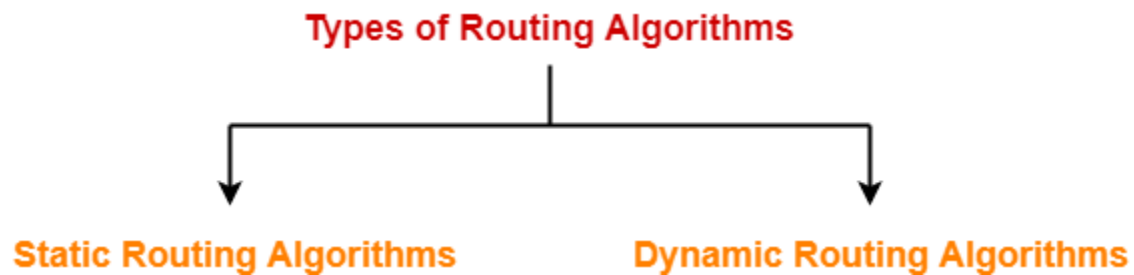


Distance Vector Routing Algorithm | Example

Routing Algorithms-

- Routing algorithms are meant for determining the routing of packets in a node.
- Routing algorithms are classified as-



1. Static Routing Algorithms
2. Dynamic Routing Algorithms

In this article, we will discuss about distance vector routing.

Distance Vector Routing Algorithm-

Distance Vector Routing is a dynamic routing algorithm.

It works in the following steps-

Step-01:

Each router prepares its routing table. By their local knowledge. each router knows about-

- All the routers present in the network
- Distance to its neighbouring routers

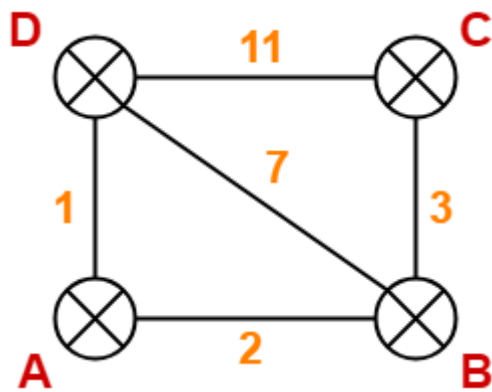
Step-02:

- Each router exchanges its **distance vector** with its neighbouring routers.
- Each router prepares a new routing table using the distance vectors it has obtained from its neighbours.

Distance Vector Routing Example-

Consider-

- There is a network consisting of 4 routers.
- The weights are mentioned on the edges.
- Weights could be distances or costs or delays.



Step-01:

Each router prepares its routing table using its local knowledge.

Routing table prepared by each router is shown below-

At Router A-

Destination	Distance	Next Hop
A	0	A
B	2	B
C	∞	—
D	1	D

At Router B-

Destination	Distance	Next Hop
A	2	A
B	0	B
C	3	C
D	7	D

At Router C-

Destination	Distance	Next Hop
A	∞	—
B	3	B
C	0	C
D	11	D

At Router D-

Destination	Distance	Next Hop
A	1	A
B	7	B
C	11	C
D	0	D

Step-02:

- Each router exchanges its distance vector obtained in Step-01 with its neighbours.
- After exchanging the distance vectors, each router prepares a new routing table.

This is shown below-

At Router A-

- Router A receives distance vectors from its neighbours B and D.
- Router A prepares a new routing table as-

From B

2
0
3
7

From D

1
7
11
0

Destination	Distance	Next hop
A	0	A
B		
C		
D		

Cost(A→B) = 2

Cost(A→D) = 1

New Routing Table at Router A

- Cost of reaching destination B from router A = $\min \{ 2+0, 1+7 \} = 2$ via B.
- Cost of reaching destination C from router A = $\min \{ 2+3, 1+11 \} = 5$ via B.
- Cost of reaching destination D from router A = $\min \{ 2+7, 1+0 \} = 1$ via D.

Explanation For Destination B

- Router A can reach the destination router B via its neighbor B or neighbor D.
- It chooses the path which gives the minimum cost.
- Cost of reaching router B from router A via neighbor B = $\text{Cost}(A \rightarrow B) + \text{Cost}(B \rightarrow B) = 2 + 0 = 2$
- Cost of reaching router B from router A via neighbor D = $\text{Cost}(A \rightarrow D) + \text{Cost}(D \rightarrow B) = 1 + 7 = 8$
- Since the cost is minimum via neighbor B, so router A chooses the path via B.
- It creates an entry (2, B) for destination B in its new routing table.
- Similarly, we calculate the shortest path distance to each destination router at every router.

Thus, the new routing table at router A is-

Destination	Distance	Next Hop
A	0	A
B	2	B
C	5	B
D	1	D

At Router B-

- Router B receives distance vectors from its neighbors A, C and D.
- Router B prepares a new routing table as-

From A	From C	From D	
0	∞	1	
2	3	7	
∞	0	11	
1	11	0	
Cost (B→A) = 2	Cost (B→C) = 3	Cost (B→D) = 7	

Destination	Distance	Next hop
A		
B	0	B
C		
D		

New Routing Table at Router B

- Cost of reaching destination A from router B = $\min \{ 2+0, 3+\infty, 7+1 \} = 2$ via A.
- Cost of reaching destination C from router B = $\min \{ 2+\infty, 3+0, 7+11 \} = 3$ via C.
- Cost of reaching destination D from router B = $\min \{ 2+1, 3+11, 7+0 \} = 3$ via A.

Thus, the new routing table at router B is-

Destination	Distance	Next Hop
A	2	A
B	0	B
C	3	C
D	3	A

At Router C-

- Router C receives distance vectors from its neighbors B and D.
- Router C prepares a new routing table as-

From B

2
0
3
7

Cost (C→B) = 3

From D

1
7
11
0

Cost (C→D) = 11

Destination	Distance	Next hop
A		
B		
C	0	C
D		

New Routing Table at Router C

- Cost of reaching destination A from router C = $\min \{ 3+2, 11+1 \} = 5$ via B.
- Cost of reaching destination B from router C = $\min \{ 3+0, 11+7 \} = 3$ via B.
- Cost of reaching destination D from router C = $\min \{ 3+7, 11+0 \} = 10$ via B.

Thus, the new routing table at router C is-

Destination	Distance	Next Hop
-------------	----------	----------

A	5	B
B	3	B
C	0	C
D	10	B

At Router D-

- Router D receives distance vectors from its neighbors A, B and C.
- Router D prepares a new routing table as-

From A

0
2
∞
1

From B

2
0
3
7

From C

∞
3
0
11

Cost (D→A) = 1 Cost (D→B) = 7 Cost (D→C) = 11

Destination	Distance	Next hop
A		
B		
C		
D	0	D

New Routing Table at Router D

- Cost of reaching destination A from router D = $\min \{ 1+0, 7+2, 11+\infty \} = 1$ via A.
- Cost of reaching destination B from router D = $\min \{ 1+2, 7+0, 11+3 \} = 3$ via A.
- Cost of reaching destination C from router D = $\min \{ 1+\infty, 7+3, 11+0 \} = 10$ via B.

Thus, the new routing table at router D is-

Destination	Distance	Next Hop
-------------	----------	----------

A	1	A
B	3	A
C	10	B
D	0	D

Step-03:

- Each router exchanges its distance vector obtained in Step-02 with its neighboring routers.
- After exchanging the distance vectors, each router prepares a new routing table.

This is shown below-

At Router A-

- Router A receives distance vectors from its neighbors B and D.
- Router A prepares a new routing table as-

From B

2
0
3
3

Cost(A→B) = 2

From D

1
3
10
0

Cost(A→D) = 1

Destination	Distance	Next hop
A	0	A
B		
C		
D		

New Routing Table at Router A

- Cost of reaching destination B from router A = $\min \{ 2+0, 1+3 \} = 2$ via B.

- Cost of reaching destination C from router A = $\min \{ 2+3, 1+10 \} = 5$ via B.
- Cost of reaching destination D from router A = $\min \{ 2+3, 1+0 \} = 1$ via D.

Thus, the new routing table at router A is-

Destination	Distance	Next Hop
A	0	A
B	2	B
C	5	B
D	1	D

At Router B-

- Router B receives distance vectors from its neighbors A, C and D.
- Router B prepares a new routing table as-

From A	From C	From D	
0	5	1	
2	3	3	
5	0	10	
1	10	0	
Cost (B→A) = 2	Cost (B→C) = 3	Cost (B→D) = 3	

Destination	Distance	Next hop
A		
B	0	B
C		
D		

New Routing Table at Router B

- Cost of reaching destination A from router B = $\min \{ 2+0, 3+5, 3+1 \} = 2$ via A.
- Cost of reaching destination C from router B = $\min \{ 2+5, 3+0, 3+10 \} = 3$ via C.
- Cost of reaching destination D from router B = $\min \{ 2+1, 3+10, 3+0 \} = 3$ via A.

Thus, the new routing table at router B is-

Destination	Distance	Next Hop
A	2	A
B	0	B
C	3	C
D	3	A

At Router C-

- Router C receives distance vectors from its neighbors B and D.
- Router C prepares a new routing table as-

From B

2
0
3
3

Cost (C→B) = 3

From D

1
3
10
0

Cost (C→D) = 10

Destination	Distance	Next hop
A		
B		
C	0	C
D		

New Routing Table at Router C

- Cost of reaching destination A from router C = $\min \{ 3+2, 10+1 \} = 5$ via B.
- Cost of reaching destination B from router C = $\min \{ 3+0, 10+3 \} = 3$ via B.
- Cost of reaching destination D from router C = $\min \{ 3+3, 10+0 \} = 6$ via B.

Thus, the new routing table at router C is-

Destination	Distance	Next Hop
A	5	B
B	3	B
C	0	C
D	6	B

At Router D-

- Router D receives distance vectors from its neighbors A, B and C.
- Router D prepares a new routing table as-

From A

0
2
5
1

From B

2
0
3
3

From C

5
3
0
10

Cost (D→A) = 1

Cost (D→B) = 3

Cost (D→C) = 10

Destination	Distance	Next hop
A		
B		
C		
D	0	D

New Routing Table at Router D

- Cost of reaching destination A from router D = $\min \{ 1+0, 3+2, 10+5 \} = 1$ via A.
- Cost of reaching destination B from router D = $\min \{ 1+2, 3+0, 10+3 \} = 3$ via A.
- Cost of reaching destination C from router D = $\min \{ 1+5, 3+3, 10+0 \} = 6$ via A.

Thus, the new routing table at router D is-

Destination	Distance	Next Hop
A	1	A
B	3	A
C	6	A
D	0	D

These will be the final routing tables at each router.

Identifying Unused Links-

After routing tables converge (becomes stable),

- Some of the links connecting the routers may never be used.
- In the above example, we can identify the unused links as-

We have-

- The value of next hop in the final routing table of router A suggests that only edges AB and AD are used.
- The value of next hop in the final routing table of router B suggests that only edges BA and BC are used.
- The value of next hop in the final routing table of router C suggests that only edge CB is used.
- The value of next hop in the final routing table of router D suggests that only edge DA is used.

Thus, edges BD and CD are never used.

Important Notes-

Note-01:

In Distance Vector Routing,

- Only distance vectors are exchanged.
- “Next hop” values are not exchanged.
- This is because it results in exchanging the large amount of data which consumes more bandwidth.

Note-02:

While preparing a new routing table-

- A router takes into consideration only the distance vectors it has obtained from its neighboring routers.
- It does not take into consideration its old routing table.

Note-03:

The algorithm is called so because-

- It involves exchanging of distance vectors between the routers.
- Distance vector is nothing but an array of distances.

Note-04:

- The algorithm keeps on repeating periodically and never stops.
- This is to update the shortest path in case any link goes down or topology changes.

Note-05:

- Routing tables are prepared total $(n-1)$ times if there are n routers in the given network.
- This is because shortest path between any 2 nodes contains at most $n-1$ edges if there are n nodes in the graph.

Note-06:

- Distance Vector Routing suffers from count to infinity problem.
- Distance Vector Routing uses UDP at transport layer.