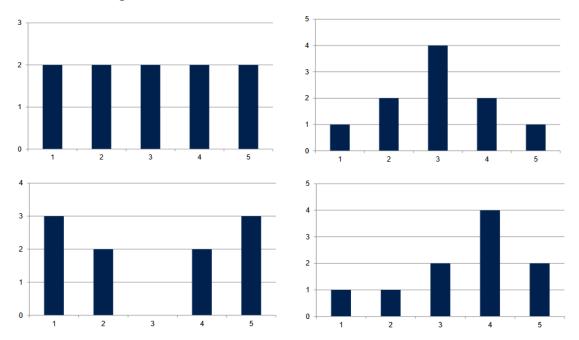
Data Analysis 1 week 10

System hypothesis experiment: collect data, visualise data, describe data, analyse data.

Visualising data includes looking at the <u>distributions</u> of answers. Distributions include <u>uniform</u> (top left), <u>normal/Gaussian</u> (top right), <u>bimodal</u> (bottom left), and <u>skewed</u> (bottom right).



Data distributions can give insights into <u>which mathematical operations</u> and <u>statistical tests</u> you can apply. <u>Many tests require normal</u> distribution of data, even things like the arithmetic mean, e.g. the normal distribution tells us that some people rated high, some rated low, but most rated average; the bimodal distribution shows us that half of the people rated high, while half rated low; however, the mean answer for both distributions is 3.

An <u>average</u> is a value that describes an entire distribution. The <u>mean</u> is the sum of all values divided by the amount of values. The <u>mode</u> is the most frequent value. The <u>median</u> is a value that splits the dataset at 50%. Depending on distribution, the chosen average leads to appropriate results. <u>Means</u> are used with <u>normal</u> distributions, <u>medians</u> with <u>skewed</u>, and <u>modes</u> for <u>non-ordinal</u> data, e.g. months.

<u>Spread</u> includes the <u>range</u> and <u>deviation</u> of a dataset. The range is the highest value and the lowest value of a dataset, e.g. 10 to 30 years old. The deviation tells us if the average model is a good representation of the data. <u>Variance</u> takes the sum of the squared differences (to account for direction differences) between the data and the average and divides it by N (whole population) or N-1 (population sample).

$$\frac{\sum (x_i - \overline{x})^2}{N - 1}$$

Standard deviation takes the square root of variance to give a more realistic,

$$\sqrt{\frac{2(\sqrt{18})^{3}}{N-1}}$$

$$\sqrt{\frac{50}{N-1}}$$

$$\sqrt{\frac{50}{N-1}}$$

$$\sqrt{\frac{50}{N-1}}$$

$$\sqrt{\frac{50}{N-1}}$$

$$\sqrt{\frac{50}{N-1}}$$

$$\sqrt{\frac{34,1\%}{34,1\%}}$$

$$\sqrt{\frac{2,1\%}{N-1}}$$

$$\sqrt{\frac{13,6\%}{N-1}}$$

$$\sqrt{\frac{10,1\%}{N-1}}$$

$$\sqrt{\frac{13,6\%}{N-1}}$$

The above graph shows the percentage of answers within different amounts of the standard deviation (σ) from the mean (μ) in a normal distribution, i.e. 95.4% of answers are within two standard deviations either side of the mean.

68.2%

95.4%

99.7%

Remember that <u>correlation</u> does not always mean <u>causation</u>. The two datasets could be affected by the same thing, e.g. ice cream sales and sunglasses sales increase during Summer, not because one causes the other, but because they are both influenced by the effects of more daily sun (hotter weather and brighter days).

Using <u>mixed methods</u> is good. <u>Quantitative</u> analysis helps explore, find patterns in, and generate high-level descriptions of data. <u>Qualitative</u> analysis helps interpret results and explains why the data is the way it is.

Data Analysis 2 week 11

<u>Simple random sampling</u> is selecting people at random from a known population. <u>Convenience sampling</u> is sampling people because they are convenient, e.g. physically close or part of an easily accessed group.

When comparing two sets of data, we want to know how large the effect is. What is the size of the difference and what <u>impact</u> is this likely to have?

Simple difference:
$$diff = |\overline{A} - \overline{B}|$$

Cohen's d:
$$d = \frac{\overline{A} - \overline{B}}{s_{pooled}}$$
 $s_{pooled} = \sqrt{\frac{s_A^2 + s_B^2}{2}}$

<u>Confidence intervals</u> describe the level of uncertainty in a <u>sample parameter</u> (estimate of the population parameter), e.g. the mean of a sample. For example, if the mean of a sample is 50, you could say that you are confident that the population's mean is between 40 and 60.

A <u>null hypothesis</u> is the hypothesis that there is <u>no significant difference</u> between conditions or populations. They are used when a hypothesis cannot be proved. For example, if you were trying to prove that A was better than B, your hypothesis (H₁) would be "we hypothesise that A is better than B". Your null hypothesis (H₀) would be "there is no real difference between A and B". If your study found that A was better than B, you could say "we reject the null hypothesis H₀ and accept H₁".

The <u>p-value</u> tells us if there is a significant difference between two conditions; it is the chance that null hypothesis is true. If $\underline{p} < 0.05$, that means that the hypothesis H₁ is likely true and that the null hypothesis is likely false.

A study's design is <u>between participants</u> if one group completes one task while another group completes another task, and <u>within participants</u> if all participants complete both tasks.

Independent variables are controlled inputs. In the previous "A is better than B" study, we only had one independent variable (A or B), while if we also wanted to see how, for example, gender impacts the results of the study, we would have two independent variables ((A or B) and participant gender). As we are comparing two things, A and B, we say we have two levels of independent variable.

<u>Parametric</u> significance tests assume the data is <u>normally distributed</u>. Continuous data is typically parametric. <u>Non-parametric</u> significance tests do not rely on any distribution.

The <u>t-test</u> assesses whether the means of two datasets are significantly different. It uses the two datasets' means, standard deviations, and numbers of participants. This <u>outputs the p-value</u>. $t = \frac{\bar{x_1} - \bar{x_2}}{\sqrt{\frac{S_1^2}{n_1} + \frac{S_2^2}{n_2}}}$

Typically, you should <u>aim to use a parametric test</u>, unless the assumptions are specifically violated. First look at parametric tests, then non-parametric, as parametric tests have more statistical power.

The p-value says nothing about the magnitude of the effect. A smaller p-value does not imply a stronger effect than a larger p-value. P-values are not reliable indicators of replicability. Confidence intervals are a way of providing better information about replication.

Regarding correlations, an <u>r value</u> indicates the amount of variance in a set of results (a higher r value means a more significant correlation).