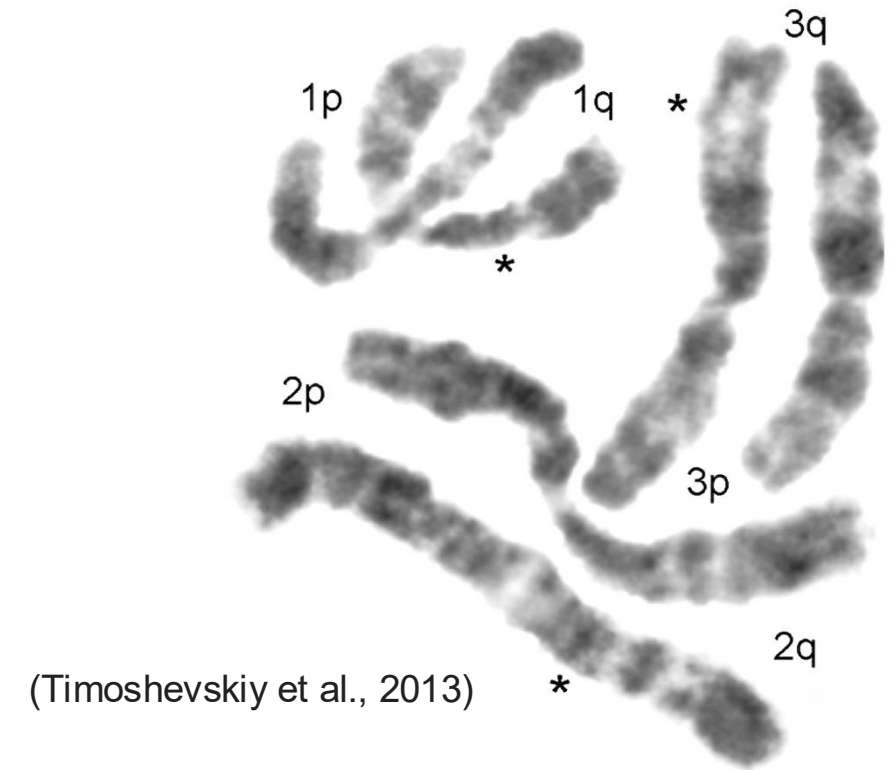
- Tells us about population demography, gene flow
- Can inform conservation strategies
- Evolution requires variation in phenotypes and genotypes



Working with a subset of data today:

Our methods differ from those used in this paper, primarily for convenience and time (ours).

- Just a section of chromosome 1



(Timoshevskiy et al., 2013)

An Integrated Linkage, Chromosome, and Genome Map for the Yellow Fever Mosquito *Aedes aegypti*

Vladimir A. Timoshevskiy, David W. Severson, Becky S. deBruyn, William C. Black, Igor V. Sharakhov, Maria V. Sharakhova 

Published: February 14, 2013 • <https://doi.org/10.1371/journal.pntd.0002052>